# **Eurovision Test Program**

September 21, 2021

# 0.1 Predicting Scoring Patterns based on Song Order: Eurovision 2021

```
[1]: import numpy as np import pandas as pd
```

If we used Python to read the html\_file, we would use the following code:

```
from pandas import read_html
test = pd.read_html("database/Eurovision Song Contest Database 2021.html")[1]
```

We would take the second element [1] here, because [0] is the initial text outside of the table.

### 0.1.1 Importing the Data

Instead of using read\_html on the html file, we are going to take the newly formed csv file made in R / SQL, and make that the test database:

```
[2]: # The year we are analyzing
year = 2021

# Instead, we are going to simply read the .csv created using R and SQL:
test = pd.read_csv("csv database/Eurovision Final %s Results.csv" % year)

# Drop the duplicate index column from the .csv file:
test = test.drop("Unnamed: 0", axis=1)
test.head()
```

```
[2]:
      Place Points Percent_Earned Song_Order Country
   0
         16
                  94
                            0.100427
                                                    Cyprus
                                                1
   1
          21
                  57
                            0.060897
                                                2 Albania
   2
          17
                  93
                            0.099359
                                                3
                                                    Israel
   3
          19
                  74
                            0.079060
                                                4 Belgium
   4
          9
                 204
                            0.217949
                                                    Russia
```

# 0.1.2 Visualizing the Data

Now, we can import the following packages to help visualize the data and its' regression models:

[3]:

```
# Jupyter Notebook is weird, and requires this code to show all graphs when running the entire code at once.

%matplotlib inline

# Now, let's import matplotlib and seaborn for visualizations. seaborn specializes in regression.

import matplotlib.pyplot as plt import seaborn as sb

# We need the following package to summarize the linear regression:

from statsmodels.formula.api import ols
```

Let's take the percent of points earned (Percent\_Earned), and fit it based on the order of songs (Song\_Order). We will view the graph without and with the linear regression line side-by-side:

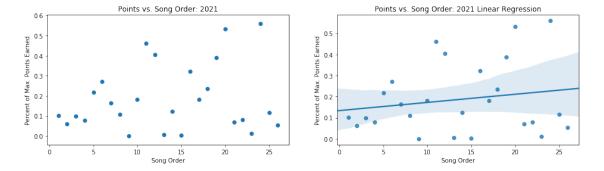
```
[4]: points_lm = ols('Percent_Earned ~ Song_Order', data=test).fit()

# Plotting the scatter plot without and with the regression line side-by-side:
fig, (ax1, ax2) = plt.subplots(ncols=2, figsize=(16,4))

ax1.scatter(x='Song_Order', y='Percent_Earned', data=test)
ax1.set_xlabel("Song_Order")
ax1.set_ylabel("Percent of Max. Points Earned")
ax1.set_title("Points vs. Song_Order: %s" % year)

sb.regplot(x='Song_Order', y='Percent_Earned', data=test)
ax2.set_xlabel("Song_Order")
ax2.set_ylabel("Percent of Max. Points Earned")
ax2.set_title("Points vs. Song_Order: %s_Linear_Regression" % year)

plt.show()
```



There does not appear to be a significant correlation, according to the second graph and its linear regression formula. Let's confirm that hypothesis by fitting the data to an Ordinary Least Squares (OLS) regression model:

```
[5]: points_lm = ols('Percent_Earned ~ Song_Order', data=test).fit()
    print(points_lm.summary())
```

#### OLS Regression Results

=========				======		========	========
Dep. Variable	Dep. Variable: Percent_Earne		Earned	R-squared:			0.032
Model:		OLS		Adj.	R-squared:		-0.008
Method:		Least Squares		F-st	atistic:		0.7938
Date:		Tue, 21 Sep 2021		Prob	(F-statisti	c):	0.382
Time:		17	26:36	Log-Likelihood:			10.818
No. Observations:			26	AIC:			-17.64
Df Residuals:			24	BIC:			-15.12
Df Model:			1				
Covariance Type:		noni	obust				
=========				======		========	
	coe	f std er	-	t	P> t	[0.025	0.975]
Intercept	0.1336	6 0.067	,	1.992	0.058	-0.005	0.272
Song_Order					0.382		0.013
	:=====:			======	 , .		
Omnibus:		2.815			in-Watson:		1.876
Prob(Omnibus):		0.245		Jarq	ue-Bera (JB)	:	2.457
Skew:			0.697	Prob	(JB):		0.293
Kurtosis:			2.428	Cond	. No.		31.9

# Warnings:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

With a p-value of 0.382, it appears that song order and point percentage hardly have any linear correlation. Even with the Song\_Order coefficient, there is only a slight positive correlation of 0.0039. It seems like the song order does not sway the percent of points earned in either direction.

However, if we look at the graph again, we can tell that there's a lot more divergence in the points as song order increases. In other words, the points earned get less and less predictable as a song is placed later in the order. This time, let's take residuals from each point, and compare their magnitude (absolute value) to their respective song order:

```
[6]: # Magnitude of Residuals from Percent_Earned:
    test['Res_Abs'] = abs(points_lm.resid)

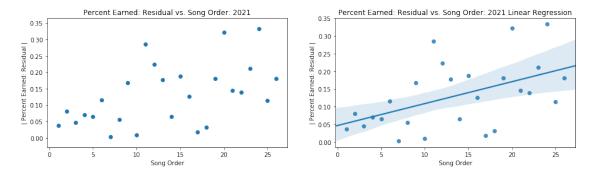
fig, (ax1, ax2) = plt.subplots(ncols=2, figsize=(16,4))

ax1.scatter(x='Song_Order', y='Res_Abs', data=test)
ax1.set_xlabel("Song Order")
ax1.set_ylabel("| Percent Earned: Residual | ")
ax1.set_title("Percent Earned: Residual vs. Song Order: %s" % year)
```

```
sb.regplot(x='Song_Order', y='Res_Abs', data=test)
ax2.set_xlabel("Song Order")
ax2.set_ylabel("| Percent Earned: Residual |")
ax2.set_title("Percent Earned: Residual vs. Song Order: %s Linear Regression" %u

year)

plt.show()
```



The residuals appear to have a more direct linear trend with the song order. Based on the graph on the right, it appears that as songs go later in the order, their predictability becomes less accurate. This could imply that voters are more sporadic with how they vote as they listen to more songs.

Let's make sure that this prediction is significant within the data:

```
[7]: points_res_lm = ols('Res_Abs ~ Song_Order', data=test).fit()
    print(points_res_lm.summary())
```

## OLS Regression Results

Dep. Variable:		Res_Ab	s R-sqı	 ıared:		0.256
Model:		OL	S Adj.	R-squared:		0.225
Method:		Least Square	s F-sta	atistic:		8.249
Date:		Tue, 21 Sep 202	1 Prob	(F-statistic	c):	0.00839
Time:		17:26:3	7 Log-l	Log-Likelihood:		29.008
No. Observations:		20	6 AIC:			-54.02
Df Residuals	:	24	4 BIC:			-51.50
Df Model:			1			
Covariance T	ype:	nonrobus	t			
========	coef	std err	======= t	P> t	[0.025	0.975]
Intercept	0.0468	0.033	1.405	0.173	-0.022	0.116
Song_Order	0.0062	0.002	2.872	0.008	0.002	0.011
=========	=======	==========	======			

1.001	Durbin-Watson:	2.026
0.606	Jarque-Bera (JB):	0.887
0.412	Prob(JB):	0.642
2.626	Cond. No.	31.9
	0.606 0.412	0.606 Jarque-Bera (JB): 0.412 Prob(JB):

#### Warnings:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

It looks like we have a trend! Since the song order's p-value (0.008) is less than 0.01, we can say with 99% confidence that song order positively correlates with how points are distributed. This proves that later songs have a more volatile chance at earning higher and lower results, compared to their earlier counterparts.

```
[8]: test['Fitted'] = points_lm.fittedvalues
    test[['Place','Percent_Earned','Fitted','Res_Abs']].iloc[8:10+1,:]
[8]:
        Place
               Percent_Earned
                                 Fitted
                                          Res_Abs
           26
                     0.000000
                               0.168481
                                         0.168481
           10
    9
                     0.181624
                               0.172352
                                         0.009272
    10
            3
                     0.461538
                              0.176222 0.285317
[]:
```