

Predatory pricing

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March 2015

- A running theme in competition policy is the difficulty to distinguish “good” from “bad” practices
- A given agreement or conduct can be pro-competitive in some circumstances and anti-competitive in some others
- Risk of adjudication error
- Especially true in the case of predatory pricing = the maintenance of prices which are so low that preys exit the market, leaving the predator with market power post-exit
- Now, in principle we like low prices!
- So, predation is, in some sense, “too much of a good thing”
- Main concern = over-deterrence = risk of chilling pro-competitive behavior (price cuts) by threatening firms with sanctions in case those prices are deemed too low ex post facto

- Predatory pricing is not treated in the same manner in the US and in the EU
 - Enforcement is more or less dead in the US: no plaintiff has prevailed in a court case since 2003
 - Enforcement is alive in the EU: agencies routinely run predatory pricing cases
- There are historical, institutional, and ideological reasons for this divide:
 - historical: there used to be a lot of predatory pricing cases in the US till the 1980s, and observers agree that many went wrong
 - institutional: private enforcement + jury decision
 - ideological: influence of the Chicago critique (valid objections + prior about prevalence)
- Two main differences:
 - requirements for proving predatory pricing more stringent in the US (recoupment)
 - “margin squeeze” is treated as predatory pricing in the US while a separate offence in the EU

- For economics, predation is an *intertemporal trade-off* akin to standard investment:
 - invest in low prices/low profits now (loss)
 - to reap high profits in the future (recoupment)
- This can work only if:
 - predator has the ability to sustain losses till the exit of the prey
 - prey does not have the same ability to sustain losses
 - predator has the ability to exercise market power post-exit
- If strategy is successful, consumers gain in the short term but lose out in the long term

- Many objections to any theory of predatory pricing, including:
 - the predator, if big, is likely to suffer more losses than the prey
 - why would the prey exit, knowing that the predator intends to raise prices in the future?
 - why would the predator choose to prey, when it can increase profit by more direct means (merger, collusion, side-payment)?
 - why is it that the predator could increase prices post-exit without triggering (re-)entry?
- So, like vertical foreclosure, economists have had to work hard to provide consistent, convincing theories of predatory pricing. As in the case of foreclosure this happened in 1980s and 1990s.

- Two main strands of models:
 - **manipulation of beliefs** of the prey or its creditors: predator and prey are different; asymmetric information in favor of predator; predator acts in a way that makes prey believe that market is unprofitable (low demand, low cost of the prey, etc...)
 - **learning-by-doing**: current marginal cost is a function of cumulative output; producing a lot now reduces future marginal cost

- Since *Matsushita* 1986, firm belief of the Supreme Court that “predatory pricing schemes are rarely tried, and even more rarely successful”
- Since *Brooke* 1993, insists on proof
 - (1) that pricing is below “an appropriate measure of costs”
 - (2) that there is a “dangerous probability” of recoupment of short-term losses
- If initial motion by a plaintiff does not contain evidence to this effect, summarily dismissed (= does not go to “discovery” phase)

- In effect, EU courts agree on the price-cost test but do not impose proof of the likelihood of recoupment
- Since AKZO 1991, the case law can be simplified as follows:
 - A price above ATC is conclusively lawful
 - A price between ATC and AVC is presumptively unlawful if there is extra evidence of a plan for eliminating competitors
 - A price below of AVC is presumptively unlawful
- Can always argue that price is objectively justified
- The CJEU recently reaffirmed the absence of need to prove actual or likely recoupment (although that can be used to show credible intent to exclude)

The “long-purse” / “deep-pocket” theory

- Old idea: if prey does not have easy access to funding, can be eliminated through predatory pricing (cannot sustain losses)
- Not obvious: why would the prey be capital-constrained in first place?
- Why couldn't it downscale operations and explain to creditor that it is preyed upon but that the market is in fact profitable?
- Careful response: Bolton-Sharfstein AER 1990
- Creditors do not know whether the firm is preyed upon or just “bad”
- More precisely, moral hazard on the part of firm requires incentive-contracting (do not renew funding if bad performance); predator can take advantage of this by making sure that the prey does perform badly; anticipating this, there is premature exit

Model of agency relationship

- Two firms, A and B
- Both incur fixed cost F at the beginning of every period
 - self-financed for A
 - externally financed for B (by monopoly investor)
- B 's gross profit in any period is either $\pi_1 < F$ with probability θ or $\pi_2 > \pi_1$
- Valuable investment: $\bar{\pi} = \theta\pi_1 + (1 - \theta)\pi_2 > F$
- $\pi_2 - \pi_1$: non-contractible component of profit; that is, level of profit is not observable

Model of agency relationship (2)

- 2 periods
- Revelation game:
 - investor gives firm F at the beginning of period 1
 - firm reports π_i at the end of period 1; pays R_i
 - investor renews funding with probability β_i (function of report π_i) at the beginning of period 2
 - firm reports π_j at the end of period 2; pays R_{ij}

Optimal contract without predation (Section I)

- One must have $R_{i1} = R_{i2} = R^i$ (incentive-compatibility)
- One must have $R^1 \leq \pi_1 - R_i + \pi_1$ (limited liability)
- Optimal contract

$$\begin{aligned} \max_{\beta_i, R_i, R^i} \quad & -F + \theta [R_1 + \beta_1(R^1 - F)] + (1 - \theta) [R_2 + \beta_2(R^2 - F)] \\ \text{s.t.} \quad & (1) \quad \pi_2 - R_2 + \beta_2(\bar{\pi} - R^2) \geq \pi_2 - R_1 + \beta_1(\bar{\pi} - R^1) \\ & (2) \quad R_i \leq \pi_i \\ & (2') \quad \pi_i - R_i + \pi_1 \geq R^i, i = 1, 2 \\ & (3) \quad \theta [\pi_1 - R_1 + \beta_1(\bar{\pi} - R^1)] + (1 - \theta) [\pi_2 - R_2 + \beta_2(\bar{\pi} - R^2)] \geq 0 \end{aligned}$$

Optimal contract without predation (2)

- (3) (the participation constraint) does not bind (follows from (2) and (2'))
- (1) (the incentive-compatibility constraint) binds (firm has an incentive to lie about high profit)
- Can focus attention on contract with $R^1 = R^2 = \pi_1$
- So, $\max_{\beta_i, R_i} -F + R_1 + \beta_2 (1 - \theta) (\bar{\pi} - F) - \beta_1 [\theta F + (1 - \theta) \bar{\pi} - \pi_1]$ s.t. $R_i \leq \pi_i$
- Solution:
 - $R_1^* = \pi_1$
 - $\beta_2^* = 1$
 - $\beta_1^* = 0$
 - $R_2^* = \bar{\pi}$

Optimal contract without predation (3)

- Give maximal incentive to report high profit: punish report π_1 (complete surplus extraction, no continuation), reward report π_2 (tax less, funding renewal)
- Investor cannot set $R_2 = 0$, for he would collect only $\pi_1 < F$ in period 2 (loss)
- Need to extract profit in period 1 (to the extent IC is satisfied) + F cannot be too large
- Expected profit for investor: $\pi_1 - F + (1 - \theta)(\bar{\pi} - F)$
- Proposition 1

Optimal contract with predation (Section II)

- Now, we add product-market interaction
- For unobservable cost $c > 0$, A can increase probability of low profit from θ to μ
- If B exists in period 2, then A is a monopolist and earns π^m
- If B stays, duopoly profits π^d
- A preys is benefits > costs: $(\mu - \theta) (\beta_2 - \beta_1) (\pi^m - \pi^d) > c$
- The previously financially optimal contract *maximizes* the benefit from predation!
- Denote $\Delta \equiv c / [(\mu - \theta) (\pi^m - \pi^d)]$. Predation occurs if $\Delta < \beta_2 - \beta_1$
- Assume financial contract is observable

Optimal contract with predation (2)

- By reducing $\beta_2 - \beta_1$, investor can deter predation
- Identify best contract that deters predation
- Compare profit to contract that does not deter predation
- For first task, same program as before but with extra, no-predation constraint
- Constraint is binding. So, $\beta_2 - \beta_1 = \Delta$
- $R_1 = \pi_1$ as before; from IC, $R_2 = \pi_1 + \Delta(\bar{\pi} - \pi_1)$
- Solution, $\beta_1^* = 0$ and $\beta_2^* = \Delta$
- To get to a target $\beta_2 - \beta_1$, it is costly to increase β_1 (investor is ripped off in period 2) whereas it is less costly to decrease β_2 (tax less in period 1)

Optimal contract with predation (2)

- Obviously, outcome depends on Δ
- B enters only if Δ is high
- If very high, then predation is deterred post entry; if intermediate, predation takes place (Proposition 2)
- So, predation threat magnifies distortion (firm B is liquidated even more often in period 2)

- How to detect predation according to this theory?
- Is this a theory of predatory *pricing*?
- Does it speak to the fundamental problem of enforcement mistakes?