23.01

A Note About This Chapter

- Last chapter was fairly brutal

  - Physics is really about making hard problems easy with abstraction
    * This chapter will be lesse labor-intensive

- Through *symmetry*, we can skip parts of problems

  - Like how we only summed the vertical components of $d\vec{E}$ in 22.04

Gauss' Law

- **Gauss' law** = a law that relates net charge of a volume enclosed by a closed surface and the $\vec{E}$ field about that closed surface

  - Discovered by Carl Friedrich Gauss

    * Lived from 1777 until 1855

- Imagine a particle of positive charge q

  - Now superimpose a sphere centered at the particle
    * The surface of the sphere is called a **Gaussian surface**
    * The $\vec{E}$ vectors around the surface point radially outwards
      · Because the particle is *positive*
    * Those same vectors are said to **pierce** the surface of the sphere

- The essential utility of **Gauss' Law** is that we can infer things about the net charge of an object by examining the $\vec{E}$ field about its outer surface

  - Or, equivalently, we can use the net charge to infer information about the $\vec{E}$ about the object's outer surface

Electric Flux

- **Electric flux** = a metric of *how much* the $\vec{E}$ field *pierces* the guassian surface

  - The symbol for **electric flux** is ϕ

- The best way to learn about this is to just do a bunch of examples

Electric Flux On a Flat Surface in a Uniform $\vec{E}$ Field

- Imagine we had a uniform $\vec{E}$ field