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DB ex3

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Q1.

$AG \rightarrow CE$  :

no, because  $row_3(a_3, g_2, c_3, e_3)$  but  $row_5(a_3, g_2, c_2, e_3)$  the c attribute differs!

$BE \rightarrow ACDG$  :

yes , every row has a different tuple  $(b_i, e_j)$  so it holds

$D \rightarrow C$  :

yes, we can see for every unique  $d_i$  there is one  $c_j$

$CG \rightarrow AE$  :

yes, we can see for every unique tuple  $(c, g)$  there is one tuple  $(a, e)$

END Q1

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Q2.

we will use the algorithm that we saw is equivalent to the closure ;

$X=A$  :

we start with  $\{A\}$  from  $A \rightarrow DC$  we add DC so we have  $\{A,D,C\}$

and we don't get anymore attributes from functional dependences in F

so  $\text{closure}(X) = \{A,D,C\}$

$X=AB$  :

we now start with AB and again because of  $A \rightarrow DC$  we add DC

so we have ABCD now from  $B \rightarrow E$  we add E to our set and that's it

(that's all we can add via the FDs)

so we have  $\text{closure}(X) = ABCDE$

$X=GE$  :

we start with the trivial set GE and now  $G \rightarrow A$  so we add A and that

means because of  $A \rightarrow DC$  we add DC and we are at ACDEG

so far now  $E \rightarrow AB$  so we will add B to the group (we are at the max)

we get  $\text{closure}(X) = ABCDEG$

END Q2