

MIPS Programming: Example

* GCD v1

Euclid's algorithm for greatest common divisor

* MIPS reference 1, 2

MIPS Instruction Encoding & Decoding

* R-format: Arithmetic & Logic

GCD v1 line 19: move \$s0, \$v0 (pseudo instruction)

addu \$t6, \$0, \$2 \equiv addu \$rd, \$rs, \$rtopcode = 000000 \Rightarrow R-type, funct 100001

rs = 0, rt = 2, rd = 16

	opcode	rs	rt	rd	shift	funct
encoding:	000000	00000	00010	10000	00000	100001
	\emptyset	\emptyset	\emptyset	2	8	\emptyset
					2	1

* I-format: Arithmetic & Logic

GCD v1 line 31: la \$a0, TXT1 \equiv lui \$t1, upper(TXT1)
 ori \$t4, \$t1, lower(TXT1)

lui \$t1, upper(TXT1) \equiv lui \$rt, immopcode = 001111, rt = 1, imm = (0x10010000) \gg 16

encoding: 001111.00000.00001.0001000000000001

3	C	\emptyset	1	1	0	0	1
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ori \$4, \$1, lower(TXT1) \equiv ori \$rt, \$rs, imm

opcode = 001101, rs = 1, rt = 4

imm = (0x10010000) & 0xff

encoding: 001101.00001.00100.0000. — .0000

3 4 2 4 0 0 0 0

* I-format: Branch

line 31: beq \$s1, \$0, L1 \equiv beq \$rs, \$rt, offset

opcode = 000100, rs = 17, rt = 0

offset = (addr(L1) - PC) \gg 2
next instr

= (0x00400050 - 0x0040003c) \gg 2

= (0x14 = 20) \gg 2

= 5

encoding: 000100.10001.00000.0000 0000 0000 0101

1 2 2 0 0 0 0 5

decoding: addr = (offset \ll 2) + PC

= (0x14 + 0x0040003c)

= 0x00400050

* fcd v2-v3