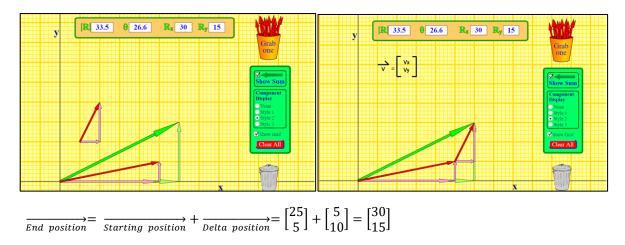
# 1. 2D Vectors (20.05.17, 20)

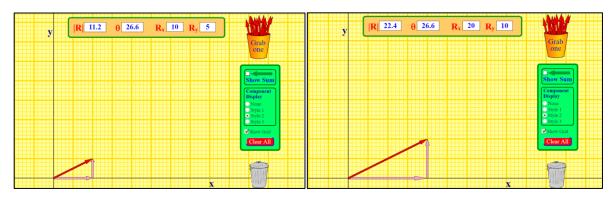
# ① What is Vector?

A quantity having direction as well as magnitude, -> the starting point is meaningless escpecially as *determining the position of one point space relative to anaother.* 

# ② Sum of vectors



# **③ Vector scalar**



Scale the vector

$$\mathsf{K} \underset{V}{\star} \underset{=}{\longrightarrow} = \begin{bmatrix} K & * & Vx \\ K & * & Vy \end{bmatrix} \text{ ( K is the scalar value )}$$

Double x and y => Double the length

# 4 Update position function by using 2D vector

**Earlier code** 

Modified code

posX += velX \* dt (delta time)

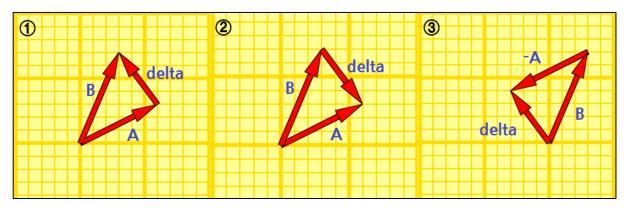
pos += vel \* dt

posY += velY \* dt

(pos is starting position vector, vel is velocity vector)

#### **5** Subtraction of vectors

 $\overrightarrow{b}$  -  $\overrightarrow{a}$  means what is the **delta** from  $\overrightarrow{a}$  to  $\overrightarrow{b}$  ( how do I get to  $\overrightarrow{b}$  from  $\overrightarrow{a}$ )



- ① B A = delta from A to B ② A B = delta from B to A
- 3  $\xrightarrow{b}$   $\xrightarrow{a}$  =  $\xrightarrow{b}$  +  $(\xrightarrow{a}$  \* -1) So, the delta in ① is same as in 3
- **6** The length of vector

Legnth of 
$$\underset{v}{\rightarrow} = |\underset{v}{\rightarrow}|$$

Legnth of 
$$\overrightarrow{v} = |\overrightarrow{v}|$$
  $|\overrightarrow{v}|^2 = x^2 + y^2$  so,  $|\overrightarrow{v}| = \sqrt{x^2 + y^2}$ 

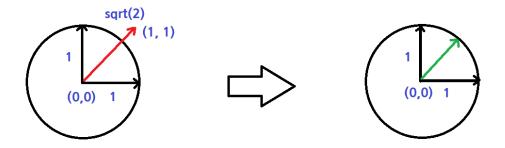
### 7) Normalize the vector

Scale the length of vector to 1. so, it just describes a direction and don't care about the length.

normalized 
$$\underset{v}{\rightarrow} = \underset{v}{\rightarrow}^{*} \frac{1}{|_{\overset{\rightarrow}{v}}|}$$

Sum of vectors	Vector scalar	Subtraction of vectors	Length of vectors
$\overrightarrow{V}_{V1} + \overrightarrow{V}_{V2} = \begin{bmatrix} V1x + V2x \\ V1y + V2Y \end{bmatrix}$	$K \star_{V} = \begin{bmatrix} K & * & Vx \\ K & * & Vy \end{bmatrix}$	$ \overrightarrow{v_2} - \\ \xrightarrow{V_2} = \begin{bmatrix} V2x - V1x \\ V2y - V1y \end{bmatrix} $	$ \overrightarrow{v}  = \sqrt{Vx^2 + Vy^2}$
Normalized vector			
$\hat{V} = \underset{v}{\rightarrow} * \frac{1}{ \cdot }$			

® How to make the object move at same velocity?



We want to move the object in x, y space at same velocity.

But, if we pressed both up and right arrow (up = y, right = x), the object gets a speed boost.

So, just get the direction of the velocity vector by normalizing it, and multiply the direction, speed and delta time and add the result to position vector.

```
350 void Dude::Update( const Keyboard & kbd,float
                                                      350 void Dude::Update( const Keyboard& kbd,float
                                                              Vec2 vel( 0.0f,0.0f );
        if( kbd.KeyIsPressed( VK_RIGHT ) )
                                                              if( kbd.KeyIsPressed( VK_RIGHT ) )
            pos.x += speed * dt;
                                                                  vel.x += 1.0f;
        if( kbd.KeyIsPressed( VK_LEFT ) )
                                                              if( kbd.KeyIsPressed( VK_LEFT ) )
            pos.x -= speed * dt;
                                                                  vel.x -= 1.0f;
        if( kbd.KeyIsPressed( VK_DOWN ) )
                                                              if( kbd.KeyIsPressed( VK_DOWN ) )
                                                    ⇒362
            pos.y += speed * dt;
                                                                  vel.y += 1.0f;
        if( kbd.KeyIsPressed( VK_UP ) )
                                                              if( kbd.KeyIsPressed( VK_UP ) )
            pos.y -= speed * dt;
                                                                  vel.y -= 1.0f;
                                                              pos += vel.GetNormalized() * speed * dt;
```

▲ example code by ChiliTomatoNoodle