

# Midterm: Econ 490 Compensation in Organizations

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February 18, 2026

You have 75 minutes to complete this exam. Please stop writing when told to do so. Write all answers in the space provided, and show your work. If you run out of room, make a note and use the additional pages attached at the end of the exam. This is a closed book exam. The only materials you may use are a pen and paper. By taking this exam, you agree to follow the UNC Chapel Hill honor code, in particular the standards of academic integrity. All academic dishonesty will be reported to the Office of Student Conduct and the Student Attorney General, and you will receive a 0 on this exam.

All questions in section 1 are worth 6 points. All questions in sections 2 and 3 are worth 4 points. There are 100 points possible.

## 1 Readings

Answer these questions in 3 sentences or less.

1. Describe the “gaming” that Larkin finds in his paper “The Cost of High-Powered Incentives: Employee Gaming in Enterprise Software Sales.” Be specific.
2. Describe one of the two pieces of evidence that Hartzell, Parsons, Yermack (2010) provide in support of the risk-incentive trade-off.



### Payoffs

- If accepted, the firm's payoff  $\pi$  is expected output minus expected wages:  $E[y - w]$
- If accepted, the worker's payoff is expected utility of the wage minus effort cost:  $E[u(w) - c(e)]$
- If rejected, the worker receives an outside option of  $\bar{u}$  and firm receives an outside option of 0

### Timing

The same as in class. The firm proposes a wage schedule, the worker accepts or rejects, the worker exerts effort, output occurs, and then the wage is paid out.

### 2.1 Questions

For this question, suppose the firm can pay based on performance  $w(y) = \alpha + \beta y$ . Put a star superscript next to all the objects you derive, for example  $\beta^*$ .

1. Write the worker's certainty equivalent for a wage with fixed  $(\alpha, \beta)$  and fixed effort  $e$ .
2. For a fixed wage  $(\alpha, \beta)$  what level of effort does the agent choose? Hint: your answer should be a function of  $\beta$

3. For what  $\alpha, \beta$  does the worker accept the job?
4. What  $\alpha$  will the firm choose, and why?
5. Write the firm's profit. DO NOT simplify or plug anything in.
6. Simplify the firm's profit. You should get an expression that is a function only on  $e$ .

7. Derive the expression from class that relates the profit-maximizing  $\beta$  and effort  $e$ .

8. Suppose  $r = 1, \sigma^2 = 1$ . Derive profit maximizing  $\beta$  and  $e$  when  $c(e) = e^2/2$  and  $c(e) = e^2$ .

9. Provide an economic interpretation for the differences you found in the last subquestion.

### 3 Relative Performance Evaluation

This problem is mathematically identical to the one we did in class and in the problem set, except that the noise terms have an explicit interpretation. This interpretation should not impact how you solve for equilibrium, but it will impact how you interpret the results.

#### 3.1 Setup

- Suppose there are two workers labeled 1 and 2 with the same cost of effort  $c(e_i)$ .
- Output for each  $y_1 = e_1 + \epsilon_1$ ,  $y_2 = e_2 + \epsilon_2$
- The noise terms are distributed:
  - $\epsilon_1 = v_s + v_1$
  - $\epsilon_2 = v_s + v_2$
  - where  $v_s \sim N(0, \sigma_s^2)$ ,  $v_1 \sim N(0, \sigma_1^2)$  and  $v_2 \sim N(0, \sigma_2^2)$ <sup>1</sup>
- Let's focus just on worker 1 (so do all questions for worker 1 but not 2)
- The firm can offer linear wages:
  - $w(y_1, y_2) = \alpha + \beta(y_1 - \gamma y_2)$

#### 3.2 Questions

1. Derive the certainty equivalent of the worker's wage, and subtract effort costs to get an expression for the worker's utility.

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<sup>1</sup>Technical note: All are also jointly independent.

2. Stare at the expression you obtained. Argue that  $\gamma$  does not impact the worker's choice of effort at all, either mathematically or verbally.

3. Argue as in class that  $\gamma$  only impacts the variance, so to find the optimal  $\gamma$  we only need to minimize the variance of the wage.

4. Minimize the variance of the wage to find the profit maximizing  $\gamma$ . Call it  $\gamma_{rel}$ .

5. Derive the variance of wages when  $\gamma = \gamma_{rel}$ , simplifying as time permits. Exclude the  $\beta^2$  term. Call it  $\sigma_{Tot}^2$ .
6. Derive the profit-maximizing  $\beta$  as a function of  $\sigma_{Tot}^2$ . If you remember the theorem for  $\beta$  from lecture or from deriving it in the last problem on this test you may use it without proof. Otherwise, you can derive it the long way by maximizing profit with respect to  $\alpha, \beta$  given  $\gamma = \gamma_{rel}$ .
7. Suppose  $\sigma_2^2$  decrease. How does this impact the profit-maximizing  $\gamma$  and  $\beta$ ? Relate your answer to the risk incentive trade-off.









