Goldsmiths
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The title

Your name

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I certify that this dissertation, and the research to which it refers, are the result of my own work.

Abstract

Acknowledgements

Licence

Related Publications

Portions of the work detailed in this dissertation have appeared in the following publications.

An earlier version of the research reported in chapter ?? was also reported in:

b. Foo (2017). “The title”. In: *ένα καλό περιοδικό* 35.3, pp. 4–7. DOI: 10.xxx/xxx.xx-xxx-xx-xx-xxx

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- Blah

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Notational conventions

$S = \{...\}$	the set S
$S \times S'$	the Cartesian product of S and S'
$\|S\|$	the cardinality of S
$\emptyset$	the empty set
$\mathbb{R}$	real numbers
$\mathbb{R}^+$	positive real numbers
$\mathbb{R}^k$	k-dimensional real vector space
$\mathbb{Z}$	integer numbers
$\mathbb{Z}^+$	positive integer numbers
$\mathbb{N}$	non-negative integer numbers
$[x, y]$	inclusive real-number interval between x and y
$[x..y]$	inclusive integer-number interval between x and y
$\mathbf{v} = \langle ... \rangle$	the vector $\mathbf{v}$
$\mathbf{M} = [m_{ij}]$	the matrix $\mathbf{M}$
$\mathbf{m}_i^j = \langle e_1, e_2, \dots, e_j \rangle$	the ordered sequence of length $j \in \mathbb{Z}^+$, indexed by $i \leq j$
$\|$	tuple concatenation: $\langle 0, 1 \rangle \| \langle 2, 3 \rangle \to \langle 0, 1, 2, 3 \rangle$
$\top$	the symbol denoting undefined

Bibliography

Foo, b. (2017). “The title”. In: *ένα καλό περιοδικό* 35.3, pp. 4–7. DOI: 10.xxx/xxx.xx-xxx-xx-xx-xxx.