

ASSIGNMENT 6

Due Date: 26 May 2021

QUESTION 1

Translate the following statements into predicate logic statements:

Boxer is a horse. At least one of the horses registered for today's race is not a thoroughbred. Every horse registered for today's race has won a race this year. Only horses have four legs and like to run. [10]

QUESTION 2

Translate the following into Clausal Form:

$$\neg[(\exists x, y A(x) \Leftrightarrow B(x, y)) \vee (\forall z C(z))] \wedge (\forall x, y D(x, y) \Rightarrow E(y))$$

[12]

QUESTION 3

Consider these formulas that are in Clausal Form (variables are in lower-case):

$$C_1: A(x, z) \vee \neg B(y) \vee C(x, y, z), \vee \neg D(y, z) \vee E(x)$$

$$C_2: G(u) \vee \neg H(v, w) \vee I(u, w)$$

$$C_3: \neg G(\text{Bob}) \vee H(\text{Cat}, \text{House})$$

$$C_4: \neg I(\text{Bob}, m) \vee D(\text{Bob}, m)$$

$$C_5: \neg A(n, \text{House})$$

$$C_6: B(\text{Bob}) \vee \neg C(p, \text{Bob}, \text{House})$$

$$B: E(\text{Germany})$$

Make use of the Resolution procedure and appropriate substitutions to prove that:

$$C_1, C_2, C_3, C_4, C_5, C_6 \models B.$$

[12]

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