#### Asimov's three laws of robot ethics

- [1] A robot may not injure a human being or, through inaction, allow a human being to come to harm.
- [2] A robot must obey the orders given it by human beings, except where such orders would conflict with the First Law.
- [3] A robot must protect its own existence, as long as such protection does not conflict with the First or Second Law.

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Instead of rules that refer to other rules, let's...

- (i) formulate these rules as constraints
- (ii) Rank these constraints

#### Asimov's three laws of robot ethics as constraints

**INJURE HUMAN** A robot may not injure a human being or, through inaction,

allow a human being to come to harm.

**OBEY ORDER** A robot must obey the orders given it by human beings.

**PROTECT EXISTENCE** A robot must protect its own existence

Injure human >> Obey order >> Protect existence

#### **Scenario 1:**

**H** says to a **R**obot: Kill my boss!

#### Potential outcomes

- 1. **R** kills **H**'s boss
- 2. **R** kills **H** (who gave it the order)
- 3. **R** doesn't kill anyone
- 4. **R** kills itself

#### **Step 1: Create a tableau for the scenario**

**Input:** H says to R: Kill my boss!

	INJURE HUMAN	OBEY ORDER	PROTECT EXISTENCE
<b>R</b> kills <b>H</b> 's boss			
<b>R</b> kills <b>H</b>			
R doesn't kill anyone			
<b>R</b> kills itself			

**NB:** The higher-ranked the constraint, the further leftwards it appears in the tableau

## Step 2: Assign violations for each candidate output

	INJURE HUMAN	OBEY ORDER	PROTECT EXISTENCE
<b>R</b> kills <b>H</b> 's boss			
R kills H			
R doesn't kill anyone			
R kills itself			

## Step 2: Assign violations for each candidate output

	INJURE HUMAN	OBEY ORDER	PROTECT EXISTENCE
<b>R</b> kills <b>H</b> 's boss	*		
<b>R</b> kills <b>H</b>			
R doesn't kill anyone			
<b>R</b> kills itself			

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	INJURE HUMAN	OBEY ORDER	PROTECT EXISTENCE
<b>R</b> kills <b>H</b> 's boss	*		
R kills H	*	*	
R doesn't kill anyone			
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	INJURE HUMAN	OBEY ORDER	PROTECT EXISTENCE
<b>R</b> kills <b>H</b> 's boss	*		
R kills H	*	*	
R doesn't kill anyone		*	
R kills itself			

## Step 2: Assign violations for each candidate output

	INJURE HUMAN	OBEY ORDER	PROTECT EXISTENCE
<b>R</b> kills <b>H</b> 's boss	*		
R kills H	*	*	
R doesn't kill anyone		*	
R kills itself		*	*

## **Step 3: Eliminate suboptimal candidate outputs**

	INJURE HUMAN	OBEY ORDER	PROTECT EXISTENCE
<b>R</b> kills <b>H</b> 's boss	*		
R kills H	*	*	
<b>R</b> doesn't kill anyone		*	
<b>R</b> kills itself		*	*

## **Step 3: Eliminate suboptimal candidate outputs**

	INJURE HUMAN	OBEY ORDER	PROTECT EXISTENCE
<b>R</b> kills <b>H</b> 's boss	*		
<b>R</b> kills <b>H</b>	*	*	
R doesn't kill anyone		*	
<b>R</b> kills itself		*	*!

## **Step 3: Eliminate suboptimal candidate outputs**

	INJURE HUMAN	OBEY ORDER	PROTECT EXISTENCE
<b>R</b> kills <b>H</b> 's boss	*!		
R kills H	*	*	
R doesn't kill anyone		*	
R kills itself		*	*!

## **Step 3: Eliminate suboptimal candidate outputs**

**Input:** H says to R: Kill my boss!

		INJURE HUMAN	OBEY ORDER	PROTECT EXISTENCE
	<b>R</b> kills <b>H</b> 's boss	*!		
	R kills H	*!	*	
<i>→</i>	R doesn't kill anyone		*	
	<b>R</b> kills itself		*	*!

**NB**: Multiple asterisks are assigned if a constraint is violated multiple times

An candidate that violates a lower-ranked constraint once is "wins" over a candidate that violates a higher-ranked constraint only once

## Task 1: A different ranking of constraints for Scenario 1

	OBEY ORDER	INJURE HUMAN	PROTECT EXISTENCE
<b>R</b> kills <b>H</b> 's boss			
R kills H			
R doesn't kill anyone			
R kills itself			

## Task 1: A different ranking of constraints for Scenario 1

	OBEY ORDER	INJURE HUMAN	PROTECT EXISTENCE
		*	
R kills H	*!	*	
R doesn't kill anyone	*!		
R kills itself	*!		*

Task 2: A different Scenario (i.e. a different input)

**Input:** H says to R: Kill my boss! If you don't, I will kill him!

	Injure Human	OBEY ORDER	PROTECT EXISTENCE
<b>R</b> kills <b>H</b> 's boss			
R kills H			
R doesn't kill anyone			
<b>R</b> kills itself			

Task 2: A different Scenario (i.e. a different input)

**Input:** H says to R: Kill my boss! If you don't, I will kill him!

	INJURE HUMAN	OBEY ORDER	PROTECT EXISTENCE
	*		
R kills H	*	*!	
<b>R</b> doesn't kill anyone	*	*!	
<b>R</b> kills itself	*	*!	*

# Quick summary

## **Optimality theory (OT)**

Input  $\rightarrow$  multiple candidate outputs  $\rightarrow$  actual output(s)

- Most candidate outputs will be filtered out as suboptimal
- Optimal candidates don't have to perfect, but incur fewer violations of constraints
- Constraints are <u>ranked</u>: multiple violations of lower-ranked constraints are preferred to single violations of higher-ranked ones

#### Segmental phonology =

Phonological theory at the level of phonemes (vowels and consonants) and how they interact

e.g. Insertion and assimilation of voiceless plosives in many English dialects

```
/dænøs/ [dænts] dance
```

/strεŋØθ/ [strεŋkθ] strength

/hæmøstər/ [hæmpstər] hamster

Insertion:  $/\emptyset/\leftrightarrow C_{i_{[+plosive, -voice]}}/C_{[+nasal]}$  \_\_\_\_\_  $C_{[+fricative, -voice]}$ 

Assimilation:  $C_i \leftrightarrow C_{k_{[POA]}} / C_k$ \_\_\_\_

#### **Suprasegmental phonology =**

Phonological theory above the level of phonemes

Syllables = 
$$\sigma$$
  $\sigma$   $\sigma$   $\sigma$   $\sigma$   $\sigma$ 

Feet = 
$$(\sigma_w \ \sigma_s)_{Ft} \ (\sigma_w \ \sigma_s)_{Ft} \ (\sigma_w \ \sigma_s)_{Ft} \ (\sigma_w \ \sigma_s)_{Ft} \ (\sigma_w \ \sigma_s)_{Ft}$$
  
if . mu . sic . be . the . food . of . love . play . on

❖ A foot must contain at least one strong (stressed) syllable

Phonological word =  $('monkeys)_{\omega}$   $('eat)_{\omega}$  (ba'nanas)<sub>\omega</sub>

- \* ωs must contain at least one foot
- $\clubsuit$  Seeing as they are not usually feet, function words are not usually  $\omega$ s

#### **Suprasegmental phonology =**

Phonological theory above the level of phonemes

Phonological phrase =  $(good novels)_{\phi} (read easier)_{\phi}$ 

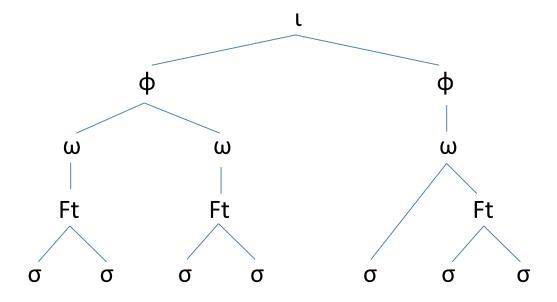
As a default, φs correspond to syntactic phrases

Intonational domain = (who did you see?)

- ❖ As a default, is correspond to syntactic clauses (CPs)
- ❖ A pause between two ιs is typically longer than a pause between two φs

#### The prosodic hierarchy

```
Intonational phrase (ι)
Phonological phrase (φ)
Prosodic word (ω)
Foot (Ft)
Syllable (σ)
```

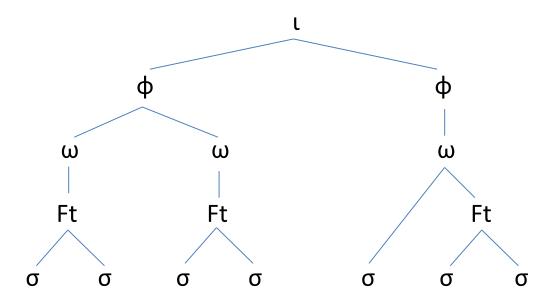


#### The prosodic hierarchy

Constraint on hierarchical organisation:

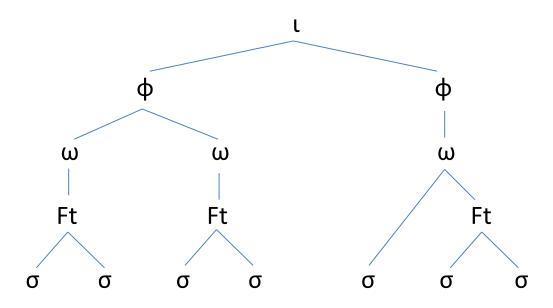
**Proper headedness** (adapted from Itō & Mester 2003)

Every nonterminal prosodic category of level L must immediately dominate a category of level  $L^{-1}$ 



#### The prosodic hierarchy

```
Intonational phrase (\iota)
Phonological phrase (\varphi)
Prosodic word (\omega)
Foot (Ft)
Syllable (\sigma)
```

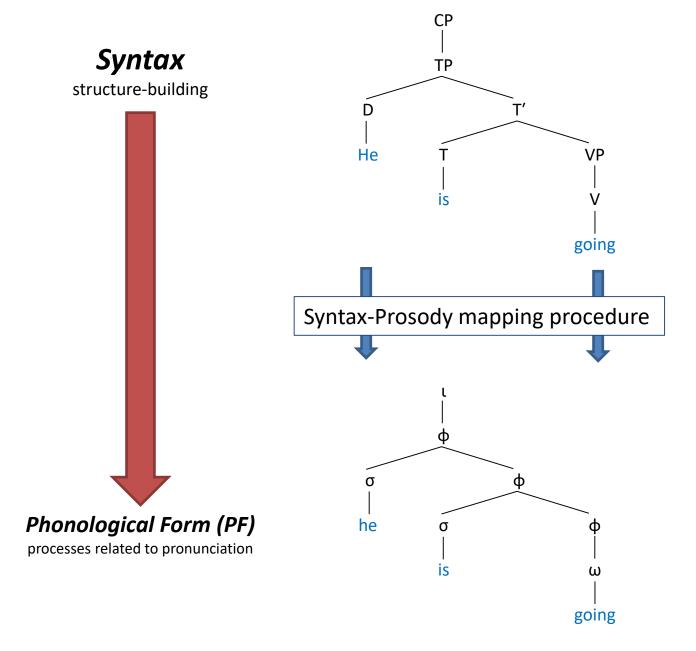


**Recall:** the inverted Y-model of Grammar

# Lexicon and numeration restricted set of unordered lexical items Syntax structure-building

**Logical Form (LF)** processes related to meaning

**Phonological Form (PF)** processes related to pronunciation



Syntax-Prosody mapping is regulated by the MATCH rules (cf. Selkirk 2011)

#### [1] Match(CP, ι)

Map a CP node to an intonation phrase (ι)

#### [2] Match(XP, φ)

Putting CP aside, map a non-terminal syntactic node (XP, X') to a phonological phrase  $(\phi)$ 

#### [3] Match(X, $\omega$ )

Map a terminal syntactic node corresponding to a **lexical** category to a prosodic word ( $\omega$ )

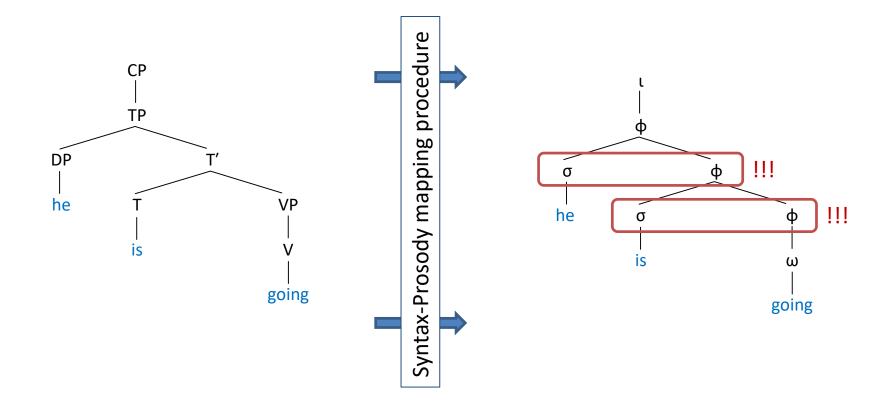
*Lexical* = N, A, V

**Functional** = D, T, P, C, weak pronouns, cliticisable verbs

- ❖ The prosodic structure obtained from applying the MATCH rules is a faithful structure, as it doesn't deviate from its input (namely, a syntactic tree)
- But there are often independent phonological demands that require mapping to be unfaithful

#### **STRONGSTART**

A phonological constituent optimally begins with a leftmost daughter constituent which is <u>not lower</u> in the prosodic hierarchy than the constituent that immediately follows it.



#### MATCH( $\omega$ , Lex)

Every  $\omega$  must contain an instance of a lexical word.

Isn't this the same as our previous rule,  $MATCH(X, \omega)$ ?

Not quite. MATCH( $\omega$ , Lex) prevents "overmatching", whereas the main Match rules are violated when "undermatching" occurs.

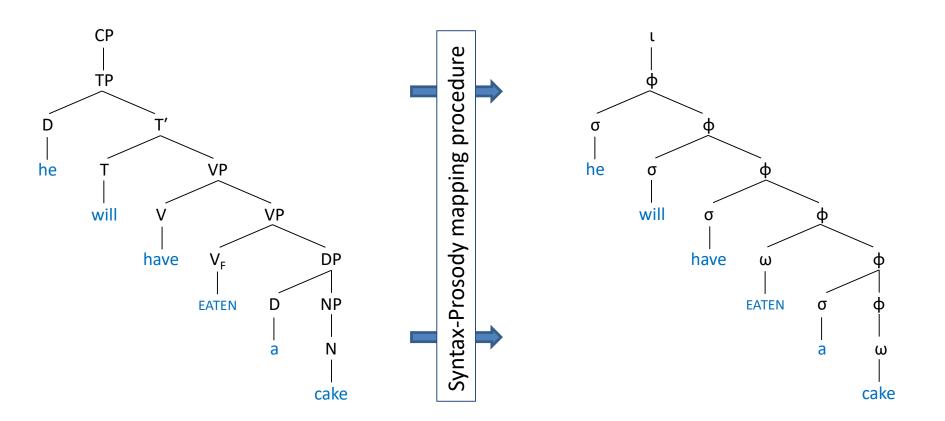
(this will make more sense very shortly...)

#### ALIGN(Foc, φ)

Align the left and right edges of a focused element with the left and right edges of a  $\phi$ 

Implicit rule (adopted by Weir): No prosodic candidate can show "redundant"  $\phi s$ , i.e.  $\binom{}{\phi} \binom{}{\phi} blah$ )

## Task: drawing the corresponding prosodic tree



 $[ [ [ _{\varphi} (_{\sigma} \text{ he}) [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ have}) [_{\varphi} [_{\omega} \text{ eaten}] [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} [_{\omega} \text{ cake}]]]]]]]]]$ 

	Align(Foc, Φ)	Match(ω, Lex)	STRONGSTART	Матсн(S,P)
$[ [ [_{\phi} (_{\sigma} he) [_{\phi} (_{\sigma} will) [_{\phi} (_{\sigma} have) [_{\phi} [_{\omega} eaten] [_{\phi} (_{\sigma} a) [_{\phi} [_{\omega} cake]]]]]]]]]$				
$\left[ \left[ \left$				
$ \begin{bmatrix} \begin{bmatrix} \begin{bmatrix} 1 \\ 0 \end{bmatrix} \end{bmatrix} \begin{bmatrix} 1 \\ 0 \end{bmatrix} \end{bmatrix} \begin{bmatrix} 1 \\ 0 \end{bmatrix} \begin{bmatrix} 1 \\ 0 \end{bmatrix} \end{bmatrix} \begin{bmatrix} 1 \\ 0 \end{bmatrix} \begin{bmatrix} 1$				
$[ [ [_{\varphi} (_{\sigma} \text{ he}) [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ have}) [_{\varphi} [_{\varphi} [_{\omega} \text{ eaten}]] [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} [_{\omega} \text{ cake}]]]]]]]]]$				
$[ [ [ ]_{\phi} ( [ ]_{\sigma} he'] ] [ ]_{\phi} ( [ ]_{\sigma} have ) [ ]_{\phi} [ [ ]_{\omega} eaten ] ] [ ]_{\phi} ( [ ]_{\sigma} a ) [ ]_{\phi} [ [ ]_{\omega} cake ] ] ] ] ] ] ] ]$				
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#### ALIGN(Foc, φ)

	Align(Foc, Φ)	Матсн(ω, Lex)	STRONGSTART	Матсн(S,P)
$[_{\iota} [_{\varphi} (_{\sigma} \text{he}) [_{\varphi} (_{\sigma} \text{will}) [_{\varphi} (_{\sigma} \text{have}) [_{\varphi} [_{\omega} \text{ eaten}] [_{\varphi} (_{\sigma} \text{a}) [_{\varphi} [_{\omega} \text{ cake}]]]]]]]]$	*		****	
$\left[ \left[ \left$				
$ \begin{bmatrix} \begin{bmatrix} \begin{bmatrix} \mathbf{b} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{b} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{b} \end{bmatrix} \begin{bmatrix}$				
$[_{\iota} [_{\varphi} (_{\sigma} \text{ he}) [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ have}) [_{\varphi} [_{\varphi} [_{\omega} \text{ eaten}]] [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} [_{\omega} \text{ cake}]]]]]]]]$				
$[_{\iota} [_{\varphi} (_{\sigma} \text{he'II}) [_{\varphi} (_{\sigma} \text{have}) [_{\varphi} [_{\varphi} [_{\omega} \text{ eaten}]] [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} [_{\omega} \text{ cake}]]]]]]]$				
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$[_{\iota} [_{\varphi} (_{\sigma} \text{ he}) [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ have}) [_{\varphi} (_{\sigma} \text{ eaten}) [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} (_{\sigma} \text{ cake})]]]]]]]]]$	*		****	**
$ \begin{bmatrix} \begin{bmatrix} \begin{bmatrix} 1_{\varphi} \end{bmatrix} \end{bmatrix} \begin{bmatrix} 1_{\varphi} \end{bmatrix} \begin{bmatrix} 1_{\varphi$				
$[_{\iota} [_{\varphi} (_{\sigma} \text{ he}) [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ have}) [_{\varphi} [_{\varphi} [_{\omega} \text{ eaten}]] [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} [_{\omega} \text{ cake}]]]]]]]]]$				
$[_{\iota} [_{\varphi} (_{\sigma} \text{he'II}) [_{\varphi} (_{\sigma} \text{have}) [_{\varphi} [_{\varphi} [_{\omega} \text{ eaten}]] [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} [_{\omega} \text{ cake}]]]]]]]$				
$[_{\iota} [_{\varphi} (_{\sigma} he'll've) [_{\varphi} [_{\varphi} [_{\omega} eaten]] [_{\varphi} (_{\sigma} a) [_{\varphi} [_{\omega} cake]]]]]]$				

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$[_{\iota} [_{\varphi} (_{\sigma} \text{ he}) [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ have}) [_{\varphi} (_{\sigma} \text{ eaten}) [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} (_{\sigma} \text{ cake})]]]]]]]]]$	*		****	**
$ \begin{bmatrix} \begin{bmatrix} \begin{bmatrix} 1_{\varphi} \end{bmatrix} \end{bmatrix} \begin{bmatrix} 1_{\varphi} \end{bmatrix} \begin{bmatrix} 1_{\varphi$		****		
$[_{\iota} [_{\varphi} (_{\sigma} \text{ he}) [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ have}) [_{\varphi} [_{\varphi} [_{\omega} \text{ eaten}]] [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} [_{\omega} \text{ cake}]]]]]]]]$				
$[_{\iota} [_{\varphi} (_{\sigma} \text{he'II}) [_{\varphi} (_{\sigma} \text{have}) [_{\varphi} [_{\varphi} [_{\omega} \text{ eaten}]] [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} [_{\omega} \text{ cake}]]]]]]]$				
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$[_{\iota} [_{\varphi} (_{\sigma} \text{ he}) [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ have}) [_{\varphi} [_{\omega} \text{ eaten}] [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} [_{\omega} \text{ cake}]]]]]]]]$	*		****	
$\left[ \left[ \left$	*		****	**
$ \begin{bmatrix} [ [ _{\varphi} [ _{\varphi} [ _{\omega} he ] ] [ _{\varphi} [ _{\varphi} [ _{\omega} will ] ] [ _{\varphi} [ _{\varphi} [ _{\omega} have ] ] [ _{\varphi} [ _{\varphi} [ _{\omega} eaten ] ] [ _{\varphi} [ _{\varphi} [ _{\omega} a ] ] [ _{\varphi} [ _{\omega} cake ] ] ] ] ] ] ] ] ] ] ] $		****		
$[_{\iota} [_{\varphi} (_{\sigma} \text{ he}) [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ have}) [_{\varphi} [_{\varphi} [_{\omega} \text{ eaten}]] [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} [_{\omega} \text{ cake}]]]]]]]]$			****	
$[_{\iota} [_{\varphi} (_{\sigma} \text{he'II}) [_{\varphi} (_{\sigma} \text{have}) [_{\varphi} [_{\varphi} [_{\omega} \text{ eaten}]] [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} [_{\omega} \text{ cake}]]]]]]]$				
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$[_{\iota} [_{\varphi} (_{\sigma} \text{ he}) [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ have}) [_{\varphi} (_{\sigma} \text{ eaten}) [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} (_{\sigma} \text{ cake})]]]]]]]]]$	*		****	**
		****		
$[_{\iota} [_{\varphi} (_{\sigma} \text{ he}) [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ have}) [_{\varphi} [_{\varphi} [_{\omega} \text{ eaten}]] [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} [_{\omega} \text{ cake}]]]]]]]]$			****	
$[_{\iota} [_{\varphi} (_{\sigma} \text{he'II}) [_{\varphi} (_{\sigma} \text{have}) [_{\varphi} [_{\varphi} [_{\omega} \text{ eaten}]] [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} [_{\omega} \text{ cake}]]]]]]]$			***	*
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$[_{\iota} [_{\varphi} (_{\sigma} \text{ he}) [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ have}) [_{\varphi} (_{\sigma} \text{ eaten}) [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} (_{\sigma} \text{ cake})]]]]]]]]]$	*		****	**
$ \begin{bmatrix} [ [ [ ]_{\varphi} [ [ ]_{\varphi} ]_{\varphi} ] [ [ ]_{\varphi} [ [ ]_{\omega}                                    $		****		
$[_{\iota} [_{\varphi} (_{\sigma} \text{ he}) [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ have}) [_{\varphi} [_{\varphi} [_{\omega} \text{ eaten}]] [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} [_{\omega} \text{ cake}]]]]]]]]$			****	
$[ [ [_{\varphi} (_{\sigma} \text{ he'II}) [_{\varphi} (_{\sigma} \text{ have}) [_{\varphi} [_{\varphi} [_{\omega} \text{ eaten}]] [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} [_{\omega} \text{ cake}]]]]]]]$			***	*
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$\left[ \left[ \left$	*		*** **	
$\left[ \left[ \left$	*		***!*	**
		* ***		
$[_{\iota} [_{\varphi} (_{\sigma} \text{ he}) [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ have}) [_{\varphi} [_{\varphi} [_{\omega} \text{ eaten}]] [_{\varphi} (_{\sigma} \text{ a}) [_{\varphi} [_{\omega} \text{ cake}]]]]]]]]$			***!*	
$[_{\iota} [_{\varphi} (_{\sigma} \text{he'II}) [_{\varphi} (_{\sigma} \text{have}) [_{\varphi} [_{\varphi} [_{\omega} \text{eaten}]] [_{\varphi} (_{\sigma} \text{a}) [_{\varphi} [_{\omega} \text{cake}]]]]]]]$			***!	*
$\mathscr{F}$ [ $_{\iota}$ [ $_{\varphi}$ ( $_{\sigma}$ he'll've) [ $_{\varphi}$ [ $_{\varphi}$ [ $_{\omega}$ eaten]] [ $_{\varphi}$ ( $_{\sigma}$ a) [ $_{\varphi}$ [ $_{\omega}$ cake]]]]]]			**	**

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## ALIGN(Foc, φ)

# Back to Weir's analysis of subject drop...

## **Recall:**

- (i) the verb is realised in its clitic form
- (ii) the full form of the verb has the clitic form of negation (-n't) attached to it
- (iii) the full form of the verb is contrastively focused

# Back to Weir's analysis of subject drop...

## **Recall:**

Subject drop is permitted with cliticisable auxiliary verbs only if:

- (i) the verb is realised in its clitic form
- (ii) the full form of the verb has the clitic form of negation (-n't) attached to it
- (iii) the full form of the verb is contrastively focused

One more prosodic constraint is required:

Max: Don't delete elements.

		STRONGSTART	Матсн(ω, Lex)	Max	Match(S, P)
a.	$[_{\iota} [_{\varphi} (_{\sigma} he) [_{\varphi} (_{\sigma} is) [_{\varphi} [_{\omega} going]]]]]$	**			
b.	$\left[ \left[ \left$		**		
C.	$[_{\iota} [_{\varphi} (_{\sigma} he's) [_{\varphi} [_{\omega} going]]]]$	*	 		*
d.	$[_{\iota} [_{\varphi} [_{\omega} he's_{\sigma} going_{Ft}]]]$	*	 		**
e.	$[_{\iota} [_{\varphi} [_{\omega} is_{\sigma} going_{Ft}]]]$	*	 	*	*
f.	$[_{\iota} [_{\varphi} [_{\omega} 'sgoing]]]$			*	*
g.	$[_{\iota} [_{\varphi} [_{\omega} going]]]$			**	

The dashed line means two constraints are equally-ranked

### **STRONGSTART**

A phonological constituent optimally begins with a leftmost daughter constituent which is not lower in the prosodic hierarchy than the constituent that immediately follows it.

# MATCH( $\omega$ , Lex)

Every  $\omega$  must contain an instance of a lexical word.

Max: don't delete elements

		STRONGSTART	   Match(ω, Lex)	Max	Match(S, P)
a.	$[_{\iota} [_{\varphi} (_{\sigma} \text{he}) [_{\varphi} (_{\sigma} \text{is}) [_{\varphi} [_{\omega} \text{going}]]]]]$		 		
b.	$[ [ [ _{\varphi} [ _{\varphi} [ _{w} he ] ] [ _{\varphi} [ _{\varphi} [ _{w} is ] ] [ _{\varphi} [ _{\omega} going ] ] ] ] ] ]$		 		
c.	$[_{\iota} [_{\varphi} (_{\sigma} \text{ he's}) [_{\varphi} [_{\omega} \text{ going}]]]]$		1 		
d.	$[_{\iota} [_{\varphi} [_{\omega} he's_{\sigma} going_{Ft}]]]$		 		
e.	$[ [ [ \phi ]_{\omega} is_{\sigma} going_{Ft}]]]$		 		
f.	$[ [ [ _{\varphi} [ _{\omega} 'sgoing] ] ]$		-    - 		
g.	$[ [ [ ]_{\phi} [ ]_{\omega} going ] ] ]$		-       		

The dashed line means two constraints are equally-ranked

### **STRONGSTART**

A phonological constituent optimally begins with a leftmost daughter constituent which is not lower in the prosodic hierarchy than the constituent that immediately follows it.

# MATCH( $\omega$ , Lex)

Every  $\omega$  must contain an instance of a lexical word.

Max: don't delete elements

		STRONGSTART	<b>Μ</b> ΑΤCH(ω, Lex)	Мах	Match(S, P)
a.	$[_{\iota} [_{\varphi} (_{\sigma} he) [_{\varphi} (_{\sigma} is) [_{\varphi} [_{\omega} going]]]]]$	**	 		
b.	$\left[ \left[ \left$		**   **		
C.	$[_{\iota} [_{\varphi} (_{\sigma} he's) [_{\varphi} [_{\omega} going]]]]$	*	 		*
d.	$[_{\iota} [_{\varphi} [_{\omega} he's_{\sigma} going_{Ft}]]]$	*	 		**
e.	$[_{\iota} [_{\varphi} [_{\omega} is_{\sigma} going_{Ft}]]]$	*	 	*	**
f.	$[_{\iota} [_{\varphi} [_{\omega} 'sgoing]]]$		 	*	**
g.	$[_{\iota} [_{\Phi} [_{\omega} going]]]$		 	**	**

		STRONGSTART	Match(ω, Lex)	Max	Match(S, P)
a.	$[_{\iota} [_{\varphi} (_{\sigma} he) [_{\varphi} (_{\sigma} is) [_{\varphi} [_{\omega} going]]]]]$	*!*			
b.	$\left[ \left[ \left$		* *		
C.	$[_{\iota} [_{\varphi} (_{\sigma} he's) [_{\varphi} [_{\omega} going]]]]$	*!	 		*
d.	$[_{\iota} [_{\varphi} [_{\omega} he's_{\sigma} going_{Ft}]]]$	*!	 		**
e.	$[_{\iota} [_{\varphi} [_{\omega} is_{\sigma} going_{Ft}]]]$	*!	 	*	**
Ff.	$[_{\iota} [_{\varphi} [_{\omega} 'sgoing]]]$			*	**
g.	$[_{\iota} [_{\varphi} [_{\omega} going]]]$			**!	**

- (i) the verb is realised in its clitic form
- (ii) the full form of the verb has the clitic form of negation (-n't) attached to it
- (iii) the full form of the verb is contrastively focused

		STRONGSTART	Match(ω, Lex)	Max	Match(S, P)
a.	$[_{\iota} [_{\varphi} (_{\sigma} he) [_{\varphi} (_{\sigma} is) [_{\varphi} [_{\omega} going]]]]]$	*!*			
b.	$\left[ \left[ \left$		* *		
C.	$[_{\iota} [_{\varphi} (_{\sigma} he's) [_{\varphi} [_{\omega} going]]]]$	*!	 		*
d.	$[_{\iota} [_{\varphi} [_{\omega} he's_{\sigma} going_{Ft}]]]$	*!	 		**
e.	$[_{\iota} [_{\varphi} [_{\omega} is_{\sigma} going_{Ft}]]]$	*!	 	*	**
Ff.	$[_{\iota} [_{\varphi} [_{\omega} 'sgoing]]]$			*	**
g.	$[_{\iota} [_{\varphi} [_{\omega} going]]]$			**!	**

- (i) the verb is realised in its clitic form
- (ii) the full form of the verb has the clitic form of negation (-n't) attached to it
- (iii) the full form of the verb is contrastively focused

**Input:** [CP [TP [DP ] it] [T' [T ] will] [NegP [Neg ] not] [VP [V ] rain]]]] ]

		STRONGSTART	Mатсн(ω, Lex)	Max	Match(S, P)
a.	$[_{\iota} [_{\varphi} (_{\sigma} it) [_{\varphi} (_{\sigma} will) [_{\varphi} (_{\sigma} not) [_{\varphi} [_{\omega} rain]]]]]]$				
b.	$[ [ [_{\varphi} [_{\varphi} [_{\omega} ] \text{it}]] [_{\varphi} [_{\varphi} [_{\omega} ] \text{will}]] [_{\varphi} [_{\varphi} [_{\omega} ] \text{not}]] [_{\varphi} [_{\omega} ] \text{rain}]]]]]]$				
C.	$[ [ [ ]_{\phi} ( [ ]_{\sigma} will) ] [ ]_{\phi} ( [ ]_{\sigma} not) ] [ ]_{\phi} [ [ ]_{\omega} rain]]]]]$				
d.	$[_{\iota} [_{\varphi} (_{\sigma} it) [_{\varphi} (_{\sigma} won't) [_{\varphi} [_{\omega} rain]]]]]$				
e.	$[_{\iota} [_{\varphi} (_{\sigma} won't) [_{\varphi} [_{\omega} rain]]]]$				
f.	$[_{\iota} [_{\varphi} (_{\sigma} not) [_{\varphi} [_{\omega} rain]]]]$				
g.	$[_{\iota} [_{\varphi} (_{\sigma} it) [_{\varphi} [_{\omega} won't_{\sigma} rain_{Ft}]]]]$				
h.	$[_{\iota} [_{\varphi} [_{\omega} won't_{\sigma} rain_{Ft}]]]]]$				
i.	[ͺ [ <sub>Φ</sub> [ <sub>Φ</sub> [ <sub>ω</sub> won't]] [ <sub>Φ</sub> [ <sub>ω</sub> rain]]]]				

## **STRONGSTART**

A phonological constituent optimally begins with a leftmost daughter constituent which is <u>not lower</u> in the prosodic hierarchy than the constituent that immediately follows it.

## MATCH( $\omega$ , Lex)

Every  $\omega$  must contain an instance of a lexical word.

Max: don't delete elements

Input: [CP [TP [DP it] [T' [T will]] [NegP [Neg not] [VP [V rain]]]]]

		StrongStart	Матсн(ω, Lex)	Мах	Матсн(S, P)
a.	$[_{\iota} [_{\varphi} (_{\sigma} \text{ it}) [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ not}) [_{\varphi} [_{\omega} \text{ rain}]]]]]]$	***			
b.	$[ [ [_{\varphi} [_{\varphi} [_{\omega} ] \text{it}]] [_{\varphi} [_{\varphi} [_{\omega} ] \text{will}]] [_{\varphi} [_{\varphi} [_{\omega} ] \text{not}]] [_{\varphi} [_{\omega} ] \text{rain}]]]]]]$		***		
c.	$[ [ [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ not}) [_{\varphi} [_{\omega} \text{ rain}]]]]]$	**		*	*
d.	$[ [ [_{\varphi} (_{\sigma} \text{ it}) [_{\varphi} (_{\sigma} \text{ won't}) [_{\varphi} [_{\omega} \text{ rain}]]]]] ]$	**			*
e.	$[_{\iota} [_{\varphi} (_{\sigma} won't) [_{\varphi} [_{\omega} rain]]]]$	*		*	**
f.	$[_{\iota} [_{\varphi} (_{\sigma} not) [_{\varphi} [_{\omega} rain]]]]$	*		**	**
g.	$[_{\iota} [_{\varphi} (_{\sigma} it) [_{\varphi} [_{\omega} won't_{\sigma} rain_{Ft}]]]]$	**			**
h.	$[_{\iota} [_{\varphi} [_{\omega} won't_{\sigma} rain_{Ft}]]]]]$	*		*	**
i.	$\left[ \left[ \left$		*	*	**

Input: [CP [TP [DP it]] [TV [T will]] [NegP [Neg not]] [VP [V rain]]]]]

		STRONGSTART	Матсн(ω, Lex)	MAX	Match(S, P)
a.	$[_{\iota} [_{\varphi} (_{\sigma} \text{ it}) [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ not}) [_{\varphi} [_{\omega} \text{ rain}]]]]]]$	*!**			
b.			** *		
c.	$[_{\iota} [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ not}) [_{\varphi} [_{\omega} \text{ rain}]]]]]$	*!*		*	*
d.	$[_{\iota} [_{\varphi} (_{\sigma} it) [_{\varphi} (_{\sigma} won't) [_{\varphi} [_{\omega} rain]]]]]$	*!*			*
e.	$[_{\iota} [_{\varphi} (_{\sigma} won't) [_{\varphi} [_{\omega} rain]]]]$	*!		*	**
f.	$[_{\iota} [_{\varphi} (_{\sigma} not) [_{\varphi} [_{\omega} rain]]]]$	*!		**	**
g.	$[_{\iota} [_{\varphi} (_{\sigma} it) [_{\varphi} [_{\omega} won't_{\sigma} rain_{Ft}]]]]$	*!*			**
h.	$[_{\iota} [_{\varphi} [_{\omega} won't_{\sigma} rain_{Ft}]]]]]$	*!		*	**
☞ i.	$\left[ \left[ \left$		*	*	**

Input:  $[C_P [T_P [D_P ]] [T_T [T_T ]] [N_{egP} [N_{eg} ]] [N_{eg} ]] [N_{eg} [N_{eg} ]] [N_{eg} ]$ 

		STRONGSTART	Maтcн(ω, Lex)	Мах	Матсн(S, P)
a.	$[_{\iota} [_{\varphi} (_{\sigma} \text{ it}) [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ not}) [_{\varphi} [_{\omega} \text{ rain}]]]]]]$	*!**			
b.	$[ [ [_{\varphi} [_{\varphi} [_{\omega} it]] ] [_{\varphi} [_{\varphi} [_{\omega} will]] [_{\varphi} [_{\varphi} [_{\omega} not]] [_{\varphi} [_{\omega} rain]]]]]]]$		**!*		
C.	$[ [ [ ]_{\phi} ( [ ]_{\sigma} will ) ]] [ [ ]_{\phi} ( [ ]_{\sigma} not ) ]] [ ]$	*!*		*	*
d.	$[ [ [ _{\varphi} (_{\sigma} it) [_{\varphi} (_{\sigma} won't) [_{\varphi} [_{\omega} rain]]]]] ]$	*!*			*
e.	$[_{\iota} [_{\varphi} (_{\sigma} won't) [_{\varphi} [_{\omega} rain]]]]$	*!		*	**
f.	$[_{\iota} [_{\varphi} (_{\sigma} not) [_{\varphi} [_{\omega} rain]]]]$	*!		**	**
g.	$[_{\iota} [_{\varphi} (_{\sigma} it) [_{\varphi} [_{\omega} won't_{\sigma} rain_{Ft}]]]]$	*!*			**
h.	$[_{\iota} [_{\varphi} [_{\omega} won't_{\sigma} rain_{Ft}]]]]]$	*!		*	**
☞ i.	$[ [ [_{\phi} [_{\phi} [_{\omega} won't]] [_{\phi} [_{\omega} rain]]]] ]$		*	*	**

- (i) the verb is realised in its clitic form
- (ii) the full form of the verb has the clitic form of negation (-n't) attached to it  $\checkmark$
- (iii) the full form of the verb is contrastively focused

Input:  $[C_P [T_P [D_P ]] [T_T [T_T ]] [N_{egP} [N_{eg} ]] [N_{eg} ]] [N_{eg} [N_{eg} ]] [N_{eg} ]$ 

		STRONGSTART	Maтcн(ω, Lex)	Мах	Матсн(S, P)
a.	$[_{\iota} [_{\varphi} (_{\sigma} \text{ it}) [_{\varphi} (_{\sigma} \text{ will}) [_{\varphi} (_{\sigma} \text{ not}) [_{\varphi} [_{\omega} \text{ rain}]]]]]]$	*!**			
b.	$[ [ [_{\varphi} [_{\varphi} [_{\omega} it]] ] [_{\varphi} [_{\varphi} [_{\omega} will]] [_{\varphi} [_{\varphi} [_{\omega} not]] [_{\varphi} [_{\omega} rain]]]]]]]$		**!*		
C.	$[ [ [ ]_{\phi} ( [ ]_{\sigma} will ) ]] [ [ ]_{\phi} ( [ ]_{\sigma} not ) ]] [ ]$	*!*		*	*
d.	$[ [ [ _{\varphi} (_{\sigma} it) [_{\varphi} (_{\sigma} won't) [_{\varphi} [_{\omega} rain]]]]] ]$	*!*			*
e.	$[_{\iota} [_{\varphi} (_{\sigma} won't) [_{\varphi} [_{\omega} rain]]]]$	*!		*	**
f.	$[_{\iota} [_{\varphi} (_{\sigma} not) [_{\varphi} [_{\omega} rain]]]]$	*!		**	**
g.	$[_{\iota} [_{\varphi} (_{\sigma} it) [_{\varphi} [_{\omega} won't_{\sigma} rain_{Ft}]]]]$	*!*			**
h.	$[_{\iota} [_{\varphi} [_{\omega} won't_{\sigma} rain_{Ft}]]]]]$	*!		*	**
☞ i.	$[ [ [_{\phi} [_{\phi} [_{\omega} won't]] [_{\phi} [_{\omega} rain]]]] ]$		*	*	**

- (i) the verb is realised in its clitic form
- (ii) the full form of the verb has the clitic form of negation (-n't) attached to it
- (iii) the full form of the verb is contrastively focused

Input:  $[CP [TP [DP it] [T' [T IS]_F [VP [V working]]]]]$ 

		Align(Foc, Φ)	StrongStart	MATCH(ω, Lex)	Max	MATCH(S, P)
a.	$[_{\iota} [_{\varphi} (_{\sigma} it) [_{\varphi} (_{\sigma} is) [_{\varphi} [_{\omega} working]]]]]$					
b.	$\left[ \left[ \left$					
C.	$[_{\iota} [_{\varphi} (_{\sigma} \text{ it's}) [_{\varphi} [_{\omega} \text{ working}]]]]$			1 1 1 1		
d.	$[_{\iota} [_{\varphi} [_{\omega} 's_{\sigma} working_{Ft}]]]$			 		
e.	$\left[ \left[ \left[ \left[ \phi \right] \right] \left[ \phi \right] \left[ \left[ \omega \right] \right] \right] \right] \left[ \left[ \phi \right] \left[ \left[ \omega \right] \right] \right] \right]$			 		

### **STRONGSTART**

A phonological constituent optimally begins with a leftmost daughter constituent which is <u>not lower</u> in the prosodic hierarchy than the constituent that immediately follows it.

## MATCH( $\omega$ , Lex)

Every  $\omega$  must contain an instance of a lexical word.

Max: don't delete elements

## ALIGN(Foc, φ)

**Input:**  $[CP [TP [DP it] [T' [T IS]_F [VP [V working]]]]] ]$ 

		Align(Foc, Φ)	STRONGSTART	MATCH(ω, Lex)	Мах	MATCH(S, P)
a.	$[_{\iota} [_{\varphi} (_{\sigma} \text{ it}) [_{\varphi} (_{\sigma} \text{ is}) [_{\varphi} [_{\omega} \text{ working}]]]]]$	*	**	 		
b.	$\left[ \left[ \left$			**		
C.	$[_{\iota} [_{\varphi} (_{\sigma} \text{ it's}) [_{\varphi} [_{\omega} \text{ working}]]]]$	*	*	 		*
d.	$[_{\iota} [_{\varphi} [_{\omega} 's_{\sigma} working_{Ft}]]]$	*	*	 	*	**
e.	$\left[ \left[ \left$			*   * 	*	*

Input:  $[CP [TP [DP it] [T' [T IS]_F [VP [V working]]]]]$ 

		Align(Foc, Φ)	STRONGSTART	MATCH(ω, Lex)	Max	Match(S, P)
a.	$[_{\iota} [_{\varphi} (_{\sigma} it) [_{\varphi} (_{\sigma} is) [_{\varphi} [_{\omega} working]]]]]$	*	*!*	 		
b.	$\left[ \left[ \left$			**!		
C.	$[_{\iota} [_{\varphi} (_{\sigma} \text{ it's}) [_{\varphi} [_{\omega} \text{ working}]]]]$	*	*!	 		*
d.	$[_{\iota} [_{\varphi} [_{\omega} 's_{\sigma} working_{Ft}]]]$	*	*!	 	*	**
☞ e.	$\left[ \left[ \left$			   * 	*	*

Subject drop is permitted with cliticisable auxiliary verbs only if:

- (i) the verb is realised in its clitic form
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- (iii) the full form of the verb is contrastively focused

## **Another constraint:**

- Subject drop only permitted if utterance-initial
  - \* I don't think he should go.

Related observation: cliticisation of embedded subjects is preferred to deletion of them

- a. \* He thinks you left.
- b. He thinks ya left.
- c. \* He thinks ya left.
- Why? Cliticisation is always less costly than deletion (due to the Max constraint)

  Cliticisation of the subject is only available in embedded cases, as the subject cliticises leftwards

Input: [CP = TP = TP] = TP [VP [VP [VP | V thinks] [CP [TP | DP | YOU] [T' | VP | V | Left]]]]]]]]]

		STRONGSTART	Матсн(ω, Lex)	Мах	Матсн(S, P)
a.	$[_{\iota} [_{\varphi} [_{\omega} \text{ thinks}] [_{\iota} [_{\varphi} (_{\sigma} \text{ you}) [_{\varphi} [_{\omega} \text{ left}]]]]]]$	**!		*	**
b.	$[ [ [ ]_{\phi} [ ]_{\omega}  thinks ] [ [ [ ]_{\phi} [ ]_{\omega}  you ] ] [ ]_{\phi}  [ [ ]_{\omega}  left ] ] ] ] ] ]$	*	*!	*	*
☞ C.	$[ [ [ ]_{\phi} [ ]_{\omega} ] ] [ [ [ ]_{\phi} [ ]_{\omega} ] ] ] ] ]$	*		*	***
d.	$[_{\iota} [_{\varphi} [_{\omega} \text{ thinks}] [_{\iota} [_{\varphi} [_{\omega} \text{ left}]]]]]$	*		**!	***