1.Download Haberman Cancer Survival dataset from Kaggle. You may have to create a Kaggle account to donwload data. (https://www.kaggle.com/gilsousa/habermans-survival-data-set) 2.Perform a similar alanlaysis as above on this dataset with the following sections: 3. High level statistics of the dataset: number of points, numer of features, number of classes, data-points per class. Explain our objective. 4. Perform Univaraite analysis (PDF, CDF, Boxplot, Voilin plots) to understand which features are useful towards classification. 5.Perform Bi-variate analysis (scatter plots, pair-plots) to see if combinations of features are useful in classification. 6.Write your observations in english as crisply and unambigously as possible. Always quantify your results. In [1]: **import** pandas **as** pd import seaborn as sns import matplotlib.pyplot as plt import numpy as np df = pd.read_csv("haberman.csv") In [2]: print(df.shape) (306, 4)In [3]: print(df.columns) Index(['age', 'year', 'nodes', 'status'], dtype='object') In [4]: df["status"].value_counts() Out[4]: **1** 225 Name: status, dtype: int64 2 D scatter df.plot(kind='scatter', x='age', y='year'); plt.title("2-D Scatter plot") plt.show() 2-D Scatter plot 68 66 64 62 #2-d scatter with different color In [19]: sns.set_style("whitegrid"); # hue="species"-> color based on species sns.FacetGrid(df, hue="status", height=4) \ .map(plt.scatter, "age", "year") \ .add_legend(); plt.title("2-D Scatter plot") plt.show(); 2-D Scatter plot OBSERVATION: Using age and year we are not able to distinguies In [21]: #pair plot plt.close(); sns.set_style("whitegrid"); sns.pairplot(df, hue="status", height=3); plt.show() 80 70 50 œ, 60 - ca-coo o co-caca 50 40 20 20 Observation:- points can not be diffretiable Histogram, PDF, CDF #1-d scatter plot of age In [22]: import numpy as np haberman1= df.loc[df["status"] == 1]; haberman2 = df.loc[df["status"] == 2]; haberman3 = df.loc[df["status"] == 3]; #print(iris_setosa["petal_length"]) plt.plot(haberman1["age"], np.zeros_like(haberman1['age']), 'o')
plt.plot(haberman2["age"], np.zeros_like(haberman2['age']), 'o')
plt.plot(haberman3["age"], np.zeros_like(haberman3['age']), 'o') plt.xlabel("age") plt.title("1-D Scatter Plot") plt.show() 1-D Scatter Plot 0.04 0.02 0.00 -0.02 -0.04 30 40 60 age In [25]: #histogram and pdf of age sns.FacetGrid(df, hue="status", height=5) \ .map(sns.histplot, "age", stat="density", kde=True, bins=10) \ .add_legend(); plt.title("Histogram and pdf of age ") plt.show(); Histogram and pdf of age 0.040 0.035 0.030 0.025 status 0.020 0.015 0.010 0.005 30 50 60 70 #histogram and pdf of year In [27]: sns.FacetGrid(df, hue="status", height=5) \ .map(sns.histplot, "year", stat="density", kde=True, bins=10) \ .add_legend(); plt.title("Histogram and pdf of Year") plt.show(); Histogram and pdf of Year 0.20 0.15 1 0.10 0.05 0.00 In [28]: #cdf of age class-1 counts, bin_edges = np.histogram(haberman1['age'], bins=10, density = True) pdf = counts/(sum(counts)) print(pdf); print(bin_edges); cdf = np.cumsum(pdf) plt.plot(bin_edges[1:],pdf); plt.plot(bin_edges[1:], cdf) counts, bin_edges = np.histogram(haberman1['age'], bins=20, density = True) pdf = counts/(sum(counts)) plt.plot(bin_edges[1:],pdf); plt.title("CDF of age class-1") plt.show(); $[0.05333333 \ 0.10666667 \ 0.12444444 \ 0.09333333 \ 0.16444444 \ 0.16444444$ 0.09333333 0.11111111 0.06222222 0.02666667] [30. 34.7 39.4 44.1 48.8 53.5 58.2 62.9 67.6 72.3 77.] CDF of age class-1 1.0 8.0 0.6 0.4 0.2 0.0 In [12]: # How to construct a CDF? # How to read a CDF? #Plot CDF of age counts, bin_edges = np.histogram(df['age'], bins=10, density = True) pdf = counts/(sum(counts)) print(pdf); print(bin_edges) #compute CDF cdf = np.cumsum(pdf) plt.plot(bin_edges[1:],pdf) plt.plot(bin_edges[1:], cdf) plt.show(); $[0.05228758 \ 0.08823529 \ 0.1503268 \ 0.17320261 \ 0.17973856 \ 0.13398693$ 0.13398693 0.05882353 0.02287582 0.00653595] [30. 35.3 40.6 45.9 51.2 56.5 61.8 67.1 72.4 77.7 83.] 1.0 8.0 0.6 0.4 0.2 In [29]: # Plots of CDF of age for various class. counts, bin_edges = np.histogram(haberman1['age'], bins=10, density = True) pdf = counts/(sum(counts)) print(pdf); print(bin_edges) cdf = np.cumsum(pdf) plt.plot(bin_edges[1:],pdf) plt.plot(bin_edges[1:], cdf) counts, bin_edges = np.histogram(haberman2['age'], bins=10, density = True) pdf = counts/(sum(counts)) print(pdf); print(bin_edges) cdf = np.cumsum(pdf) plt.plot(bin_edges[1:],pdf) plt.plot(bin_edges[1:], cdf) plt.title("CDF of age for different class") plt.show(); $[0.05333333 \ 0.10666667 \ 0.12444444 \ 0.09333333 \ 0.16444444 \ 0.16444444$ 0.09333333 0.11111111 0.06222222 0.02666667] [30. 34.7 39.4 44.1 48.8 53.5 58.2 62.9 67.6 72.3 77.] [0.03703704 0.12345679 0.19753086 0.19753086 0.13580247 0.12345679 0.09876543 0.04938272 0.02469136 0.01234568] [34. 38.9 43.8 48.7 53.6 58.5 63.4 68.3 73.2 78.1 83.] CDF of age for different class 1.0 8.0 0.6 0.4 0.2 0.0 70 Mean, Variance and Std-dev In [14]: #Mean, Variance, Std-deviation, print("Means:") print('mean of class 1 is',np.mean(df["age"])) #Mean with an outlier. print('mean with outlier is',np.mean(np.append(df["age"],225))); print('mean of class 2 is:',np.mean(df["age"])) print("\nStd-dev:"); print('STD of class 1 is:',np.std(haberman1["age"])) print('STD of class 2 is:',np.std(haberman2["age"])) Means: mean of class 1 is 52.45751633986928 mean with outlier is 53.01954397394137 mean of class 2 is: 52.45751633986928 Std-dev: STD of class 1 is: 10.98765547510051 STD of class 2 is: 10.10418219303131 Median, Percentile, Quantile, IQR, MAD In [15]: #Median, Quantiles, Percentiles, IQR. print("\nMedians:") print(np.median(haberman1["age"])) #Median with an outlier print(np.median(np.append(haberman1["age"],225))); print(np.median(haberman2["age"])) print("\nQuantiles:") print(np.percentile(haberman1["age"],np.arange(0, 100, 25))) print(np.percentile(haberman2["age"],np.arange(0, 100, 25))) print("\n90th Percentiles:") print(np.percentile(haberman1["age"],90)) print(np.percentile(haberman1["age"],90)) from statsmodels import robust print ("\nMedian Absolute Deviation(mda)") print(robust.mad(haberman1["age"])) print(robust.mad(haberman2["age"])) Medians: 52.0 52.0 53.0 Quantiles: [30. 43. 52. 60.] [34. 46. 53. 61.] 90th Percentiles: 67.0 67.0 Median Absolute Deviation(mda) 13.343419966550417 11.860817748044816 Box plot and Whiskers sns.boxplot(x='status',y='age', data=df) In [30]: plt.title("Box plot") plt.show() Box plot 70 60 40 30 2 Observation:-for class-1 25% to 75% wrt age lies between 42 to 60 and for class-2 25% to 75% lies between 45 to 62 Violin plots sns.violinplot(x="status", y="age", data=df, size=8) In [31]: plt.title("Violin plots") plt.show() Violin plots 60 · 50 40 20 2 observation:-violin plot is the combine information of pdf(curve part) and box plot(middle part) In [18]: #contors plot #2D Density plot, contors-plot sns.jointplot(x="age", y="year", data=haberman1, kind="kde"); plt.suptitle('Contors plot of AGE and Op_Year') plt.show(); Contors plot of AGE and Op_Year 72.5 70.0 67.5 65.0 62.5 60.0 57.5 55.0 30 40 60 70 80 20 50 Observation:-year of 62 to 64 and age group of 50 to 55 conclusion: With the help of eda we can apply which model is best