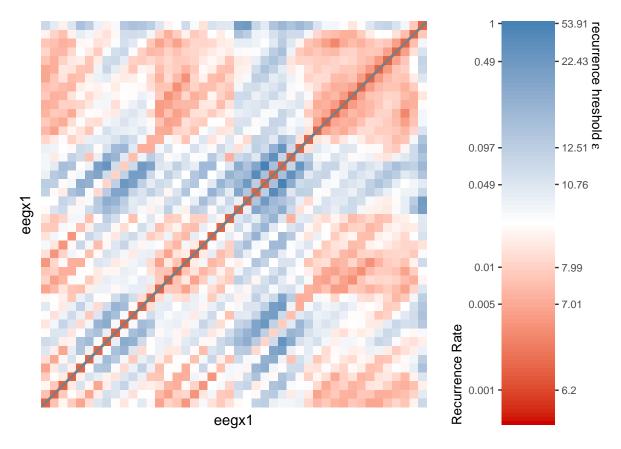
CASNET package RQA walk through for didactic purposes

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```
#set working directory
setwd("/home/james/Data_Science")
#load casnet package
#install package from repository if this is first time of use
#devtools::install_github(https://github.com/FredHasselman/casnet)
library(casnet)
#read in eeg time series data
eeg <- read.csv("A001SB1_2.csv", sep = ",")</pre>
#subset x1 node and 50 instances to keep the speed up
eegx1 <- ts(eeg$x1[1:50])
length(eegx1)
## [1] 50
#casnet package output
#estimate the embedding lag (based on first minimum computed from average mutual information)
emlag <- est_emLag(eegx1)$optimal.lag[1]</pre>
emlag #output
## [1] 1
est emLag(eegx1)
    selection.method optimal.lag
       first.minimum
                            1.0 0.9029512
## 2
       global.minimum
                              3.0 0.1326533
## 3
                            12.5 0.1487273
          maximum.lag
#estimate the embedding dimension (based on based on False Nearest Neighbours
#the embedding dimension from casnet is the n-1 emdim at
#which the emlag has an attractor tolerance of O
#this will be used to create a binary matrix for plotting
#thresholded RQAs)
emdim <- est_emDim(y = eegx1, delay = emlag)$EmbeddingDim</pre>
emdim \#output
## [1] 6
est_emDim(y = eegx1, delay = emlag)
     EmbeddingLag EmbeddingDim
## 1
#creates a recurrence matrix based on the previously
#estimated embedding dimension and embedding lag
eegx1rm <- rp(y1 = eegx1, emDim = emdim, emLag = emlag)</pre>
#note that the size of the matrix is 44 columns by
```

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#44 rows - this is due to the lag (1) and dimension (6)
#that we estimated 50 - (1 \times 6) = 44, and that each column
#is lagged by one, and that there is a diagonal of zeros -
#the line of inflection
head(eegx1rm[, 1:6]) #the first 6 x 6 of the matrix to get an idea
##
             [,1]
                      [,2]
                               [,3]
                                        [,4]
                                                  [,5]
                                                            [,6]
## [1,] 0.000000 13.664525 21.16899 15.05633 9.386156 17.985310
## [3,] 21.168991 14.702841 0.00000 19.74192 29.266733 21.416012
## [4,] 15.056325 22.235367 19.74192 0.00000 20.429316 29.512808
## [5,] 9.386156 19.331360 29.26673 20.42932 0.000000 22.394466
## [6,] 17.985310 9.837603 21.41601 29.51281 22.394466 0.000000
#estimate the embedding radius - function created by Fred Hasselman,
#finds a radius of which a target (RQA) measure has a specific percentage
\#(default\ is\ RR\ (Recurrence\ Rate)\ =\ 0.05)\ this\ is\ later\ used\ to\ plot\ a\ thresholded
#recurrence plot
(emrad <- crqa_radius(eegx1rm, targetMeasure = "RR", targetValue = 0.05, tol = 0.5, maxIter = 10) $Radiu
## Auto-recurrence: Setting diagonal to (1 + max. distance) for analyses
## lower and upper are both 0 (no band, just diagonal)
## using: diag(mat) <- 54.9145...
##
## Searching for a radius that will yield 0.05 for RR
## Converged! Found an appropriate radius...
## [1] 10.76312
crqa_radius(eegx1rm, targetValue = 0.05, tol = 0.5, maxIter = 10)
##
## Auto-recurrence: Setting diagonal to (1 + max. distance) for analyses
## lower and upper are both 0 (no band, just diagonal)
## using: diag(mat) <- 54.9145...
##
## Searching for a radius that will yield 0.05 for RR
## Converged! Found an appropriate radius...
            Measure Radius targetValue tollo tolhi startRadius rp.size
       1 0.04855372 10.76312
                                    0.05 0.025 0.075
                                                        10.76312
##
    AUTO Converged
## 1 TRUE
              TRUE
#plot the unthresholded recurrence plot
# - this is basically a heat map of the recurrence matrix
rp_plot(eegx1rm)
```



```
#now place the previously calculated embedding radius on the unthresholded matrix
#to create a thresholded matrix (this is a binary matrix, where if the value is
#bigger than the embedding radius (10.76ish in this case), it gets assigned a ".", if
#not it is assigned a "1")
eegx1rmth <- rp(y1 = eegx1, emDim = emdim, emLag = emlag, emRad = emrad)
eegx1rmth[1:6, 1:6] #the first 6 x 6 of the matrix to get an idea</pre>
```

```
eegx1rmth[1:6, 1:6] #the first 6 x 6 of the matrix to get an idea

## 6 x 6 sparse Matrix of class "dgCMatrix"

## [1,] 1 . . . 1 .

## [2,] . 1 . . . 1

## [3,] . . 1 . . .

## [4,] . . . 1 .

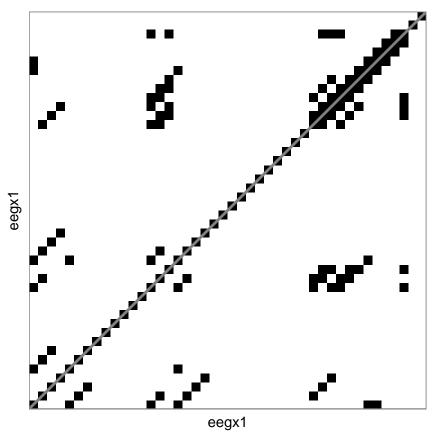
## [5,] 1 . . . 1 .

## [6,] . 1 . . . 1

head(eegx1rm[, 1:6]); eegx1rmth[1:6, 1:6] #for comparison
```

```
## [,1] [,2] [,3] [,4] [,5] [,6]
## [1,] 0.000000 13.664525 21.16899 15.05633 9.386156 17.985310
## [2,] 13.664525 0.000000 14.70284 22.23537 19.331360 9.837603
## [3,] 21.168991 14.702841 0.00000 19.74192 29.266733 21.416012
## [4,] 15.056325 22.235367 19.74192 0.00000 20.429316 29.512808
## [5,] 9.386156 19.331360 29.26673 20.42932 0.000000 22.394466
## [6,] 17.985310 9.837603 21.41601 29.51281 22.394466 0.000000
## 6 x 6 sparse Matrix of class "dgCMatrix"
##
```

```
## [1,] 1 . . . 1 .
## [2,] . 1 . . . 1
## [3,] . . 1 . . .
## [4,] . . . 1 . .
## [5,] 1 . . . 1 .
## [6,] . 1 . . . 1
#plot the thresholded recurrence plot
# - this is basically a plot of 1s and .s based on the recurrence matrix
rp_plot(eegx1rmth)
```



```
#calculate a range of Reccurrence Quantification measures
#for a short summary of these measures see: http://www.recurrence-plot.tk/rqa.php
#for a super in depth explanation see:
#Marwan, N., Romano, M. C., Thiel, M., & Kurths, J. (2007).
#Recurrence plots for the analysis of complex systems.
#Physics reports, 438(5-6), 237-329.
crqa_cl(eegx1, emDim = emdim, emLag = emlag, emRad = emrad)
###
```

```
## ~~~o~~o~~casnet~~o~~o~~
##
## Performing auto-RQA
##
## ...using sequential processing...
##
```

```
-1
                                            1 0%
 ##
## Completed in:
## user system elapsed
## 0.830 0.039 1.169
##
## ~~~o~~o~~casnet~~o~~o~~~
                            RR DET DET.RR LAM
                     .id
## 1 window: 1 | start: 1 | stop: 50 0.0464198 0.829787 17.8757 0.43617
## LAM.DET L_max L L_entr DIV V_max TT V_entr T1 T2
\verb| ## $W_max $W_mean $W_entr $W_prob F_min emDim emLag emRad DLmin $VLmin$ | \\
## 1 36 8.62903 2.62234 1 0.0277778 6 1 10.76312 2 2 ## distNorm
## 1 EUCLIDEAN
```