# Human-level control through deep reinforcement learning





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### **Objective**

- Create a single agent that can play a range of different Atari games better than a human
- Inputs are screen pixels and score
- Actions are valid moves in the game
- General AI

### Challenges

- Natural solution reinforcement learning
- High dimensionality of input 210 x 160 screen with 128 colours at 60 Hz
- No domain-specific information or heuristics
- Delayed rewards
- Instability of reinforcement learning with nonlinear approximator

### **Q-learning**

• Learn the policy (what action to take in a given state) that maximises the sum of future discounted rewards

$$Q^*(s,a) = \max_{\pi} \mathbb{E}[r_t + \gamma r_{t+1} + \gamma^2 r_{t+2} + \dots | s_t = s, \ a_t = a, \ \pi]$$

$$Q^*(s,a) = \mathbb{E}_{s'}\left[r + \gamma \max_{a'} Q^*(s',a')|s,a\right]$$

### **Dimensionality**

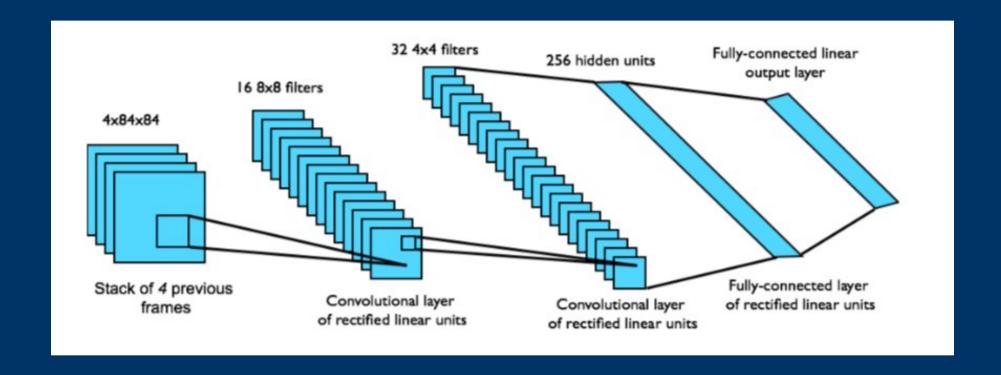
- State becomes sequence of 4 frames
- $10^{283,000}$  states
- Need to generalise to reduce dimensions
- Instead of learning discrete Q(s,a), approximate with convolutional neural network

$$Q(s,a;\theta) \approx Q^*(s,a)$$

# Initial data compression

- Colour 210 x 160 to 256-grayscale 84 x 84
- Max(frame, previous frame)

### Network architecture



• Learn a separate Q for each action — find the best action by choosing the largest

# Experience replay

- Instability of network learning caused by temporal correlations in sequence of observations
- Network trained on random minibatches of previous observations
- Efficient reuse of experiences

### Freeze target

- Training example is a tuple (s,a,r,s')
- Error function uses target value also based on network output
- Poor convergence if output and target move together so adjust target network only periodically

$$L_{i}(\theta_{i}) = \mathbb{E}_{(s,a,r,s') \sim U(D)} \left[ \left( r + \gamma \max_{a'} Q(s',a';\theta_{i}^{-}) - Q(s,a;\theta_{i}) \right)^{2} \right]$$

### rmsProp

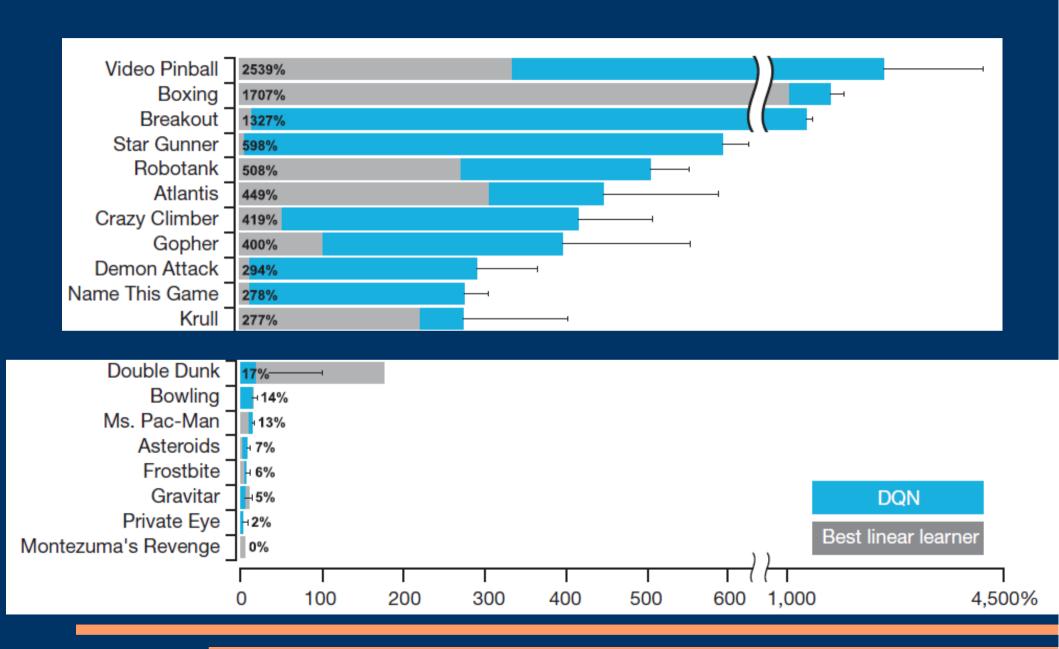
- Problem of same gradient descent learning rate for all weights
- rprop for full batch learning, increase the step size multiplicitavely if gradients agree
- rmsProp for minibatch learning, normailise update by maintaining a decaying mean square average of each gradient

### Other tricks

- Reward clipping normalise to +/-1, loses ability to differentiate between big and small gains
- Skipping frames fast-forward by selecting actions every 4<sup>th</sup> frame
- Exploration vs exploitation epsilon greedy policy to explore initially but then take best actions

```
Initialize replay memory D to capacity N
Initialize action-value function Q with random weights \theta
Initialize target action-value function \hat{Q} with weights \theta^- = \theta
For episode = 1, M do
   Initialize sequence s_1 = \{x_1\} and preprocessed sequence \phi_1 = \phi(s_1)
   For t = 1,T do
        With probability \varepsilon select a random action a_t
        otherwise select a_t = \operatorname{argmax}_a Q(\phi(s_t), a; \theta)
        Execute action a_t in emulator and observe reward r_t and image x_{t+1}
        Set s_{t+1} = s_t, a_t, x_{t+1} and preprocess \phi_{t+1} = \phi(s_{t+1})
        Store transition (\phi_t, a_t, r_t, \phi_{t+1}) in D
        Sample random minibatch of transitions (\phi_j, a_j, r_j, \phi_{j+1}) from D
       \operatorname{Set} y_{j} = \begin{cases} r_{j} & \text{if episode terminates at step } j+1 \\ r_{j} + \gamma \max_{a'} \hat{Q}\left(\phi_{j+1}, a'; \theta^{-}\right) & \text{otherwise} \end{cases}
        Perform a gradient descent step on (y_j - Q(\phi_j, a_j; \theta))^2 with respect to the
        network parameters \theta
        Every C steps reset \hat{Q} = Q
   End For
End For
```

### Results



### Strengths and weaknesses

- Space Invaders
   https://youtu.be/Dds\_yDJFhvI
- Breakout https://youtu.be/cjpEIotvwFY
- Montezuma https://www.youtube.com/watch?v=Klxxg9JM5tY

### Double Q learning

- Improve upon target freezing by unpacking the target expression
- Network used twice once to determine the best next action and once to find the Q value of the next state

$$Y_t^{\text{DoubleQ}} \equiv R_{t+1} + \gamma Q(S_{t+1}, \underset{a}{\operatorname{argmax}} Q(S_{t+1}, a; \boldsymbol{\theta}_t); \boldsymbol{\theta}_t')$$

# Prioritsed experience replay

- Improve upon experience replay by replaying large error examples more often
- Can overfit and may not replay if error was initially low – add randomness