

Relational Schema

Minimal FDs & proof that relations are in BCNF

F1: The Complete Database

Database Management Systems Project
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Team

Attributes: T_Name, Nationality, Budget, Debut Year, Driver 1 Id, Driver 2 Id, Engine Supplier, Team Base, Points, G_Year, W_Year

Minimal FD set: $T_Name \rightarrow (Nationality, Budget, Debut Year, Driver 1 Id, Driver 2 Id, Engine Supplier, Team Base, Points, G_Year, W_Year)$

$\{T_Name\}^+ = \{ T_Name, Nationality, Budget, Debut Year, Driver 1 Id, Driver 2 Id, Engine Supplier, Team Base, Points, G_Year, W_Year \}$

The closure of T_Name includes all attributes so **T_Name** is key.

The functional dependency set has the key on the left and rest of the attributes on right. So this relation is in BCNF.

Employee

Attributes: Employee_Id, Name, Date of Birth, Team Name

Minimal FD set: $Employee_Id \rightarrow (Name, Date of Birth, Team Name)$

$\{Employee_Id\}^+ = \{ Employee_Id, Name, Date of Birth, Team Name \}$

The closure of Employee_Id includes all attributes so **Employee_Id** is key.

The functional dependency set has the key on the left and rest of the attributes on right. So this relation is in BCNF.

Driver

Attributes: Driver Number, Team Name, Debut, Nationality, Points, G_Year, W_Year, Employee_Id, Position

Minimal FD set: $(Employee_Id) \rightarrow (Driver Number, Team Name, Debut, Nationality, Points, G_Year, W_Year, Position)$

$\{ Employee_Id \}^+ = \{ Driver Number, Team Name, Debut, Nationality, Points, G_Year, W_Year, Employee_Id, Position \}$

The closure of Employee_Id includes all attributes so **Employee_Id** is key.

The functional dependency set has the key on the left and rest of the attributes on right. So this relation is in BCNF.

Pit Crew Member

Attributes: Team Name, Fastest Pit Stop Time(s), Employee Id

Minimal FD set: $\text{Employee_Id} \rightarrow (\text{Team Name}, \text{Fastest Pit Stop Time(s)})$

$\{\text{Employee_Id}\}^+ = \{\text{Employee_Id}, \text{Team Name}, \text{Fastest Pit Stop Time(s)}\}$

The closure of Employee_Id includes all attributes so **Employee_Id** is key.

The functional dependency set has the key on the left and rest of the attributes on right. So this relation is in BCNF.

Team Principle

Attributes: Team Name, Employee Id

Minimal FD set: $\text{Employee_Id} \rightarrow (\text{Team Name})$

$\{\text{Employee_Id}\}^+ = \{\text{Employee_Id}, \text{Team Name}\}$

The closure of Employee_Id includes all attributes so **Employee_Id** is key.

The functional dependency set has the key on the left and rest of the attributes on right. So this relation is in BCNF.

Technician

Attributes: Team Name, Employee Id

Minimal FD set: $\text{Employee_Id} \rightarrow (\text{Team Name})$

$\{\text{Employee_Id}\}^+ = \{\text{Employee_Id}, \text{Team Name}\}$

The closure of Employee_Id includes all attributes so **Employee_Id** is key.

The functional dependency set has the key on the left and rest of the attributes on right. So this relation is in BCNF

Analyst

Attributes: Team Name, Employee Id

Minimal FD set: $\text{Employee_Id} \rightarrow (\text{Team Name})$

$\{\text{Employee_Id}\}^+ = \{\text{Employee_Id}, \text{Team Name}\}$

The closure of Employee_Id includes all attributes so **Employee_Id** is key.

The functional dependency set has the key on the left and rest of the attributes on right. So this relation is in BCNF.

Strategist

Attributes: Team Name, Employee Id

Minimal FD set: $\text{Employee_Id} \rightarrow (\text{Team Name})$

$\{\text{Employee_Id}\}^+ = \{\text{Employee_Id}, \text{Team Name}\}$

The closure of Employee_Id includes all attributes so **Employee_Id** is key.

The functional dependency set has the key on the left and rest of the attributes on right. So this relation is in BCNF

Race Track

Attributes: Nation, Turns, RC_Name, Length, Crowd Capacity, Nearest City, Position_D, Day or Night

Minimal FD set: $\text{Position_D} \rightarrow (\text{Turns, Name, Length, Crowd Capacity, Nearest City, Day or Night})$

$\{\text{Position_D}\}^+ = \{\text{Nation, Turns, Position_D, Name, Length, Crowd Capacity, Nearest City, Day or Night}\}$

The closure of Position_D includes all attributes so **Position_D** is key.

The functional dependency set has the key on the left and rest of the attributes on right. So this relation is in BCNF.

Sponsor

Attributes: S_Name, Devoted Money, Devoted Employees

Minimal FD set: $\text{S_Name} \rightarrow (\text{Devoted Money, Devoted Employees})$

$\{\text{S_Name}\}^+ = \{\text{S_Name}, \text{Devoted Money, Devoted Employees}\}$

The closure of S_Name includes all attributes so **S_Name** is key.

The functional dependency set has the key on the left and rest of the attributes on right. So this relation is in BCNF.

Weather

Attributes: RaceTrack Name, Position, Type

Minimal FD set: $\text{RaceTrack Name} \rightarrow (\text{Position, Type})$

$\{\text{RaceTrack Name}\}^+ = \{\text{RaceTrack Name, Position, Type}\}$

The closure of Racetrack Name includes all attributes so **RaceTrack Name** is key.

The functional dependency set has the key on the left and rest of the attributes on right. So this relation is in BCNF

Records

Attributes: Record_ID, Type, Value

Minimal FD set: $\text{Record_ID} \rightarrow (\text{Type}, \text{Value})$

$\{\text{Record_ID}\}^+ = \{\text{Record_ID}, \text{Type}, \text{Value}\}$

The closure of Record_ID includes all attributes so **Record_ID** is key.

The functional dependency set has the key on the left and rest of the attributes on right. So this relation is in BCNF

Strategy

Attributes: St_Name, Average Laps, Racetrack Name

Minimal FD set: $\text{St_Name} \rightarrow (\text{Average Laps}, \text{Racetrack Name})$

$\{\text{St_Name}\}^+ = \{\text{St_Name}, \text{Average Laps}, \text{Racetrack Name}\}$

The closure of St_Name includes all attributes so **St_Name** is key.

The functional dependency set has the key on the left and rest of the attributes on right. So this relation is in BCNF

Tyres

Attributes: Tyre_Name, Speed Delta, Manufacturer, Longevity, Optimal Temperature(F)

Minimal FD set: $\text{Tyre_Name} \rightarrow (\text{Tyre_Name}, \text{Speed Delta}, \text{Manufacturer}, \text{Longevity}, \text{Optimal Temperature(F)})$

$\{\text{Tyre_Name}\}^+ = \{\text{Tyre_Name}, \text{Speed Delta}, \text{Manufacturer}, \text{Longevity}, \text{Optimal Temperature(F)}\}$

The closure of Tyre_Name includes all attributes so **Tyre_Name** is key.

The functional dependency set has the key on the left and rest of the attributes on right. So this relation is in BCNF

Engine

Attributes: Engine Number, Capacity, Horse Power

Minimal FD set: $\text{Engine Number} \rightarrow (\text{Capacity}, \text{Horse Power})$

$\{\text{Engine Number}\}^+ = \{\text{Engine Number}, \text{Capacity}, \text{Horse Power}\}$

The closure of Engine Number includes all attributes so **Engine Number**, is key.

The functional dependency set has the key on the left and rest of the attributes on right. So this relation is in BCNF.

Grand Prix Points

Attributes: Maximum Grand Prix Points, G_Year

Minimal FD set: $G_Year \rightarrow \text{Maximum Grand Prix Points}$

$\{ G_Year \}^+ = \{ \text{Maximum Grand Prix Points}, G_Year \}$

The closure of Year includes all attributes in **G_Year**, is key.

The functional dependency set has the key on the left and rest of the attributes on right. So this relation is in BCNF.

Dependents

Attributes: Name, Employee_Id, Sex, Date of Birth, Relationship

Minimal FD set: $\text{Name}, \text{Employee_Id} \rightarrow (\text{Sex}, \text{Date of Birth}, \text{Relationship})$

$\{ \text{Name}, \text{Employee_Id} \}^+ = \{ \text{Name}, \text{Employee_Id}, \text{Sex}, \text{Date of Birth}, \text{Relationship} \}$

The closure of Name, Employee_Id includes all attributes so **Name, Employee_Id**, is key.

The functional dependency set has the key on the left and rest of the attributes on right. So this relation is in BCNF.

World Championship Points

Attributes: W_Year

Minimal FD set: No Functional Dependency

So this relation is in BCNF.

Contributes to

Attributes: G_Year, W_Year, Maximum Points

Minimal FD set: $G_Year, W_Year \rightarrow (Maximum\ Points)$

$\{ G_Year, W_Year \}^+ = \{ G_Year, W_Year, Maximum\ Points \}$

The closure of G_Year, W_Year includes all attributes so **G_Year, W_Year** is key.

The functional dependency set has the key on the left and rest of the attributes on right. So this relation is in BCNF.

Manages

Attributes: Employee Id Engine Number

Minimal FD set: No Functional Dependency

So this relation is in BCNF

Formulates

Attributes: Employee Id, St_Name

Minimal FD set: No Functional Dependency

So this relation is in BCNF

Supplies

Attributes: T_Name, Engine Number

Minimal FD set: No Functional Dependency

So this relation is in BCNF

Previous Team of Employees

Attributes: Employee_Id, Previous Team

Minimal FD set: No Functional Dependency

So this relation is in BCNF

Achieves 2

Attributes: T_Name, Record Id

Minimal FD set: No Functional Dependency

So this relation is in BCNF

Achieves 1

Attributes: Employee Id, Record Id, Position

Minimal FD set: No Functional Dependency

So this relation is in BCNF

Influences

Attributes: St_Name, Tyre Name

Minimal FD set: No Functional Dependency

So this relation is in BCNF

Finances 2

Attributes: S_Name, T_Name

Minimal FD set: No Functional Dependency

So this relation is in BCNF

Finances 1

Attributes: S_Name, Position_D

Minimal FD set: No Functional Dependency

So this relation is in BCNF

Drives In

Attributes: Employee Id, Position, Position_D

Minimal FD set: No Functional Dependency

So this relation is in BCNF

