

Jai Patel

Insert Name ID: $O(\log n)$, where n is the number of nodes in the tree. The function has a for loop which checks if each character in the name is a real letter or a space. The time complexity of inserting into an AVL tree is $O(\log n)$. The function calls recursively and the rotation operations are constant. This makes it $O(\log n)$.

Remove ID: $O(\log n)$, where n is the number of nodes in the tree. The function calls itself recursively. Searching for a node in the tree takes $O(\log n)$ time. The node removal is constant but in the worst case it is $O(\log n)$ because of the scenario that you have to remove a node that has two children.

Search ID: $O(\log n)$, where n is the number of nodes in the tree. If you search by the number ID then the time complexity is $O(\log n)$. The tree is balanced and the function calls recursively.

Search Name: $O(n)$, where the n is the number of nodes. When searching by name, the function is calling a helper function that goes through all the nodes and pushes all the nodes in a vector. Then it searches through the vector for the right name, and then goes through a for loop to go through the name and prints the id, which makes it $O(n + n)$ which is $O(n)$

printInorder: $O(n)$, where n is the number of nodes. This function calls another function that goes through the tree in the inorder way and puts the names into a vector. Then, it goes through the vector by a for loop to print the names which makes it $O(n+n)$ which is $O(n)$.

printPreorder: $O(n)$, where n is the number of nodes. This function calls another function that goes through the tree in the preorder way and puts the names into a vector. Then, it goes through the vector by a for loop to print the names which makes it $O(n+n)$ which is $O(n)$.

printPostorder: $O(n)$, where n is the number of nodes. This function calls another function that goes through the tree in the postorder way and puts the names into a vector. Then, it goes through the vector by a for loop to print the names which makes it $O(n+n)$ which is $O(n)$.

printLevelcount: $O(1)$, where n is the number of nodes. This function is going through to count the level and it only prints the level of the tree which makes it $O(1)$.

removeInorderN: $O(n)$, where n is the number of nodes. The function calls a helper function which goes through the tree in the inorder traversal to find N which makes it $O(n)$.

Reflection:

What did you learn from this assignment? -

I learned a deeper understanding of how an AVL tree works. I learned functions such as insert, search, and remove. I also learned how to manage different cases such as the name can only have letters.

What would you do differently if you have to start over? -

If I had to start over, I would look at different input scenarios before I start coding the AVL Tree. I would develop more test cases earlier so I can have less debugging near the end. I would also try to write out my conceptual logic on paper so I can visualize it better.