## **Delegated Recruitment and Hiring Distortions**

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#### Motivation

- ▶ The share of Americans who got their job via a recruiter is rising.
- 4.2% in 1991 to 17.8% in 2020 (Black, Hasan, and Koning 2020)
- Recruiters are contracted agents finding talent on behalf of a firm.
- Are recruiter preferences over workers aligned with the firm?
- If not, how does delegation change the types of workers hired?

### **Summary of Results**

- 1. Recruiters are not fully aligned.
- 2. The recruiter-firm relationship suffers from moral hazard with a multitasking flavor.
- 3. Delegation amplifies variance-based statistical discrimination.
- 4. Firms prefer using recruiters when workers have similar productivity variance.

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#### How are Recruiters Paid?

Based on three interviews with recruiters and a survey by Top Echelon:

- ► If a recruiter suggests a candidate, and this candidate is hired, they receive a commission.
- ▶ If the candidate leaves for any reason during a probation period they refund some or all of the commission.
- We call this a binary refund contract.

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#### The Model

#### **Players and Actions**

- ightharpoonup Risk neutral firm which proposes the contract and fires worker if a < 0
- ▶ Risk neutral recruiter can accept or reject contract, conduct search

#### McCall-style sequential search with unit cost c

- Worker productivity denoted a
- Productivity is uncertain prior to hire:  $a|(\mu, \sigma) = \mu + \sigma\epsilon$  with  $\epsilon \sim F$  and  $(\mu, \sigma) \sim G$
- $\blacktriangleright$   $\mu$  is productivity expectation,  $\sigma$  is productivity variance

#### **Contracts**

Firms are restricted to binary refund contracts:

$$t(a) = \alpha - \beta \mathbb{I}\{a < 0\}$$

## **Payoffs**

Firm's profit:

$$\pi(a) = a - t(a)$$

Note: firm gets productivity even if the worker is fired.

► Recruiter's utility given number of searches *N*:

$$u(a) = t(a) - Nc$$

Recruiter's outside option is 0.

# Example



Figure: Mr. Self-Taught



Figure: Mr. Ivy League

## The Search Space

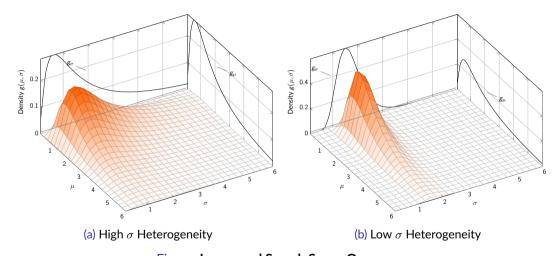


Figure: Lognormal Search Space Over  $\mu, \sigma$ .

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#### First-Best Benchmark

- First-best is if the firm could search directly.
- $\blacktriangleright$  Firm cares only about expected productivity  $\mu$
- ightharpoonup Search strategy fully characterized by reservation rule in  $\mu$  as usual.
- Firm acceptance region can be written as:

$$\mathcal{D}_{FB} = \{\mu, \sigma | \mu \ge \mu^*\}$$

## Recruiter Incentive Compatibility

Recruiter cares only about the probability the candidate is fired during probation period:

$$Pr(a \le 0 | \mu, \sigma) = Pr(\mu + \epsilon \sigma \le 0 | \mu, \sigma) = F_{\epsilon}(\frac{\mu}{\sigma})$$

We call  $\frac{\mu}{\sigma}$  standardized productivity,  $\tilde{\mu}$ .

#### Lemma 1

In any incentive compatible contract, the set of workers the recruiter selects takes the form:

$$\mathcal{D}_R = \{ \tilde{\mu} | \tilde{\mu} \ge \tilde{\mu}^* \}$$

## **Visualizing Indifference Curves**

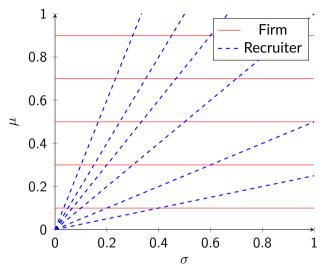


Figure: Indifference and Isoprofit Curves Over Worker Types.

## Solving the Delegation Equilibrium

- Delegated problem is contract choice by firm then two-dimensional sequential search by recruiter.
- ► Main technical result of the paper:

#### Theorem 2

The delegated search equilibrium is given by the solution to a standard sequential search problem over  $\mathbb{E}[\mu|\tilde{\mu}]$ . The solution is determined by a reservation rule  $\tilde{\mu}^*$ , which solves:

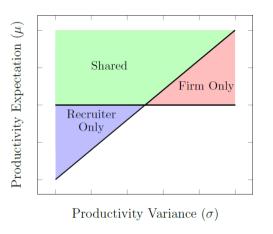
$$(\mathbb{E}[\mu|\tilde{\mu} \ge \tilde{\mu}^*] - \mathbb{E}[\mu|\tilde{\mu} = \tilde{\mu}^*]) \cdot \Pr(\tilde{\mu} \ge \tilde{\mu}^*) = c \tag{1}$$

lacktriangle 2D dynamic problem boils down to a FOC in one variable,  $ilde{\mu}^*$ 

#### **Economic Intuition**

- $\triangleright$  First-best search is over  $\mu$ .
- ▶ Delegated search is over  $\mathbb{E}[\mu|\tilde{\mu}]$ , a garbled/noisy version of  $\mu$ .
- ▶ This inaccuracy is the **agency cost** of search.
- ▶ When  $\mathbb{E}[\mu|\tilde{\mu}]$  is strict mean-preserving spread of  $\mu \implies$  there is inefficiency.
- Under a slightly stronger condition, we can also say there is moral hazard: the recruiter searches too little.

## Recruiter vs. Firm Acceptance Regions Over Applicant Types



Intuition: Blue are "safe-bets," red are "diamonds in the rough."

## Multitasking

### **Proposition 1**

As workers become more homogeneous with respect to productivity variance, agency loss decreases and recruiter search effort increases. When workers all have the same productivity variance, the first-best is achieved.

Related to the canonical Holmstrom and Milgrom (1991) multitasking models.

- Firm can only measure  $\mu/\sigma$ .
- ▶ But search is costly and two dimensional!
- Agent spends time finding safe-bets (low variance, low expectation) workers.
- ▶ At the expense of diamonds in the rough (high variance, high expectation) workers.

## Reducing Heterogeneity in Productivity Variance

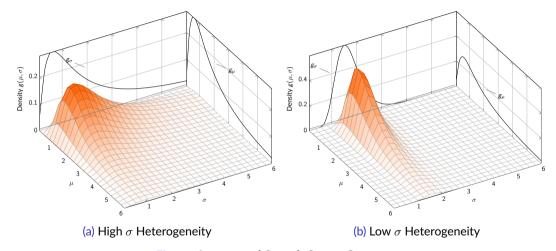


Figure: Lognormal Search Space Over  $\mu, \sigma$ .

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### Variance-Based Statistical Discrimination

- ► Two worker groups: 1 and 2
- ▶ The same true productivity distribution  $a \sim N(\mu_0, \sigma_0)$ .
- ▶ Recruiter observes a noisy signal of productivity:  $Y = a + \xi_i, \xi_i \sim N(0, \tau_i^{-2})$
- ▶ Suppose people better understand signals from their own group, and recruiter is from group 1:  $\tau_1 > \tau_2$

### Variance-Based Statistical Discrimination

► After observing group and signal recruiter Bayesian updates:

$$a|Y = x, i \sim N\left(\frac{\tau_i^2}{1/\sigma_0^2}x + (1 - \frac{\tau_i^2}{1/\sigma_0^2})\mu_0, \frac{\sigma_0^2 \tau_i^{-2}}{\sigma_0^2 + \tau_i^{-2}}\right)$$

- ▶ This generates posterior means ( $\mu$ ) and variances ( $\sigma$ ).
- For two candidates with the same expected productivity (NOT signal), recruiter prefers group 1.

### **Proposition 2**

The probability the hired worker is from Group B is lower under delegation than the first-best. Therefore, variance-based statistical discrimination is greater under delegation than the first-best.

## The Choice to Delegate

- Suppose the firm could decide to search directly or delegate.
- ▶ But search by the firm is more costly than search by the recruiter.
- Firm must weigh opportunity cost direct search vs. agency loss of delegation.
- Direct implication of prior results:

#### **Proposition 3**

As heterogeneity in productivity variance decreases, the firm is more likely to delegate. When workers are homogeneous with respect to productivity variance, the firm will always delegate.

### A Vicious Cycle

Suppose we have both mechanisms...

- ▶ Initially only firms with high opportunity cost delegate.
- Assume workers get discouraged if they do not get an offer and leave the industry.
- Discouraged workers will be mainly Group B (high variance group).
- If inflow is the same as original composition, this leads to less Group B next period.
- ightharpoonup Period two workers are more homogenous in  $\sigma$ .
- Agency loss of delegation declines, so more firms delegate.

#### Conclusion

- Provide characterization of delegated search under refund contracts.
- Show how contract form induces recruiter to inefficiently prefer low-variance candidates.
- This generates multi-tasking moral hazard and agency loss.
- ► Model can be used to think about how delegation amplifies variance-based statistical discrimination.