```
Input: An array of Unique integers

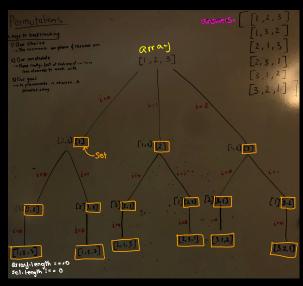
array = [1, 2, 3]
```

 $\frac{\text{Output}}{\left[\begin{bmatrix}1,2,3\end{bmatrix},\begin{bmatrix}1,3,2\end{bmatrix},\begin{bmatrix}2,1,3\end{bmatrix},\begin{bmatrix}2,3,1\end{bmatrix},\begin{bmatrix}3,1,2\end{bmatrix},\begin{bmatrix}3,2,1\end{bmatrix}}$

```
// O(n*n!) time | O(n*n!) space
function getPermutations(array) {
  const answers = [];
  permute(array, [], answers);
  return answers;
}

function permute(array, set, answers) {
  if (array.length === 0 && set.length !== 0) answers.push([...set]);

  for (let i = 0; i < array.length; i++) {
    const newArray = array.filter((num, index) => index !== i);
    set.push(array[i]);
    permute(newArray, set, answers);
    set.pop();
  }
}
```



Idea: Backtracking

- i) Base case: if the array is empty and our set is non empty, then we append our current set into our answers array.
- 2) Otherwise we iterate through the array, and at each index ne:
 - create a new arroy with all values except to the volve at index; of the original arroy
 We push the value at index; of the original arroy
- We then recurse on the new array

 3) As we work our way up, we pop off the value
 we added

Time: O(n*n!) (where n is the # of elements in the array) sine we have n: permutations and at each one we do linear amount of work, n, to copy the array into our new array

Space: O(n*n!) since we have an array of length n at each permutation