Thermal Estimation of Power Electronic Converters

```
from google.colab import files
import pandas as pd
import io
import matplotlib.pyplot as plt
import numpy as np
from sklearn.linear_model import LinearRegression
from sklearn.linear_model import BayesianRidge
from sklearn.model_selection import train_test_split
from sklearn.tree import DecisionTreeRegressor
from sklearn.svm import SVR
from sklearn.metrics import r2_score,mean_squared_error
from sklearn.preprocessing import normalize, minmax_scale
from sklearn.neural_network import MLPRegressor
import sklearn
import seaborn as sns
!pip install rainflow
import rainflow
# https://pypi.org/project/rainflow/
     Collecting rainflow
       Downloading https://files.pythonhosted.org/packages/82/40/a7c674e534d4b364ee2e7e5cfc1a5118c8628
     Requirement already satisfied: importlib_metadata in /usr/local/lib/python3.6/dist-packages (from
     Requirement already satisfied: zipp>=0.5 in /usr/local/lib/python3.6/dist-packages (from importli
     Building wheels for collected packages: rainflow
       Building wheel for rainflow (setup.py) ... done
       Created wheel for rainflow: filename=rainflow-3.0.0-cp36-none-any.whl size=5124 sha256=c3287046
       Stored in directory: /root/.cache/pip/wheels/47/03/88/dd5203e5a812e55ec7d261342f4a549607f004ca3
     Successfully built rainflow
     Installing collected packages: rainflow
     Successfully installed rainflow-3.0.0
uploaded = files.upload()
                                        Upload widget is only available when the cell has been executed in the current
      Choose Files No file chosen
     browser session. Please rerun this cell to enable.
     Saving data 275 vlev to data 275 vlev
```

Model Training

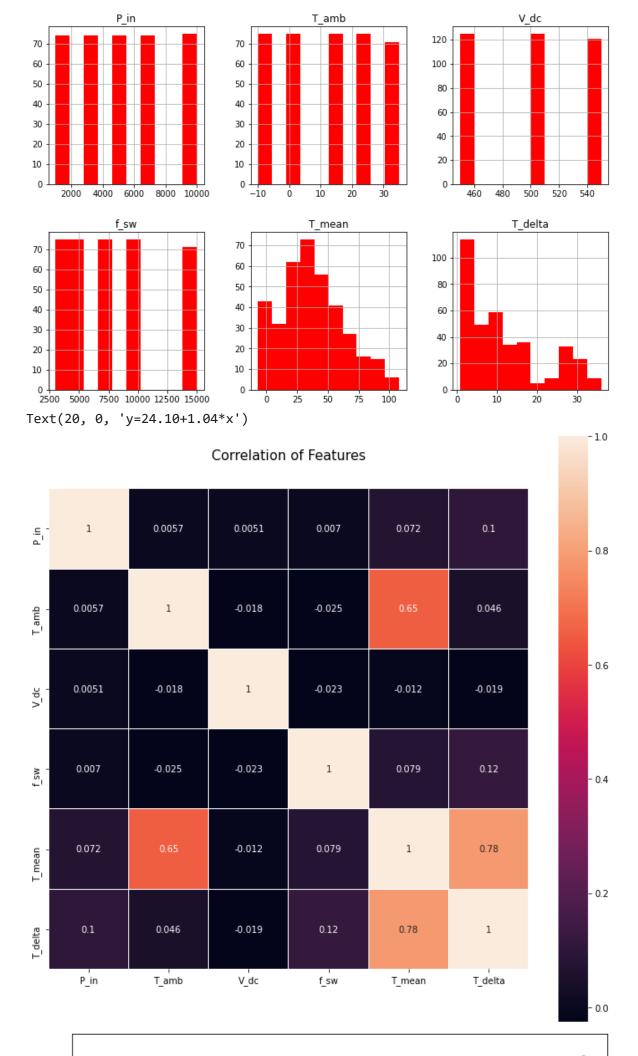
▼ Data Pre Processing

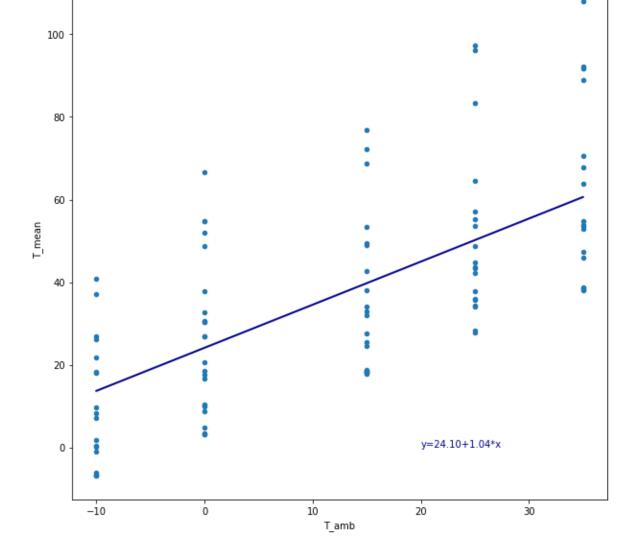
```
# Load df and drop rows with missing values

df = nd read excel(io BytesTO(uploaded['data375 ylsy']))
```

```
ar = parread_exect(10.by cc310(aproduca[ aaca5/5.x13x ]))
df = df.dropna()
# seperate response and predictors
x = df[['P_in', 'T_amb', 'V_dc', 'f_sw']]
y_mean = df['T_mean']
y_delta = df['T_delta']
print(x.shape)
# Normalize the data using Min-Max Scaling for feature range of [0,1]
x = minmax_scale(x, (0,1), axis=0)
#y_mean = minmax_scale(y_mean, (0,1), axis=0)
#y_delta = minmax_scale(y_delta, (0,1), axis=0)
x_train, x_test, y_mean_train, y_mean_test = train_test_split(x, y_mean, test_size=0.3)
x_train, x_test, y_delta_train, y_delta_test = train_test_split(x, y_mean, test_size=0.3)
model_output = {}
model_mse = []
print('Train Sets:', len(x_train))
print('Test Sets:', len(x_test))
     (371, 4)
     Train Sets: 259
     Test Sets: 112
```

Describe the data





▼ Linear Regression

```
% mean_squared_error(y_delta_test, y_delta_pred))
```

Mean squared error Mean Model: 595.7785 Mean squared error Delta Model: 421.7810

▼ Bayesian Ridge

```
model_mean = BayesianRidge()
model_delta = BayesianRidge()
model_mean.fit(x_train,y_mean_train)
model_delta.fit(x_train,y_delta_train)
bayes_mean = model_mean
bayes_delta = model_delta
y_mean_pred = model_mean.predict(x_test)
y_delta_pred = model_delta.predict(x_test)
# Reporting
model_output["bayesian_ridge_mean"] = y_mean_pred
model_output["bayesian_ridge_delta"] = y_delta_pred
model_mse.append(['bayesian_ridge',mean_squared_error(y_mean_test, y_mean_pred), mean_squared_error(y_mean_test, y_mean_pred)
print('Mean squared error Mean Model: %.4f'
      % mean_squared_error(y_mean_test, y_mean_pred))
print('Mean squared error Delta Model: %.4f'
      % mean_squared_error(y_delta_test, y_delta_pred))
```

Mean squared error Mean Model: 595.2432 Mean squared error Delta Model: 420.7333

▼ Decision Tree

```
model_mean = DecisionTreeRegressor()
model_delta = DecisionTreeRegressor()
model_mean.fit(x_train,y_mean_train)
model_delta.fit(x_train,y_delta_train)

dec_mean = model_mean
dec_delta = model_delta

y_mean_pred = model_mean.predict(x_test)
y_delta_pred = model_delta.predict(x_test)

# Reporting
model_output["decision_tree_mean"] = y_mean_pred
model_output["decision_tree_delta"] = y_delta_pred
model_mse.append(['decision_tree',mean_squared_error(y_mean_test, y_mean_pred), mean_squared_error(y_delta_pred)
```

```
Mean squared error Mean Model: 1506.5686
Mean squared error Delta Model: 1.7721
--- feature_2 <= 0.25
    |--- feature_3 <= 0.79
        --- feature_1 <= 0.11
            |--- feature_0 <= 0.56
                --- feature_3 <= 0.46
                    |--- feature_3 <= 0.17
                        --- feature_0 <= 0.33
                           |--- feature_0 <= 0.11
                              |--- value: [28.73]
                            --- feature_0 > 0.11
                           | |--- value: [24.19]
                        --- feature_0 > 0.33
                        | |--- value: [11.94]
                    --- feature_3 > 0.17
                        --- feature_0 <= 0.33
                          |--- value: [53.35]
                        --- feature_0 > 0.33
                          |--- value: [25.96]
                 --- feature_3 > 0.46
                    --- feature_0 <= 0.11
                       |--- value: [31.99]
                    --- feature_0 > 0.11
                        |--- feature_0 <= 0.33
                           |--- value: [-1.08]
                        |--- feature_0 > 0.33
                       |--- value: [28.46]
             --- feature_0 > 0.56
                --- feature_3 <= 0.08
                    --- feature_0 <= 0.83
                      |--- value: [-0.97]
                    |--- feature_0 > 0.83
                    | |--- value: [-6.44]
                --- feature_3 > 0.08
                    |--- feature_3 <= 0.37
                      |--- value: [30.53]
                    --- feature_3 > 0.37
                        --- feature_0 <= 0.83
                          |--- value: [-5.93]
                        --- feature_0 > 0.83
                       | |--- value: [9.48]
           - feature_1 > 0.11
            --- feature_3 <= 0.08
                |--- feature_1 <= 0.89
                    --- feature_0 <= 0.83
                        |--- feature_0 <= 0.33
                           --- feature_0 <= 0.11
                               |--- feature_1 <= 0.67
                                  |--- value: [52.59]
```

34.1236785 37.89566016 31.32376336 34.12284002]

→ SVM

```
model_mean = SVR(kernel='rbf',C=100,gamma=0.1,epsilon=.1)
model_delta = SVR(kernel='rbf',C=100,gamma=0.1,epsilon=.1)
model_mean.fit(x_train,y_mean_train)
model_delta.fit(x_train,y_delta_train)
svm_mean = model_mean
svm_delta = model_delta
y_mean_pred = model_mean.predict(x_test)
y_delta_pred = model_delta.predict(x_test)
print(y_mean_pred)
# Reporting
model_output["svr_mean"] = y_mean_pred
model_output["svr_delta"] = y_delta_pred
model_mse.append(['svr',mean_squared_error(y_mean_test, y_mean_pred), mean_squared_error(y_delta_test,
print('Mean squared error Mean Model: %.4f'
      % mean_squared_error(y_mean_test, y_mean_pred))
print('Mean squared error Delta Model: %.4f'
      % mean_squared_error(y_delta_test, y_delta_pred))
     [26.36741512 30.78771738 36.65257666 41.80126388 32.59734411 33.71165112
      33.50079289 30.30903763 34.38739509 34.01381374 30.34647726 31.63786159
      34.98554893 40.76163085 35.06284409 30.51380244 33.12193409 34.93291445
      37.57329787 37.8006809 34.4863157 35.90851485 35.15652808 30.87498987
      32.13787991 34.76960067 28.92407615 40.71802028 27.33298483 28.94667409
      32.5603031 32.29839809 39.53361687 38.92508448 31.56083869 33.40722047
      37.81802344 32.21865758 29.39046223 31.81967209 35.79377266 34.05849725
      37.41019257 37.20404906 33.86625914 36.8736635 34.27642099 40.53135273
      38.75526153 32.59933325 37.90965242 35.15812523 35.22153993 33.4433907
      37.14365787 36.24456981 41.54339972 41.28655497 39.45984593 37.51314107
      40.25014124 39.33486437 36.68007421 32.43867396 32.73551382 36.11046867
      38.91964907 35.53714249 31.66392731 38.53044451 41.2490046 37.57964378
      41.30536884 36.63173571 35.98248564 34.17409022 37.91876768 37.85202437
      39.24935492 37.94274382 34.46730871 38.44518704 34.01623241 30.88975843
      29.53075001 29.49957384 35.18032253 38.9079222 32.07937258 36.59697823
      36.0982563 38.15048171 32.56587099 30.95494515 36.79822509 35.13232357
      40.98541204 35.20901357 40.964123
                                        43.38193788 34.28399497 36.02553733
      46.50037363 34.25146778 37.15322434 30.33810257 38.46580994 36.82187021
```

Mean squared error Mean Model: 549.9495 Mean squared error Delta Model: 271.1750

▼ Neural Network

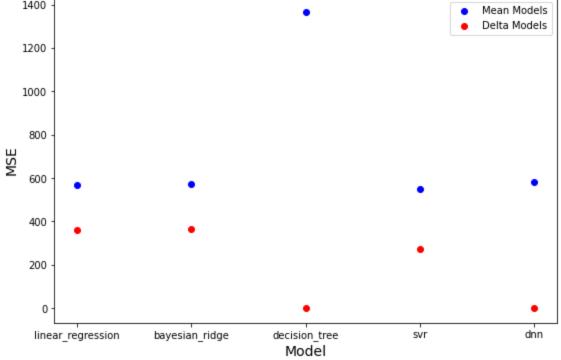
```
model_mean = MLPRegressor(hidden_layer_sizes=(4, 5, 3, 1), activation='tanh', solver='lbfgs')
model_delta = MLPRegressor(hidden_layer_sizes=(4, 5, 3, 1), activation='tanh', solver='lbfgs')
model_mean.fit(x_train, y_mean_train)
model_delta.fit(x_train, y_delta_train)
dnn_mean = model_mean
dnn_delta = model_delta
y_mean_pred = model_mean.predict(x_test)
y_delta_pred = model_delta.predict(x_test)
print(y_mean_pred)
print(model_mean.score(x_test,y_mean_test))
# Reporting
model_output["dnn_mean"] = y_mean_pred
model_output["dnn_delta"] = y_delta_pred
model_mse.append(['dnn',mean_squared_error(y_mean_test, y_mean_pred), mean_squared_error(y_delta_test,
print('Mean squared error Mean Model: %.4f'
      % mean_squared_error(y_mean_test, y_mean_pred))
print('Mean squared error Delta Model: %.4f'
      % mean_squared_error(y_delta_test, y_delta_pred))
     [38.08928203 38.08928165 38.08928113 38.08927691 38.08928205 38.0892819
      38.08928136 38.08928204 38.08928125 38.08928146 38.08928182 38.08928103
      38.08928102 38.08927744 38.08928107 38.08928192 38.08928203 38.08928183
      38.0892803 38.08928002 38.08928158 38.08927882 38.08928018 38.08928145
      38.08928173 38.08928017 38.08928171 38.08927894 38.08928205 38.08928157
      38.08928175 38.08928198 38.08927399 38.08928011 38.0892818 38.0892811
      38.08928158 38.08928144 38.08928206 38.08928155 38.08928035 38.08928004
      38.08928091 38.08928144 38.08928018 38.0892806 38.08928184 38.08927742
      38.08928106 38.08928158 38.08927952 38.08928176 38.0892807 38.08928159
      38.08928143 38.08928002 38.08927662 38.08928 38.08927946 38.08928155
      38.08927595 38.0892786 38.08928117 38.08928127 38.08928175 38.0892812
      38.08927823 38.08928017 38.089282 38.08927852 38.08927502 38.08928017
      38.08927364 38.08928048 38.08928143 38.08928064 38.08928007 38.0892805
      38.08927936 38.08928047 38.08928182 38.08927948 38.08928204 38.08928169
      38.08928199 38.08928202 38.08928184 38.08927488 38.08928184 38.0892791
      38.08928169 38.08927931 38.08928149 38.08928198 38.08927911 38.08928117
      38.08927757 38.08928018 38.08927751 38.08927482 38.08928199 38.08928061
      38.08927086 38.08928187 38.08927985 38.08928185 38.08928065 38.0892809
      38.08928173 38.08928055 38.08928187 38.08928187]
     -0.008818567937652455
     Mean squared error Mean Model: 580.8759
    Mean squared error Delta Model: 2.1110
     /usr/local/lib/python3.6/dist-packages/sklearn/neural_network/_multilayer_perceptron.py:470: Conv
     STOP: TOTAL NO. of ITERATIONS REACHED LIMIT.
```

Increase the number of iterations (max_iter) or scale the data as shown in:

```
https://scikit-learn.org/stable/modules/preprocessing.html
self.n_iter_ = _check_optimize_result("lbfgs", opt_res, self.max_iter)
```

▼ Data Post Processing

```
model_mse = np.array(model_mse).T
plot_data = pd.DataFrame(model_mse[1:3], columns=model_mse[0]).astype(float)
print(plot_data)
fig, ax = plt.subplots(figsize=(9, 6)) # a figure with a single Axes
ax.set_xlabel('Model', fontdict={"size": 14}) # Add an x-label to the axes.
ax.set_ylabel('MSE', fontdict={"size": 14}) # Add a y-label to the axes.
plt.xticks(range(1,6), list(plot_data.columns))
ax.scatter(x=range(1,6), y=plot_data.loc[0], c="blue")
ax.scatter(x=range(1,6), y=plot_data.loc[1], c="red")
ax.legend(["Mean Models", "Delta Models"])
        linear_regression bayesian_ridge decision_tree
                                                                  svr
                                                                              dnn
     0
               569.258095
                                             1368.111953 549.949523
                               572.695857
                                                                       580.875881
     1
               362.793881
                                                0.575493 271.175000
                               363.801384
                                                                         2.110970
     <matplotlib.legend.Legend at 0x7fc1e3ef2d30>
        1400
                                                                     Mean Models
```

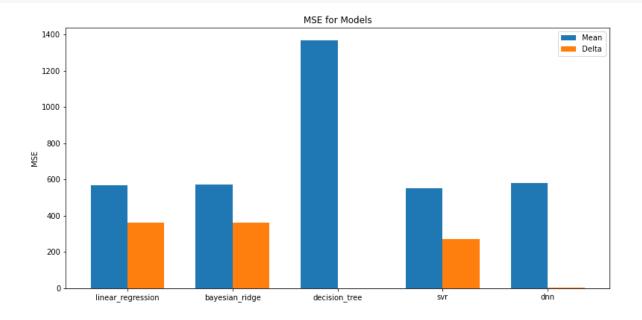


```
x = np.arange(len(model_mse[0]))
width = 0.35

labels = model_mse[0]
means = model_mse[1].astype(np.float)
deltas = model_mse[2].astype(np.float)

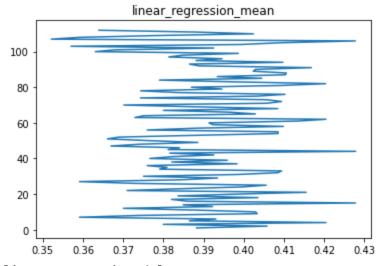
fig, ax = plt.subplots()
rects1 = ax.bar(x - width/2, means, width, label='Mean')
```

```
rects2 = ax.bar(x + width/2, deltas, width, label= Delta )
ax.set_xticks(np.arange(len(x)))
ax.set_xticklabels(labels)
ax.legend()
plt.title("MSE for Models")
ax.set_ylabel('MSE') # Add a y-label to the axes.
fig.tight_layout()
fig.set_size_inches(12, 6)
```



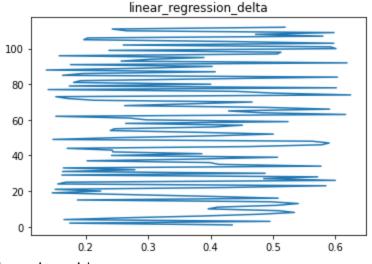
Rainflow-Counting Algorithm

```
# Print keys of stored output data
# Access values for array of model output values
for key, values in model_output.items():
    print(key)
    plt.title(key)
    plt.plot(values, range(1,len(values)+1))
    print(rainflow.count_cycles(values))
    plt.show()
```



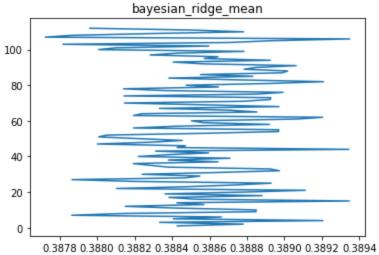
linear_regression_delta

[(0.07295063044104616, 1.0), (0.08646834683697907, 1.0), (0.10795810808486983, 1.0), (0.114597813)



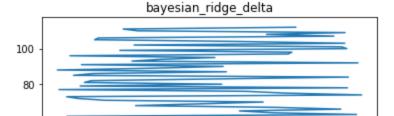
bayesian_ridge_mean

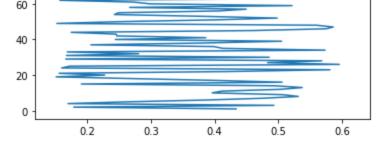
 $[(4.490728447342773e-05,\ 1.0),\ (7.373886628309068e-05,\ 1.0),\ (0.00014355693540213377,\ 1.0),\ (0.0001435693540213377,\ 1.0),\ (0.0001435693540213377,\ 1.0),\ (0.0001435693540213377,\ 1.0),\ (0.0001435693540213377,\ 1.0),\ (0.0001435693540213377,\ 1.0),\ (0.0001435693540213377,\ 1.0),\ (0.0001435693540213377,\ 1.0),\ (0.0001435693540213377,\ 1.0),\ (0.0001435693540213377,\ 1.0),\ (0.0001435693540213377,\ 1.0),\ (0.0001435693540213377,\ 1.0),\ (0.0001435693540213377,\ 1.0),\ (0.0001435693540213377,\ 1.0),\ (0.0001435693540213370,\ 1.0),\ (0.0001435693540213370,\ 1.0),\ (0.00014356935$



bayesian_ridge_delta

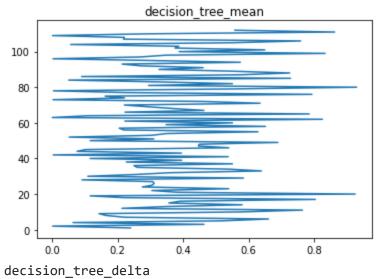
[(0.07163294571620882, 1.0), (0.08519424747274978, 1.0), (0.10591064817823614, 1.0), (0.112333035)



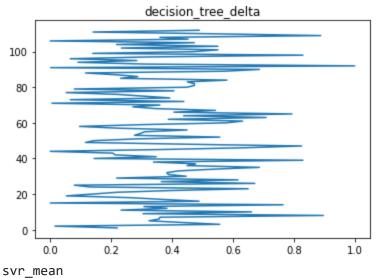


decision_tree_mean

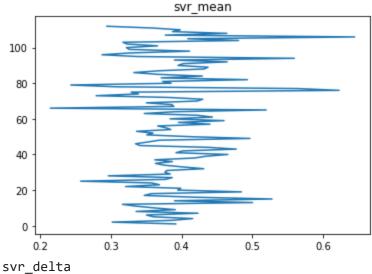
 $[(0.0024438254870472464,\ 1.0),\ (0.011681257291391745,\ 1.0),\ (0.03592636757465978,\ 1.0),\ (0.05926186757465978,\ 1.0),\ (0.011681257291391745,\ 1.0),\ (0.011681257291745,\ 1.0),\ (0.011681257291745,\ 1.0),\ (0.0$



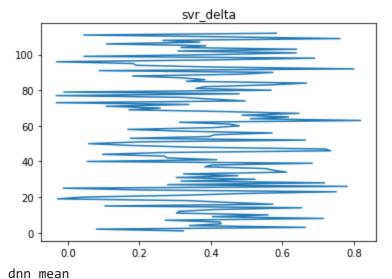
 $[(0.023131142317646514,\ 1.0),\ (0.028356084396850056,\ 1.0),\ (0.056521383945986936,\ 1.0),\ (0.06372686936,\ 1.0),\ (0.063$



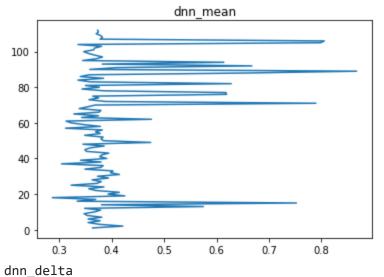
[(0.004346866716090858, 1.0), (0.007549331712922935, 1.0), (0.008882035503035013, 1.0), (0.010497), (0.008882035503035013, 1.0), (0.010497), (0.0104



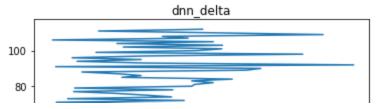
[(0.05215104728945619, 1.0), (0.06916119788247954, 1.0), (0.08745238498742935, 1.0), (0.088588893)]



[(0.001471141922214425, 0.5), (0.004194558688744965, 1.0), (0.00423024996191107, 0.5), (0.0046985

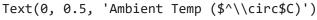


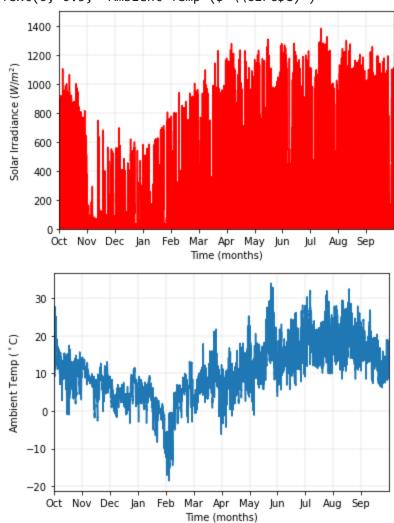
[(0.06242893840703195, 1.0), (0.06998203129479752, 1.0), (0.07394942487702444, 1.0), (0.084227807)



Import Temp/Irradiance Data

```
ax = aalborg_solaryear.plot(c="red")
ax.get_legend().remove()
plt.grid(which='major',axis='both',linewidth=0.25)
plt.ylabel('Solar Irradiance ($W/m^2$)')
plt.xticks(loc,labels)
plt.xlabel('Time (months)')
plt.xlim(0,110101)
plt.ylim(0,1500)
ax = aalborg_ambienttemp.plot()
plt.grid(which='major',axis='both', linewidth=0.25)
plt.xticks(loc,labels)
plt.xlim(0,110101)
plt.xlabel('Time (months)')
ax.get_legend().remove()
plt.ylabel('Ambient Temp ($^\circ$C)')
```





```
P_in = (aalborg_solaryear['Solar Irradiance'])
T_amb = aalborg_ambienttemp['Ambient Temp']

P_in = minmax_scale(P_in, (0,1), axis=0)
T_amb = minmax_scale(T_amb,(0,1), axis=0)

V_dc = np.ones((110101,))  # gives 1 for the normalized voltages
f_sw = np.ones((110101,))  # gives 1 for normalized switching frequencies
```

```
x_final = pd.DataFrame(data=[P_in,T_amb,V_dc,f_sw]).T
T_mean_pred = dnn_mean.predict(x_final)
T_delta_pred = dnn_delta.predict(x_final)
mean_cycles = rainflow.count_cycles(T_mean_pred)
delta_cycles = 50*60*5*len(P_in)
cycle_total = 0
for i in range(len(mean_cycles)):
  cycle_total += mean_cycles[i][1]
print(cycle_total)
     19156.5
# Linear Regression Cycle Counting
T_mean_pred = lin_reg_mean.predict(x_final)
mean_cycles = rainflow.count_cycles(T_mean_pred)
l_cycle_total = 0
for i in range(len(mean_cycles)):
  l_cycle_total += mean_cycles[i][1]
print(l_cycle_total)
     19964.5
# Bayesian Ridge Cycle Counting
T_mean_pred = bayes_mean.predict(x_final)
mean_cycles = rainflow.count_cycles(T_mean_pred)
b_cycle_total = 0
for i in range(len(mean_cycles)):
  b_cycle_total += mean_cycles[i][1]
print(b_cycle_total)
     20041.5
# Decision Tree Cycle Counting
T_mean_pred = dec_mean.predict(x_final)
mean_cycles = rainflow.count_cycles(T_mean_pred)
d_cycle_total = 0
for i in range(len(mean_cycles)):
  d_cycle_total += mean_cycles[i][1]
print(d_cycle_total)
```

3639.0

```
# SVM Cycle Counting
T_mean_pred = svm_mean.predict(x_final)

mean_cycles = rainflow.count_cycles(T_mean_pred)

s_cycle_total = 0
for i in range(len(mean_cycles)):
    s_cycle_total += mean_cycles[i][1]

print(s_cycle_total)

18552.5
```

```
# Neural Net Cycle Counting
T_mean_pred = dnn_mean.predict(x_final)

mean_cycles = rainflow.count_cycles(T_mean_pred)

n_cycle_total = 0
for i in range(len(mean_cycles)):
    n_cycle_total += mean_cycles[i][1]

print(n_cycle_total)
```

19156.5

×