

A note made to plan calculator results, from December 2015

Each test consists of: $[x]$, e.g. Coin toss

A success is getting $[y]$, e.g. Heads

Number of tests, n : $[n]$

p is the probability that *[an individual test $\{x\}$]* from the population gives $\{y\}$. X is the number of $\{y\}$ in a sample size on $\{n\}$

H_0 : $p = []$ must be $0 \leq p \leq 1$

H_1 : p [$>$ or $<$ or \neq] (cases 1, 2 or 3)

Assume H_0 is true

Then $X \sim B(n, p)$

" X is distributed binomially with $n = \dots$, $p = \dots$ "

Now carry out the test: $r = []$

- 1) $P(X \geq r)$
 - a) if $>$, \leq then accept H_0
 - b) else $<$, \geq then reject H_0
- 2) P
- 3) $E(X) = np$
 - a) if $r > E(X)$ then
 - i) $P(X \geq r)$ compare to significance level / 2
 - b) if $r < E(X)$ then
 - i) $P(X \leq r)$ compare to significance level / 2
 - c) ALTERNATIVE
 - i) if $P(X \geq r)$ or $P(X \leq r) < \text{significance level} / 2$
 - (1) then reject H_0
 - (2) else accept

Conclusions:

Accept or reject H_0

- If accept H_0
 - There is not enough evidence to suggest that the number of $\{y\}$ in the population is:
 - (1: Greater than, 2: Less than, 3: Different to)
 - Expected
- If reject H_0
 - There is enough evidence to suggest to suggest the number of y in the population may be
 - (1: Greater than, 2: Less than, 3: Different to)
 - Expected