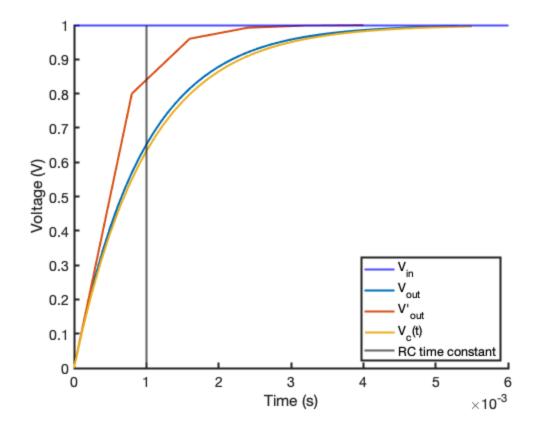
Setup and compute model

```
close all;
% constants
R = 1000; %resitance
C = 1*10^-6; %capacitance
endT = 5.5*10^{-3};
tao = R*C;
%interval of discrete time steps
h = tao*0.1; %time steps must be <= tao to produce an acurrate model
h = 8*10^-4;
steps = fix(endT/h);
steps_ = fix(endT/h_);
% calculate perdiction with time steps of h
Vin = ones(1, steps);
Vc = circuitA(Vin, h, R, C);
% calculate perdiction with time steps of h_
Vin = ones(1, steps );
Vc_ = circuitA(Vin, h_, R, C);
```

Plot model

```
figure();
hold on;
%plot the input voltage
yline(Vin(1), 'b', 'linewidth', 2);
%plot the voltage across the capacitor with time steps of h
plot([0:steps-1]*h, Vc, 'linewidth', 2);
*plot the voltage across the capacitor with time steps of h'
plot([0:steps_-1]*h_, Vc_, 'linewidth', 2);
%plot theoretical charging curve
syms t;
V \text{ out(t)} = (1-\exp(-t/(R*C)));
fplot(@(t) V_out(t), [0 endT], 'linewidth', 2);
%plot tao
xline(tao, 'linewidth', 2);
set(gca, 'linewidth', 2);
set(qca, 'fontsize', 14);
xlabel("Time (s)")
ylabel("Voltage (V)");
legend("V_{in}", "V_{out}", "V'_{out}", "V_c(t)", "RC time
 constant",...
    'Location','southeast');
hold off;
```



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