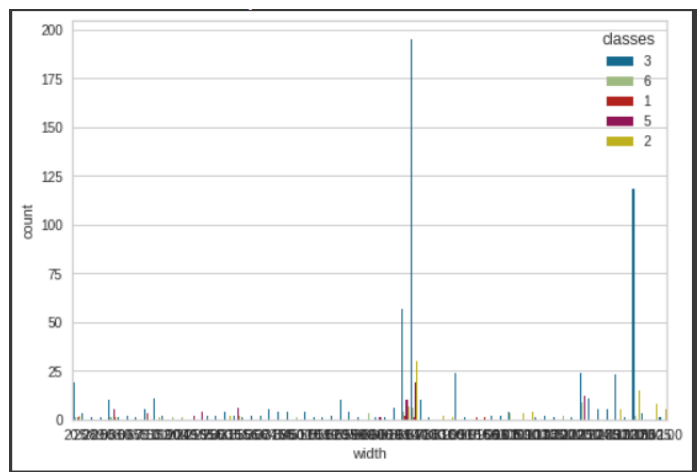
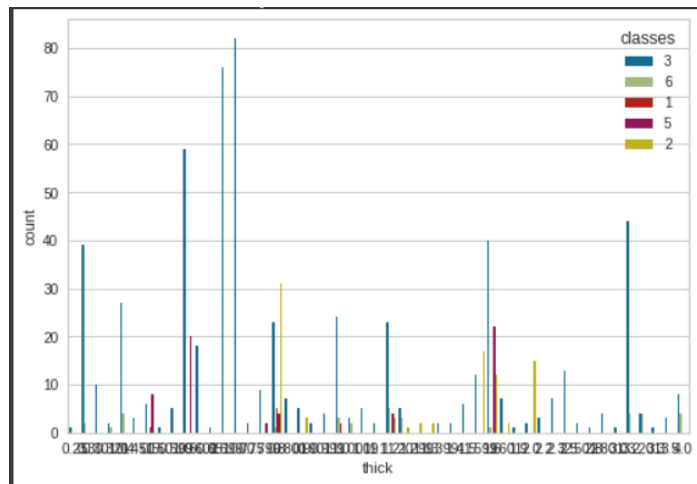


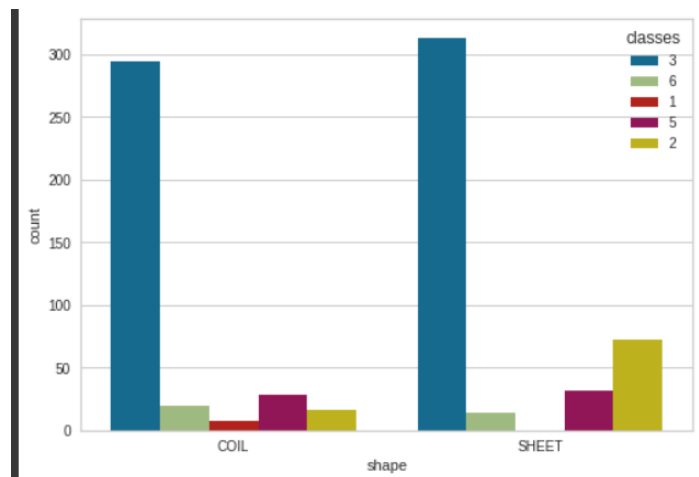
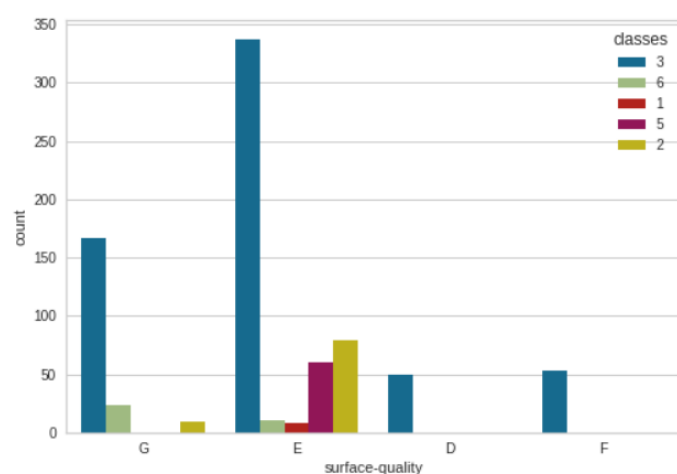
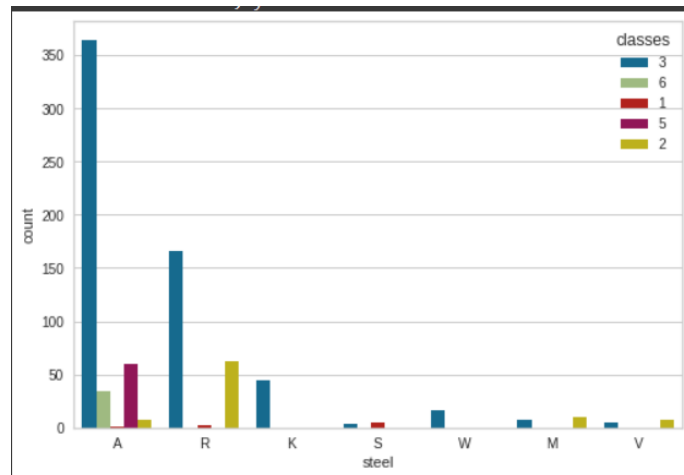
LAB Assignment 7

CSL 2050

By :- Akshat Jain B21CS005

1. We work with the Annealing dataset here
 - 1.1. Combined with Part 1.2
 - 1.2. We first load the dataset. Then we systematically analyze the dataset to see which columns are actually usable as features for our problem. We then drop a majority of the columns due to a large no. of NaN values in them(roughly 25% or more) we are then left with 2 continuous features and 3 categorical features. We then visualize the data w.r.t classes already given in the data to get a feel for the distribution.





We then perform categorical encoding on the categorical features. After that we create a deepcopy of the entire dataset in which we then perform standard scaling on all the continuous features.

- 1.3. We then Train a Decision tree and an svm classification model. We perform 5- fold cross validation for both the models and check the accuracy for each split on the 2 different datasets. For DTC and normal data:

```
0.8673835125448028  
[0.8625      0.9      0.88050314 0.83647799 0.83018868]
```

For SVC and normal data:

```
0.7526881720430108  
[0.75      0.76875  0.73584906 0.77987421 0.77358491]
```

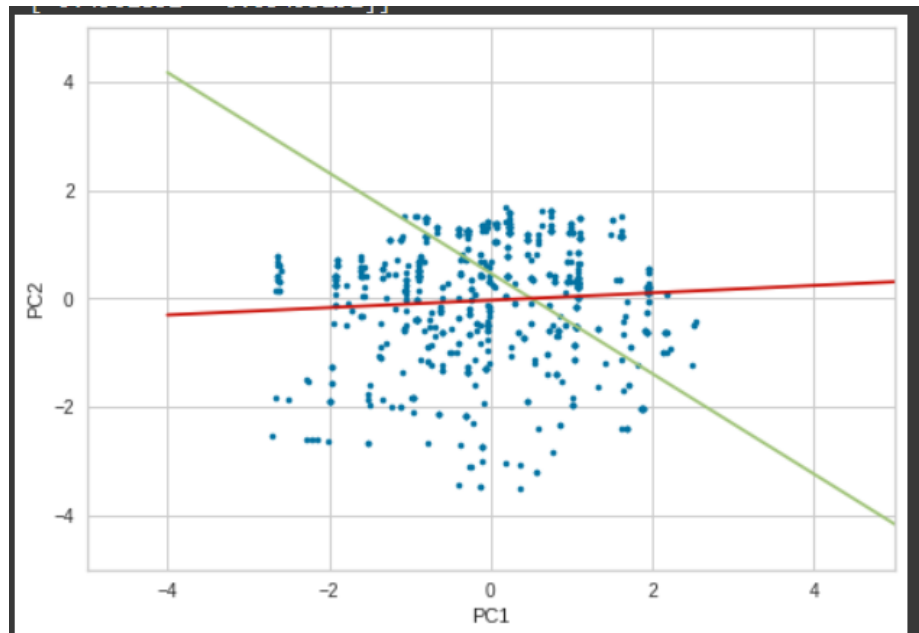
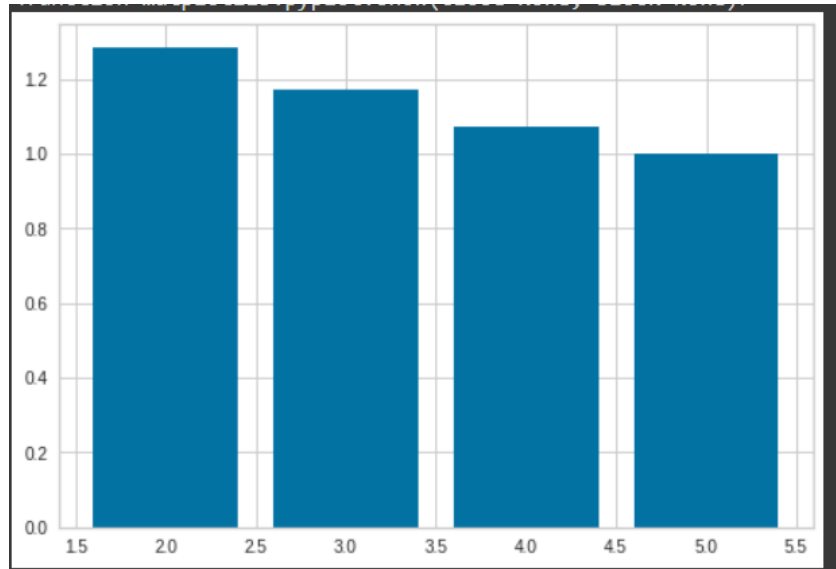
For DTC and standarized data:

```
0.8387096774193549  
[0.8625      0.90625  0.88679245 0.8427673  0.81761006]
```

For SVC and standarized data:

```
0.7275985663082437  
[0.75625      0.775      0.73584906 0.77358491 0.79874214]
```

- 1.4. We First define a function to get the covariance matrix from scratch and then implement the PCA algorithm from scratch. The Features of this Algorithm are:- (1) Taking no of components as an input (2) Returns the relevant eigenvectors, cumulative variance and the transformed dataset (3) Centralizes the dataset first with the help of the Z value algorithm.
- 1.5. We plot the variance of the entire transformed dataset for each instance of increasing order of components. We also plot the transformed dataset for no. of Components = 2 along with the eigenvectors(the first 2 dimensions)



- 1.6. We then train the previous 2 classification models on the transformed dataset to compare their accuracies.
For DTC and transformed data:

```
0.8315412186379928
[0.81875    0.9      0.83018868 0.8490566  0.79245283]
```

For SVC and transformed data:

```
0.7634408602150538  
[0.75625    0.78125    0.76100629 0.77987421 0.79245283]
```

- 1.7. We plot the Cumulative variance for successive iterations of the PCA increasing the no. of components. We can see here that we can apply a basic threshold of 80% of the original variance for no. of components = 4. We will take this as our best case for this use instance.

