t = np.linspace(0,10,101)# Temporal values for the function V(t)# Constants, random values, depend of model. Manual adjuste $\alpha = 0.2625$ B = 87500 $\beta = 0.9564$ inverse= $1/\alpha$ # New constant to v2 $V = A*np.exp(-\alpha*t)+B*np.exp(-\beta*t) # V=viral load after medication$ $V2 = A*np.exp(-inverse*t) + B*np.exp(-\beta*t) # invese of the T-cell infection rate$ plt.plot(t, V, "g", label=" $V(t)=Ae^{-\alpha t}+Be^{-\beta t}$ ") # graphic of the function V(t)plt.plot(time_days, viral_load, "r+", label="Experimental data") # graphic experimental dates plt.plot(t, V2, "b", label="Inverse of the T-cell infection rate") # graphic of inverse of T-cell infection rate # Details of the graphic plt.title("Model of viral load for HIV after medication", size=12, weight="bold") plt.xlabel("Time (days)") plt.ylabel("Viral load (N/ml) ") plt.text(3,75000, "A=87500, α = 0.2625, B=875000, β =0.9564", fontsize=8, color='green') plt.text(4,50000, "A=87500, $\alpha=1/\alpha$, B=875000, $\beta=0.5$ ", fontsize=8, color='blue') plt.legend() plt.grid() plt.savefig("grafica_V.jpg") # Keep the graphic Time in days = [0.0.0831 0.1465 0.2587 0.4828 0.7448 0.9817 1.2563 1.4926 1.7299 1.9915 3.0011 4.0109 5.009 5.9943 7.0028] Viral load of HIV = [106100. 93240. 166720. 153780. 118800. 116900. 109570. 111350. 83291. 66435. 35408. 21125. 20450. 15798. 4785.2] Model of viral load for HIV after medication 175000 $V(t) = Ae^{-at} + Be^{-\beta t}$ + Experimental data 150000 Inverse of the T-cell infection rate 125000 100000 load $A=87500, \alpha=0.2625, \beta=875000, \beta=0.9564$ 75000 =87500, α=1/α, B=875000, β=0.5. 50000 25000 Time (days) In [19]: # Model of genetic switching in bacteria import numpy as np import matplotlib.pyplot as plt t = np.linspace(0,2,30) # Create a variable of time **def** $W(time, A, \tau)$: # Definimos la función W(t)return $A^*(np.exp((-time/\tau)) + time/\tau - 1) # A and \tau are constants$ $W1 = W(t,1,1) # take A=1 y \tau=1$ plt.plot(t, W1, "blue", label="\$W(t)=(e^{-t}+t-1\$") plt.xlabel("t") plt.ylabel("W(t)") plt.text(0,0.9, "A=1, $\tau=1$ ", fontsize=10, color='blue') plt.legend() plt.savefig("grafica_W_funcion.jpg") $W(t) = (e^{-t} + t - 1)$ 1.0 $A=1, \tau=1$ 0.8 £ 0.6 € 0.4 0.2 0.0 0.00 0.25 0.50 0.75 1.00 1.25 1.50 1.75 2.00 In [68]: import numpy as np import matplotlib.pyplot as plt t = np.linspace(0,2,30) # Create a variable of time **def** $W(time, A, \tau)$: # Definimos la función W(t)return A*(np.exp((-time/ τ)) + time/ τ - 1) # A and τ are constants W1 = np.zeros(len(t))W2 = np.zeros(len(t))W3 = np.zeros(len(t))W4 = np.zeros(len(t))W5 = np.zeros(len(t))W6 = np.zeros(len(t))W7 = np.zeros(len(t))W8 = np.zeros(len(t))W9 = np.zeros(len(t))W1 = W(t, 1, 1)W2 = W(t, 10, -0.5)W3 = W(t, -10, -0.5)W4 = W(t, -20, 0.5)W5 = W(t, 20, 0.5)W6 = W(t, -5, 30)W7 = W(t, 5, -30)W8 = W(t, 100, 1)W9 = W(t, -100, -1)plt.plot(t,W1,"k",label="A=1, $\tau=1$ ") plt.plot(t, W2, "--", label="A=10 τ =-0.5") plt.plot(t, W3, "-.", label="A=-10 τ =-0.5") plt.plot(t, W4, ":", label="A=-20 τ =0.5") plt.plot(t, W5, ".", label="A=20 τ =0.5") plt.plot(t, W6, "x", label="A=-5 τ =30") plt.plot(t, W7, "+", label="A=5 τ =-30") plt.plot(t, W8, "h", label="A=100 τ =1") plt.plot(t, W9, label="A=-100 τ =-1") plt.title("\$W(t)=A($e^{-t/\tau}$ + t/τ -1)\$") plt.xlabel("t") plt.ylabel("W(t)") plt.xlim(0,3)plt.legend() plt.grid() plt.savefig("grafica_varias_W.jpg") $W(t) = A(e^{-t/\tau} + t/\tau - 1)$ — A=1, τ=1 --- A=10 τ=-0.5 400 --- A=-10 τ=-0.5 ···· A=-20 τ=0.5 200 A=20 τ=0.5 $A=-5 \tau=30$ $A=5 \tau=-30$ $A=100 \tau=1$ $A=-100 \tau=-1$ -200 -4000.0 0.5 1.0 1.5 2.0 2.5 3.0 In [45]: # Graphic experimental data and W(t) function import numpy as np import matplotlib.pyplot as plt experimental_data = np.loadtxt("g149novickB.csv", delimiter=',') # Export the data time_hours = np.zeros(12) time_hours = experimental_data[0:12,0] print("Time in hours. The e-folding time was about 3 hours =",time_hours) fraction_ β = np.zeros(12) fraction_ β = experimental_data[0:12,1] print("Fraction of maximum beta-galactosidase activity =",fraction_\(\beta \)) time = np.linspace(np.amin(time_hours), np.amax(time_hours), len(fraction_\(\beta\))) **def** $W(t,\tau,A)$: return A*(np.exp($(-t/\tau)$) + t/τ - 1) plt.plot(time_hours, fraction_β, "mv", label="Experimental data") plt.plot(time, W(time, 34, 3.5), label="Theoretical model \$W(t)\$") plt.title("\$W(t)=A($e^{-t/\tau}$ + t/τ - 1)\$") plt.xlabel("Time (hours)") plt.ylabel("Fraction of max β-galactosidase act.") plt.legend() plt.grid() plt.text(3,0.10, "A=34 τ =3.5", fontsize=12, color='magenta') plt.savefig("grafica_experimento_W.jpg") Time in hours. The e-folding time was about 3 hours = [2.3832 2.723 3.0358 3.5177 4.0014 4.5692 5.0528 5.5358 6.4458 7.5262 8.5809 9.6318] Fraction of maximum beta-galactosidase activity = [0.0109 0.0093429 0.0146 0.0145 0.0242 0.0286 0.0376 0.0435 0.0592 0.0764 0.1071 0.1182 $W(t) = A(e^{-t/\tau} + t/\tau - 1)$ Experimental data 넕 0.12 Theoretical model W(t) 0.10 0.08 0.06 0.02 Time (hours) # Graphic experimental data and V(t) function experimental_data = np.loadtxt("g149novickA.csv", delimiter=',') # Export the data # Create the arrays for the temporal dates and viral load time_hours = np.zeros(len(experimental_data)) time_hours = experimental_data[:,0] print("Time in hours =",time_hours)

In [72]:

Computational Nanotechnology Applications

#Jair Dominguez, Jesús Flores, Adriel Reyes

#Import mathematical libraries and graphics

time_days = np.zeros(len(experimental_data))

viral_load = np.zeros(len(experimental_data))

Create the arrays for the temporal dates and viral load

experimental_data = np.loadtxt("HIVseries.csv", delimiter=',') #Import experimental data

Proyect 1 - 12/08/2021

import numpy as np

One model of viral load HIV

import matplotlib.pyplot as plt

time_days = experimental_data[:,0]
print("Time in days =", time_days)

viral_load = experimental_data[:,1]
print("Viral load of HIV = ", viral_load)

plt.legend() plt.grid() plt.text(0,0.7, " $\tau=3.50$ ", fontsize=12, color='yellow') plt.savefig("grafica_experimento_V.jpg") Time in hours = [0.1699 0.4426 0.5111 0.7156 1.0564 1.2041 1.4311 1.6465 1.8283 2.1119 2.4182 2.997 3.6763 4.2308 4.8316 5.407 6.0646 6.6638] Fraction of maximum beta-galactosidase activity = [0.019 0.0855 0.1164 0.1639 0.247 0.2803 0.3278 0.3563 0.4038 0.4537 0.5059 0.6152 0.6746 0.7126 0.7981 0.7601 0.8599 0.8741] Model of genetic switching in bacteria + Experimental data 0.8 $V(t)=1-e^{-t/\tau}$ of max β-galactosidase 0.6 0.2 0.0 Time (Hours) In [119.. import numpy as np import matplotlib.pyplot as plt t = np.linspace(0,10,30) # Create a variable of time **def** $V(time, \tau)$: # Definimos la función W(t)return 1 - np.exp((-time/ τ)) # τ is constant V1 = np.zeros(len(t))V2 = np.zeros(len(t))V3 = np.zeros(len(t))V4 = np.zeros(len(t))V5 = np.zeros(len(t))V6 = np.zeros(len(t))V7 = np.zeros(len(t))V8 = np.zeros(len(t))V9 = np.zeros(len(t))V1 = V(t, 0.1)V2 = V(t, 0.3)V3 = V(t, 0.5)V4 = V(t,1)V5 = V(t, 1.5)V6 = V(t, 3.5)V7 = V(t,5)V8 = V(t, 10)V9 = V(t, 50)plt.plot(t, V1, "k", label=" τ =0.1") plt.plot(t, V2, "--", label=" τ =0.3") plt.plot(t, V3, "-.", label=" τ =0.5") plt.plot(t, V4, ":", label=" τ =1") plt.plot(t, V5, ".", label=" τ =1.5") plt.plot(t, V6, "x", label=" τ =3.5") plt.plot(t, V7, "+", label=" $\tau=5$ ") plt.plot(t, V8, "h", label=" τ =10") plt.plot(t, V9, label=" τ =50") plt.title(" $$V(t)=1-e^{-t/\tau}$ ") plt.xlabel("t") plt.ylabel("V(t)") plt.legend() plt.grid() plt.savefig("grafica_varias_V.jpg") $V(t) = 1 - e^{-t/\tau}$ 1.0 0.6 $\tau=1$ 0.4 $\tau = 1.5$ $\tau = 3.5$ 0.2 τ=5 τ=10 $\tau = 50$ 0.0 10

fraction_galactoside= np.zeros(len(experimental_data))

plt.title("Model of genetic switching in bacteria")

plt.ylabel("Fraction of max β-galactosidase")

print("Fraction of maximum beta-galactosidase activity = ",fraction_galactoside)

plt.plot(time_hours, fraction_galactoside, "m+", label="Experimental data") plt.plot(time2, V(time2, 3.50), "y", label=" $V(t)=1-e^{-t/\tau}$ ") # Using $\tau=3.50$

time2 = np.linspace(np.amin(experimental_data), np.amax(time_hours), len(experimental_data)) # Temporal variable

fraction_galactoside = experimental_data[:,1]

return 1 - np.exp $(-t/\tau)$

plt.xlabel("Time (Hours)")

def $V(t,\tau)$:

In [1]:

jupyter nbconvert --to html notebook.ipynb

SyntaxError: invalid syntax

File "<ipython-input-1-8f3684e5146c>", line 1 jupyter nbconvert --to html notebook.ipynb