



### UERJ - Universidade do Estado do Rio de Janeiro

Códigos de Maratona de Programação

UERJ++

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# C++ Tricks e Template

#### 1.1 Template

#### 1.2 Tricks

```
// Acha o menor valor em um array de tamanho n.
int menor = *min_element(a,a+n);
// Conta quantos numeros 3 aparecem no vector v.
int qntd = count(v.begin(),v.end(),3);
// Calcula o MDC entre dois numeros. OBS: Tomar cuidado com long long.
int mdc = __gcd(a,b);
// Calcula o numero de 1's na representacao binaria do x.
// OBS: Usar __ builtin_popcountll quando x for long long;
int qntdDeUm = __builtin_popcount(x);
// Soma todos os valores do vetor com o valorInicial
int soma = accumulate(vetor.begin(), vetor.end(), valorInicial);
// Preenche o vetor acumulando o valorInicial
iota(vetor.begin(), vetor.end(), valorInicial);
// Preenche o vetor com o valor
fill(vetor.begin(), vetor.end(), valor);
```

### **Data Structures**

#### 2.1 Binary Indexed Tree

```
Complexidade:-update -> O(logN)
                      -query \rightarrow O(logN)
\#define MAXN 1010
\mathbf{int} \ a \left[ MAXN \right] \,, \quad b \, it \, \left[ MAXN \right] \,, \quad n \;; \\
void init(){
     \  \  \, \textbf{for} \, \left( \, \textbf{int} \quad i \, \, = \, 1 \, ; \quad i \, <= \, n \, ; \quad i + + \right)
           update(i, a[i]);
}
bit[i] += val;
int query(int x){
     int sum = 0;
      for (int i = x; i > 0; i = i & -i)
         sum += bit [i];
     return sum;
}
int query(int l, int r){
      return query (r) - query (l-1);
}
```

#### 2.2 Binary Indexed Tree 2D

```
Complexidade:-update -> O(logN)
                          -query \rightarrow O(logN)
\#define MAXN 1010
\mathbf{int} \quad \mathbf{b} \, \mathrm{it} \, \left[ \mathbf{MAXN} \right] \left[ \mathbf{MAXN} \right] \, , \quad \mathbf{a} \, \left[ \mathbf{MAXN} \right] \left[ \mathbf{MAXN} \right] \, , \quad \mathbf{x} \, , \quad \mathbf{y} \, ;
bit[i][j] += val;
       }
}
\mathbf{void}\ \mathbf{query}\left(\mathbf{int}\ i\mathrm{dx}\ ,\ \mathbf{int}\ i\mathrm{dx}\, 2\,\right)\{
       int sum = 0;
       for (int i = idx; i > 0; i -= i & -i) {
for (int j = idx2; j > 0; j -= j & -j) {
                   sum += bit[i][j];
       return sum;
}
void query(int xmin, int ymin, int xmax, int ymax){
       if(xmin > xmax) swap(xmin, xmax);
       if (ymin > ymax) swap (ymin, ymax);
```

```
return query (xmax, ymax) - query (xmax, ymin - 1) - query (xmin - 1, ymax) + query (xmin - 1, ymin - 1); }
```

#### 2.3 Inversion Count w/ Merge Sort

```
int invCountMS(vector<int> &v){
       int inv = 0;
       if(v.size() = 1) return 0;
       v\,ect\,o\,r\!<\!\!\mathbf{i}\,\mathbf{n}\,\mathbf{t}\!>\ m1,\ m2\,;
       for (int i = 0; i < v.size()/2; i++) m1.push back(v[i]);
       for (int i = v.size()/2; i < v.size(); i++) m2.push back(v[i]);
       inv += countInvMS(m1);
       inv += countInvMS(m2);
       m1. push back (INT MAX);
      m2. push back (INT MAX);
       {\bf int}\ idx\ =\ 0\ ,\ idx\, 2\ =\ 0\ ;
       \begin{array}{lll} \mbox{for} \, (\, \mbox{int} \  \  \, i \, = \, \mbox{0} \, ; \  \  \, i \, < \, v \, . \, \, \mbox{size} \, (\,) \, ; \  \  \, i \, + +) \{ \\ \mbox{if} \, (\, \mbox{m1} \, [ \, \mbox{id} \, x \, ] \, < = \, m2 \, [ \, \mbox{id} \, x \, 2 \, ] \, ) \, \{ \end{array}
                    v[i] = m1[idx++];
              }else{
                     v[i] = m2[idx2++];
                     inv += m1 \cdot size() - idx - 1;
       return inv;
}
```

#### 2.4 Ordered Set

```
#include <ext/pb_ds/tree_policy.hpp>
#include <ext/pb_ds/assoc_container.hpp>
\#include <ext/ro\overline{p}e>
using namespace __gnu_pbds;
using namespace __gnu_cxx;
template <class T> using Tree = tree<T, null_type, less<T>, rb_tree_tag,
     tree order statistics node update>;
Tree<int> ord s;
ord_s.insert(2);
ord_s.insert(5);
ord_s.insert(7);
// find_by_order returns an iterator to the element at a given position
auto x = ord_s.find_by_order(2);
cout << *x << "\n"; // 7
// order_of_key returns the position of a given element
cout << ord_s.order_of_key(7) << "\n"; // 2
// If the element does not appear in the set, we get the position that the element would have in the
     s\,e\,t
cout << ord_s.order_of_key(6) << "\n"; // 2
cout << ord_s.order_of_key(8) << "\n"; // 3
```

#### 2.5 Segment Tree

```
const int MAXN = 112345;
int st[4*MAXN], a[MAXN];

void build(int node, int left, int right){
    if(left == right){
        st[node] = a[left];
    }else{
        int mid = (left + right)/2;
        build(2*node, left, mid);
        build(2*node + 1, mid + 1, right);

    st[node] = st[2*node] * st[2*node + 1];
}
```

```
return;
   } else if(left == right){}
       a[idx] = val;
       st[node] = val;
   } else {
       int mid = (left + right)/2;
       update(2*node, left, mid, idx, val);
       update(2*node + 1, mid + 1, right, idx, val);
       st[node] = st[2*node] * st[2*node + 1];
   }
}
int query (int node, int left, int right, int a, int b) {
   if(b < left | | a > right){
       return 1;
   else if(left >= a && right <= b)
       return st[node];
   }else{
       int mid = (left + right)/2;
       int e = query(2*node, left, mid, a, b);
       int d = query(2*node + 1, mid + 1, right, a, b);
       return e * d;
}
```

#### 2.6 Segment Tree

```
\#define MAXN 112345
int st [4*MAXN], lazy [4*MAXN], a [MAXN];
void build(int node, int left, int right){
    if(left == right){
         st[node] = a[left];
    }else{
         int mid = (left + right)/2;
         build(2*node, left, mid);
         build(2*node + 1, mid + 1, right);
         st [node] = st [2*node] + st [2*node + 1];
    }
}
void propagation(int node, int left, int right){
    if(lazy[node] != -1){
         st[node] = lazy[node];
         if(left != right){
             lazy [2*node] = lazy [node];
             lazy [2*node + 1] = lazy [node];
         lazy [node] = -1;
    }
}
return;
    }else if(left == right){
         lazy[node] = val;
         propagation(node, left, right);
    }else{
         int \ mid = (left + right)/2;
         update(2*node, left, mid, a, b, val);
          \frac{\text{update}(2*\text{node} + 1, \text{mid} + 1, \text{right}, \text{a, b, val}); }{\text{update}(2*\text{node} + 1, \text{mid} + 1, \text{right}, \text{a, b, val}); } 
         st[node] = st[2*node] + st[2*node + 1];
    }
}
int query(int node, int left, int right, int a, int b){
    propagation (node, left, right);
    if(a < left || b > right){
         return 0;
    }else if(left == right){
```

```
return st[node];
}else{
    int mid = (left + right)/2;
    return query(2*node, left, mid, a, b) + query(2*node + 1, mid + 1, right, a, b);
}
}
```

#### 2.7 Union-find set

```
int pai[1000001], n;

void init(){
    for(int i = 1; i <= n; i++)
        pai[i] = i;
}

int find(int v){
    if(pai[v] == v)
        return v;
    return pai[v] = find(pai[v]);
}

bool unions(int u, int v){
    u = find(u); v = find(v);
    if(u == v) return false;
    pai[u] = v;

// Faz com que o 'v' seja pai de 'u'
}</pre>
```

# Graphs

#### 3.1 Breadth-First Search

#### 3.2 Depth-First Search

```
v ector < int > g[n];
int vis[n];
int tam = 0;
void DFS(int v){
    vis[v] = 1;
    for (auto u : g[v])
        if (!vis[v]) DFS(u);
}
// Cobertura Minima
// 0 = Nao visitado, 1 = Visitado, 2 = Vertice da cobertura
void DFS(int v){
    vis[v] = 1;
for (auto u : g[v]) {
    if (vis[u] == 0) {
             DFS(u);
             if(vis[u] == 1) vis[v] = 2;
        }
    }
}
// O vertice u esta conectado com dest?
bool isConnect(int u, int dest){
    vis[u] = true;
    if(u == dest) return true;
    for (auto v : adj[u])
        if(connect(v, dest)) return true;
    return false;
}
```

#### 3.3 Articulation Points

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```
int vis[MAXN], low[MAXN], ap[MAXN], cont;
 \begin{array}{lll} \textbf{void} & \textbf{articulation\_point(int} \ p, \ \textbf{int} \ v) \{ \\ & \textbf{vis} \left[ v \right] \ = \ low \left[ v \right] \ = \ ++cont \ ; \end{array} 
                            \  \, \textbf{for}\,(\, \textbf{auto}\  \, \textbf{u}\  \, :\  \, \textbf{g}\,[\,\textbf{v}\,]\,)\,\{
                                                       i\,f\,(\,!\,v\,i\,s\,[\,u\,]\,)\,\{
                                                                                  articulation_point(v, u);
if(low[u] >= vis[v]) ap[v]++;
                                                                                  low[v] = min(low[v], low[u]);
                                                       else if(u != p)
                                                                                 low[v] = min(low[v], vis[u]);
                           }
}
vector < int > is Articulation Point () {
                           {\tt vector}{<} {\tt int}{\gt} \ {\tt points}\,;
                            for (int i = 1; i <= n; i++){
                                                       if(!vis[i]) articulation point(i, i);
                          \begin{array}{lll} \textbf{for}\,(\textbf{int} & i = 1; & i <= n; & i++) \{ & & & \\ & \textbf{if}\,(\,i \, == \, 1 \, \, \&\& \, \, ap\,[\,1] \, > \, 1) \, \, \, points\,.\,push\_back\,(\,1)\,; \\ & & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & \\ & & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & \\ & & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\ & \\
                           return points;
}
void init(){
                            cont = 0;
                           \begin{array}{lll} memset\left(\,v\,is\;,\;\;0\;,\;\;siz\,e\,o\,f\left(\,v\,is\;\right)\,\right)\;;\\ memset\left(\,low\;,\;\;0\;,\;\;siz\,e\,o\,f\left(\,low\;\right)\,\right)\;; \end{array}
                            memset(ap, 0, sizeof(ap));
                           memset(g, 0, sizeof(g));
}
```

#### 3.4 Topological Sort

```
int vis [MAXN], dist [MAXN], maior, end point;
vector < int > g[MAXN];
stack < int > topoSort;
void topological_sort(int v){
     vis[v] = 1;
     \quad for \left( \, auto \;\; u \;\; : \;\; g \left[ \, v \, \right] \, \right) \, \{
          if(!vis[u]) topological_sort(u);
     topoSort.push(v);
}
void longest_path(int src){
     dist[src] = 0;
     maior = 0:
     while (!topoSort.empty()) {
          int v = topoSort top();
          topoSort.pop();
          if(dist[v]!= -1){
    for(auto u : g[v]){
                     dist\,[\,u\,] \;=\; max\,(\;dist\,[\,u\,]\;,\;\; dist\,[\,v\,]\;+\;1)\;;
          maior = max(maior, dist[v]);
     for (int i = 1; i \le n; i++){
          if(maior == dist[i]){
               end point = i;
               break;
          }
     }
}
```

# Strings

#### 4.1 Z-Function

## Miscellaneous

#### 5.1 Histogram Problem

```
//\ Funcao\ que\ retorna\ a\ maior\ area\ retangular\ de\ um\ histograma\ .
long long getMaxArea(vector<long long> &hist, long long n) {
     \frac{stack}{long} long> s;
     \label{long_long_max_area} \mbox{long} \ \mbox{long} \ \mbox{max\_area} \ = \ 0 \, ;
     long long tp;
     long long area with top;
     long long i = 0;
     while (i < n) {
          if(s.empty() || hist[s.top()] \le hist[i]){
              s.push(i++);
          } else {
              tp = s.top();
              s.pop();
              area_with_top = hist[tp] * (s.empty() ? i : i - s.top() - 1);
               if ( max _ area < area _ with _ top )</pre>
                   max\_area = area\_with\_top;
         }
     }
     \mathbf{while}(!s.empty()){
         t\dot{p} = s.top();
         s.pop();
          area_with_top = hist[tp] * (s.empty() ? i : i - s.top() - 1);
         if (max_area < area_with_top)
              max\_area = area\_with\_top;
     return max_area;
}
```