

Great Expectations?

Leveraging Teachers to Improve Student Performance^{*}

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We study how communicating student-specific teacher expectations affects academic performance by randomizing whether students (a) receive high-performance expectations, (b) are additionally paired with a classmate for encouragement, (c) receive information about past performance, or (d) receive no message. Expectations increase math scores by 0.21σ , with the largest gains among students who randomly receive ambitious expectations or are predicted to perform poorly. Information also has comparably large effects (0.18σ), particularly in schools with low parental literacy. Pairing students only improves scores when students are similar. Students with large gaps between expectations and baseline performance show sustained gains 12-18 months later.

Keywords: Expectations, Information, Peer Effects, Motivation, Performance.

JEL code(s): D91, D84, I24, I25, C93, D83.

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1 Introduction

We face a global learning crisis, with millions of children lacking basic literacy and numeracy skills despite being in school ([World Bank, 2017](#)). A growing body of evidence shows that ‘effective’ teachers can improve learning ([Bau and Das, 2020](#); [Chetty et al., 2014a,b](#); [Evans and Popova, 2016](#)), and emphasizes the need for student-centred teaching practices where every learner feels valued ([UNESCO, 2020](#)). One potentially promising but underutilized tool is the communication of teacher expectations. Communicating high expectations may be a low-cost and scalable strategy that fits within the existing classroom environment. Educational psychology has long hypothesized that teacher expectations can shape student outcomes through a self-fulfilling mechanism known as the “Pygmalion Effect” ([Rosenthal and Jacobson, 1968](#)). Setting high expectations is also considered to be a key feature of successful schooling models (e.g., US charter schools ([Angrist et al., 2013](#); [Fryer Jr, 2014](#))). Despite this, there is little large-scale causal evidence of its standalone impact on student learning, especially because expectations are often formed and conveyed endogenously.

In this paper, we address this gap by experimentally investigating whether personalized high expectations of performance and effort conveyed by teachers can improve student achievement.¹ The effects of high expectations are theoretically ambiguous: they may motivate students by raising aspirations, or discourage them if they are perceived as unrealistic or unsupported, especially when students lack a supportive peer environment, and if they provide little value beyond receiving feedback on past performance. Our experiment design allows us to measure the causal effect of teacher expectations and examine whether it depends on the ambitiousness of the expectations, can be strengthened by peer encouragement, and how it compares to simply receiving a reminder of past performance. We find that communicating high teacher expectations raises math scores by 0.21σ , with the largest gains among low-performing students and those who receive ambitious expectations. Information on past performance yields similar effects (0.18σ), especially in low-parental-literacy schools. Pairing students helps only when peers are friends or similar in baseline characteristics. Notably, performance gains persist 12–18 months after the intervention for students with large gaps between their baseline performance and expectations.

We partner with a large private school chain in Pakistan to implement a randomized controlled trial. Teachers are held in high regard in our setting, as in many other contexts ([Dozza and Cavrini, 2012](#); [Wentzel, 2010](#)), and their motivational role in the classroom is well-acknowledged by parents.² Working with 288 classrooms across 15 schools, we first collect realistic, student-specific teacher expectations. To do so, we used administrative data to re-

¹In this context, the word ‘expectation’ is not used in the statistical sense of a prediction but rather in its commonly used form to indicate desired outcomes.

²For example, 84% of parents in our sample report that it would be ‘very’ or ‘extremely’ useful if the teacher set and conveyed a concrete expectation of performance to their child.

mind math teachers of the most recent math test scores of each of their students.³ Then, all teachers were asked to fill in responses to the following statements: (1) "I expect the student to work hard and improve to *achieve at least X (out of 100%)* in upcoming exams and tests" (which we refer to as 'High Expectations' hereafter) and (2) "I expect the student to work hard and improve and I think that *even Y (out of 100%) is achievable* in upcoming exams and tests" (which we refer to as 'Very High Expectations' hereafter).⁴

Following the collection of expectations from all teachers, we divided the classrooms randomly into three groups: an Expectations Arm, a Peer Arm, and a Comparison Group, which was further split into an Information Arm and a Pure Control Group. Students in the Expectations Arm randomly received one of the two statements of teacher expectations ('High Expectations' or 'Very High Expectations'), along with a custom-designed and individually tailored infographic encouraging them to work towards achieving the expectation. Students in the Peer Arm received the same message as the Expectations Arm, but were also randomly matched with another classmate. They received an additional infographic highlighting that they should encourage each other to achieve their respective goals, which were privately disclosed to them. Students in the Information Arm received an infographic containing information on their performance in the previous math exam. Finally, students in the Control Arm received no message. To ensure privacy, we used the school's online infrastructure to send private emails to each student. Moreover, all teachers were blind to the treatment status of students to ensure they did not selectively change their efforts towards any students.

Our experimental design addresses key challenges in causally identifying the impact of teacher expectations on student outcomes and yields several policy-relevant insights. First, we ensure that all teachers in our sample wrote high expectations for students in their classroom prior to randomization. As expectations are endogenous and often selectively delivered, this step ensured that we could causally isolate the effect of communicating high teacher expectations on student performance. Comparison of the Expectations Arm to the Control Group, therefore, allows us to estimate the effect of communicating high teacher expectations. Moreover, we randomly vary how expectations are framed, i.e., as a lower bound ("...to achieve at least X") or as an ambitious target ("...even Y is achievable"). This allows us to test whether the magnitude and framing of expectations influence their effectiveness. Second, the Information Arm isolates the effect of simply reminding students of their past performance, providing a natural benchmark against which to compare the Expectations Arm. Third, the Peer Arm measures whether pairing students for mutual encouragement strengthens the impact of teacher expectations. Since peers are randomly assigned, we can also examine whether peer characteristics, such as similarity or friendships, moderate treatment effects.

³This was intended to mitigate concerns that teachers do not know their students' performance (Djaker et al., 2024) or have biases in their expectations based on student characteristics. We do not find significant differences between teacher expectations across student gender, parental wealth, or age (Figure A.4.1).

⁴These statements were designed to elicit a lower bound and an ambitious score that the teacher expected the student to achieve. Teachers were informed that these expectations might be communicated to students.

Our main outcomes include student-level scores in Mathematics and English on high-stakes exams. These tests were designed and conducted by our partner schools 2-4 weeks and 6 months after the initial delivery of the intervention. In addition, we also conducted a follow-up student survey to collect information on how the students interpreted various components of the intervention. Finally, we collected administrative data on student test scores 12 and 18 months after the start of the intervention to study long-term effects.

The experiment generates four main sets of findings. First, we find that students in the Expectations Arm scored 0.21σ higher in their math exam than students in the Control Group who received no information. The effect is statistically significant at 1%.⁵ Decomposing this, we find that the treatment effect is large (0.27σ) and statistically significant at 1% for students who randomly received the ‘Very High’ teacher expectation statement. This effect is significantly higher than the effect on those who randomly received ‘High’ expectations. Consistent with this, we find evidence that the magnitude of the expectation matters relative to the student’s baseline performance: a 10 percentage point increase in the gap between teacher expectations and students’ baseline score leads to a 2 percentage point increase in the impact of the Expectations Arm (statistically significant at 1%). We also find that those predicted to perform the worst score significantly higher in the Expectations Arm compared to similar students in the Control Group. This shows that the effect is not concentrated among those who would perform well in the absence of the treatment. Reinforcing these results, our follow-up survey reveals that about 70% of students interpret the expectation infographic as a goal or encouragement from the teacher. 76% reported that they would feel motivated or happy after receiving the image. Together, these findings suggest that students respond especially well to the ambitious expectations communicated by the teacher.^{6 7}

Second, we find that students in the Information Arm also score 0.18σ higher than students in the Control Group. While this effect is not significantly distinguishable from the effect of the Expectations Arm, the Information Arm lead to significantly higher gains in schools with low parental literacy, unlike the Expectations Arm. This suggests that the simple infographic might have made the information on student performance more accessible to and easily understood by parents in settings with low literacy. We rule out other factors, such as delivering the performance information in a simpler format (i.e., as a percentage) or the timing of the delivery as potential mechanisms. Our follow-up survey also suggests that students interpreted the reminder as encouragement from the teacher. This is consistent with recent evidence showing that college students respond positively to performance feedback, interpreting it as a signal that their professors care about them ([Carrell and Kurlaender, 2023](#)).

⁵We pool results from the two rounds of math exams conducted 2-4 weeks and 6 months after the start of the intervention. The treatment effects for both rounds separately are identical and statistically significant at 5%.

⁶We also present a simple effort-choice model to interpret how expectations, information, and peer comparisons can affect extrinsic motivation and achievement in the Supplementary Appendix Section B.

⁷The observed treatment effects are not driven by alternative mechanisms such as changes in teacher behavior. We rule out these mechanisms in Section 6.

Third, the average treatment effect of the Peer Arm is statistically indistinguishable from zero. Although this treatment arm adds a peer-matching component to the Expectations Arm, we find that the effect of the Peer Arm is significantly lower than the effect of expectations alone. At the same time, we detect evidence of heterogeneous treatment effects ([Chernozhukov et al., 2018](#)). In particular, the effect of the Peer Arm is positive and significantly higher for students who are randomly paired with their friends. Similarly, we find that effects are significantly higher for peers who are similar to each other in terms of their baseline characteristics, including their scores and teacher expectations. In contrast, the effect is negative and significantly lower for those whose matched peer has a higher baseline score or expectation than them. Consistent with this, in our follow-up survey, students report that they are likely to feel disappointed if their matched peer's teacher expectation is higher than their own. Conversely, the majority report that they would feel motivated and happy if paired with a peer with similar scores and teacher expectations. Overall, the results suggest that interpersonal comparisons can negatively affect student academic performance.

Finally, we also measure the effects of our intervention in the longer term, i.e., 12 and 18 months after the intervention. We do not detect a significant average treatment effect on Math or English test scores in either wave. However, we continue to find that the treatment effect of the Expectations Arm is significantly larger for individuals whose expectations exceeded their baseline performance. The fact that individuals who initially received a high expectation relative to their baseline performance perform significantly better several months after the intervention suggests that ambitious expectations may have a long-lasting motivational impact.

Our paper makes three key contributions. First, we provide causal evidence on the role of communicating high teacher expectations. While the hypothesis that a teacher's expectations can affect student performance, leading to a self-fulfilling prophecy, is not new ([Friedrich et al., 2015; Rosenthal and Jacobson, 1968, 1992; Wang et al., 2018](#)), there have been few experimental studies that test and quantify the extent to which communicating expectations can affect student performance. This is because expectations are endogenous and selectively delivered, making it difficult to evaluate their causal impact ([Carlana, 2019; Jussim and Harber, 2005](#)). Additionally, while high expectations have been claimed to play an important role in other contexts, for example as one of the bundled components of the US Charter Schools system ([Angrist et al., 2013; Fryer Jr, 2014](#)), their role as a stand-alone component has not been studied in existing literature, especially in developing country contexts. Going further, our experiment allows us to benchmark the effect of expectations against the impact of information provision about student performance, which has been found to be effective in many settings ([Andrabi et al., 2017; Barrera-Osorio et al., 2020; Bobba and Frisancho, 2022; Friedlander, 2020](#)). We show that information provision can be as effective as teacher expectations, especially in settings with lower parental literacy. However, we show that communicating high teacher expectations can be an effective strategy to motivate students in a sustained manner in contexts where information access or interpretation is not a binding concern.

Second, we contribute to the literature on the role of peers in education (e.g., [Bifulco et al. \(2011\)](#); [Burke and Sass \(2013\)](#); [Bursztyn et al. \(2019\)](#); [Bursztyn and Jensen \(2015\)](#); [Calvó-Armengol et al. \(2009\)](#); [Jackson et al. \(2023\)](#); [Lavy, Paserman and Schlosser \(2012\)](#); [Lavy, Silva and Weinhardt \(2012\)](#); [Sacerdote \(2001\)](#); [Wu et al. \(2023\)](#)). We complement this literature by showing that peer effects play an important role in how students respond to teacher-set expectations. While prior work documents positive spillovers from high-ability students to low-ability students (e.g., [Booij et al. \(2017\)](#); [Carrell et al. \(2009\)](#)), we exploit the random variation in peer characteristics induced by random matching to show that pairing students who are similar in their achievement or teacher expectations is beneficial. We therefore provide evidence showing that student homophily affects how peers jointly respond to teacher-set expectations, as dissimilar peers get demotivated by interpersonal comparisons. In fact, we find that a lack of student similarity can entirely overturn the otherwise positive effects of teacher expectations. These findings have important implications for classroom practice, especially in settings where teachers often make interpersonal comparisons in the classroom.

Finally, from a policy standpoint, we measure the effects of a particularly low-cost, non-invasive, and sustainable intervention that fulfills the generalizability criteria proposed in [List \(2022\)](#). Our intervention is particularly cost-effective (\$.08-0.09 per 0.1 standard deviation increase in scores) compared to other interventions that have been successful in raising student performance in low-resource settings (for example, see a review in [Glewwe and Muralidharan \(2016\)](#) and [Beteille and Evans \(2019\)](#)).⁸ Other low-cost approaches include goal-setting interventions ([Damgaard and Nielsen, 2018](#); [Dobronyi et al., 2019](#); [Morisano et al., 2010](#); [Oreopoulos and Petronijevic, 2019](#); [Schippers et al., 2015](#)) and interventions aimed at fostering growth mindset and grit ([Alan et al., 2019](#); [Duckworth and Quinn, 2009](#); [Ganimian, 2020](#); [Islam et al., 2021](#); [Yeager and Dweck, 2012](#)). Unlike goal-setting interventions, where goals are often set by students and can be unrealistic, we study the impact of tailored teacher expectations.⁹ Further, we differ from the literature on growth mindset and grit by evaluating an intervention that can be adopted sustainably without external resources or changes in curriculum.

We proceed as follows. In Section 2, we describe the empirical setting. We present the experiment design in Section 3 and describe the empirical strategy in Section 4. Section 5 presents the results, and Section 6 provides a detailed discussion of the mechanisms and cost-effectiveness. Section 7 concludes.

⁸We document the details of our cost-benefit analysis in Section 6.

⁹Our intervention does not aim to distinguish between teacher expectations and goals. [Strulov-Shlain and Wellsjo \(2025\)](#) use an online experiment to show that expectations positively affect goals but not vice versa.

2 Data

2.1 Setting

The education system in Pakistan includes public, low-cost private, and private schools. The incidence of private schools has grown rapidly over the years with 42% of children in the country enrolled in private schools (Andrabi et al., 2007; Qureshi and Razzaque, 2021). We partnered with a private school chain that operates approximately 300 schools across Pakistan, catering to middle- and upper-middle-income families. The schools have pre-primary (KG), primary (grades 1-5), lower-secondary (grades 6-8), and secondary (grades 9-11) grades.

We conducted our study in a sample of 15 schools with grades 3 to 8 across 288 classrooms.¹⁰ Our sample constitutes 1,537 students, taught by 118 math teachers. There is considerable variation in student backgrounds within our sample. Approximately 44% of the schools cater to upper-middle income groups, while 38% to middle-income groups. About 12, 75, and 12% of the schools have low, medium, and high levels of parental literacy, respectively. Most of the schools are concentrated in Punjab, with a few schools in Sindh and Khyber Pakhtunkwa (Appendix Figure A.1.1).

2.2 Data Sources

2.2.1 Data on Academic Achievement

Each academic year has two terms, August to December and January to June. High-stakes standardized tests in Math and English are administered in every grade once every term. We collected administrative data from our partner schools, which included test scores for Math and English at multiple points in time: (1) historical scores from 2019 and 2020, (2) June 2021 (at the end of the first term following our intervention), and (3) December 2021 (at the end of the second term during our study). In addition to this, we also collected long-term test scores at two points in time (1) June 2022 and (3) December 2022, i.e., after 12 and 18 months of the start of our intervention, respectively. These standardized tests are designed by our partner schools' curriculum advisors at the head office, reflect the curriculum being taught in different grades, and are high stakes. The tests are standardized at the grade level. Math and English scores, along with scores on other subjects determine progression to the next grade.¹¹

¹⁰We worked with primary and secondary grades until grade 8 only because after this students opt into different education systems such as the local matriculation board or the GCSE Ordinary Levels.

¹¹We do not have access to item-level test data, rather only have student-level aggregate percentage scores for Math and English for the two time periods.

2.2.2 Surveys

We conducted a baseline survey with students before the intervention to measure demographic characteristics, classroom engagement, stress, intrinsic, and extrinsic motivation.¹² Then, we conducted a follow-up student survey six months after the end of the intervention (June 2022) to gather information on how students interpreted various components of the information provided to them. We also conducted focus groups with a subsample of students to further understand how students interpreted the images. Additionally, we surveyed school heads to measure school-specific attributes such as parental income, literacy, how often they provide information about scores, and how this information is provided.

2.2.3 Data on Teacher Expectations

We elicited expectations from teachers about each of their students' math performance. To collect these in a standardized way, we asked teachers to share **realistic** expectations for each student after reminding them about the student's latest performance and requested them to fill in the following statements:

1. "I expect the student to work hard and improve to **achieve at least X** (out of 100%) in upcoming exams and tests."
2. "I expect the student to work hard and improve and I think that **even Y** (out of 100%) is **achievable** in upcoming exams and tests."

In addition to this, we asked teachers to choose three general recommendations that they thought were most important to help students improve their performance from a pre-specified list (compiled in consultation with teachers outside our study sample). The recommendations choice list included being more engaged in the classroom, asking questions, practicing from the textbook, practicing online, completing homework, attending virtual classrooms, and working with other students, or their parents. These recommendations were included in the infographic delivered as part of our intervention.

2.3 Descriptive Statistics

2.3.1 Student Characteristics

We present descriptive statistics for students in our sample in Table 1. Our sample includes 1,537 students from grades 3 to 8, between 6 to 15 years of age. 41% of the students are girls and 84% of the students speak Urdu, while 64% also speak English at home. We find that 95% of

¹²Additionally, we conducted two rounds of online surveys and independent tests with students after the intervention and two rounds of surveys with teachers before and after the intervention. Due to low response rates, we lack statistical power to detect treatment effects using measures from these instruments, so we do not present the results in this paper. Results of the midline and endline student surveys are presented in the online appendix.

the students report they want to get better at math. In addition, the majority of students value education highly and aspire to pursue higher education, suggesting that they are motivated to work hard. At the same time, 32% report that they feel that they are not as good at math, and over 52% report that they feel stressed about their current performance. Moreover, 75% of students report that they believe their teachers expect them to achieve over 90%. We suspect that unrealistic beliefs about what the teacher expects from them could be driving student stress. As we surveyed students at the time of remote learning during the pandemic, we find that engagement with teachers was limited. For example, 44% of the students report clarifying math problems with the teacher only once a week or never.

Finally, the majority of students report feeling academically motivated by their peers (74%) and report that peers do not trouble them for working hard (83%). To corroborate this further, we measure student networks by asking students to list their friends in the classroom and find that having more friends in the classroom is positively correlated with having higher extrinsic motivation. This positive classroom environment distinguishes our setting from other contexts that do not have conducive classroom norms such as those in [Bursztyn et al. \(2017\)](#) and [Bursztyn et al. \(2019\)](#). Aligned with this, 61% of teachers in our teacher survey (see below) disagree with the notion that working hard is not considered ‘cool’ among students.

2.3.2 Teacher Characteristics

There are 118 teachers in our sample. 59% of them have a Master’s degree and are predominantly ethnically Punjabi ([Table A.1.2](#)). About a third of teachers report concerns about classroom disruption, attendance, or students not completing their homework ([Table A.1.3](#)). About 69% of teachers report that they think their encouragement matters the most for student performance, compared to encouragement from parents and peers. When asked to think about who would improve the most after receiving high expectations, only 23% of the teachers report students at the bottom end of the distribution as their first choice, compared to students at the middle or top end of the distribution. These baseline patterns motivate our intervention as teachers are aware of the importance of their expectations but do not prioritize students at the bottom end of the score distribution while thinking of conveying these expectations. These are students who can potentially have the highest marginal benefits.

At the same time, teachers also acknowledge the motivational role of peers. 85% agree or strongly agree that students care about what their friends think about them. 53% report that expectations should be conveyed to those who will be most successful in encouraging others, compared, for example, to those whose academic performance would improve the most (15%) or those whose non-cognitive outcomes would improve the most (27%). This adds credence to the peer component of our study design.

Table 1: Summary Statistics of Students

	Count	Mean	SD	Min	Max
Student Characteristics					
Age	1,369	10.59	1.74	6.00	15.00
Adults per Room	1,315	0.56	0.34	0.07	3.00
Female	1,537	0.41	0.49	0.00	1.00
Speaks English at home	1,468	0.64	0.48	0.00	1.00
Speaks Urdu at home	1,537	0.84	0.37	0.00	1.00
Value of Education (1-5)	1,101	4.60	0.76	1.00	5.00
Aspires to obtain Master's degree or higher	814	0.85	0.36	0.00	1.00
Classroom Engagement					
Weekly Hours doing Math Homework	1,370	2.96	4.22	0.00	30.00
Weekly Hours Studying Math	1,371	3.80	4.79	0.00	41.00
How often do you discuss math with your teacher?	1,385	1.71	0.98	0.00	3.00
How often do you discuss math with your parent?	1,385	1.79	1.10	0.00	3.00
How often do you discuss math with your peers?	1,385	0.98	0.97	0.00	3.00
Peer Characteristics					
Number of Friends in the Classroom	1,537	4.07	2.64	0.00	10.00
Stress					
Stressed about Own Performance	1,333	0.52	0.50	0.00	1.00
Stressed about Teacher's Expectations	817	0.46	0.50	0.00	1.00
Stressed about Peer's Expectations	817	0.31	0.46	0.00	1.00
Stressed about Parent's Expectations	817	0.62	0.49	0.00	1.00
Stress Index	817	0.48	0.38	0.00	1.00
Intrinsic Motivation					
Feels not good at math	1,333	0.32	0.47	0.00	1.00
Feels they work hard at math	1,333	0.87	0.33	0.00	1.00
Wants to get better at math	1,333	0.95	0.22	0.00	1.00
Intrinsic Motivation Index	1,333	0.85	0.20	0.25	1.00
Extrinsic Motivation					
Motivated by Peers	1,338	0.74	0.44	0.00	1.00
Troubled by Peers for Bad Performance	1,338	0.12	0.32	0.00	1.00
Troubled by Peers for Working Hard	1,338	0.17	0.38	0.00	1.00
Extrinsic Motivation Index	1,338	0.81	0.24	0.00	1.00

Note: The statistics are from the baseline student survey. Variables related to stress with regard to teacher's, parent's or peer's expectation, and aspirations for higher studies were only collected for the older students (in grade 5 and above) following a pilot of the survey. Students in grades 3 and 4 were asked to list up to 5 friends, while those in older grades were asked to list 10 friends. Variables measuring the number of hours doing homework or studying math exclude outliers above the 99th percentile.

3 Experiment Design

3.1 Randomization Design

Figure 1 shows the randomization design. We use a clustered randomized design at the classroom level and randomly allocate one-third of classrooms to the Expectations Arm (where student-specific high teacher expectations and encouragement are conveyed individually to a student), one-third to the Peer Arm (where in addition to conveying student-specific high teacher expectations and encouragement individually to a student, they were additionally randomly matched with another classmate and asked to encourage each other),¹³ and a one-third to a Comparison Group. Half of the Comparison Group classrooms were randomized to receive a reminder about their last test score (Information Arm) and half were randomly selected to receive no messages (Control Group). The randomization was stratified along grade,¹⁴ gender composition of the school (co-educational or single gender) and whether the average class math test score (%) in the preceding year (2020) was above or below the median. Within the Expectations Arm and Peer Arm, half the students were randomly chosen to receive the “High” teacher expectation, and half received the “Very High” teacher expectation with the corresponding statements outlined earlier (Section 2.2.3).

3.2 Timeline

The timeline of the study is as follows. Informed parental consent and student assent were obtained between March and May 2021. Teacher expectations were elicited and delivered by mid-June. We collected administrative test score data on student performance in June/early July. We sent two reminders to students about their teacher expectations—one at the start of the summer holidays and another at the beginning of the new academic year in August. A final round of teacher expectations with updated design graphics and scores was sent in November 2021 before the school conducted its end-of-term exams in December 2021. A final round of follow-up surveys with school administrators and students was conducted between March to May 2022. We also collected long-term student test score data in June and December 2022.¹⁵

3.3 Format and Delivery of Teacher Expectations

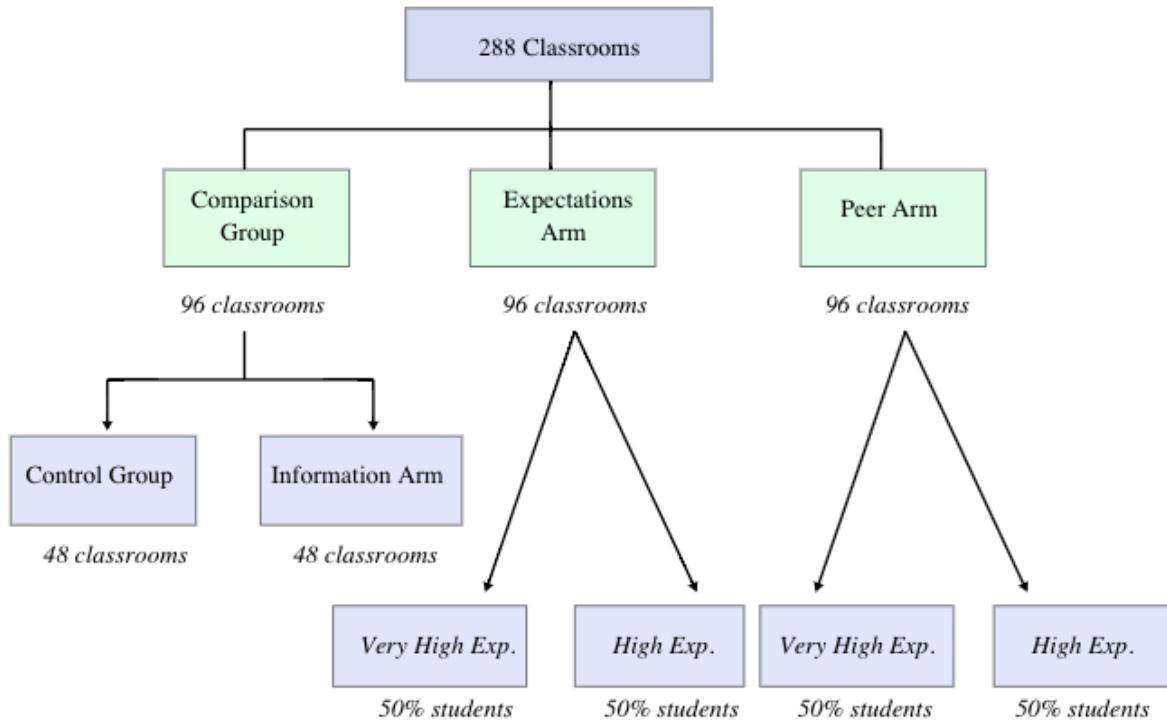
We delivered student expectations via emails as the schools had switched to using virtual learning during the pandemic. The virtual learning infrastructure (Google Classrooms), existed prior to the pandemic and was regularly used by teachers to communicate with students.

¹³In the Peer Arm, we randomly matched students with another student of the same gender, taking into account the cultural norms in the Pakistani context.

¹⁴We use a binary variable to indicate Grade 3 students (very young and unable to complete the survey without enumerator instructions and outside of class) separately from grades 4-8 (older grades).

¹⁵While we don’t report the results of the student and teacher surveys in this paper because of a low response rate, we conducted two rounds of surveys (before and after the intervention).

Figure 1: Randomization Design



An enumerator was added to each Google Classroom as a co-teacher to email students privately. While the emails were sent on behalf of the teachers, the teachers were not able to see these emails.

Figure 2 shows the designed graphics sent out to each group. The graphic used to deliver teacher expectations positions each student as a superhero who can work towards achieving the teacher's expectations. The staircase includes generic tips for all students on how to achieve the goal (as described earlier in Section 2.2.3). Students in the Expectations Arm received their most recent math test score and teacher's expectation ("High" or "Very High") according to their treatment status.¹⁶ Appendix Figure A.2.1 illustrates the difference in the "High" and "Very High" statements on the images.

In the Peer Arm, students first received a private email with their test scores and their (individual) teacher's expectations (just like the Expectations Arm). In addition, they also received a joint email with their matched classmate with the additional line '*We hope you both will encourage each other*'. The joint email (and infographic) was to encourage students to support each other. Importantly, the joint email did not contain any information about either student's test scores or teacher expectations. Students in the Information Arm received a graphic with a

¹⁶For 22% of the treated students, teachers reported lower expectations than the student's previous score. In these cases, previous scores were omitted from the infographic to avoid demotivating students (as was required by our IRB/ethics boards).

simple image of a boy or a girl with their most recent Math score.

Our follow-up survey gathered information on how students interpreted the information on these graphics. We discuss these interpretations in the mechanisms section of the paper.¹⁷ For the second round of intervention, we re-designed the graphics as shown in Appendix Figure A.2.2. The graphics were updated based on the most recent scores of the students, but the expectations communicated remained the same. These graphics were emailed before the end-of-term exams in December 2021.

Figure 2: Treatment Delivery Design Variations - Round 1

(a) Information Arm - Boy



(b) Information Arm - Girl



(c) Expectations Arm - Boy



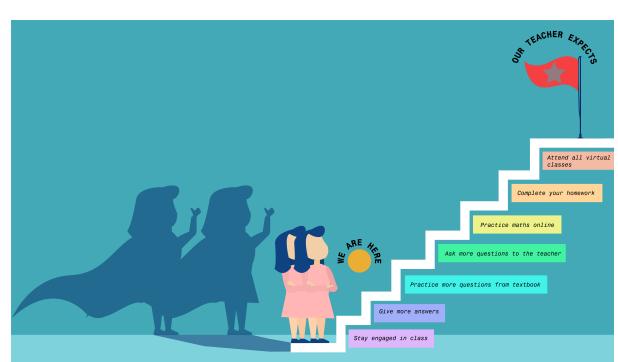
(d) Expectations Arm - Girl



(e) Peer Arm - Boy



(f) Peer Arm - Girl



¹⁷In addition to the follow-up survey, we also conducted focus groups with selected students to understand how students interpreted the images.

4 Empirical Strategy

4.1 Specification

Our main specification regresses pre-specified outcomes on $Information_c$, $Expectation_c$, and $Peer_c$ which equal 1 if the student is in a classroom c in the Information, Expectations, or the Peer Treatment Arms respectively.¹⁸ We use the pooled sample combining data from the midline and endline waves for the main results to maximize power.¹⁹

$$Y_{ict} = \beta_0 + \beta_1 Information_c + \beta_2 Expectation_c + \beta_3 Peer_c + \phi_s + \lambda_t + \epsilon_{ict}$$

Standard errors are clustered at the class level (unit of treatment). We include fixed effects ϕ_s for each stratum s and control for a round fixed effect λ_t for midline and endline. We present results on standardized test scores and raw test scores, controlling for baseline student performance in a value-added specification in the latter case.

4.2 Balance and Descriptives for Teacher Expectations

4.2.1 Student and Class-Level Characteristics

We adopt two approaches to check for balance. First, we show that student characteristics are balanced across control and treatment groups for the pooled sample, midline sample, and endline sample. These include student-level characteristics such as baseline math scores, gender, wealth, classroom effort in terms of hours spent studying and preparing for exams, number of friends, classroom engagement, and intrinsic and extrinsic motivation. These results are shown in Tables A.3.1, A.1, and A.2. Next, we show balance across the treatment arms at the class level using average historical scores in Math and English, class-level variables such as class size, grade, teaching experience of the teacher, teacher-reported student engagement (motivation and interaction), disruption and warnings, absenteeism, and parental engagement. These results are shown in Table A.3.2. We find that control and treatment classrooms are balanced across most characteristics. However, we will also account for any balance-related concerns in our robustness specifications where we will employ Post-Double Selection Lasso as proposed in Belloni et al. (2014).

¹⁸These binary variables capture intent to treat rather than actual treatment status. However, 88% of those students who completed our midline survey reported reading the emails and the proportion is balanced across the different treatment arms so we suspect that the treatment on treated results would be slightly higher but not very different than our ITT estimates. Since we do not have this indicator for all students, we are unable to run the treatment on treated regressions.

¹⁹However, results for the midline and endline waves separately are also presented in the supplementary appendix. The differences between the treatment effect on scores across midline and endline waves are not statistically significant.

4.2.2 Teacher Expectations

In addition to checking for balance along student and class characteristics, we also report descriptive statistics from the expectations we elicited from teachers across different student characteristics to lend credibility to our research design. We find no systematic differences in teachers' expectations by student gender, age, or wealth as shown in Figure A.4.1. By reminding teachers about every student's recent math score before writing their expectations, we minimized the risk of gender or wealth-related stereotypes driving their expectations. In fact, baseline scores explain roughly 44% (49%) of the variation in High (Very High) expectations. Including wealth, gender, and age only increases the R^2 by roughly 1 percentage point.

We also check for balance in teacher expectations and confirm that there are no systematic differences in teacher expectations across treatment and control arms (Figure A.4.1). This implies that teachers did not set expectations differently across treatment arms. Additionally, as mentioned earlier, teachers were blind to the classroom treatment status as the intervention messages were delivered to students individually via email so teachers could not see the content of the message or who it was emailed to.

On average, the gap in the teacher's expectation and student performance was highest for students in the bottom 25% of the score distribution (Figure A.4.2). This suggests that teachers believed in the ability of students in the bottom quartile of the score distribution to improve substantially—even though the majority reported that they would not prioritize delivering the expectations to students at the bottom of the achievement distribution in the baseline survey.

Additionally, it is important to consider the possibility that a high-performing student could have randomly had a bad test day because of which the gap between their expectations and baseline performance would be high, and their subsequent performance is also likely to be better, potentially leading to a mechanical treatment effect of expectations. However, since we find balance in baseline student achievement and teacher expectations across all treatment and control arms (as shown in Table A.3.1 and Figure A.4.1), it is unlikely that such idiosyncratic shocks can drive the observed treatment effects of expectations.

5 Results

5.1 Main Results

5.1.1 Effect on Math Performance

Table 2 presents the treatment effects from our main specification on Math scores on high-stakes tests conducted by our partner schools. Column (1) reports standardized test scores and column (2) reports raw percentage scores. We find that students in the Expectations Arm score 0.21σ higher than students in the Control Group (significant at 1%). This is equivalent to a 3.3

percentage point increase in percentage scores. At the same time, we find that students who received information about their previous test scores also score 0.18σ (significant at 5%) higher than students in the Control Group, equivalent to a 2.7 percentage point increase in percentage scores. We find that the effect of the Information Arm is not statistically distinguishable from the effect of the Expectations Arm.²⁰

This suggests that receiving a message on behalf of the teacher that contains just a reminder about the student's past performance can also increase student performance and be just as effective as teacher expectations. We discuss the mechanisms underlying this effect in the next section and find that this is driven by schools with low parental literacy and students interpreting this reminder as an encouragement message from the teacher.²¹.

The results from the pooled specification are also consistent with the treatment effects estimated separately for the midline and endline waves (Tables B.1 and B.2). Further, as shown in Table B.3, while the treatment effects for all arms are smaller in magnitude in the endline, the differences over time are not statistically significant. As a result, we infer that the effect of the intervention is sustained over time.

Finally, we find no average effects of the Peer Arm on test scores. Further, the difference between the effects of the Expectations and Peer Arm is statistically significant. This is particularly surprising since the Peer Arm adds the peer matching component to the Expectations Arm. This finding suggests that while students may benefit from receiving teacher expectations, they may, on average, be negatively affected by being matched with a random classmate leading to an overall null effect. In the next section, we leverage the fact that peers were matched randomly to provide evidence of heterogeneous treatment effects. This will allow us to understand why the Peer Arm did not succeed in improving test scores on average.²²

Robustness to controls: We also the Post Double Selection Lasso strategy (Belloni et al., 2014) to show that the treatment effects on test scores do not change even after accounting for any baseline characteristics that might be correlated with treatment indicators (Table E.1).

Alternative Specification: Since the Peer Arm combines peer matching with the Expectations Arm, we also present an alternative specification to distinguish the effects of expectations from those of matching (Table A.9.1). In this specification, we define two binary variables: 'Information' (equal to 1 for the Information Arm), 'Expectations' (equal to 1 for both the Expectations and Peer Arm).²³ We find that expectations had a significantly positive effect on math scores

²⁰It is important to note that these are intent-to-treat effects. While 88% of the midline survey sample reported reading the emails, the actual treatment effects are likely to be higher.

²¹We also present a simple effort-choice model to illustrate how expectations, information, and peer comparisons can affect student motivation in the Supplemental Appendix (Section B)

²²Additionally, we also estimate the effect of the treatments on class-level variance in math test scores and find that the treatments reduce the variance of test scores but the effects are not significant.

²³The Expectations Arm infographic was interpreted by students as highlighting the potential for improvement (i.e., students noticed the gap between the expectation and their current score), as is confirmed by our follow-up survey. Hence, we do not treat the effect of the Expectations Arm as additively separable from the effect of

Table 2: Treatment Effects on Test Scores

	(1) Standardized	(2) Raw
<i>Panel A. Targeted Subject: Math Scores</i>		
Expectations	0.209*** (0.074)	3.261** (1.377)
Peer	0.068 (0.078)	1.086 (1.361)
Information	0.179** (0.084)	2.747* (1.435)
Observations	2773	2640
<i>Comparisons (p-values)</i>		
Exp vs Peer	0.040	0.028
Exp vs Info	0.696	0.640
Info vs Peer	0.163	0.128
<i>Panel B. Spillover Subject: English Scores</i>		
Expectations	-0.191 (0.148)	0.261 (1.260)
Peer	-0.390** (0.180)	-1.066 (1.340)
Information	-0.037 (0.162)	0.809 (1.360)
Observations	2413	2413
<i>Comparisons (p-values)</i>		
Exp vs Peer	0.235	0.210
Exp vs Info	0.312	0.608
Info vs Peer	0.042	0.096

Note: Standard errors in parentheses; * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The results are from pooled regressions of midline and endline scores. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Column (2) reports the raw scores of students (converted to percentages) in a value-added specification i.e. controlling for a student's baseline score. Regressions include strata and round fixed effects and standard errors are clustered at the level of randomization.

equal to 0.21σ (significant at 1%) and peer matching had a significantly negative effect of 0.14σ (significant at 5%). As before, the effect of information and expectations is comparable.

information about the past score.

5.1.2 Effect on English Performance

In addition to the above results on math test scores, Table 2 shows that the Expectation and Information Arms do not have any spillover effects on English test scores in the pooled sample, while the Peer Arm has a negative and significant effect. When we separate the results at the midline and endline, we find that all three treatment arms have an insignificant effect on English test scores in the midline, but a negative effect of -0.45σ and -0.62σ in the endline which is significant at 5% and 1% for the Expectations and Peer Arm respectively (Tables B.4 and B.5). This could indicate that over time, a subject-specific expectation might lead students to substitute effort towards that subject and away from other subjects.

5.2 Heterogeneity

5.2.1 Magnitude of Expectations

First, we exploit the exogenous variation in the type of expectations delivered (i.e., ‘High’ or ‘Very High’). The results are presented in Table 3. We find that the Expectations Arm significantly raises test scores when expectations are high enough, i.e., students who received a ‘Very High’ expectation from teachers, scored 0.27σ higher in math compared to the Control Group (significant at 1%). Additionally, the effect on those students who were given a ‘High’ expectation is 0.13 standard deviations but not statistically significant. This provides evidence for the hypothesis that providing students with ambitious goals set by teachers can have high returns and does not lead to frustration. Moreover, the difference between the ‘Very High’ and ‘High’ expectation effect is statistically significant at 10%. This result is similar even when we consider the midline and endline waves separately.

Panel B in Table 3 shows the results of the specification where we regress the scores on the treatment arms interacted with the gap between the student’s baseline score and the expectation delivered to them. We find that the effect of both the Expectation and Peer Arm is higher among students for whom this gap is larger. We find that a 10 percentage point increase in the gap between expectations and baseline score leads to a 2 percentage point increase in the impact of the Expectations Arm. This implies that receiving a higher expectation relative to one’s performance increased test scores.

Note that the larger effect of a gap between baseline performance and expectations does not arise mechanically from low-performing students simply having more room to improve. Since students were randomized to receive the ‘Very High’ statement, a significant effect for them provides evidence against this interpretation. Moreover, the second column in Panel B of Table 3 includes a control for students’ baseline test scores. Even after conditioning on baseline performance, the interaction between the gap and the expectations treatment remains significant at the 5% level, implying that among students with the same baseline score, those who received a higher expectation performed better.

Table 3: Heterogeneity with Statement and Magnitude of Expectation Delivered

	(1) Standardized	(2) Raw
<i>Panel A. By the Type of Expectation Statement Delivered</i>		
	Standardized	Raw Scores
Expectations (Very High)	0.268*** (0.081)	3.525*** (1.357)
Expectations (High)	0.135 (0.083)	2.435 (1.496)
Peer (Very High Expectation)	0.033 (0.083)	0.398 (1.320)
Peer (High Expectation)	0.108 (0.091)	1.117 (1.596)
Information	0.176** (0.082)	2.483* (1.351)
Observations	2773	2640
<i>Comparisons (p-values)</i>		
Exp (Very High) vs Info	0.266	0.381
Exp (Very High) vs Exp (High)	0.086	0.348
Exp (High) vs Info	0.635	0.970
Peer (Very High) vs Info	0.103	0.074
Peer (Very High) vs Peer (High)	0.373	0.599
Peer (High) vs Info	0.469	0.342
<i>Panel B. By the Gap between Expectation and Baseline Score</i>		
Expectations	0.105 (0.080)	1.845 (1.306)
Peer	0.096 (0.085)	1.719 (1.391)
Information	0.144 (0.091)	2.544* (1.474)
Expectations x Gap between Expectations and Baseline Score	0.016** (0.006)	0.281*** (0.098)
Peer x Gap between Expectations and Baseline Score	0.005 (0.006)	0.109 (0.104)
Observations	2180	2180

Note: Standard errors in parentheses; * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The results are from pooled regressions of midline and endline scores. The gap in panel B is the difference between the expectation delivered to the student and their performance. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Column (2) reports the raw scores of students (converted to percentages) in a value-added specification, i.e., controlling for a student's baseline score. Regressions include strata and round fixed effects and standard errors are clustered at the level of randomization.

5.2.2 Characteristics of the Matched Peer

Next, we exploit the random variation in matching in the Peer Arm to examine the heterogeneity of treatment effects along the characteristics of the randomly matched peers. To systematically explore this, we use baseline classroom network data to compare individuals randomly paired with a friend to those who were not.²⁴ As shown in Table A.7.1, the effect on test scores is significantly larger for those paired with a friend compared to those who were not. To understand this further, we construct a measure of homophily among the matched peers as a measure of their similarity in terms of baseline characteristics such as baseline scores, teacher expectations, classroom motivation, parental wealth, and number of friends in the classroom. We construct the index by first generating the squared differences in terms of these characteristics, standardizing these differences, and then constructing an inverse variance weighted average (Anderson, 2008). The homophily index is the negative of this average.

As shown in Table 4, the effect of the Peer Arm is higher for whom the homophily index is higher. We find that the effect of the peer treatment arm is negative for students for whom the homophily index is low and positive for those for whom it is high. We break this down further by looking at how the treatment effect within the Peer Arm differs by the extent of similarity in terms of teacher expectations and baseline scores within matched pairs in Panels B and C of Table 4 respectively. We find that both individuals matched with peers who received similar teacher expectations and those matched with peers who received lower expectations scored significantly higher—by 0.39σ and 0.30σ , respectively—compared to those matched with peers who received higher expectations. This is reinforced by our follow-up survey (discussed in more detail later), in which students report that they would feel disappointed and less motivated if their matched peer received a higher expectation than them. Reinforcing these patterns of heterogeneity of treatment effects of the Peer Arm, we find that the effect of being matched with a peer with the same baseline score is also 0.33σ higher than being matched with someone with a higher baseline score.

When compared with the Control Group, Appendix Table C.1 shows that students who were matched with a peer with the same baseline score achieve a 0.21σ higher test score (significant at 10%) than the control group. This effect is not statistically distinguishable from that of the Expectations Arm. However, being matched with a peer with a higher baseline score does not improve student performance. Even though this effect is not statistically distinguishable from that of being matched with someone with the same score, we find that it is significantly lower than the effect of the Expectations Arm. This reinforces the finding that peers who are similar in terms of baseline scores perform significantly better than the Control Group and have a treatment effect as large as those who were in the Expectations Arm.

²⁴We define two individuals as friends if either listed the other's name during the baseline network elicitation.

Table 4: Heterogeneity in Treatment Effects by Matched Peer Characteristics

	(1) Standardized	(2) Raw
Panel A. By Homophily Index (Whole Sample)		
Expectations	0.205*** (0.074)	3.250** (1.370)
Information	0.179** (0.084)	2.779* (1.433)
Peer	-0.862*** (0.316)	-8.748** (4.030)
Peer x Homophily	1.202*** (0.370)	12.546*** (4.563)
Constant	-0.279*** (0.095)	41.751*** (3.737)
Observations	2467	2355
Panel B. By Matched Peer's Expectation (Within Peer-Arm)		
Own expectation	0.031*** (0.006)	0.354*** (0.092)
Peer's expectation is same	0.377*** (0.134)	4.700* (2.383)
Peer's expectation is lower	0.279** (0.128)	3.870 (2.577)
Constant	-3.004*** (0.560)	25.778*** (9.718)
Observations	591	589
Panel C. By Matched Peer's Baseline Score (Within Peer-Arm)		
Own score	0.024*** (0.006)	0.422*** (0.100)
Peer's score is same	0.311* (0.158)	5.286* (2.684)
Peer's score is lower	0.036 (0.147)	0.780 (2.507)
Constant	-2.168*** (0.460)	43.246*** (7.528)
Observations	589	589

Note: Standard errors in parentheses; * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The results in Panel A are from pooled regressions of midline and endline scores. The Homophily Index is a measure of the similarity between matched peers in terms of baseline characteristics such as scores, teacher expectations, classroom motivation, parental wealth, and number of friends in the classroom. Panel B and Panel C show within Peer-Arm regression results. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Column (2) reports the raw scores of students (converted to percentages) in a value-added specification, i.e., controlling for a student's baseline score. Regressions include strata and round fixed effects and standard errors are clustered at the level of randomization.

5.2.3 Score Distribution

First, we run quantile regressions and show that the treatment effects of the Expectations and Information Arms discussed above are driven by positive effects on students at the bottom and middle of the distribution of baseline math test scores. Figure A.5.2 plots the treatment effects on different quantiles of the score distribution. We find that the treatment effects of the Expectations Arm and the Peer Arm are higher for lower quantiles of performance and decline as the score increases. The Peer Arm has no effect on average and displays little heterogeneity across the quantiles of the baseline student test score distribution.

The positive effect on this subgroup is further validated in Table A.5.1 where we employ the strategy recommended in [Abadie et al. \(2018\)](#). This strategy predicts math performance for the control group using a set of covariates selected by LASSO from a list including variables measuring demographic characteristics, classroom engagement, academic effort, and motivation. We de-bias the prediction process and deal with “endogenous stratification” by computing the leave-one-out estimator using data from the control group. We then use this model to predict performance for all students and classify them into four subgroups for which we separately compute heterogeneous treatment effects. These results are shown in Table A.5.1 where we find evidence that the treatment effects are strongest for students predicted to perform poorly, i.e., in the worst-off group. In particular, the effect of the Expectations Arm on test scores of the students predicted to perform the worst is 0.5σ and significant at 1%. In contrast, the effect on those predicted to perform the worst is not significant for either the Peer or Information arm. The treatment effects on those predicted to perform the best are close to zero and statistically insignificant. Therefore, the Expectations benefit the weakest students the most.

5.2.4 Additional Evidence of Heterogeneous Treatment Effects

We also apply the method outlined in [Chernozhukov et al. \(2018\)](#) to examine evidence of heterogeneity by baseline characteristics for each of the three arms. We detect evidence of heterogeneity for both the Individual and Peer Arms. We then categorize individuals into four groups based on their predicted performance under treatment, ranging from lowest to highest. Analyzing the baseline characteristics of these groups, we find significant differences in both baseline scores and matched peers’ scores, underscoring the importance of our previous findings. The procedure and the results are discussed in detail in Appendix Section A.5.1.

5.3 Long-Term Results

We also measure student test scores in Math and English 12 and 18 months after the start of our intervention. We were able to get administrative data for a subsample of 880 and 768 students, respectively.²⁵ We do not find any significant average treatment effects for the Expectation,

²⁵These data were shared by our partner schools, depending on their ability to locate students in their databases. Score availability is uncorrelated with treatment status or baseline performance.

Peer, or Information Arms, as shown in Table A.8.1. Notably, these test scores capture six months and a year without receiving any reminders of teacher expectations. This suggests that reminders are critical for sustaining the impact of teacher expectations in the long run.²⁶ Additionally, we do not detect any effects on English test scores as shown in A.8.2.

Examining heterogeneity based on the magnitude of expectations, we do not find any differences between individuals randomly assigned to the "Very High" versus "High" expectations groups. However, as Table A.8.3 shows, the treatment effects of the Expectations Arm are significantly larger (p-value <0.01) for individuals who had a greater gap between their expectations and baseline performance. We find no corresponding effect for the Peer Arm.

6 Discussion

6.1 Mechanisms

We use school administrative data, surveys with head teachers, follow-up surveys with students, and findings from heterogeneity analysis to inform our understanding of the mechanisms behind the treatment effects in each treatment arm.²⁷

6.1.1 Expectations Arm

The infographic delivered to students in the Expectations Arm contained information about their current performance, their teacher's expectations, and generalized tips that they can follow to achieve them. We find evidence suggesting that the treatment effect is driven by motivation from teacher expectations rather than information about previous performance, tips provided to the students, or changes in teacher behavior.

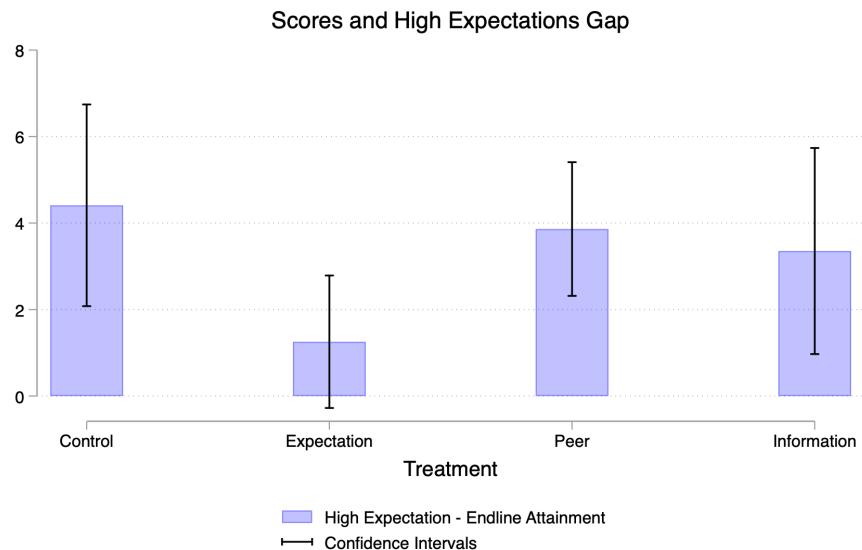
First, we find that the magnitude of the expectation influences the effectiveness of this treatment arm. In particular, those randomized to receive the 'Very High' expectation have a significantly higher treatment effect (at 10% significance) than those randomized to receive a 'High' expectation. Moreover, a 10 percentage point increase in the gap between expectation and baseline performance leads to a 2 percentage point increase in the impact of the Expectations Arm (Table 3). Consistent with this, we find that the gap between teacher expectations and the score achieved at the endline is the smallest for students in the Expectations Arm which provides evidence to support that students worked towards the expectation set for them by their teachers when this was communicated to them. In particular, Figure 3 shows that this gap was statistically indistinguishable from zero for students who received the 'High Expec-

²⁶We considered if the reason we do not see effects is because students have already met the teachers' expectations. However, we find that 69% of students scored below the teacher's originally delivered expectations across these waves.

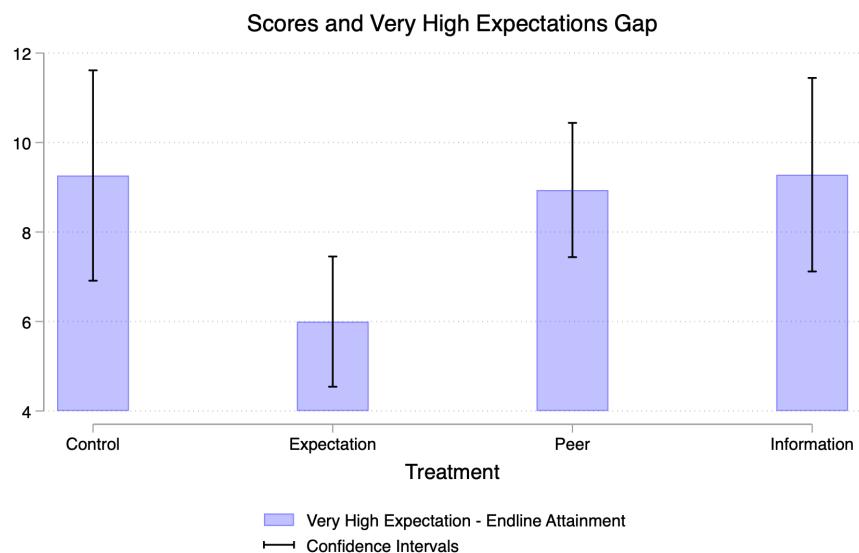
²⁷While we administered student surveys at midline and endline to measure a broad set of outcomes, including effort, parental and peer engagement, classroom norms, motivation, and non-cognitive traits such as grit and growth mindset, more than half of the students did not complete these surveys. We do not discuss these findings further due to the high non-response rate, but these results are presented in the online appendix.

tations' statement. Similarly, the gap was smaller in magnitude (6 percentage points) for students who received the 'Very High Expectations' statement than students in the Peer Arm and Information Arm (9 percentage points), although we are not statistically powered to show that these differences are significant.

Figure 3: Gap between teacher expectations and student performance at endline



(a) Gap between "High" Expectations and Score Across Treatment Arms.



(b) Gap between "Very High" Expectations and Score Across Treatment Arms.

Note: Panel (a) plots the gap between 'High' expectations elicited from teachers and students' endline score across the treatment arms with 95% confidence intervals. Panel (b) plots the gap between 'Very High' expectations elicited from teachers and students' endline scores across the treatment arms with 95% confidence intervals.

Next, the tips on the infographic are unlikely to be new information to students, as all the teachers unanimously reported that they were already conveying tips to students about how they can improve their performance in our baseline survey. The tips on the infographic were also not student-specific and very generic (e.g., ‘Being more engaged in the classroom’, ‘Completing homework’, etc.). Our follow-up survey also reveals that students notice the potential for improvement and the expectations set by their teacher, rather than the information about their previous score (Figure A.10.1). In fact, only 14% of the students reported that they would notice their score the most in the image.

Instead, we find that 70% of students interpreted the Expectations Arm image as a goal-setting mechanism or a form of encouragement from their teacher, rather than as a comment on how smart they are, or inferring that they are lagging or being monitored (Figure A.10.2a). 76% report that they would feel motivated or happy if they were sent the image, as opposed to feeling stressed or disappointed (Figure A.10.2b). At the same time, 92% reported feeling motivated by teacher expectations.

Finally, we also show that the observed treatment effects are not driven by changes in teacher behavior, as teachers were blind to student treatment status by design. Consistent with this, over half of the students in our endline survey reported that their teacher did not spend extra time discussing math with them after class, with no statistically significant differences between treatment and control groups. The effectiveness of the Expectations Arm, therefore, lies in its ability to instill a sense of improvement and motivation among students, rather than simply providing informational content or leading to changes in teacher behavior.

6.1.2 Information Arm

Students in this treatment arm received an infographic displaying their score from the most recent test. We find evidence suggesting that ease of interpreting information about past performance, as well as students’ interpretation of the image as a sign that their teacher cares, are driving the treatment effects. We also rule out alternative mechanisms below.

First, we find that the image likely did not provide new information, as students typically receive report cards with their scores at the end of each term. Nearly 80% of the schools send report cards at the end of each term. In fact, for older grades (5-8), 20% of the schools send out report cards every month, and 7% do so for younger grades (3-4). Since the first round of our intervention was delivered close to the end of the term and the second round after the end of the term, the treatment effect is unlikely to be driven by pure information effects.

Next, while schools differ in terms of whether or not they provide hard copies of student report cards, we find no significant differences in treatment effects between 44% of schools that send printed report cards home (in addition to SMS and online links) versus those that do not (Table A.6.2). It is also unlikely that the treatment effects observed in this arm can be attributed to

the format of the information delivered. This is because expressing scores as a percentage (out of 100%) used in our intervention aligns with the common practices in schools. 69% of the schools in our sample give out scores in percentages and 88% of schools use raw scores.

Instead, the ease of interpreting information could be a critical factor driving the treatment effects in this arm. 75% of the schools reported that parents have medium literacy and 13% mentioned low literacy. Additionally, 88% of the schools reported limited technological proficiency among parents. Table 5 shows significantly greater effects of information in schools with low parental literacy compared to schools with high parental literacy. Importantly, we do not observe this heterogeneity in the Expectations Arm. Further, 30% of the students in our follow-up survey reported that they do not recall their scores, and the image is a helpful reminder and over 50% of students reported that even though they remember their scores, they still find the image helpful as a reminder. Therefore, delivering information in a simple, visually accessible format in the Information Arm could enhance comprehension and retention.

At the same time, the majority of students also reported feeling motivated upon receiving the image. Nearly 35% of the students inferred that the teacher's intention for sending this image and information was to encourage them (Figure A.10.2a). This underscores the potential of delivering performance-related information in a targeted and encouraging manner to positively influence student perceptions and ultimately, their academic performance. One caveat here is that it matters whether the students think they were the only ones receiving the image versus if the entire class was receiving it. In particular, while most students still inferred that the teacher was trying to encourage them when sending a reminder about their last score, students commonly expressed that they would feel indifferent or no reaction if the image was sent to all (Figure A.10.2b). This indicates that the belief that it is a targeted reminder from the teacher plays a crucial role in its effectiveness.

Finally, we do not think that these effects arise simply due to low teacher-student engagement specific to the pandemic. This is because students were regularly attending classes using the pre-existing virtual infrastructure of our partner schools during the intervention.

6.1.3 Peer Arm

While the Expectations Arm had large positive and significant treatment effects, we find that additionally pairing two classmates randomly resulted in an overall treatment effect statistically indistinguishable from zero. We believe that morale effects (due to interpersonal comparisons between matched students) are likely driving heterogeneity in treatment effects.

Importantly, the effects do not arise due to unfavorable classroom norms that discourage effort. As discussed before, baseline evidence suggests that such norms are not present in the classrooms in our setting. In fact, in our follow-up student survey, 61% of the students reported that they would be more motivated and happier when paired with another classmate

Table 5: Heterogeneity in Treatment Effects by Parental Literacy

	(1) Standardized Scores (Baseline)	(2) Raw Scores
Expectations	0.032 (0.137)	0.711 (1.785)
Peer	-0.455*** (0.143)	-3.990* (2.331)
Information	-0.452*** (0.142)	-6.277* (3.354)
Low	-0.496*** (0.168)	-1.744 (2.682)
Medium	-0.489*** (0.140)	-3.777* (2.054)
Exp x Low Literacy	0.028 (0.205)	0.051 (3.598)
Info x Low Literacy	0.723*** (0.262)	8.893* (4.767)
Peer x Low Literacy	0.406* (0.227)	1.586 (3.775)
Exp x Medium Literacy	0.221 (0.164)	3.450 (2.446)
Info x Medium Literacy	0.681*** (0.174)	9.934*** (3.721)
Peer x Medium Literacy	0.594*** (0.170)	6.272** (2.870)
Constant	0.134 (0.138)	43.564*** (3.833)
Observations	2773	2640
<i>Comparisons (p-values)</i>		
Treatment Effect (High Literacy - Low Literacy): Info vs. Exp	0.005	0.066
Treatment Effect (High Literacy - Medium Literacy): Info vs. Exp	0.008	0.088
Treatment Effect: Info vs. Exp (Low Literacy)	0.288	0.560
Treatment Effect: Info vs. Exp (Medium Literacy)	0.768	0.669
Treatment Effect: Info vs. Exp (High Literacy)	0.001	0.052

Note: Standard errors in parentheses; * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The results are from pooled regressions of midline and endline scores. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Column (2) reports the raw scores of students (converted to percentages) in a value-added specification, i.e., controlling for a student's baseline score. Regressions include strata and round fixed effects and standard errors are clustered at the level of randomization.

and asked to encourage one another, and an additional 9% mentioned that they would be less stressed (Figure A.10.3b). Students were also unlikely to see the matched peer as a competitor and inferred that they were matched to help each other with nearly 40% of students thinking that the teacher was encouraging them to study together and improve together (Figure A.10.3a).

However, the majority of the students reported that they would feel disappointed or sad when matched with a peer with a higher teacher expectation. By contrast, when asked how they would feel if they were paired with a similar-scoring peer or a peer with similar teacher expectations, students reported they would feel happy and motivated. Interestingly, when matched with a peer with lower achievement, around one-third of students reported they would feel sad or disappointed, and a third reported they would feel indifferent.

This finding is consistent with the heterogeneity in treatment effects we observe when the matched peer differs in characteristics such as baseline scores and teacher expectations. We also find that when asked what the students would do following being randomly paired, around one-third of students reported that they would try to find out what their peer scored and the teacher's expectations for them. Based on these findings on student reactions to being paired, we believe that the morale effects resulting from relative comparisons likely explain the null average treatment effect.

6.2 Cost-benefit analysis and Generalizability

Our findings offer encouraging evidence of the potential scalability of communicating teacher expectations as a low-cost educational intervention. Our intervention yields an incredibly affordable way to boost student performance. In particular, designing the infographics amounted to \$0.17 per student (Appendix Table A.11.1) in our study. We did not incur any additional costs in delivering expectations to students, as messages were delivered through existing school communication channels. We similarly do not anticipate any additional costs for schools when scaling this, since these expectations can be easily delivered in the classroom or included in report cards. Given that the treatment effect size was 0.21 and 0.18 standard deviations in the Expectations Arm and Information Arm, respectively, this implies that a 0.1σ increase in test scores costs 8 cents per student in the Expectations and 9 cents per student in the Information Arm. For reference, this is orders of magnitude smaller than several interventions that have been implemented to raise test scores in developing countries ([Glewwe and Muralidharan, 2016](#)). For example, [Blimpo \(2014\)](#) monetary performance-based incentives for students had a cost of \$1 – 3 per 0.1σ increase in student test scores in Benin, and performance-pay based teacher incentives cost \$1 per 0.1σ increase in student test scores in India ([Muralidharan and Sundararaman, 2011](#)).

Applying the SANS framework (Selection, Attrition, Naturalness, and Scaling) for assessing scalability and generalizability, proposed by [List \(2022\)](#), we find encouraging evidence on all four dimensions. Selection is unlikely to pose a concern in our setting, as classrooms were randomly chosen from an existing large private school. While our partner school chain caters to students from middle and upper-income backgrounds, we do not claim that our sample is necessarily representative of the public or low-cost private schools in all provinces in Pakistan. We suspect that in public and low-cost private schools, the effects of information and expec-

tations may be even higher due to the presence of additional resource constraints ([Qureshi and Razzaque, 2021](#))—including a higher student-teacher ratio, for example—that can limit the attention that teachers can pay to students. Additionally, in high-income countries, where information may not be a binding constraint in schools, our study has important lessons about the role of teacher expectations.

Second, attrition was minimal and uncorrelated with treatment status, with outcomes measured through administrative data, ensuring internal validity. Third, the intervention was implemented in a natural classroom setting: expectations were elicited from regular class teachers based on recent performance and delivered using existing school channels, closely mirroring real-world conditions. Finally, the intervention is highly promising for effective scaling. Since schools already possess the necessary data and delivery infrastructure, this approach can be adopted sustainably without external resources. Taken together, these features support the broader applicability of our findings and highlight the promise of communicating high expectations as a scalable, teacher-led strategy for improving student achievement.

7 Conclusion

This paper investigates the causal effect of conveying student-specific teacher expectations of high effort and achievement on student performance. We find that students are motivated by high expectations communicated by their teachers. The effects on learning are more pronounced for students at the lowest end of the achievement distribution and higher for those who receive more ambitious expectations. Peer matching and encouragement can further improve student achievement if students are similar in baseline characteristics or are friends. Finally, we find that teachers giving reminders about past performance to students also improves their scores, with effects as large as the effects of expectations. These effects are primarily driven by the ease of interpreting information, especially in schools with low parental literacy. Moreover, students also report feeling that their teacher cares for them.

These results have implications for policy and practice in schools. In contrast to other resource and time-intensive interventions that have been implemented to address the ‘learning crisis’, we show that providing tailored and realistic teachers’ expectations to students in an easy-to-access infographic is a light-touch and cost-effective way to improve academic performance. Such practices can be easily embedded within the existing classroom environment without any disruption. An exciting next step would be to understand the relationship between teachers’ expectations and parental involvement in their children’s education, or whether teacher expectations can affect long-term aspirations.

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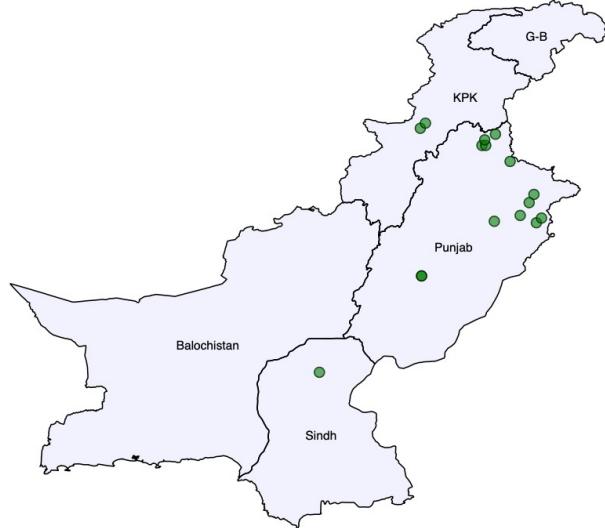
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A Appendix

A.1 Context

Figure A.1.1: Geographic Locations of Schools in our Study.



Note: The colored dots represent the schools in our sample. The map is generated using coordinates from the Stanford Geo Data Repository. KPK refers to Khyber Paktunkhwa and G-B refers to Gilgit-Baltistan.

Table A.1.1: Summary Statistics of Schools

	Count	Mean	SD	Min	Max
Yearly Parental meeting	15	2.67	0.70	2.00	4.00
Schools that give out Printed Report Card	16	0.44	0.51	0.00	1.00
How do students receive information about their performance					
Raw Scores	16	0.88	0.34	0.00	1.00
Percentage	16	0.69	0.48	0.00	1.00
Parental literacy					
High	16	0.12	0.34	0.00	1.00
Low	16	0.12	0.34	0.00	1.00
Medium	16	0.75	0.45	0.00	1.00
Parental Economic Status					
High Income	16	0.19	0.40	0.00	1.00
Middle Income	16	0.38	0.50	0.00	1.00
Upper Middle Income	16	0.44	0.51	0.00	1.00
How comfortable are parents with technology					
Not Comfortable	16	0.12	0.34	0.00	1.00
Somewhat Comfortable	16	0.88	0.34	0.00	1.00

Note: The statistics are from the school-level head-teacher survey from 15 schools (one school had two different branches with separate school heads).

Table A.1.2: Summary Statistics of Teachers

	Count	Mean	SD	Min	Max
Teacher Characteristics					
Age	118	36.54	7.54	23.00	60.80
Number of years of experience in school	118	6.74	5.73	0.00	27.50
Ethnicity					
Punjabi	110	0.84	0.37	0.00	1.00
Sindhi	110	0.02	0.13	0.00	1.00
Pashtun	110	0.03	0.16	0.00	1.00
Other	110	0.12	0.32	0.00	1.00
Education					
Doctorate	118	0.01	0.09	0.00	1.00
Masters (M. Ed, etc)	118	0.59	0.49	0.00	1.00
Undergraduate (B. Ed, etc)	118	0.11	0.31	0.00	1.00
Highschool Graduate	118	0.04	0.20	0.00	1.00
Other	118	0.25	0.43	0.00	1.00
Who will benefit from communication of expectations?					
Top of achievement distribution	97	0.52	0.50	0.00	1.00
Middle of achievement distribution	99	0.35	0.48	0.00	1.00
Bottom of achievement distribution	94	0.23	0.43	0.00	1.00
Whose encouragement matters the most?					
Teachers	115	0.69	0.47	0.00	1.00
Friends	98	0.10	0.30	0.00	1.00
Parents	95	0.22	0.42	0.00	1.00
Teacher Beliefs Agree/Strongly Agree with					
Students from less privileged backgrounds are less likely to succeed in math	118	0.04	0.20	0.00	1.00
Students with more educated parents are more likely to succeed in math	118	0.58	0.50	0.00	1.00
Student ability is more important than hard work to do well in math	118	0.48	0.50	0.00	1.00
Girls are better at math than boys	118	0.19	0.39	0.00	1.00
Motivation and self confidence matter more than academic performance	118	0.82	0.38	0.00	1.00
Students care about what their friends think about them	118	0.86	0.35	0.00	1.00
Working hard is not considered cool among students	118	0.38	0.49	0.00	1.00

Note: The statistics are from the baseline teacher survey. We asked teachers to rank from 1-3 who they thought would benefit the most from the communication of teacher expectations, e.g., 52% of teachers ranked the top of the achievement distribution as 1.

Table A.1.3: Summary Statistics of Classes

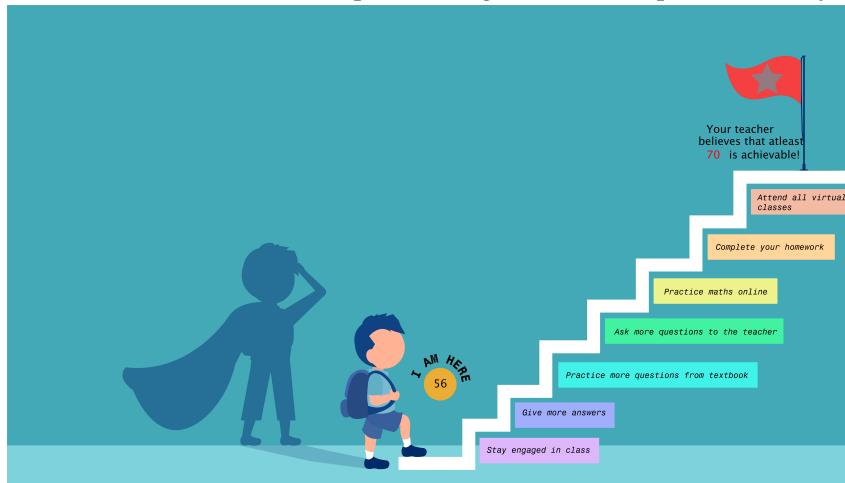
	Count	Mean	SD	Min	Max
Classroom Characteristics					
Class size	282	20.90	4.76	7.00	34.00
Teacher taught class for > 1 year	288	0.59	0.49	0.00	1.00
Teacher's Perception of Class					
Class is interactive	252	0.48	0.50	0.00	1.00
Class is motivated	252	0.39	0.49	0.00	1.00
Class is disruptive	252	0.02	0.14	0.00	1.00
Teacher gave warnings for disruption	252	0.28	0.45	0.00	1.00
Teacher gave warnings for homework	252	0.35	0.48	0.00	1.00
Teacher gave warnings for attendance	252	0.37	0.48	0.00	1.00
Percentage of students absent in last math class	245	17.99	17.77	0.00	80.00
Overall parental interest	251	0.41	0.49	0.00	1.00

Note: The statistics are from the baseline teacher survey. For each of the classes taught by a teacher, we elicited information about student behavior in those classes.

A.2 Treatment Delivery Variations

Figure A.2.1: Treatment Delivery Illustrations - Round 1

(a) Illustration for Student-Specific "High" Teacher Expectation - Boy



(b) Illustration for Student-Specific "Very High" Teacher Expectation - Girl

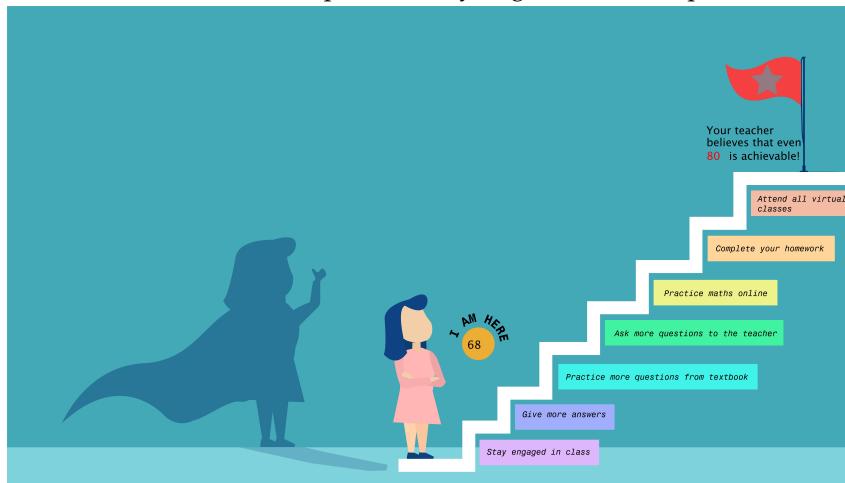
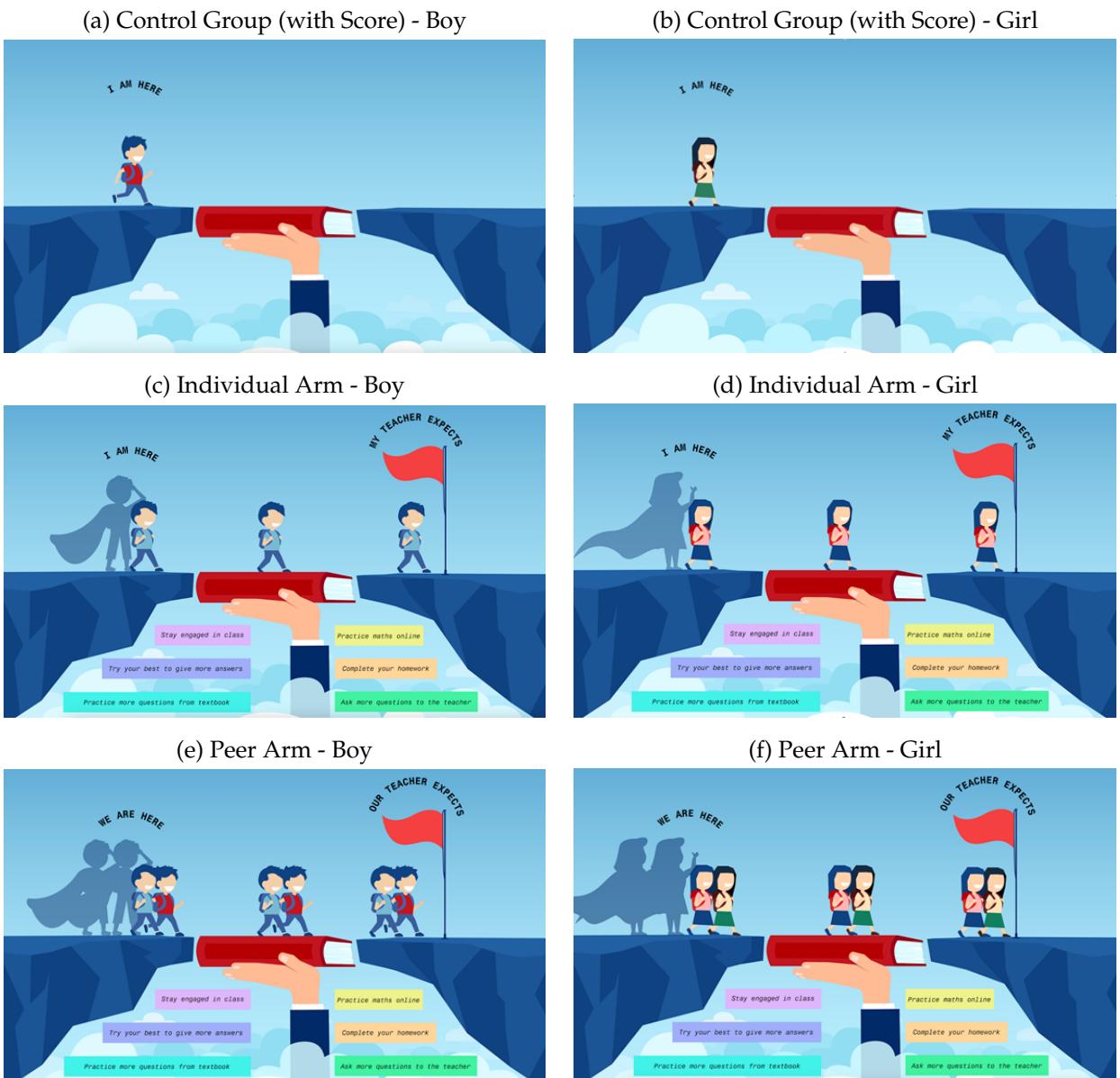


Figure A.2.2: Treatment Delivery Variations- Round 2



A.3 Balance Tables

Table A.3.1: Balance Table of Student Characteristics (Pooled Student Scores Sample)

	Mean				P-values		
	(1) Control	(2) Exp	(3) Peer	(4) Info	(1)-(2)	(1)-(3)	(1)-(4)
Baseline Math Score	82.78	83.01	83.18	85.13	0.69	0.99	0.23
Female	0.43	0.48	0.33	0.38	0.01***	0.01**	0.60
High Parental Income	0.15	0.13	0.08	0.12	0.69	0.13	0.80
Adults peer Room	0.57	0.55	0.56	0.58	0.41	0.84	0.26
High Parental Literacy	0.10	0.11	0.09	0.06	0.69	0.93	0.90
Number of Friends in the Classroom	4.21	4.15	3.92	4.03	0.42	0.10*	0.95
Weekly Hours Studying Math	4.08	3.81	3.91	3.46	0.90	0.84	0.17
Weekly Hours doing Math Homework	3.29	2.73	3.23	2.54	0.14	0.13	0.09*
Teacher Takes Interest in Studies	0.96	0.95	0.95	0.95	0.95	0.70	0.89
How often do you discuss math with your teacher?	1.71	1.70	1.70	1.74	0.83	0.81	0.71
How often do you discuss math with your parent?	1.83	1.82	1.71	1.98	0.58	0.04**	0.02**
How often do you discuss math with your peers?	0.92	1.01	1.01	0.84	0.35	0.35	0.02**
Intrinsic Motivation Index	0.85	0.84	0.85	0.86	0.39	0.75	0.14
Extrinsic Motivation Index	0.84	0.82	0.80	0.79	0.31	0.15	0.16
Observations:	507	966	914	431			

Note: * p < 0.10, ** p < 0.05, *** p < 0.01. Midline student scores sample is used to check for balance on baseline student characteristics. Columns 1-4 report the averages for the four comparison groups. The next three columns report p-values from the regression of baseline characteristics on the treatment dummy. The column heading indicates the comparison, e.g., (1)-(2) reports the difference between the expectations arm and the control group and whether or not the difference is statistically significant. The regression controls for strata fixed effects and is clustered at the classroom level. The variables 'High Parental Literacy' and 'High Parental Income' capture the school heads' report on whether parents in their school have high literacy and income (i.e., these measures were not collected at the student level).

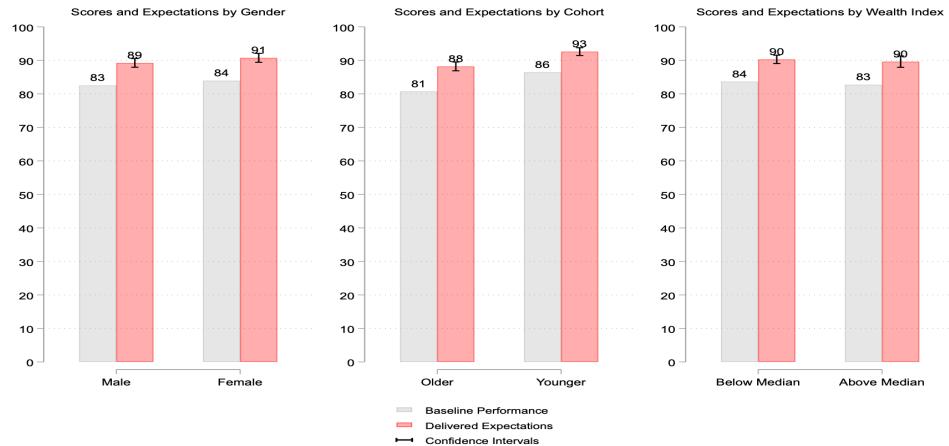
Table A.3.2: Balance Table of Class Characteristics

	Mean				P-values		
	(1) Control	(2) Ind	(3) Peer	(4) Info	(1)-(2)	(1)-(3)	(1)-(4)
Math Percentage	77.31	79.24	78.02	76.91	0.13	0.87	0.29
English Percentage	76.50	78.85	79.04	77.55	0.70	0.62	0.72
Class Size	21.04	20.80	20.55	21.65	0.80	0.39	0.23
Number of students in grade 3	0.19	0.16	0.13	0.17	0.89	0.36	0.79
Number of students in grade 4	0.21	0.16	0.17	0.19	0.60	0.84	0.80
Number of students in grade 5	0.12	0.17	0.20	0.10	0.81	0.20	0.24
Number of students in grade 6	0.15	0.18	0.23	0.19	0.69	0.24	0.93
Number of students in grade 7	0.12	0.18	0.18	0.21	0.90	0.90	0.50
Number of students in grade 8	0.21	0.16	0.09	0.15	0.62	0.10*	0.96
Taught Class for > 1 year	0.55	0.59	0.60	0.58	0.87	0.75	0.96
Interactive	0.45	0.52	0.48	0.42	0.32	0.92	0.45
Motivated	0.36	0.44	0.37	0.38	0.23	0.54	0.80
Disruptive	0.07	0.01	0.01	0.00	0.48	0.55	0.33
Warnings for Disruption	0.24	0.30	0.29	0.28	0.72	0.79	0.92
Warnings for Homework	0.38	0.33	0.35	0.38	0.57	0.99	0.75
Warnings for Attendance	0.45	0.35	0.34	0.38	0.69	0.53	0.93
Parental Interest	0.45	0.45	0.36	0.38	0.30	0.25	0.62
Observations:	49	96	96	48			

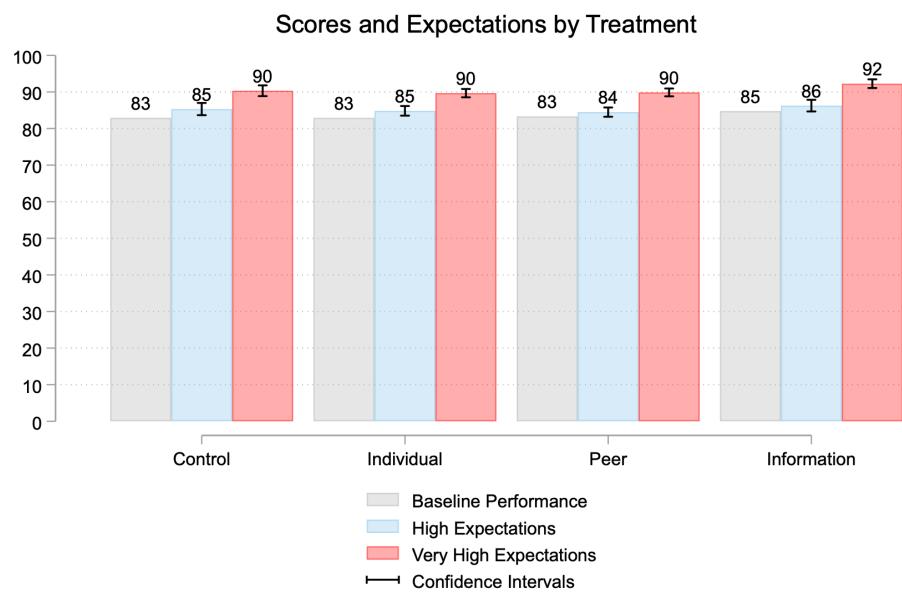
Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. Historical scores are computed using the administrative data on the most recent test score (averaged at the class level and reported as a percentage) in the academic year preceding the baseline. Reports on the level of interaction, motivation and disruption, as well as warnings issued and level of parental interest, were collected from teachers for each of their classes. Columns 1-4 report the averages for the four comparison groups. The next three columns report p-values from the regression of baseline characteristics on the treatment dummy. The column heading indicates the comparison, e.g., (1)-(2) reports the difference between the expectations arm and the control group and whether or not the difference is statistically significant. The regression controls for strata fixed effects and is clustered at the classroom level.

A.4 Teacher Expectations

Figure A.4.1: Teacher expectations across demographics and treatment arms.



(a) Teacher Expectations Balance by Student Gender, Cohort, and Wealth Index



(b) Teacher Expectations by Treatment Arms

Note: Panel (a) plots students' baseline math scores and the randomly delivered ("High" or "Very High") teacher expectations across student gender, age cohort (grades 3–5 vs. 6–8), and wealth index. Panel (b) shows the balance in teacher expectations across treatment arms.

Figure A.4.2: Raw scores and Teacher Expectations Delivered



Note: The figure plots students baseline math scores and the randomly delivered ('High' or 'Very High') teacher's expectations to them across four quartiles of baseline performance i.e., 1st refers to the students in the 25th percentile of baseline scores.

A.5 Heterogeneity Results

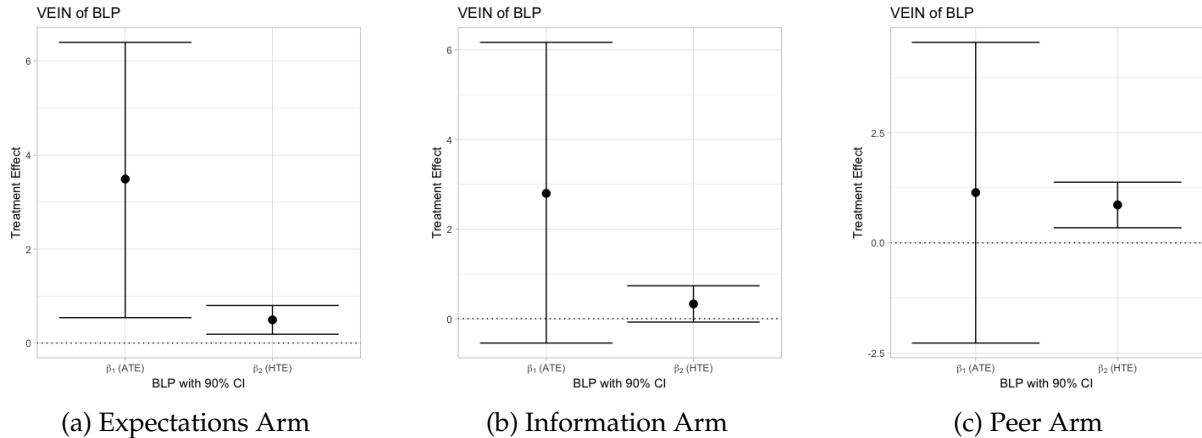
A.5.1 Evidence of Heterogeneous Treatment Effects

We apply the method outlined in [Chernozhukov et al. \(2018\)](#) to examine evidence of heterogeneity by baseline characteristics for each of the three arms. The procedure is as follows. First, we specify a vector Z of baseline characteristics, including baseline scores, gender, parental literacy, class effort index, intrinsic motivation index, extrinsic motivation index, and classroom engagement (i.e., how often students engage with teachers, friends, and parents to clarify concerns). For the Peer Arm, this set additionally includes indicators for whether the baseline score and expectation were lower, higher, or the same as their peer.

The sample is then randomly split into two equal parts. Following this, the relationship between baseline characteristics Z and test scores is modeled in the first component using machine learning methods (i.e., Lasso, random forest, and SVM), separately for the control and treatment groups. The estimated models are then used to generate the expected test score $B(Z_i)$ for each student in the second sample, under both the control and treatment conditions. This allows for the prediction of an individual treatment effect $S(Z_i)$ for all students. Following this, the outcome of interest (i.e., test scores) is regressed on the treatment indicator (giving us the average treatment effect β_1), its interaction with the predicted treatment effects $S(Z_i)$ (giving us the heterogeneous treatment effect β_2), and additional controls. These controls include the score predictions for students in the control group, strata fixed effects, and round fixed effects. Standard errors are clustered at the class level.

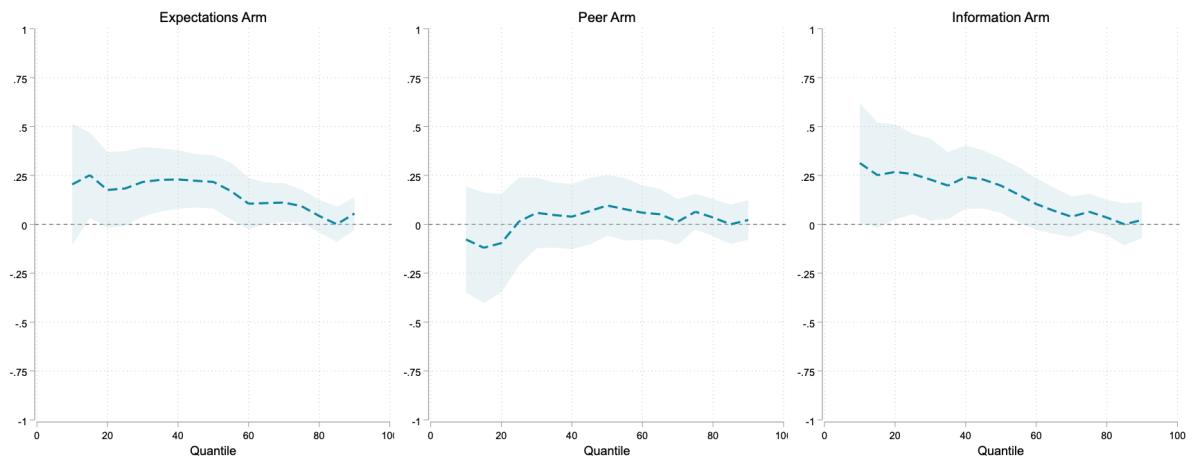
This process is repeated across 1,000 splits. In each split, the best-performing machine learning method is selected based on its prediction score. The median coefficients are then taken across all splits. The resulting coefficients β_1 and β_2 on the treatment indicator and its interaction with $S(Z_i)$ are displayed in Figure A.5.1 for the expectations, information, and peer arms, respectively. As shown in the figure, we detect evidence of heterogeneity for both the individual and peer arms. Next, we categorize individuals into four groups based on their predicted performance under treatment, ranging from lowest to highest. Analyzing the baseline characteristics of these groups, we find significant differences in both baseline scores and peer scores (relative to the individual).

Figure A.5.1: Heterogeneous Treatment Effects



Note: We employ the method in [Chernozhukov et al. \(2018\)](#) and find evidence of heterogeneous treatment effects (HTE) in the expectations and peer arm as shown by the significantly positive value of β_2 for the best linear predictor. We specify three learners: Lasso, SVM, and Random Forest. The results plotted above correspond to the best linear predictor out of these. Standard errors are clustered at the class-level and strata fixed effects are included.

Figure A.5.2: Treatment Effect by Quantiles of Baseline Math Performance.



Note: The figure plots treatment effects on standardised scores for the 10th to 90th quantile in gaps of 5. The shaded area represents the 90% confidence intervals.

Table A.5.1: Heterogeneous Treatment Effects by Predicted Performance: Leave One Out Estimator

VARIABLES	(1) Group 1	(2) Group 2	(3) Group 3	(4) Group 4
Expectations	0.506*** (0.190)	0.378*** (0.129)	0.0884 (0.0749)	0.000991 (0.0804)
Peer	0.328 (0.223)	0.125 (0.135)	-0.124 (0.104)	-0.0610 (0.0901)
Information	0.374 (0.240)	0.446*** (0.150)	-0.0283 (0.112)	0.0443 (0.0902)
Constant	-0.999*** (0.197)	-0.271** (0.130)	-0.208 (0.186)	0.509*** (0.150)
Observations	669	674	672	672
Standard errors in parentheses				
*** p<0.01, ** p<0.05, * p<0.1				

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. This table implements the procedure in [Abadie et al. \(2018\)](#) to estimate heterogeneous treatment effects using the leave-one-out estimator. Effects are computed for four student groups, classified based on predicted math scores derived from Lasso-selected baseline covariates, with missing values imputed to the class average. Group 1 includes those predicted to perform the worst, while Group 4 includes those predicted to perform the best. The regression pools midline and endline data and includes strata and round fixed effects. Standard errors are clustered at the classroom level.

A.6 Mechanisms

Table A.6.2: Heterogenous Treatment Effects by Schools that Share Printed Report Cards

	(1) Standardized	(2) Raw Scores
Expectations	0.258*** (0.098)	4.651*** (1.659)
Peer	0.120 (0.098)	2.764* (1.633)
Information	0.222** (0.103)	3.839** (1.781)
Printed Report Card	-0.046 (0.123)	3.061 (2.336)
Expectations × Printed Report Card	-0.100 (0.150)	-3.454 (2.708)
Peer × Printed Report Card	-0.139 (0.162)	-4.342 (2.677)
Information × Printed Report Card	-0.085 (0.171)	-2.751 (2.880)
Constant	-0.348*** (0.095)	39.159*** (3.580)
Observations	2773	2640

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The estimations pool midline and endline scores. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Column (2) reports the raw scores of students (converted to percentages) in a value-added specification, i.e., controlling for the student's baseline score. Regressions include strata and round fixed effects. Standard errors are clustered at the level of randomization.

A.7 Heterogeneity by Matched Peer Characteristics

Table A.7.1: Treatment Effects by Peer Friendship Status

	(1) Standardized	(2) Raw Scores
Friend	0.245* (0.135)	3.451* (1.772)
Baseline Score		0.452*** (0.076)
Constant	-0.183 (0.127)	40.452*** (6.484)
Observations	595	589

Standard errors in parentheses
* $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Column (2) are the raw scores of the individual students converted to percentages. Pairs are considered ‘friends’ if either of them reported each other as a friend during the social network elicitation in the baseline. Column (2) additionally includes the individuals own score as a control. Both regressions include strata fixed effects. Standard errors are clustered at the level of randomization.

A.8 Long Run Results

Table A.8.1: Treatment Effects on Long Run Math Test Scores

	(1)	(2)
	Standardized	Raw Scores
Expectations	0.141 (0.119)	1.890 (1.849)
Peer	0.076 (0.118)	1.502 (1.608)
Information	0.097 (0.139)	0.034 (1.851)
Baseline Score		0.352*** (0.038)
Observations	1648	1601
<i>Comparisons (p-values)</i>		
Exp vs Peer	0.516	0.786
Exp vs Info	0.703	0.256
Info vs Peer	0.855	0.285

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Column (2) reports the raw scores of students (converted to percentages) in a value-added specification, i.e., controlling for the student's baseline score. Regressions include strata fixed effects and standard errors are clustered at the level of randomization.

Table A.8.2: Treatment Effects on Long Run English Test Scores

	(1)	(2)
	Standardized	Raw Scores
Expectations	-0.146 (0.202)	1.208 (1.961)
Peer	-0.301 (0.234)	-0.354 (2.093)
Information	-0.003 (0.241)	0.856 (2.582)
Observations	1952	1962
<i>Comparisons (p-values)</i>		
Exp vs Peer	0.509	0.417
Exp vs Info	0.532	0.880
Info vs Peer	0.250	0.628

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Column (2) reports the raw scores of students (converted to percentages) in a value-added specification, i.e., controlling for the student's baseline score. Regressions include strata fixed effects and standard errors are clustered at the level of randomization.

Table A.8.3: Treatment Effects on Long Run Math Test Scores by the Gap between Expectations and Baseline Score

	(1)	(2)
	Standardized	Raw Scores
Expectations	-0.047 (0.127)	-0.646 (1.939)
Peer	0.057 (0.116)	1.275 (1.678)
Information	-0.009 (0.135)	-0.338 (1.873)
Expectations x Gap between		
Expectations and Baseline Score	0.020*** (0.007)	0.330*** (0.117)
Peer x Gap between		
Expectations and Baseline Score	0.009 (0.007)	0.174 (0.113)
Observations	1309	1309

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Column (2) reports the raw scores of students (converted to percentages) in a value-added specification, i.e., controlling for the student's baseline score. Regressions include strata fixed effects and standard errors are clustered at the level of randomization.

A.9 Alternative Specification

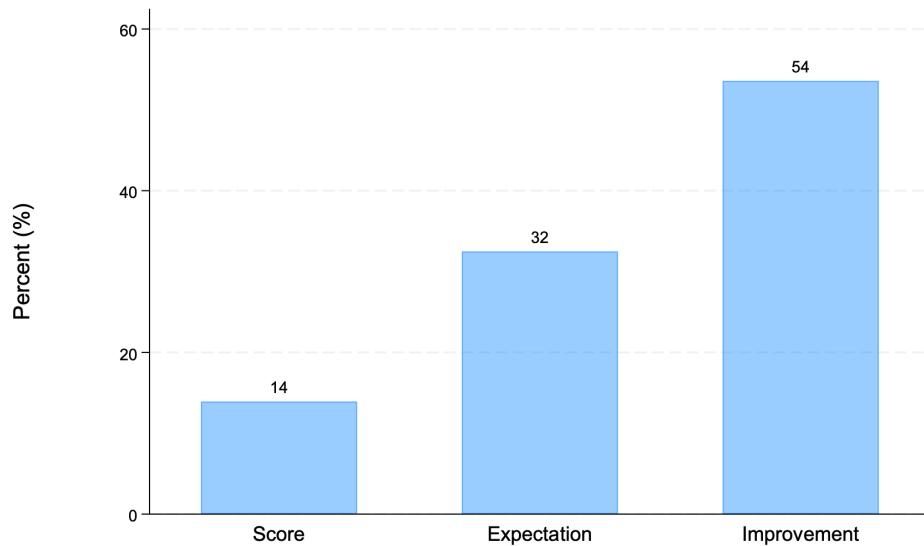
Table A.9.1: Treatment Effects on Math Test Scores Using an Alternative Specification

	(1) Standardized	(2) Raw Scores
Information	0.179** (0.084)	2.747* (1.435)
Expectations (Exp+Peer Arm)	0.209*** (0.074)	3.261** (1.377)
Peer Match	-0.141** (0.068)	-2.175** (0.981)
Observations	2773	2640
<i>Comparisons (p-values)</i>		
Exp vs Peer	0.003	0.006
Exp vs Info	0.696	0.640
Info vs Peer	0.003	0.005

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. Standard errors are clustered at the classroom level. The estimations pool midline and endline scores. Regressions include strata and round fixed effects. In this specification 'Information' takes a value of 1 for the Information arm, 'Expectations' takes a value of 1 for both the Expectations and Peer arm, and 'Peer Match' takes a value of 1 only for the Peer Arm.

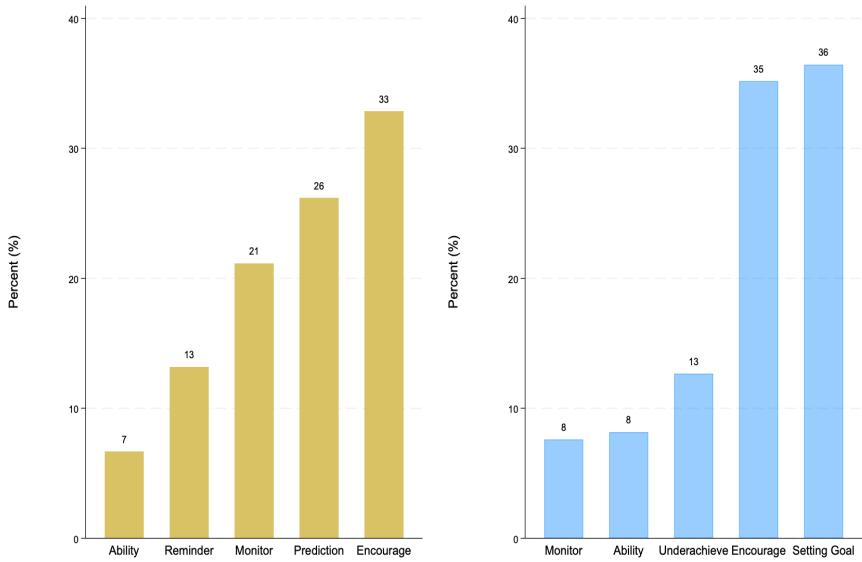
A.10 Follow-up Survey Results

Figure A.10.1: What Students Notice in the Expectations Arm Image

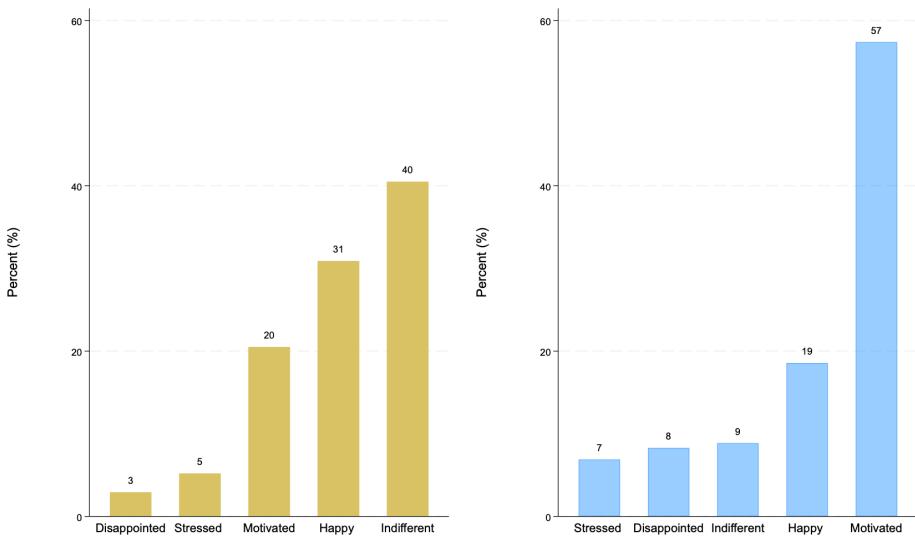


Note: The student follow-up survey sample size was 997 students. The figure illustrates survey responses to the question: 'What do you notice most or find most helpful in this picture?' Respondents had three options: 'Information about your current performance' (labeled as 'Score'), 'How much I can improve and tips on how to get there' (labeled as 'Improvement'), and 'What my teacher thinks I can achieve' (labeled as 'Expectation').

Figure A.10.2: Inferences and Feelings about Images - Expectations v/s Information Arm



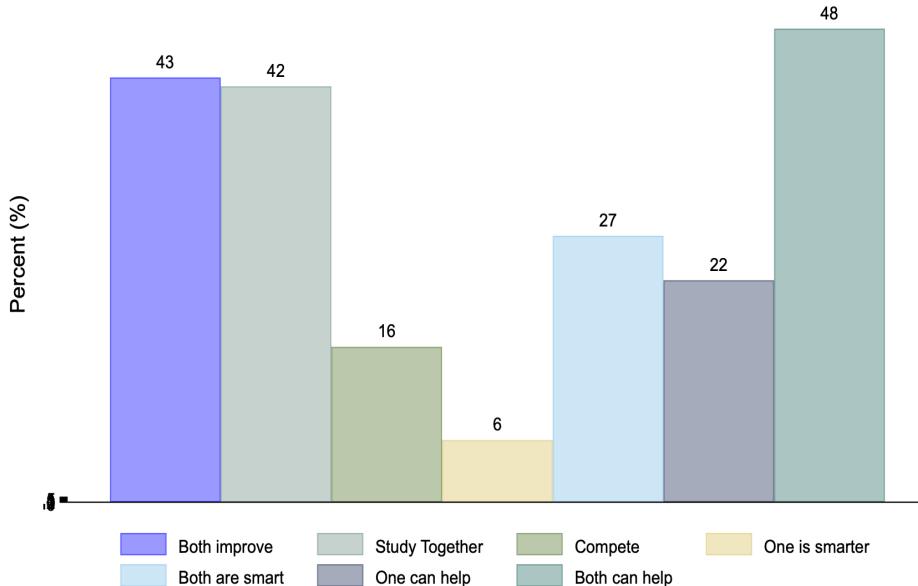
(a) Student Inferences from the Information and Expectations Arm Images



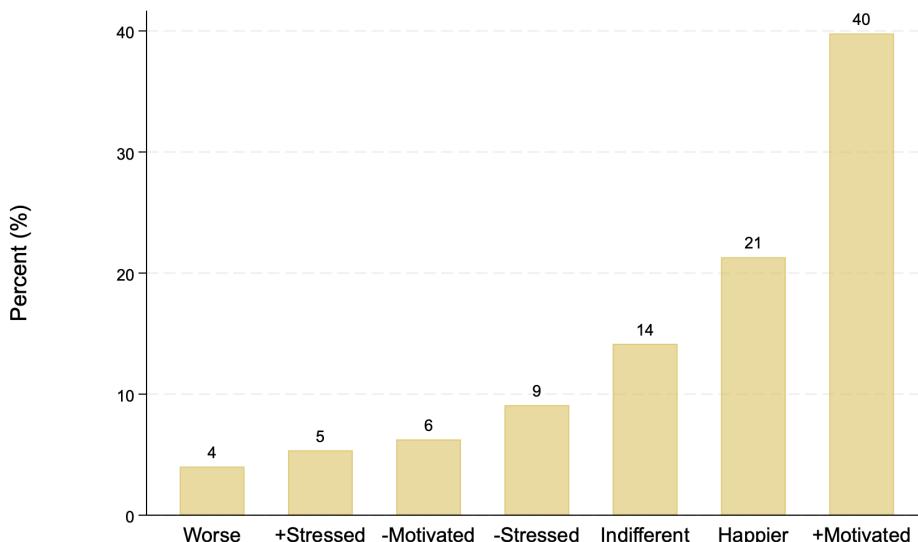
(b) Student Feelings about the Information and Expectations Arm Images

Note: Panel (a) presents students' thoughts after receiving the image in the Information Arm (left) and Expectations Arm (right). Respondents could choose from: 'My teacher is monitoring my progress' (labeled 'monitor'), 'My teacher is encouraging me to do better' (labeled 'encourage'), 'My teacher wants to communicate how smart she thinks I am'(labeled 'ability'), 'My teacher is helping me set a goal to achieve'(labeled 'setting goal'), 'My teacher thinks I am not currently fulfilling my potential '(labeled 'underachieving'), 'My teacher is reminding me of my math score' (labeled 'reminder') and 'My teacher expects me to continue achieving this score' (labeled 'prediction'). Panel (b) figure presents students' reactions when asked how they would feel if they received the image in the Information Arm (left) and Expectations Arm (right).

Figure A.10.3: Inferences and Feelings about Images - Peer Arm



(a) What Students Infer from the Peer Arm Image



(b) What Students Feel about the Peer Arm Image

Note: Panel (a) presents students' thoughts after receiving the image in the Peer Arm. Respondents chose from: "My teacher is encouraging us to do better" (labeled as 'Both improve'), "My teacher is encouraging us to work or study together" (labeled as 'Study together'), "My teacher thinks we should compete with each other" (labeled as 'Compete'), "My teacher thinks one of us is smarter than the other" (labeled as 'One is smarter'), "My teacher thinks both of us are equally smart" (labeled as 'Both are smart'), "My teacher thinks one of us can help the other" (labeled as 'One can help'), and "My teacher thinks we both can help each other" (labeled as 'Both can help'). Panel (b) figure presents students' reactions when asked how they would feel if they received the image in the Peer Arm (left) compared to just receiving the Expectations Arm Image.

A.11 Cost-effectiveness Calculation

Table A.11.1: Cost-effectiveness Calculation

Description	Value
A Total cost of the design of the infographic images for all treatment arms	\$175
B Total number of students in treatment arms at endline	1047
C Design cost per student (A/B)	\$0.17
D Expectations Arm Treatment Effect (s.d.)	0.21
E Information Arm Treatment Effect (s.d.)	0.18
F 0.1 s.d. increase cost in the Expectations Arm (C/D*0.10)	\$0.08
G 0.1 s.d. increase cost in the Information Arm (C/E*0.10)	\$0.09

Note: The table calculates the per-student unit cost of a 0.1 standard deviation increase in test scores to aid comparisons with the literature. As we delivered the images in the Expectations, Information, and Peer Arm, the total cost of design (in Row A) is divided by the total number of students in all these three arms (in Row B) to arrive at the per-student cost of designing this info-graphic (Row C).

A Supplementary (Online) Appendix

A Additional Balance Tests

Table A.1: Balance Table of Student Characteristics (Midline Student Scores Sample)

	Mean				P-values		
	(1) Control	(2) Exp	(3) Peer	(4) Info	(1)-(2)	(1)-(3)	(1)-(4)
Baseline Math Score	82.93	82.92	83.33	84.77	0.64	0.89	0.34
Female	0.44	0.48	0.34	0.38	0.01**	0.01**	0.45
High Parental Income	0.15	0.14	0.09	0.13	0.77	0.18	0.74
Adults peer Room	0.57	0.55	0.55	0.59	0.55	0.60	0.14
High Parental Literacy	0.10	0.11	0.10	0.06	0.77	0.76	0.78
Number of Friends in the Classroom	4.16	4.19	3.90	4.06	0.25	0.05*	0.93
Weekly Hours Studying Math	4.04	3.74	3.88	3.45	0.82	0.79	0.18
Weekly Hours doing Math Homework	3.27	2.68	3.25	2.61	0.08*	0.10	0.18
Teacher Takes Interest in Studies	0.96	0.95	0.95	0.96	0.99	0.86	0.94
How often do you discuss math with your teacher?	1.70	1.70	1.73	1.73	0.75	0.71	0.88
How often do you discuss math with your parent?	1.81	1.80	1.69	1.96	0.59	0.04**	0.02**
How often do you discuss math with your peers?	0.94	1.02	1.01	0.85	0.37	0.37	0.02**
Intrinsic Motivation Index	0.85	0.84	0.84	0.86	0.37	0.93	0.11
Extrinsic Motivation Index	0.84	0.83	0.80	0.79	0.31	0.19	0.19
Observations:	273	532	503	229			

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. Midline student scores sample is used to check for balance on baseline student characteristics. Columns 1-4 report the averages for the four comparison groups. The next three columns report p-values from the regression of baseline characteristics on the treatment dummy. The column heading indicates the comparison, e.g., (1)-(2) reports the difference between the expectations arm and the control group and whether or not the difference is statistically significant. The regression controls for strata fixed effects and is clustered at the classroom level. The variables 'High Parental Literacy' and 'High Parental Income' capture the school heads' report on whether parents in their school have high literacy and income (i.e., these measures were not collected at the student level).

Table A.2: Balance Table of Student Characteristics (Endline Student Scores Sample)

	Mean				P-values		
	(1) Control	(2) Exp	(3) Peer	(4) Info	(1)-(2)	(1)-(3)	(1)-(4)
Baseline Math Score	82.60	83.13	83.00	85.53	0.75	0.86	0.16
Female	0.42	0.48	0.32	0.39	0.01***	0.01**	0.81
High Parental Income	0.15	0.13	0.07	0.10	0.60	0.08*	0.87
Adults peer Room	0.57	0.55	0.56	0.58	0.28	0.84	0.47
High Parental Literacy	0.10	0.11	0.08	0.06	0.59	0.81	0.94
Number of Friends in the Classroom	4.26	4.09	3.94	3.99	0.69	0.19	0.83
Weekly Hours Studying Math	4.12	3.89	3.94	3.47	0.99	0.91	0.17
Weekly Hours doing Math Homework	3.30	2.78	3.21	2.46	0.29	0.22	0.05*
Teacher Takes Interest in Studies	0.96	0.95	0.94	0.95	0.92	0.58	0.73
How often do you discuss math with your teacher?	1.73	1.69	1.66	1.76	0.89	0.40	0.55
How often do you discuss math with your parent?	1.84	1.84	1.72	1.99	0.59	0.04**	0.02**
How often do you discuss math with your peers?	0.90	1.01	1.02	0.83	0.34	0.35	0.03**
Intrinsic Motivation Index	0.86	0.85	0.85	0.87	0.43	0.59	0.21
Extrinsic Motivation Index	0.84	0.82	0.79	0.78	0.36	0.13	0.16
Observations:	234	434	411	202			

Note: * p < 0.10, ** p < 0.05, *** p < 0.01. Endline student scores sample is used to check for balance on baseline student characteristics. Columns 1-4 report the averages for the four comparison groups. The next three columns report p-values from the regression of baseline characteristics on the treatment dummy. The column heading indicates the comparison, e.g., (1)-(2) reports the difference between the expectations arm and the control group and whether or not the difference is statistically significant. The regression controls for strata fixed effects and is clustered at the classroom level. The variables 'High Parental Literacy' and 'High Parental Income' capture the school heads' report on whether parents in their school have high literacy and income (i.e., these measures were not collected at the student level).

B Midline and Endline Results Separately

Table B.1: Treatment Effects on Midline Math Test Scores

	(1) Standardized	(2) Raw Scores
Expectations	0.207** (0.098)	3.751** (1.900)
Peer	0.080 (0.101)	1.757 (1.834)
Information	0.201* (0.116)	3.798** (1.864)
Baseline Score		0.481*** (0.039)
Observations	1492	1422
<i>Comparisons (p-values)</i>		
Exp vs Peer	0.154	0.159
Exp vs Info	0.955	0.975
Info vs Peer	0.247	0.136

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Column (2) reports the raw scores of students (converted to percentages) in a value-added specification i.e. controlling for the student's baseline score. Regressions include strata fixed effects and standard errors are clustered at the level of randomization.

Table B.2: Treatment Effects on Endline Math Test Scores

	(1) Standardized	(2) Raw Scores
Expectations	0.214** (0.105)	3.280* (1.801)
Peer	0.054 (0.114)	0.344 (1.936)
Information	0.158 (0.115)	2.219 (2.028)
Observations	1281	1281
<i>Comparisons (p-values)</i>		
Exp vs Peer	0.053	0.036
Exp vs Info	0.530	0.500
Info vs Peer	0.273	0.263

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Column (2) reports the raw scores of students (converted to percentages) in a value-added specification i.e., controlling for the student's baseline score. Regressions include strata fixed effects and standard errors are clustered at the level of randomization.

Table B.3: Treatment Effects on Math Test Scores Over Time

	(1) Standardised	(2) Raw
Information	0.482** (0.234)	3.437 (2.091)
Information x Endline	-0.356 (0.310)	-0.737 (2.957)
Individual	0.446* (0.229)	3.358* (1.918)
Expectations x Endline	-0.222 (0.309)	0.225 (2.712)
Peer	0.298 (0.241)	1.150 (1.967)
Peer x Endline	-0.248 (0.301)	-0.225 (2.727)
Endline	0.400 (0.275)	2.178 (2.379)
Constant	-1.517*** (0.389)	75.416*** (2.524)
Observations	2773	2773
Info Effect (End-Mid)= Exp Effect (End-Mid)	0.505	0.662
Peer Effect (End-Mid)= Exp Effect (End-Mid)	0.894	0.812
Peer Effect (End-Mid)= Info Effect (End-Mid)	0.566	0.816

Standard errors in parentheses

* $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Column (2) reports the raw scores of students (converted to percentages) in a value-added specification i.e. controlling for the student's baseline score. Regressions include strata fixed effects and standard errors are clustered at the level of randomization. Endline is a binary variable equal to 1 for the scores collected during the endline round and 0 for the midline round. The t-tests reported below the table, labelled "End-Mid", check if the change in the effect of the treatment arms is differential across arms.

Table B.4: Treatment Effects on Midline English Test Scores

	(1) Standardized	(2) Raw Scores
Expectations	0.044 (0.139)	2.190* (1.300)
Peer	-0.162 (0.190)	0.357 (1.477)
Information	0.123 (0.164)	0.892 (1.510)
Baseline Score		0.245*** (0.025)
Observations	1189	1159
<i>Comparisons (p-values)</i>		
Exp vs Peer	0.248	0.126
Exp vs Info	0.614	0.335
Info vs Peer	0.160	0.691

Note: * p < 0.10, ** p < 0.05, *** p < 0.01. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Column (2) reports the raw scores of students (converted to percentages) in a value-added specification i.e. controlling for the student's baseline score. Regressions include strata fixed effects and standard errors are clustered at the level of randomization.

Table B.5: Treatment Effects on Endline English Test Scores

	(1) Standardized	(2) Raw Scores
Expectations	-0.446** (0.207)	-2.307 (1.750)
Peer	-0.618*** (0.221)	-2.813 (1.720)
Information	-0.184 (0.215)	-0.481 (1.789)
Observations	1224	1224
<i>Comparisons (p-values)</i>		
Exp vs Peer	0.395	0.701
Exp vs Info	0.177	0.175
Info vs Peer	0.030	0.069

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Column (2) reports the raw scores of students (converted to percentages) in a value-added specification i.e. controlling for the student's baseline score. Regressions include strata fixed effects and standard errors are clustered at the level of randomization.

C Heterogeneity by Matched Peer Characteristics

Table C.1: Treatment Effects by Peer Achievement (Pooled)

	(1) Standardized	(2) Raw Scores
Expectations	0.201** (0.086)	3.295** (1.374)
Information	0.161* (0.088)	2.850** (1.436)
Peer score is higher	-0.029 (0.121)	-0.612 (1.988)
Peer score is lower	0.019 (0.097)	0.285 (1.668)
Peer score is same	0.219** (0.108)	3.604** (1.678)
Constant	-2.213*** (0.223)	41.819*** (3.862)
Observations	2355	2355
<i>Comparisons (p-values)</i>		
High vs Same	0.049	0.043
Low vs Same	0.074	0.071
High vs Low	0.652	0.616

Note: * p < 0.10, ** p < 0.05, *** p < 0.01. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Column (2) are the raw scores of the individual students converted to percentages. Regressions control for individuals own score and include strata fixed effects. Standard errors are clustered at the level of randomization.

Table C.2: Treatment Effects by Peer Achievement at Midline

	(1) Standardized	(2) Raw Scores
Expectations	0.222** (0.110)	3.849** (1.909)
Information	0.205* (0.112)	3.997** (1.890)
Peer score is higher	-0.027 (0.153)	-0.279 (2.636)
Peer score is lower	0.037 (0.120)	1.086 (2.162)
Peer score is same	0.326*** (0.125)	5.886*** (2.074)
Constant	-2.623*** (0.275)	35.365*** (4.957)
Observations	1251	1251
<i>Comparisons (p-values)</i>		
High vs Same	0.010	0.006
Low vs Same	0.029	0.025
High vs Low	0.634	0.540

Note: * p < 0.10, ** p < 0.05, *** p < 0.01. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Column (2) are the raw scores of the individual students converted to percentages. Regressions control for individuals own score and include strata fixed effects. Standard errors are clustered at the level of randomization.

Table C.3: Treatment Effects by Peer Expectations Gap at Midline

	(1) Standardized	(2) Standardized	(3) Raw Scores	(4) Raw Scores
Absolute difference between the pair's teacher expectations	-0.011** (0.005)		-0.114 (0.092)	
Own Expectation	0.040*** (0.007)	0.036*** (0.008)	0.381*** (0.111)	0.330*** (0.115)
Peer exp is same		0.397** (0.160)		4.422 (2.841)
Peer exp is lower		0.324* (0.168)		4.459 (3.189)
Observations	305	305	303	303
Standard errors in parentheses				
* $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$				

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The scores in column (1) and (2) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Regressions include strata fixed effects. Standard errors are clustered at the level of randomization.

Table C.4: Treatment Effects by Peer Scores Gap at Midline

	(1) Standardized	(2) Standardized	(3) Raw Scores	(4) Raw Scores
Absolute difference between the pair's baseline scores	-0.010* (0.005)		-0.184* (0.093)	
Own baseline performance	0.027*** (0.006)	0.029*** (0.007)	0.453*** (0.102)	0.486*** (0.107)
Peer score is same		0.399** (0.174)		7.080** (2.907)
Peer score is lower		0.035 (0.188)		1.018 (3.069)
Observations	303	303	303	303
Standard errors in parentheses				
* $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$				

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The scores in column (1) and (2) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Regressions include strata fixed effects. Standard errors are clustered at the level of randomization.

Table C.5: Treatment Effects by Peer Baseline Characteristics at Midline

	(1) Standardized	(2) Raw Scores
Expectations	0.204** (0.099)	3.797** (1.901)
Information	0.204* (0.118)	3.914** (1.891)
Peer	-1.206*** (0.379)	-12.252** (4.955)
Peer x Homophily	1.688*** (0.437)	18.489*** (5.658)
Observations	1309	1251

Standard errors in parentheses
* $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. All regressions control for the individual's own characteristic that is being compared to the peer. Regressions include strata fixed effects. Standard errors are clustered at the level of randomization.

Table C.6: Treatment Effects by Peer Achievement at Endline

	(1) Standardized	(2) Raw Scores
Expectations	0.176 (0.108)	2.654 (1.774)
Information	0.118 (0.118)	1.646 (2.037)
Peer score is higher	-0.028 (0.151)	-0.905 (2.545)
Peer score is lower	0.004 (0.129)	-0.476 (2.191)
Peer score is same	0.108 (0.143)	1.202 (2.328)
Constant	-1.602*** (0.251)	51.077*** (4.444)
Observations	1104	1104
<i>Comparisons (p-values)</i>		
High vs Same	0.411	0.465
Low vs Same	0.476	0.506
High vs Low	0.772	0.826

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Column (2) are the raw scores of the individual students converted to percentages. Regressions control for individuals own score and include strata fixed effects. Standard errors are clustered at the level of randomization.

Table C.7: Treatment Effects by Peer Expectations Gap at Endline

	(1) Standardized	(2) Standardized	(3) Raw Scores	(4) Raw Scores
Absolute difference between the pair's teacher expectations	-0.002 (0.005)		-0.001 (0.086)	
Own Expectation	0.031*** (0.006)	0.025*** (0.006)	0.457*** (0.120)	0.389*** (0.111)
Peer exp is same		0.343** (0.134)		4.569* (2.374)
Peer exp is lower		0.244* (0.127)		3.297 (2.543)
Observations	286	286	286	286
Standard errors in parentheses				
* $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$				

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The scores in column (1) and (2) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Regressions include strata fixed effects. Standard errors are clustered at the level of randomization.

Table C.8: Treatment Effects by Peer Scores Gap at Endline

	(1) Standardized	(2) Standardized	(3) Raw Scores	(4) Raw Scores
Absolute difference between the pair's baseline scores	0.000 (0.004)		-0.013 (0.072)	
Own baseline performance	0.021*** (0.006)	0.019*** (0.006)	0.374*** (0.103)	0.356*** (0.107)
Peer score is same		0.225 (0.191)		3.458 (3.415)
Peer score is lower		0.038 (0.137)		0.532 (2.511)
Observations	286	286	286	286
Standard errors in parentheses				
* $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$				

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The scores in column (1) and (2) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Regressions include strata fixed effects. Standard errors are clustered at the level of randomization.

Table C.9: Treatment Effects by Peer Baseline Characteristics at Endline

	(1) Standardized	(2) Raw Scores
Expectations	0.211** (0.105)	2.624 (1.774)
Information	0.156 (0.113)	1.603 (2.038)
Peer	-0.525* (0.315)	-5.125 (4.525)
Peer x Homophily	0.730* (0.378)	6.476 (5.129)
Observations	1158	1104

Standard errors in parentheses
* $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. All regressions control for the individual's own characteristic that is being compared to the peer. Regressions include strata fixed effects. Standard errors are clustered at the level of randomization.

D Long Run Results

Table D.1: Treatment Effects on Long Run Math Test Scores by the Type of Expectation Delivered

	(1) Standardized	(2) Raw Scores
Expectations (Very High)	0.164 (0.124)	0.919 (1.848)
Expectations (High)	0.151 (0.133)	2.419 (2.095)
Peer (Very High Expectation)	0.011 (0.123)	-0.277 (1.764)
Peer (High Expectation)	0.199 (0.122)	2.681 (1.655)
Information	0.114 (0.136)	-0.214 (1.824)
Baseline Score		0.351*** (0.038)
Observations	1648	1601
<i>Comparisons (p-values)</i>		
Exp Very High vs Info	0.672	0.497
Exp Very High vs High	0.901	0.330

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. The scores in column (1) are standardized using the mean and standard deviation of math scores of students in the control group at baseline. Column (2) reports the raw scores of students (converted to percentages) in a value-added specification, i.e., controlling for the student's baseline score. Regressions include strata fixed effects and standard errors are clustered at the level of randomization.

E Robustness

Table E.1: Treatment Effects using PDS Lasso

	(1) Standardized	(2) Raw Scores
Information Arm	0.149* (0.084)	2.604* (1.444)
Expectations Arm	0.244*** (0.082)	4.043*** (1.319)
Peer Arm	0.071 (0.077)	1.118 (1.292)
Constant	-2.671*** (0.310)	36.177*** (4.249)
Observations	2687	2687
<i>Comparisons (p-values)</i>		
Exp vs Peer	0.003	0.002
Info vs Peer	0.224	0.198
Exp vs Info	0.164	0.211

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. Standard errors clustered on the classroom level. The estimations pool midline and endline scores. Regressions include strata and round fixed effects. Missing values of any baseline characteristics are imputed to be equal to the mean value of the characteristic in the class.

Table E.2: Heterogenous Treatment Effects by Homophily using PDS Lasso

	(1) Standardized	(2) Raw Scores
Information	0.168** (0.083)	2.909** (1.432)
Expectations	0.259*** (0.081)	4.297*** (1.311)
Peer	-0.346* (0.198)	-7.382* (3.849)
Peer x Homophily	0.562** (0.225)	11.555*** (4.395)
Constant	-2.585*** (0.346)	37.770*** (4.711)
Observations	2329	2329

Standard errors in parentheses
* $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. Standard errors clustered on the classroom level. The estimations pool midline and endline scores. Regressions include strata and round fixed effects. Missing values of any baseline characteristics are imputed to be equal to the mean value of the characteristic in the class.

Table E.3: Heterogenous Treatment Effects by Homophily using PDS Lasso (Midline)

	(1) Standardized	(2) Raw Scores
Information	0.158 (0.110)	3.134* (1.898)
Expectations	0.248** (0.103)	4.314** (1.805)
Peer	-0.499** (0.244)	-9.261** (4.508)
Peer x Homophily	0.783*** (0.279)	14.832*** (5.191)
Constant	-3.252*** (0.417)	29.638*** (5.965)
Observations	1274	1274

Standard errors in parentheses
* $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. Standard errors clustered on the classroom level. The estimations only include midline results. Regressions include strata and round fixed effects. Missing values of any baseline characteristics are imputed to be equal to the mean value of the characteristic in the class.

Table E.4: Heterogenous Treatment Effects by Homophily using PDS Lasso (Endline)

	(1) Standardized	(2) Raw Scores
Information	0.144 (0.117)	2.003 (2.057)
Expectations	0.238** (0.111)	3.682** (1.821)
Peer	-0.027 (0.228)	-2.359 (4.284)
Peer x Homophily	0.094 (0.257)	3.482 (4.842)
Constant	-2.047*** (0.277)	44.747*** (4.229)
Observations	1120	1120

Standard errors in parentheses
* $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$

Note: * $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$. Standard errors clustered on the classroom level. The estimations only include endline results. Regressions include strata and round fixed effects. Missing values of any baseline characteristics are imputed to be equal to the mean value of the characteristic in the class.

B Theoretical Appendix

We present a simple model to show how teacher expectations, information provision, and peer motivation can affect student motivation and achievement.

A student's utility is:

$$U_i = U(s_i, e_i) = s_i - c(e_i) \quad (1)$$

where e_i represents student effort, s_i denotes student test scores, and cost of effort $c(e_i)$ is increasing and convex i.e. $c'_e > 0$ and $c''_e > 0$. For simplicity, we can assume that the cost function $c(e_i) = \frac{1}{2}e^2$ even though the results will hold for any increasing, convex cost function. $U'_s \geq 0$ i.e. utility is rising in test scores.

Student test scores are increasing in student's ability a_i , student motivation m_i , and student effort e_i . For simplicity, we use the following functional form that allows for complementarities between all these components:

$$s_i = a_i \cdot m_i \cdot e_i \quad (2)$$

Finally, student motivation m_i depends on intrinsic motivation \bar{m}_i , and extrinsic motivation, which in turn, depends on teachers and peers. Without loss of generality, we normalize extrinsic motivation to be m_0 for those in our control group.

We do not take an ex-ante stance on whether our treatment arms positively or negatively affect extrinsic motivation. For those in the Information Arm, we assume that extrinsic motivation depends on the interpretation of the receipt of the reminder about the last test score r_i . For those in the Expectations Arm, we assume that the student's extrinsic motivation depends on $h_i - s_{it-1}$ i.e. the gap in the teacher's expectation (h_i) compared to the student's last performance s_{it-1} . Even though this gap is non-negative on average by design in our experiment, it can motivate or frustrate students. Finally, for those in the Peer Arm, extrinsic motivation additionally depends on $h_i - h_{ip}$ i.e. the gap in the teacher's expectation for the student (h_i) compared to their matched peer's (h_{ip}). Since comparisons with the matched peer can motivate or discourage effort depending on how the information is interpreted, it is ambiguous how this affects student motivation.²⁸

We can therefore represent the student's motivation function as:

$$m_i = \begin{cases} \bar{m}_i + m_0, & \text{if } i \text{ is in Control Group.} \\ \bar{m}_i + m_0 + f(r_i, h_i - s_{it-1}, h_i - h_{ip}), & \text{if } i \text{ is in Treatment Group} \end{cases} \quad (3)$$

We assume the effect of r_i , $h_i - s_{it-1}$ and $h_i - h_{ip}$ on f is additively separable. In the Information Arm, $h_i - s_{it-1} = 0$ and $h_i - h_{ip} = 0$ as there is no teacher expectation communicated. Similarly, given the experimental design, $h_i - h_{ip} = 0$ and $r_i = 0$ for the Expectations Arm, and $r_i = 0$ for the Peer Arm. We denote the derivatives of f with respect to its three inputs r_i ,

²⁸We have assumed for simplicity of exposition that randomly matched peers only compare their teachers' expectations with each other but more generally, the comparison could also involve other characteristics such as baseline performance and parental wealth, etc. The finding would generalize if we therefore instead considered an index representing the dissimilarity of the matched peers in a student's motivation function instead of just the gap between their expectations. Empirically, our Peer Arm heterogeneity analysis helps shed light on which characteristics matter.)

$h_i - s_{it-1}$, and $h_i - h_{ip}$ by f'_1 , f'_2 , and f'_3 respectively.

This framework yields the following propositions.

Proposition 1 (Expectations Arm Effect on Test Scores) *The treatment effect of the Expectations Arm on a student's test scores is positive and increasing in the teacher's expectation, h_i , if and only if student motivation is increasing in teacher expectations i.e. $f'_2 \geq 0$.*

The proposition shows that a comparison of the Expectations Arm to the Control Group empirically can give us an insight into whether high teacher expectations relative to one's performance enter the student motivation function positively.

The proposition below shows that the Peer Arm effect on a student's test score is ambiguous.

Proposition 2 (Peer Arm Effect on Test Scores) *(i) The treatment effect of the Peer Arm on a student's test scores can be positive or negative depending on how teacher expectations of the student compare with that of their matched peer $h_i - h_p$, whether this is motivating ($f'_3 > 0$) or discouraging ($f'_3 < 0$), and whether receiving high teacher expectation is motivating ($f'_2 > 0$) or not ($f'_2 < 0$). (ii) The treatment effect is strictly decreasing in the peer's expectation if and only if receiving a higher teacher expectation than one's peer is motivating, i.e., $f'_3 > 0$.*

Part (i) of the proposition shows that the treatment effect of the Peer Arm is ambiguous ex-ante and depends on the signs of f'_2 , f'_3 and $h_i - h_p$. For example, an intuitive case (and sufficient condition) for the Peer Arm treatment effect to be positive is if the motivation is increasing in teacher expectations i.e. $f'_2 > 0$, in the student's relative comparison of teacher expectations with their peer i.e. $f'_3 > 0$, and if the teacher's expectation for the student is greater than that for their matched peer's i.e. $h_i \geq h_p$. However, if $f'_2 > 0$ and $f'_3 > 0$ as before, but the teacher's expectation for the student is less than their matched peer's, that is, $h_i \leq h_p$, and the resulting discouragement effect is larger than the positive effect of receiving a high expectation from the teacher, the effect of the Peer Arm can be negative on a student's test score.

Therefore, part (i) of the proposition highlights that we expect the treatment effect of the Peer Arm to be heterogeneous across students who have higher or lower teacher expectations relative to their matched peers. Further, the comparison of the treatment effect of the Peer Arm to that of the Expectations Arm can provide insights into the relative strengths of the effect of receiving high teacher expectations (on average) compared to the relative peer comparisons effect empirically. Part (ii) of the proposition illustrates that we can infer whether relative peer comparisons have a positive or discouraging effect on student motivation (on average) by looking at the heterogeneity of the Peer Arm treatment effect by the gap between a student's teacher's expectation and their matched peer's.

Finally, the proposition below shows that the treatment effect of the information arm depends on how the reminder about the last score is interpreted by the student.

Proposition 3 (Information Arm Effect on Test Scores) *The treatment effect of the Information Arm on a student's test scores is positive following a reminder about the last test score if and only if the message is interpreted to be encouraging, that is, $f(r_i, 0, 0) > 0$.*

The proposition shows that a comparison of the Information Arm to the Control Group can empirically help us evaluate whether receiving a reminder about one's last test score from the teacher is perceived to be encouraging and enters the student's motivation function positively.

Proofs

Proof 1 We drop the i subscript for ease of notation.

From the utility function, we have $U(s, e) = s - c(e)$, where $s = a \cdot m \cdot e$. Let e_0 and e_1 represent the optimal effort levels of a student in the Control Group and the Expectations Arm, respectively. Thus, the treatment effect can be expressed as

$$\Delta s_{Exp} = a \cdot m_1 \cdot e_1 - a \cdot m_0 \cdot e_0$$

To derive the optimal effort level, we maximize the utility function by setting the derivative with respect to effort ($\frac{\partial U}{\partial e}$) equal to zero:

$$\begin{aligned}\frac{\partial U}{\partial e} &= \frac{\partial}{\partial e}(s - c(e)) = 0 \\ \frac{\partial s}{\partial e} - \frac{\partial c(e)}{\partial e} &= 0 \\ a \cdot m - c'(e) &= 0 \\ a \cdot m - e &= 0 \\ e &= a \cdot m\end{aligned}$$

Substituting this optimal effort level into the test scores equation, we get:

$$\begin{aligned}s &= a \cdot m \cdot e \\ &= a \cdot m \cdot (a \cdot m) \\ &= a^2 \cdot m^2\end{aligned}$$

Therefore, the treatment effect Δs_{Exp} can be expressed as:

$$\begin{aligned}\Delta s_{Exp} &= s_1 - s_0 \\ &= a^2 \cdot m_1^2 - a^2 \cdot m_0^2 \\ &= a^2 \cdot (m_1^2 - m_0^2) \\ &= a^2 \cdot ((\bar{m} + m_o + f(:, h_i - s_{t-1}, :))^2 - (\bar{m} + m_o)^2)\end{aligned}$$

When the motivation function is positive and increasing in the gap between the teacher's expectation and the student's last performance i.e. $f'_2 > 0$, the treatment effect Δs_{Exp} is positive (and vice versa).

To show that the treatment effect is increasing in h_i , we examine the derivative of the treatment effect with respect to h_i :

$$\frac{\partial \Delta s_{Exp}}{\partial h_i} = \frac{\partial s_1}{\partial h_i} - \frac{\partial s_0}{\partial h_i}$$

Since $\frac{\partial s_0}{\partial h_i} = 0$, differentiating the test scores equation with respect to h_i , we get:

$$\frac{\partial s_1}{\partial h_i} = \frac{\partial}{\partial h_i}(a^2 \cdot m_1^2) = a^2 \frac{\partial}{\partial h_i}(m_1^2) = a^2 \cdot 2 \frac{\partial f}{\partial h_i}$$

Therefore, if $f'_2 > 0$, we find that the treatment effect Δs_{Exp} is increasing in h_i (and vice versa).

Proof 2 Similar to the previous proof, we derive the optimal effort level and treatment effect. Let e_0 and e_2 represent the optimal effort levels of a student in the Control Group and the Peer Arm, respectively. The treatment effect can be expressed as $\Delta s_{Peer} = a \cdot m_2 \cdot e_2 - a \cdot m_0 \cdot e_0$.

As, before, solving for the optimal effort level by maximizing the utility function with respect to e gives $e = a \cdot m$. Therefore, the treatment effect Δs_{Peer} can be expressed as:

$$\begin{aligned}\Delta s_{Peer} &= a^2 \cdot m_2^2 - a^2 \cdot m_0^2 \\ &= a^2 \cdot (m_2^2 - m_0^2) \\ &= a^2 \cdot ((\bar{m} + m_0 + f(:, h_i - s_{t-1}, h_i - h_p))^2 - (\bar{m} + m_0)^2)\end{aligned}$$

Consider the case where $f'_2 > 0$ and so the gap between one's teacher's expectation and own performance always has a positive effect. Now, if $f'_3 > 0$ and $h_i \geq h_p$ i.e. motivation is increasing in the gap of one's own teacher expectation relative to the peer and this gap is non-negative, $\Delta s_{Peer} > 0$. If $h_i = h_p$ i.e. the peers have similar teacher expectations, then also we will have $\Delta s_{Peer} > 0$. However, if $f'_3 \geq 0$ and $h_i < h_p$, then Δs_{Peer} can be positive or negative. This will depend on the relative strength of the motivational effect from high teacher expectation and the discouragement effect from disparity in teacher expectation with the peer i.e. whether $f'_2 h_i$ is less than or greater than $f'_3(h_i - h_p)$. If $f'_2 h_i < f'_3(h_i - h_p)$, then the effect of the peer arm will be negative as the positive effect of teacher expectations is not as strong as the negative effect of peer comparisons.

To analyze the derivative of the treatment effect with respect to h_i and h_p , we differentiate Δs_{Peer} with respect to h_i and h_p separately.

1. Derivative with respect to h_i :

$$\begin{aligned}
\frac{\partial \Delta s_{Peer}}{\partial h_i} &= \frac{\partial}{\partial h_i}(a^2 \cdot (m_2^2 - m_0^2)) \\
&= a^2 \cdot (2m_2 \cdot \frac{\partial m_2}{\partial h_i} - 2m_0 \cdot \frac{\partial m_0}{\partial h_i}) \\
&= a^2 \cdot 2m_2 \cdot \frac{\partial m_2}{\partial h_i} \\
&= a^2 \cdot 2m_2 \cdot (f'_2(h_i - s_{t-1}, h_i - h_p) \frac{\partial(h_i - s_{t-1})}{\partial h_i} + f'_3(h_i - s_{t-1}, h_i - h_p) \frac{\partial(h_i - h_p)}{\partial h_i}) \\
&= a^2 \cdot 2m_2 \cdot (f'_2(h_i - s_{t-1}, h_i - h_p) - f'_3(h_i - s_{t-1}, h_i - h_p))
\end{aligned}$$

2. Derivative with respect to h_p :

$$\begin{aligned}
\frac{\partial \Delta s_{Peer}}{\partial h_p} &= \frac{\partial}{\partial h_p}(a^2 \cdot (m_2^2 - m_0^2)) \\
&= a^2 \cdot (2m_2 \cdot \frac{\partial m_2}{\partial h_p} - 2m_0 \cdot \frac{\partial m_0}{\partial h_p}) \\
&= a^2 \cdot (2m_2 \cdot \frac{\partial m_2}{\partial h_p}) \\
&= a^2 \cdot 2m_2 \cdot f'_3(h_i - s_{t-1}, h_i - h_p) \frac{\partial(h_i - h_p)}{\partial h_p} \\
&= a^2 \cdot 2m_2 \cdot -f'_3(h_i - s_{t-1}, h_i - h_p)
\end{aligned}$$

Since f'_2 , and f'_3 can be positive or negative depending on the specific functional form of f , we cannot draw a definitive conclusion about the signs of $\frac{\partial \Delta s_{Peer}}{\partial h_i}$ and $\frac{\partial \Delta s_{Peer}}{\partial h_p}$. However, if $f'_3 > 0$, then $\frac{\partial \Delta s_{Peer}}{\partial h_p} < 0$ (and vice-versa).

Therefore, the treatment effect Δs_{Peer} can be positive or negative, depending on the relative strength of the motivational effect from high teacher expectation and the discouragement effect from the disparity in teacher expectation with the peer, as well as the specific functional form of the motivation function and its derivatives with respect to h_i and h_p .

Proof 3 Similar to the previous proofs, we derive the optimal effort level and treatment effect. Let e_0 and e_3 represent the optimal effort levels of a student in the Control Group and the Information Arm, respectively. The treatment effect can be expressed as $\Delta s_{Info} = a \cdot m_3 \cdot e_3 - a \cdot m_0 \cdot e_0$.

As before, solving for the optimal effort level by maximizing the utility function with respect to e gives $e = a \cdot m$. Therefore, the treatment effect Δs_{Info} can be expressed as:

$$\begin{aligned}
\Delta s_{Info} &= a^2 \cdot m_3^2 - a^2 \cdot m_0^2 \\
&= a^2 \cdot (m_3^2 - m_0^2) \\
&= a^2 \cdot ((\bar{m} + f(r))^2 - \bar{m}^2)
\end{aligned}$$

Thus, if the motivation effect of the reminder is +ve (-ve), the treatment effect Δs_{Info} is +ve (-ve).