

Introduction to  
Artificial Intelligence and Machine Learning  
Homework 1 - Search

2019/09/25

# Question 1~4 - Graph Search

- Motivation: By abstracting the problems, we can solve them using this *problem-independent* method.
- To abstract a problem, we define
  - the initial state
  - the goal state
  - the successors (or children) of each state
  - (optional) the cost of each action (i.e. state transition)of the problem.

# Question 1~4 - Graph Search

- It is recommended that you begin with a function “graphSearch” defined by yourself
- def graphSearch(problem, search):

```
GRAPH-SEARCH(problem)
1  initialize the frontier using the initial state of problem
2  initialize the explored set to be empty
3  repeat
4      if the frontier is empty
5          return failure
6      choose a leaf node and remove it from the frontier.
7      if the node contains a goal state
8          return the corresponding solution
9      add the node to the explored set
10     expand the chosen node
11     if (not in the frontier) or (explored set)
12         add the resulting nodes to the frontier
```

# Question 1~4 - Graph Search

- graphSearch(problem, search): (in search.py)

\_\_\_\_\_ code initializing the frontier (see util.py)

```
frontier.push(problem.getStartState())
explored = set()
actionList = []
transitionTable = dict()
node = problem.getStartState()
while ( True ):
    .....
    for leaf in leaves:
        if .....
            frontier.....
            _____ record in transitionTable
            _____ backtracing
return actionList
```

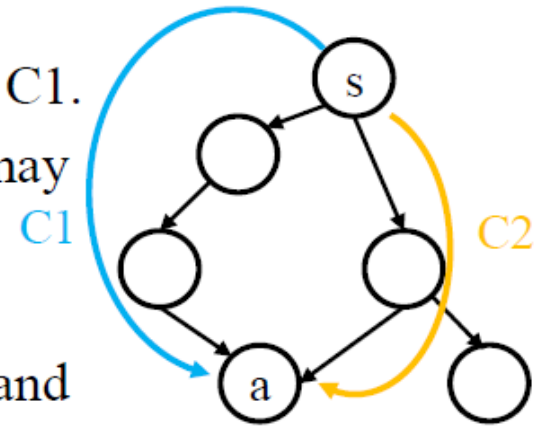
**GRAPH-SEARCH(*problem*)**

- 1 initialize the frontier using the initial state of *problem*
- 2 initialize the explored set to be empty
- 3 repeat
- 4 ~~if the frontier is empty~~
- 5 ~~return failure~~
- 6 choose a leaf node and remove it from the frontier.
- 7 if the node contains a goal state
- 8 return the corresponding solution
- 9 add the node to the explored set
- 10 expand the chosen node
- 11 if (not in the frontier) or (explored set)
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Note on Transition Table:  
dict() is like map in C++ STL  
Key: child, Element: [parent, action]

# Question 1~4 - Graph Search

- Question 1: DFS – Stack
- Question 2: BFS – Queue
- Question 3: UCS – Priority Queue, Tricky!
  - The first time when node “a” is explored, the cost is C1.
  - Since we are considering graph search, we may encounter “a” second time, with cost C2.
  - What if  $C2 < C1$ ?
  - My method: A dict which remembers states and corresponding min cost. When lower cost confirmed, update the dict and push the node with new cost in.
  - Or define your PriorityQueue in *search.py*
  - Or any method you like.



Map	
State	Cost
...	...
a	<del>C1</del>
...	...

C2

- Question 4:  $A^*$  – with heuristic

# Question 1~4 - Graph Search

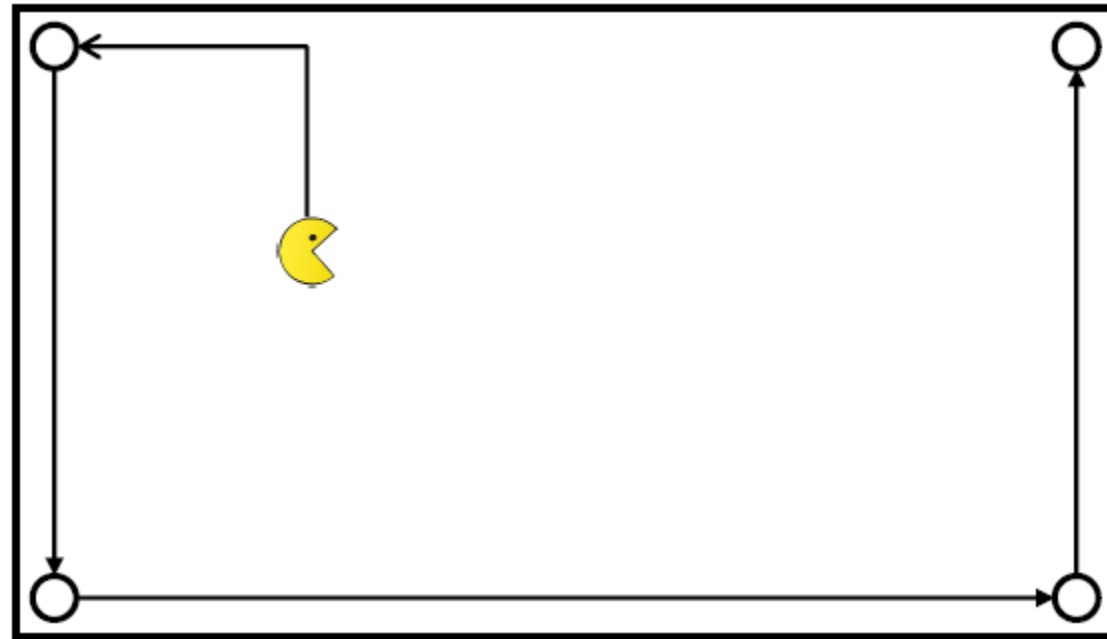
- Reminder: Please make sure your graph search program is *problem-independent*!
- –By testing “python eightpuzzle.py”

# Question 5 – Defining Game States

- *searchAgents.py*
- Objective: Abstract the Corner Problem
  - There are four foods at each corner at the beginning.
  - Once the Pacman wanders to a corner with food, the food will be eaten and no longer exist.
  - The goal is the Pacman eating up all foods, which declares the end of the game.
- You don't need to change codes after line 459 in *searchAgents.py*

# Question 6~7 – Designing a Heuristic

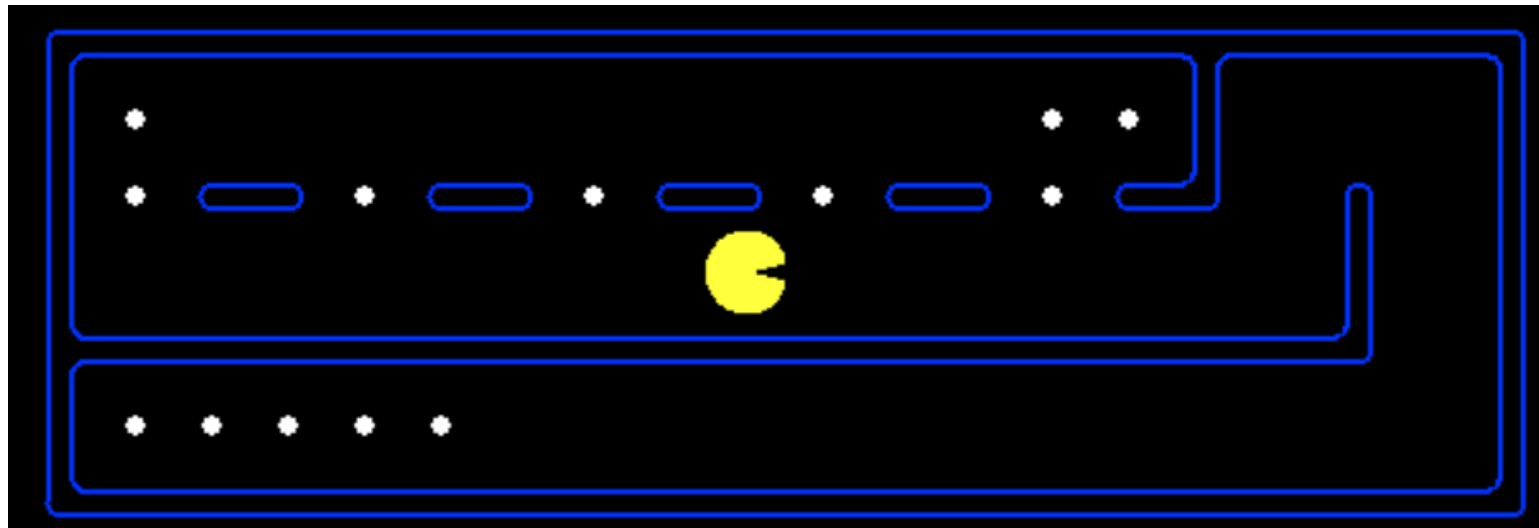
- Reminder: Design a consistent heuristic for the Corner Problem *for all possible game states*.
- Question: Is  $\min\{\text{manh}(p, c1), \text{manh}(p, c2), \text{manh}(p, c3), \text{manh}(p, c4)\} + \text{manh}(c1, c2) + \text{manh}(c2, c3) + \text{manh}(c3, c4)$  consistent?





# Question 6~7 – Designing a Heuristic

- For question 7, you may search the closest food first.
- However, if you only use it as your heuristic, your cost will be higher.
- `mazeDistance(point1, point2, gameState)` may be useful
- You may focus on this “tricky” search.



# Deadline

- 2019/10/16 27:00 (2019/10/17 03:00)
- Allow late submission until 2019/10/23 27:00