

Health effects of OOP

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Work in Progress

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Introduction

Health insurance

- ▶ healthcare costs increase in all developed countries
- ▶ insurance can cause moral hazard
- ▶ oop payments is one way to mitigate this
- ▶ if a deductible increase reduces expenditure, we view this as welfare enhancing
- ▶ what if oop cause people to postpone *valuable* treatments?
- ▶ can we identify this effect across countries?

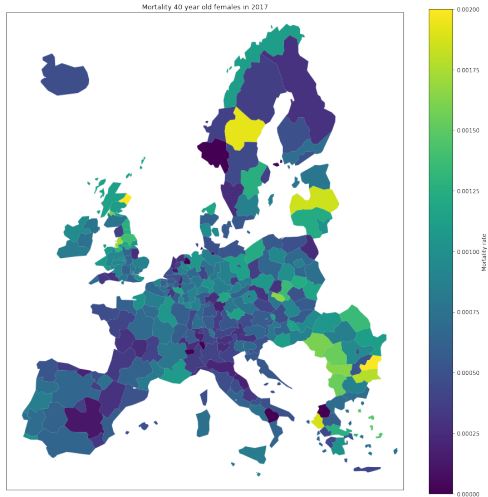
Health effects

- ▶ postponing/forgoing valuable care has health effects
- ▶ measuring health effects is not easy
- ▶ we use mortality per NUTS 2 region/year/age/gender in European countries
- ▶ time varying NUTS 1 fixed effects

Insurance generosity

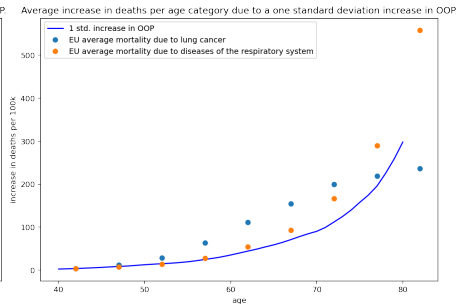
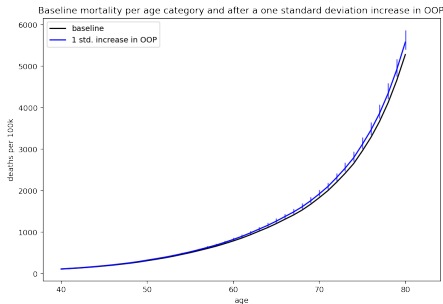
- ▶ comparing insurance generosity across countries is not straightforward
- ▶ how to compare a system with high deductible but low coinsurance rate or many treatments exempted from oop with a low deductible system?
- ▶ we use variable OOP: % oop in total health expenditure in a country
- ▶ high oop is especially problematic for people on low income
- ▶ they could forgo treatment if it is expensive
- ▶ if this mechanism exists: higher mortality in regions where OOP × Poverty is high

NUTS 2 regions in Europe



Summary: effect of increase in OOP on mortality in poor regions

Mortality effects of one standard deviation increase in OOP in a region with poverty two standard deviations above the mean.



Literature: individual level data

- ▶ recent literature on relation oop and mortality
- ▶ US individual level data
- ▶ e.g. Miller et al. (2021) on Medicaid eligibility expansion:
 - ▶ introduced in different states at different times
- ▶ Chandra et al. (2021) Medicare part D prescription drug coverage
 - ▶ enrollment month
- ▶ behavioral hazard: Baicker et al. (2015)

This paper

- ▶ European regional data
- ▶ more broad brush: cannot capture effect of 1% increase in deductible
- ▶ compare health insurance systems that are more/less generous
- ▶ more variation in OOP than with Dutch individual level data
- ▶ European health insurance more homogeneous across regions in a country

Two equations to estimate

Number of deaths

- ▶ per age, gender, year, nuts 2 region
- ▶ k deaths out of n population: $\binom{n}{k} m^k (1 - m)^{n-k}$

$$h_{2atg} = \mu_{1tg}\beta_a + \mu_{ag} + \beta_{poverty,a}Poverty_{2t} + \beta_{educ,a}Educ_{2tg} \\ + \beta_{unmet,a}Unmet_{2t} + \beta_{lagged_log_odds}h_{2a-1t-1g}$$

$$m_{2atg} = \frac{e^{h_{2atg}}}{1 + e^{h_{2atg}}}$$

Too expensive

- ▶ one motivation for unmet medical needs is that treatment was too expensive
- ▶ fraction of people in a region indicating that they postponed/forgone treatment because it was too expensive:

$$\begin{aligned} TooExp_{2t} = & b_{0,c} + b_{oop}HealthExpend_{ct}OOP_{ct} \\ & + b_{interaction}HealthExpend_{ct}OOP_{ct}Poverty_{2t} \end{aligned}$$

Model

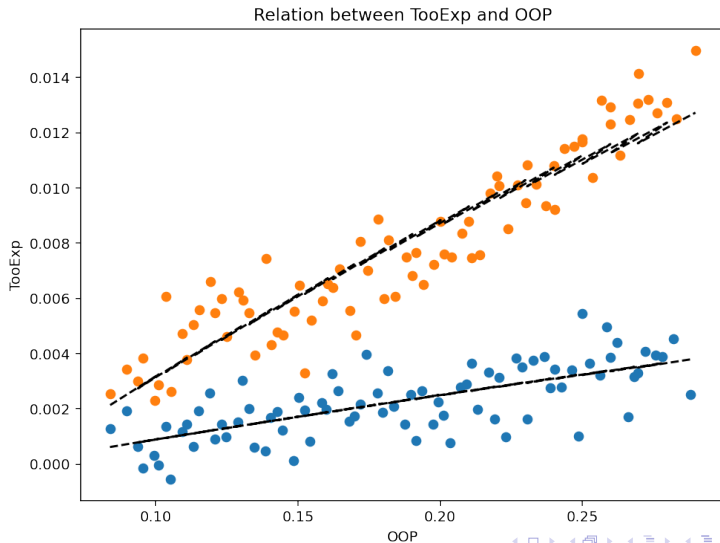
Ingredients

- ▶ fraction α low income l ; $1 - \alpha$ high income h
- ▶ probability falling ill: $\pi^l > \pi^h$
- ▶ coinsurance ξ ; deductible D
- ▶ health effects: $1 > \sigma_x > \sigma_0 \geq 0$
- ▶ get treatment if: $\nu \sigma_x u(y^j - oop) > \sigma_0 u(y^j)$
- ▶ other factors affecting treatment decision: $G(\nu)$
- ▶ probability treatment: $1 - G\left(\frac{\sigma_0}{\sigma_x} \frac{u(y^j)}{u(y^j - oop)}\right)$

Model outcomes

- ▶ mortality $m_{at} = \frac{e^{h_{at}}}{1+e^{h_{at}}}$ where health:
- ▶ $h_{at} = \text{fixed effects} + \gamma h_{a-1t-1} - \text{expected health}$
- ▶ expected health depends on poverty, unmet medical needs
- ▶ too expensive: $G\left(\frac{\sigma_0}{\sigma_x} \frac{u(y^j)}{u(y^j - oop)}\right) - G\left(\frac{\sigma_0}{\sigma_x}\right)$
- ▶ $\text{OOP} \approx \frac{\zeta \xi x_0 + (1-\zeta)D}{\zeta x_0 + (1-\zeta)x_1}$
- ▶ as we vary ξ, D we generate a relation between OOP and TooExp

Relation OOP and TooExp



Data

Eurostat data: 2009-2019; ages 2-85

Table: Summary statistics main variables

	count	mean	std	dim.
population	514212.00	10051.42	9441.60	nuts 2, age, g
deaths	514212.00	71.14	134.86	nuts 2, age, g
poverty	212820.00	17.13	7.92	nuts 2
too exp.	113700.00	2.14	3.21	nuts 2
unmet	113700.00	5.02	3.87	nuts 2
out-of-pocket	411980.00	18.75	7.54	country
low educ.	504216.00	24.11	13.67	nuts 2, g
expend. per head	452072.00	3129.58	1646.01	country

Missing values

- ▶ we have missing values
- ▶ but cannot afford to drop them
- ▶ variables based on sums are normally distributed
- ▶ we standardize variables: mean 0.0 and standard deviation 1.0
- ▶ when value is missing, we draw a value from this distribution
- ▶ allows us to estimate the relevant effects
- ▶ keep the uncertainty in the posterior distributions

Estimation

Estimation technique

- ▶ Bayesian analysis: are we 95% sure that the following chain of effects is present:
 - ▶ higher oop leads to higher unmet needs in areas with high poverty
 - ▶ which then leads to higher mortality
- ▶ we approximate the posterior distribution using Automatic Differentiation Variational Inference (ADVI)
- ▶ Gaussian Processes for coefficients that depend on age: $\beta(a)$ is more closely correlated with $\beta(a + 1)$ than with $\beta(a + 20)$
- ▶ squared exponential kernel

Results

Fit

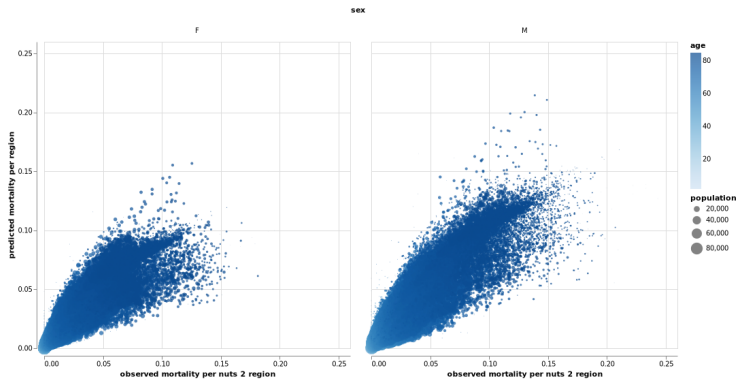


Figure: Fit of estimated and observed mortality across all observations.

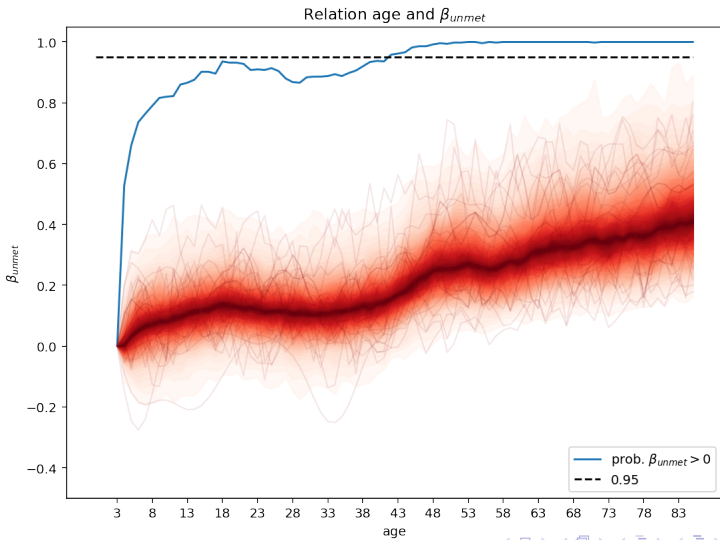
Coefficients

$$TooExp_{2t} = b_{0,c} + b_{oop}HealthExpend_{ct}OOP_{ct} \\ + b_{interaction}HealthExpend_{ct}OOP_{ct}Poverty_{2t}$$

$$h_{2atg} = \mu_{1tg}\beta_a + \mu_{ag} + \beta_{poverty,a}Poverty_{2t} + \beta_{educ,a}Educ_{2tg} \\ + \beta_{unmet,a}Unmet_{2t} + \beta_{lagged_log_odds}h_{2a-1t-1g}$$

Table: Summary statistics for estimated coefficients

variable	mean	sd	hdi_3%	hdi_97%
$\beta_{lagged_log_odds}$	-0.032	0.232	-0.464	0.402
b_{oop}	0.018	0.005	0.009	0.029
$b_{interaction}$	0.017	0.003	0.012	0.022

GP for β_{unmet} 

Main result: in a poor region

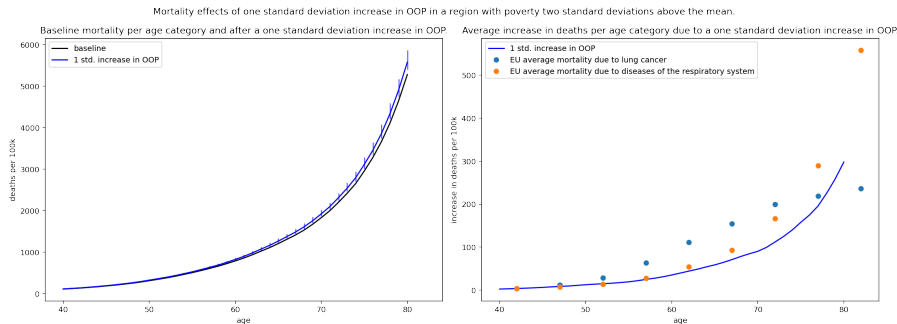


Figure: One std. increase in OOP: From Dutch to Finish system; Finland to Switzerland; Switzerland to Greece

Robustness analysis

- ▶ include voluntary health insurance payments in OOP measure
- ▶ material deprivation as poverty measure
- ▶ separate effect of TooExp and other unmet needs on mortality

Conclusions

Bayesian analysis

- ▶ we find the following:
 - ▶ consider a country with high OOP
 - ▶ people in a region with high poverty rate
 - ▶ are more likely to report unmet medical needs because treatment was too expensive
 - ▶ unmet medical needs increase mortality
- ▶ for people above age 45 living in a poor region we are at least 95% sure that an increase in oop increases mortality
- ▶ the increase in mortality due to a std. increase in OOP is comparable to mortality due to lung cancer in the EU for the ages above 45

Policy implications

- ▶ increasing oop leads to more costs than just risk aversion
- ▶ in poor areas, increase in mortality is comparable to lung cancer
- ▶ doing without oop is not an option:
 - ▶ means tested oop
 - ▶ let copayments vary with cost effectiveness of treatments