Multitask Pointer Network for Discontinuous Constituent Parsing An application to the German language

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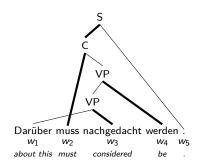
Why use a neural network to model grammar?

Linguistic preliminaries: constituent trees

Let $w = (w_1, \dots, w_L)$ be a sentence.

Definition

- A constituent tree is a rooted tree whose leaves are the words $(w_i)_{i=1}^L$ and internal nodes are constituents satisfying some constraints.
- \blacksquare A constituent is a triple (Z, \mathcal{Y}, h) containing, respectively, its label, yield, and lexical head.
- A constituent is *discontinuous* if its yield is not contiguous.

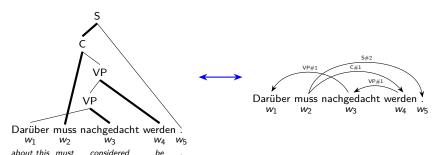


Reduction to dependency parsing

Definition

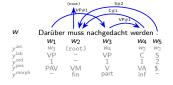
A dependency tree is a rooted tree spanning the words in the sentence $(w_i)_{i=1}^L$. Each edge is labelled and connects a head word (parent) to a dependency (child).

Fernández-González and Martins (2015) show that constituent trees are isomorphic to dependency trees in which the edges contain information about constituent labels and attachment order.



$Mathematical\ formalisation$

- Regressor: sentence $(w_i)_{i=1}^L$.
- Regressand: dependency tree, parts of speech and morphology.
- Bottom-up approach: think of arcs going from every child w_i to its parent $y_i^{\text{arc}} \in w \setminus w_i$.



Denote the regressand by $y=(y_i)_{i=1}^L$ where $y_i=(y_i^{\text{arc}},y_i^{\text{lab}},y_i^{\text{ord}},y_i^{\text{pos}},y_i^{\text{morph}})$ and with mild abuse of notation let $y_{< i}=(y_1,\ldots,y_i)$ for each $i=2,\ldots,L$ and $y_{< 1}=0$.

Assumption

For each $i=1,\ldots,L$, the random variables $y_i^{\mathrm{lab}},y_i^{\mathrm{ord}},y_i^{\mathrm{pos}}$ and y_i^{morph} are mutually independent conditional on $y_i^{\mathrm{arc}},\ y_{< i}$ and w.

We can decompose the conditional probability of y given w:

$$\begin{aligned} p_{w}(y) &= \prod_{i=1}^{L} p_{w}(y_{i} \mid y_{< i}) \\ &= \prod_{i=1}^{L} \left\{ p_{w}(y_{i}^{\text{arc}} \mid y_{< i}) p_{w}(y_{i}^{\text{lab}} \mid y_{i}^{\text{arc}}, y_{< i}) \\ &\cdot p_{w}(y_{i}^{\text{ord}} \mid y_{i}^{\text{arc}}, y_{< i}) p_{w}(y_{i}^{\text{pos}} \mid y_{i}^{\text{arc}}, y_{< i}) p_{w}(y_{i}^{\text{morph}} \mid y_{i}^{\text{arc}}, y_{< i}) \right\}. \end{aligned}$$

$Encoder\text{-}decoder\ setup$

Given an input sentence $w=(w_i)_{i=1}^L$ we generate *embeddings* $\omega=(\omega_i)_{i=1}^L$, where

$$\omega_i = \mathsf{WordEmbed}(w_i) \oplus \mathsf{CharEmbed}(w_i) \oplus \mathsf{BertEmbed}(w_i).$$

- CharEmbed is implemented using a CNN á la Chiu and Nichols (2016).
- BERT model pre-trained on German text by Chan et al. (2020).

Encoder: feed embeddings through a multi-layer bi-directional LSTM with skip-connections and dropout:

$$\mathbf{e} = (\mathbf{e}_i)_{i=0,\ldots,n} = \mathsf{BiLSTM}(\omega).$$

 $(\mathbf{e}_0 \text{ represents the root pseudo-node.})$

Decoder: feed embeddings through a single-layer uni-directional LSTM with dropout:

$$\mathbf{d} = (\mathbf{d}_i)_{i=1,\ldots,n} = \mathsf{LSTM}(\omega).$$

The pointer network: bi-affine attention mechanism

Drawing on Dozat and Manning (2016) and Vinyals et al. (2015).

Obtain dimension-reduced representations:

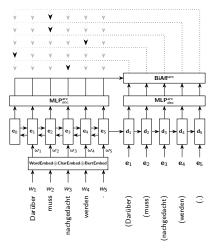
$$e^{\text{arc}} = \text{MLP}^{\text{arc}}_{\text{enc}}(e); \quad d^{\text{arc}} = \text{MLP}^{\text{arc}}_{\text{dec}}(d).$$

Obtain latent features varc:

$$\begin{split} \mathbf{v}_{i,j}^{\mathsf{arc}} &= \mathsf{BiAff}^{\mathsf{arc}}(\mathbf{e}_i^{\mathsf{arc}}, \mathbf{d}_j^{\mathsf{arc}}) \\ &\coloneqq \mathbf{e}_i^{\mathsf{arc}\mathsf{T}} \mathbf{U}_{\mathsf{h-d}}^{\mathsf{arc}} \mathbf{d}_i^{\mathsf{arc}} \\ &\quad + \frac{\mathbf{e}_i^{\mathsf{arc}\mathsf{T}} \mathbf{U}_{\mathsf{h-d}}^{\mathsf{arc}} \mathbf{e}_i^{\mathsf{arc}} + \mathbf{d}_i^{\mathsf{arc}\mathsf{T}} \mathbf{U}_{\mathsf{d-d}}^{\mathsf{arc}} \mathbf{d}_i^{\mathsf{arc}}}{\mathbf{d}_i^{\mathsf{arc}} + U_\mathsf{d}^{\mathsf{arc}} \mathbf{e}_i^{\mathsf{arc}} + U_\mathsf{d}^{\mathsf{arc}} \mathbf{e}_i^{\mathsf{arc}} + \mathbf{u}_\mathsf{bias}^{\mathsf{arc}}. \end{split}$$

■ Obtain attention logits:

$$s_{i,j}^{\mathsf{arc}} = \frac{\mathbf{u}_{\mathsf{agg}}^{\mathsf{arc} \mathsf{T}} \mathsf{tanh}(\mathbf{v}_{i,j}^{\mathsf{arc}})}{\mathsf{deg}}.$$



Fixing child w_j , the vector $\mathbf{softmax}(\mathbf{s}_{:,j}^{\mathrm{arc}})$ can be interpreted as an estimated probability distribution over potential parents.

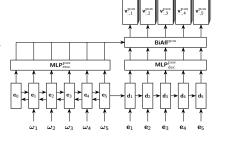
$$\hat{p}^{\operatorname{arc}}(w_i \mid y_{< j}, w) = \operatorname{softmax}(s_{:,j}^{\operatorname{arc}})_i.$$

Part-of-speech and morphology: bi-affine classifier Drawing on Dozat and Manning (2016).

- Encoder and decoder are shared across tasks.
 The remaining network is separately trained.
- Classification via a bi-affine architecture allows modelling of class probabilities conditional on arcs.

Example: part-of-speech classification.

$$e^{\text{pos}} = \text{MLP}^{\text{pos}}_{\text{enc}}(e); \quad d^{\text{pos}} = \text{MLP}^{\text{pos}}_{\text{dec}}(d).$$



Obtain class logits v^{pos}:

$$\begin{split} \mathbf{v}_{i,j}^{\text{pos}} &= \text{BiAff}^{\text{pos}}(\mathbf{e}_i^{\text{pos}}, \mathbf{d}_j^{\text{pos}}) \\ &:= \mathbf{e}_i^{\text{pos}\mathsf{T}} \mathbf{U}_{\text{h-d}}^{\text{pos}} \mathbf{d}_i^{\text{pos}} + \mathbf{e}_i^{\text{pos}\mathsf{T}} \mathbf{U}_{\text{h-h}}^{\text{pos}} \mathbf{e}_i^{\text{pos}} + U_{\text{h}}^{\text{pos}} \mathbf{e}_i^{\text{pos}} \\ &+ \mathbf{d}_i^{\text{pos}\mathsf{T}} \mathbf{U}_{\text{d-d}}^{\text{pos}} \mathbf{d}_i^{\text{pos}} + U_{\text{d}}^{\text{pos}} \mathbf{d}_i^{\text{pos}} + \mathbf{u}_{\text{bias}}^{\text{pos}}. \end{split}$$

Fixing child w_j , the vector $\mathbf{softmax}(\mathbf{v}_{i,j}^{\mathsf{pos}})$ can be interpreted as an estimated probability distribution over its parts-of-speech conditional on having an arc to w_i over potential parents.

$$\hat{p}^{pos}(c \mid w_i, y_{< j}, w) = \mathbf{softmax}(\mathbf{v}_{i,j}^{pos})_c.$$

Inference and Training

Inference

Given $w = (w_i)_{i=1}^L$, estimate $y = (y_i)_{i=1}^L$ via maximum likelihood:

$$\hat{y} = \arg\max_{y} \left\{ \prod_{i=1}^{L} \left\{ \hat{p}_{w}(y_{i}^{\mathsf{arc}} \mid y_{< i}) \hat{p}_{w}(y_{i}^{\mathsf{lab}} \mid y_{i}^{\mathsf{arc}}, y_{< i}) \right. \\ \left. \cdot \hat{p}_{w}(y_{i}^{\mathsf{ord}} \mid y_{i}^{\mathsf{arc}}, y_{< i}) \hat{p}_{w}(y_{i}^{\mathsf{pos}} \mid y_{i}^{\mathsf{arc}}, y_{< i}) \hat{p}_{w}(y_{i}^{\mathsf{morph}} \mid y_{i}^{\mathsf{arc}}, y_{< i}) \right\} \right\}.$$

The feasible region is very large, so the maximisation is approximated via beam search.

Training

The training process involves minimising the *cross-entropy* between the estimated distribution \hat{p} and the empirical distribution present in the dataset $(w^n, y^n)_{n=1}^N$.

$$\begin{split} \min_{\hat{p}} \bigg\{ \sum_{n=1}^{N} \log \prod_{i=1}^{L_n} \bigg\{ \hat{p}_w(y_i^{n\text{arc}} \mid y_{< i}^n) \hat{p}_w(y_i^{n\text{lab}} \mid y_i^{n\text{arc}}, y_{< i}^n) \\ \cdot \hat{p}_w(y_i^{n\text{ord}} \mid y_i^{n\text{arc}}, y_{< i}^n) \hat{p}_w(y_i^{n\text{pos}} \mid y_i^{n\text{arc}}, y_{< i}^n) \hat{p}_w(y_i^{n\text{morph}} \mid y_i^{n\text{arc}}, y_{< i}^n) \bigg\} \bigg\} \\ &= \min_{\hat{p}} \bigg\{ \text{loss}^{\text{arc}} + \text{loss}^{\text{lab}} + \text{loss}^{\text{ord}} + \text{loss}^{\text{pos}} + \text{loss}^{\text{morph}} \bigg\}. \end{split}$$

This is approximated via SGD with Nesterov momentum.

Performance metrics

The TIGER treebank is a widely-used corpus of $\sim\!50\,000$ constituency trees. Its main textual basis is the *Frankfurter Rundschau*.

 \blacksquare 97% of the dataset is usable as training examples, with train/dev/test split of 80/10/10%.

Model (with BERT)	F1	Disc. F1
FGonzález & GRodríguez (2022)	89.8	71.0
Corro (2020)	90.0	62.1
Chen & Komachi (2023)	89.6	70.9
This work	89.5	82.2

Table: Comparison of overall F1-score and F1-score measured only on discontinuous constituents (Disc. F1), calculated using disco-dop as standard practice

Model	pos m	orph (avr)
Kondratyuk et al. (2018)	98.58	98.97
Müller et al. (2013)	98.20	98.27
Schnabel & Schütze (2014)	97.50	97.76
This work	99.16	99.54

Table: Comparison of part-of-speech (pos) and morphology accuracies (%). Morphology accuracies are the average of accuracies for case, degree, gender, mood, number, person and tense.

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