→ Sequential / Probabilistic Algorithms

- · Naive-Bayes single decision
- Decision Tree multiple decisions in single tree
- Random Forest multiple decisions in multiple trees

Naive-Bayes Clasiifier using GaussianNB

- single decision based on probability
- · performs Probabilistic Classification
- calculates Probability / certainity
- · training is very fast, just requireing considering each attribute in each class separately
- test is straight forward, just looking up tables or calculating conditional probabilities with normal distributions
- a popular generative model, being a performance competitive to most of the state-of-the-art classifiers even in the presence of violating independence assumption
- based on Bayes Theorem
 - \circ P(A|B) = P(B|A).P(A) / P(B)
- assumes
 - o classes are mutually exclusive and exhaustive
 - o attributes are independent given the class
- called Naive classifier because of these assumptions
 - o empirically proven to be useful
 - o scales very well

Advantages of Naive-Bayes Classifier

- one of the fast and easy ML algorithms for classification
- can be used for binary as well as Multi-class classifications
- performs better in multi-class classification as compared to other algorithms

Disadvantages of Naive-Bayes Classifier

 Naive-Bayes Classifier assumes that all classes are mutually exclusive and exhaustive, so it cannot learn the relationship between features

Types of Naive-Bayes Classifier

- Gaussian classifier
 - assumes that features follow a normal distribution
 - o as it follows normal distribution, predictors can take continuous values instead of discrete values
- Multinomial classifier
 - · used when data is multinomial distributed
 - o works on the frequency of words, so it is mostly used to classify documents
- Bernoulli classifier
 - o similar to Multinomial classfier, but it considers the presence of words as boolean instead of frequency of words

Conditional Probability

A: observation Event

- B: condition, which is occuring
- Conditional Probability, P(A|B) = Probability of A when event B occurs
- Conditional Probability, P(A|B) = P(A ∩ B) / P(B)
- P(A|B): Posterior, Probability of hypothesis A when we have occurred an evidence B
- P(B|A) : Likelihood / Evidence
- P(A): Prior Probability
- P(B): Marginal Probability
- P(AnB): Joint probability of A & B
- $P(A|B) = P(B|A) P(A) / P(B) \leftarrow Bayes Theorem$

Bayes Theorem Derivation

- We have, $P(A|B) = P(A \cap B) / P(B)$
 - \circ SO, P(AnB) = P(A|B) P(B)
- also, $P(B|A) = P(B \cap A) / P(A)$
 - \circ SO, P(B \cap A) = P(B \mid A) P(A)
- Since, P(AnB) = P(BnA)
- So, P(A|B) P(B) = P(B|A) P(A)
- thus P(A|B) = P(B|A) P(A) / P(B) ←Bayes Theorem

▼ importing libs

- 1 import pandas as pd
- 2 import numpy as np
- 3 import matplotlib.pyplot as plt

Assigning features and label variables

```
1 ### First Feature
2 weather=['Sunny','Sunny','Overcast','Rainy','Rainy','Overcast','Sunny','Sunny','Sunny','Overcast','Overcast','Rainy','Sunny','Sunny','Overcast','Rainy','Sunny','Sunny','Sunny','Overcast','Rainy','Rainy','Sunny','Sunny','Sunny','Overcast','Rainy','Rainy','Sunny','Sunny','Sunny','Overcast','Rainy','Sunny','Sunny','Sunny','Overcast','Rainy','Rainy','Sunny','Sunny','Sunny','Overcast','Rainy','Rainy','Sunny','Sunny','Sunny','Sunny','Overcast','Rainy','Rainy','Sunny','Sunny','Sunny','Overcast','Rainy','Rainy','Sunny','Sunny','Sunny','Sunny','Overcast','Rainy','Rainy','Sunny','Sunny','Sunny','Overcast','Rainy','Rainy','Sunny','Sunny','Sunny','Overcast','Rainy','Rainy','Sunny','Sunny','Sunny','Overcast','Rainy','Rainy','Sunny','Sunny','Sunny','Sunny','Overcast','Rainy','Rainy','Sunny','Sunny','Sunny','Sunny','Overcast','Rainy','Rainy','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sunny','Sun
```

preprocessing

Label Encoding

```
1 from sklearn.preprocessing import LabelEncoder

1 la = LabelEncoder()
2 # creating label encoder
```

encoding predictors

```
1 w_encode = la.fit_transform(weather)
2 w_encode
3 # overcast: 0  # Rainy : 1  # sunny: 2

array([2, 2, 0, 1, 1, 1, 0, 2, 2, 1, 2, 0, 0, 1], dtype=int64)
```

```
1 t_encode = la.fit_transform(temp)
2 t_encode
3 # Cool : 0 # Hot : 1 # Mild : 2
array([1, 1, 1, 2, 0, 0, 0, 2, 2, 2, 1, 2], dtype=int64)
```

encoding target

```
1 p_encode = la.fit_transform(play)
2 p_encode
3 # No : 0  # Yes : 1
array([0, 0, 1, 1, 1, 0, 1, 0, 1, 1, 1, 1, 0], dtype=int64)
```

Combining Predictors: zip()

```
1 features = list(zip(w_encode, t_encode))
2 features[:5]
  [(2, 1), (2, 1), (0, 1), (1, 2), (1, 0)]
```

Training

```
1 from sklearn.naive_bayes import GaussianNB

1 model = GaussianNB()
2 # creating model
```

```
1 model.fit(features, p_encode)
2 # Training model

v GaussianNB
GaussianNB()
```

▼ Prediction

```
1 predicted = model.predict([[0, 2]])
2 predicted

array([1], dtype=int64)

1 predicted = model.predict([[2, 0]])
2 predicted

array([0], dtype=int64)
```

Evaluation

- ▼ Test data needs to be provided for evaluation
- ▼ confusion_matrix

```
1 from sklearn.metrics import confusion_matrix
```

```
1 # confusion_matrix(y_test, y_pred)
2 # Test data needs to be provided.
```

▼ classification_report

```
1 from sklearn.metrics import classification_report

1 # print(classification_report(y_test, y_pred))
2 # Test data needs to be provided.
```

▼ accuracy_score

```
1 from sklearn.metrics import accuracy_score

1 # accuracy_score(y_test, y_pred)
2 # Test data needs to be provided.
```

precision_score

```
1 from sklearn.metrics import precision_score
1 # precision_score(y_test, y_pred)
```

▼ recall_score

1 from sklearn.metrics import recall_score

1 # recall_score(y_test, y_pred)

Interview Questions:

- 1. What is the Naive-Bayes Algorithm?
- 2. How does Naive-Bayes Algorithm work?
- 3. What are the different applications of Naive-Bayes Algorithm?
- 4. What is the formula given by Bayes Theorem?
- 5. What is Posterior Probability & Prior Probability in Bayes Theorem?
- 6. Define Likelihood and Evidence in Bayes Theorem.
- 7. What is Bernoulli's Distribution in Naive-Bayes?
- 8. What is the best dataset scenario for the Naive-Bayes Classifier?
- 9. Is Naive-Bayes discriminative or generative classifier? [it is generative]
- 10. How does Naive-Bayes Algorithm treat numerical & categorical values? [categorical : Bernoulli distribution, continuous: Gaussian distribution, Discrete: Multinomial distribution]

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