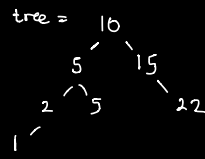


Input: BST  
array



array = []

Output: array

Traverse the BST, add its nodes' value to the input array

↳ inOrder, preOrder, postOrder

inOrder Traverse: [1, 2, 5, 5, 10, 15, 22]

preOrder Traverse: [10, 5, 2, 1, 5, 15, 22]

postOrder Traverse: [1, 2, 5, 5, 22, 15, 10]

```

// O(n) time | O(n) space
function inOrderTraverse(tree, array) {
  if (tree !== null) {
    inOrderTraverse(tree.left, array);
    array.push(tree.value);
    inOrderTraverse(tree.right, array);
  }
  return array;
}

// O(n) time | O(n) space
function preOrderTraverse(tree, array) {
  if (tree !== null) {
    array.push(tree.value);
    preOrderTraverse(tree.left, array);
    preOrderTraverse(tree.right, array);
  }
  return array;
}

// O(n) time | O(n) space
function postOrderTraverse(tree, array) {
  if (tree !== null) {
    postOrderTraverse(tree.left, array);
    postOrderTraverse(tree.right, array);
    array.push(tree.value);
  }
  return array;
}

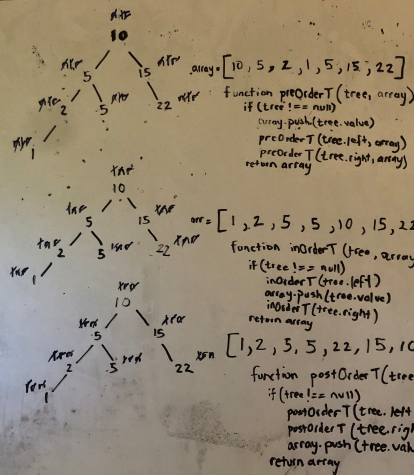
```

### Pre, In, Post Order traversal

Pre: nlr

In: lnr

Post: lrn



Time:  $O(n)$  where  $n$  is the # of nodes in the tree. This is because we are touching every node to get its value and its children.

Space:  $O(n)$  Since we are storing all the nodes in an array. Would be  $O(d)$  or  $O(\log n)$  if we just had the call stack.