

1)  $\tau(\pi_{name,city}(\sigma_{annualbudget>3million}(hospital)))$

2)

$\delta(\pi_{firstname,lastname,gender,birthday}(\sigma_{age\leq 40,city=toronto,disease=cancer}(patient)))$

3) a)  $\gamma_{specialty,avg(salary)\rightarrow salary}(physician)$

b)

$\gamma_{count(physician)\geq 5}(\gamma_{specialty,avg(salary)\rightarrow salary}(\sigma_{city=toronto \text{ or } city=hamilton}(physician)))$

c)  $\tau_{yearofservice}(\gamma_{specialty,avg(salary)\rightarrow salary}(nurse))$

4)

$\gamma_{hospital,count(patientID)\rightarrow number}(\sigma_{date \text{ between } 2017-08-05 \text{ and } 2017-08-10}(admission))$

5) a)  $\delta(\pi_{dname}(\sigma_{count(dname)=count(hname)}(department)))$

b)  $\gamma_{DName,HName,max(count(nurseID)+count(physicianID))\rightarrow stuffnumber}(nursework \times physician \times department))$

c)  $R := \gamma_{DName,count(DName)\rightarrow c}(Department)$

$\delta(\pi_{DName}(\sigma_{c=1}(R \times department)))$

6) a)  $R1 := \pi_{nurseID}(\gamma_{nurseID,count(patientID)<3\rightarrow c}(patient))$

$R2 := \pi_{firstname,lastname}(\sigma_{id=R1.nurseID}(person, R1))$

b)  $R3 := \delta\pi_{patientID}(\sigma_{R1.nurse=p.nurseID}(R1 \times patient))$

$\delta\sigma_{prognosis.patientID=R3.patientID}(R3 \times prognosis)$

7)  $R := \gamma_{date,(count(patientID))}(\sigma_{HName=Hamilton General Hospital}(admission))$

$$\gamma_{\max(\text{revenue})}(R)$$

$$\mathbf{8) } p := \gamma_{\text{drugcode}, \text{count}(\text{drugcode}) \rightarrow c}(\text{prescription})$$

$$R := \gamma_{\text{drugcode}, \text{drugname}, (\text{count}(p.c)) \rightarrow \text{revenue}}(p \times \text{drug})$$

$$\gamma_{\max(\text{revenue})}(R)$$

$$\mathbf{9) } \pi_{d.\text{patientID}, p.\text{firstName}, p.\text{lastName}, p.\text{gender}}$$

$$(\sigma_{d.\text{patientID}=p.\text{id} \text{ and } d.\text{disease}=\text{Diabetes} \text{ and } t.\text{testID}=m.\text{testID} \text{ and } m.\text{Name} \neq \text{red blood} \text{ and } m.\text{Name} \neq \text{Lymphocytes} \text{ and } d.\text{patientID}=t.\text{patientID}}$$

$$(\text{diagnose } d \times \text{take } t \times \text{medicaltest}, \text{person})))$$

$$\mathbf{10) a) } \delta(\pi_{d.\text{physicianID}, d.\text{disease}, d.\text{prognosis}}($$

$$\sigma_{p.D\text{Name}=\text{intensive Care Unit} \text{ and } p.H\text{Name}=\text{mcmaster university centre} \text{ and } p.\text{physicianID}=d.\text{physicianID}}$$

$$(\text{physician } p \times \text{diagnose } d))))$$

$$\mathbf{10) b) } R := \delta\pi_{d.\text{patientID}}($$

$$\sigma_{p.D\text{Name}=\text{intensive Care Unit} \text{ and } p.H\text{Name}=\text{mcmaster university centre} \text{ and } p.\text{physicianID}=d.\text{physicianID}}$$

$$(\text{physician } p \times \text{diagnose } d))$$

$$\tau_{\text{total desc}} \gamma_{pa.\text{patientID}, \text{sum}(d.\text{unitcost})}(R)$$

$$\mathbf{10) c) }$$

$$R := \delta\pi_{d.\text{patientID}}($$

$$\sigma_{p.D\text{Name}=\text{intensive Care Unit} \text{ and } p.H\text{Name}=\text{mcmaster university centre} \text{ and } p.\text{physicianID}=d.\text{physicianID}}$$

$$(\text{physician} \times \text{diagnose}))$$

$$\gamma_{pa.\text{patientID}, \text{sum}(\text{unitcost}) \rightarrow \text{total}}(\sigma_{p.\text{drugcode}=d.\text{drugcode} \text{ and } pa.\text{patientID}=p.\text{patientID} \text{ and } \text{patientID} \text{ in } R}(\text{prescription} \\ \times \text{drug } d \times \text{patient } pa))$$

**11)**  $R1 :=$

$\delta\gamma_{patientID, count(Hname) \rightarrow c} \sigma_{category=urgent \text{ or } category=standard}(admission)$

$R2 := \pi_{patientID}(\sigma_{c=2}(R1))$

$\pi_{id, firstName, lastName} \sigma_{id \text{ in } R2}(person)$