Lab 5: Static Circuits: Transconductance Amplifier

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Date:

Lab objectives

The objectives of this lab are to understand and characterize one of the most important circuit in analog IC design.

The experimental objectives are as follows:

- To characterize a simple differential transconductance amplifier and understand its operation in terms
 of the behavior of the differential pair and the current mirror. Specifically, to understand the
 dependence of the output current on the differential input voltages.
- 2. To characterize single-stage 2-transistor "common-source" amplifier gain, and how it arises from transconductance and output impedance.

1 Prelab

1.1 Transconductance amplifier

• Now consider a simple differential transconductance amplifier which is built from a differential pair and a current mirror. The output current should be equal to the the difference of the two differential pair currents, i. e. $I_{out} = I_1 - I_2$. Is this statement true? Justify your answer by stating your assumptions about transistor saturation and drain conductance.

To stay in saturation, we need to fulfill $\kappa(max(V_1,V_2)-V_b)+4U_T< V_{out}< V_{dd}-4U_T.$ So the relationship $I_{out}=I_1-I_2$ is true only for the currents that can be reached under the above condition. If V_{out} is too low, I_{out} is too low, I_{out} is too low.

• Now consider the transconductance amplifier with the output open-circuited (i.e. no current flows into or out of the output node). Say V_2 is fixed at some voltage in the middle of the rails, e.g., $\frac{Vdd}{2}$. Explain what happens to the output voltage as V_1 is swept from below V_2 to above V_2 for a subthreshold bias. Discuss the current through the differential pair transistors and the current mirror, and the voltage on the internal node common to the differential pair transistors. Try to keep the discussion concise.

Assuming we start with V_{out} in a valid range: V_{out} will stay small enough, since V_{dd} is not changed, but as soon as V_1 is bigger than V_2 , the minimum allowed value for V_{out} will grow,

so we will have to adjust it to at least $\kappa(V_1-V_b)+4U_T$. As soon as $V_1=\kappa^{-1}(V_{dd}-8U_T)+V_b$, there will be no valid V_{out} anymore.

• What is the transconductance $g_m=rac{{
m d}I_{out}}{{
m d}V_{in}}$, where $V_{in}\equiv V_1-V_2$, in sub-threshold? How does it change if the circuit is operated super-threshold?

In words, the transconductance is how much change in output current we get when we change the input voltage.

In equations:

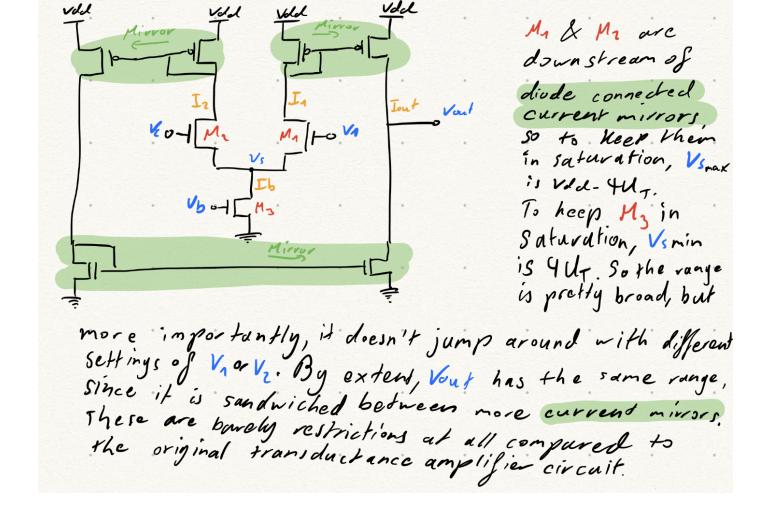
- ullet sub-threshold: $g_m=rac{I_b\kappa}{2I_T}$, grows linearly with I_b .
- super-threshold: $g_m=\sqrt{\beta I_B}$, so now it only grows sublinearly with I_B .
- Quantitatively, what is the relationship between transconductance, output resistance r_o , and voltage gain A of a transconductance amplifier?

Assuming sub-threshold and all relevant transistors in saturation:

$$egin{align*} ullet & g_m = rac{\partial I_{out}}{\partial V_{in}} pprox rac{I_b \kappa}{2U_T} \ ullet & g_d = rac{\partial I_{out}}{\partial V_{out}} = rac{\partial V_{in}}{\partial V_{out}} g_m pprox rac{I_b}{V_E} = rac{2U_T}{\kappa V_E} g_m \ ullet & r_o = g_d^{-1} = rac{\partial V_{out}}{\partial I_{out}} = rac{\partial V_{out}}{\partial V_{in}} g_m^{-1} pprox rac{V_E}{I_b} = rac{\kappa V_E}{2U_T} g_m^{-1} \ ullet & A = rac{g_m}{g_d} = g_m r_o \end{aligned}$$

1.2 Wide-Range Transamp

• Draw the schematic of a wide-range transconductance amplifier and explain why it does not have the simple 5-transistor transamp restriction on allowable output voltage. You can either draw the schematic directly on the Jupyter notebook using the *schemdraw*, or sketch it with pen and paper and paste a picture in a Markdown cell.



2 Setup

```
2.1 Connect the device
In [1]:
         # import the necessary library to communicate with the hardware
         import pyplane
         import time
         import numpy as np
         import matplotlib.pyplot as plt
In [2]:
         # create a Plane object and open the communication
         if 'p' not in locals():
             p = pyplane.Plane()
             trv:
                 p.open('/dev/ttyACM0')
             except RuntimeError as e:
                 del p
                 print(e)
In [3]:
         p.get firmware version()
        (1, 8, 4)
Out[3]:
In [4]:
         # Send a reset signal to the board, check if the LED blinks
         p.reset(pyplane.ResetType.Soft)
```

```
time.sleep(0.5)
# NOTE: You must send this request events every time you do a reset operation, otherwise {
# Because the class chip need to do handshake to get the communication correct.
p.request_events(1)

In [5]:
# Try to read something, make sure the chip responses
p.read_current(pyplane.AdcChannel.GOO_N)

Out[5]:
1.8530273848682555e-07

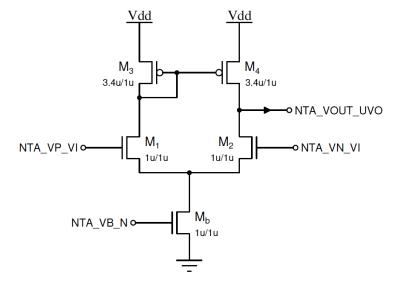
In [6]:
# If any of the above steps fail, delete the object, and restart the kernel
# del p
```

2.2 Setup C2F and voltage output buffer

```
In [7]:
         # setup C2F
         p.send coach events([pyplane.Coach.generate biasgen event(\
             pyplane.Coach.BiasAddress.C2F HYS P, \
             pyplane.Coach.BiasType.P, \
             pyplane.Coach.BiasGenMasterCurrent.I60pA, 100)])
         time.sleep(0.2)
         p.send coach events([pyplane.Coach.generate biasgen event(\
             pyplane.Coach.BiasAddress.C2F BIAS P, \
             pyplane.Coach.BiasType.P, \
             pyplane.Coach.BiasGenMasterCurrent.I240nA, 255)])
         time.sleep(0.2)
         p.send coach events([pyplane.Coach.generate biasgen event(\
             pyplane.Coach.BiasAddress.C2F PWLK P, \
             pyplane.Coach.BiasType.P, \
             pyplane.Coach.BiasGenMasterCurrent.I240nA, 255)])
         time.sleep(0.2)
         p.send coach events([pyplane.Coach.generate biasgen event(\
             pyplane.Coach.BiasAddress.C2F REF L, \
             pyplane.Coach.BiasType.N, \
             pyplane.Coach.BiasGenMasterCurrent.I30nA, 255)])
         time.sleep(0.2)
         p.send coach events([pyplane.Coach.generate biasgen event(\
             pyplane.Coach.BiasAddress.C2F REF H, \
             pyplane.Coach.BiasType.P, \
             pyplane.Coach.BiasGenMasterCurrent.I30nA, 255)])
         time.sleep(0.2)
         # setup output rail-to-rail buffer
         p.send coach events([pyplane.Coach.generate biasgen event(\
             pyplane.Coach.BiasAddress.RR BIAS P, \
             pyplane.Coach.BiasType.P, \
             pyplane.Coach.BiasGenMasterCurrent.I240nA, 255)])
```

3 N-Type 5T Transamp

3.0 Schematic and pin map



$$V_1$$
 = V_p = NTA_VP_VI = AIN3

$$V_2 = V_n = \mathsf{NTA_VN_VI} = \mathsf{AIN4}$$

 V_{out} = NTA_VOUT_UVO = ADC[13]

$$I_{out}$$
 = $I_+ - I_-$ = NTA_IOUT_UO - NTA_IOUT_UBO = C2F[11] - C2F[12]

Note: There are three identical NTA circuits with the same bias and input voltages, one with the output open-circuited and routed out at NTA_VOUT*UVO*, the other two with $V_{voltar} = V_{voltar} + V_{voltar} = V_{voltar} + V$

3.1 Chip configuration

3.2 Calibration of C2F channels

Here you need to calibrate NTA_IOUT_UO and NTA_IOUT_UBO in the same way as the last lab

3.2.1 NTA_IOUT_UO

• Set fixed voltages for V_1 and V_2

```
In [10]:
    p.set_voltage(pyplane.DacChannel.AIN3,0.8) # V1 = 0.8
    time.sleep(0.2) # settle time
    p.set_voltage(pyplane.DacChannel.AIN4,0.2) # V2 = 0.2
```

Out[10]: 0.19882699847221375

Set voltages such that $V_1 \gg V_2$.

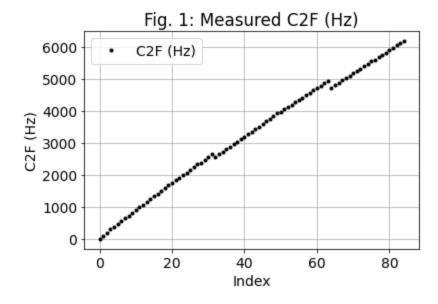
• Data aquisition (Hint: use master current for I_b = 30 nA)

```
In [11]: import numpy as np
```

```
[1, 105, 198, 298, 365, 464, 552, 650, 724, 820, 907, 1002, 1064, 1157, 1242, 1332, 1410, 1503, 1585, 1678, 1737, 1827, 1911, 1998, 2068, 2157, 2236, 2325, 2383, 2475, 2552, 2639, 2553, 2641, 2720, 2804, 2866, 2955, 3029, 3124, 3187, 3276, 3349, 3443, 3497, 3587, 3668, 3757, 3824, 3917, 3977, 4060, 4119, 4182, 4266, 4346, 4411, 4496, 4571, 4652, 4705, 4789, 4863, 4941, 4726, 4805, 4881, 4963, 5016, 5096, 5171, 5246, 5303, 5392, 5464, 5548, 5595, 5679, 5748, 5819, 5885, 5971, 6039, 6113, 6171]
```

Plot

```
In [32]: plt.plot(c2f_Iout_U0_ex3, '.k', label="C2F (Hz)")
    plt.xlabel("Index")
    plt.ylabel("C2F (Hz)")
    plt.title("Fig. 1: Measured C2F (Hz)")
    plt.legend()
    plt.grid()
    plt.show()
```



· Save data

```
In [14]:  # if the data looks nice, save it!
     data_Iout_UO_ex3_cal= [c2f_Iout_UO_ex3, calIout_UO_ex3]
```

```
# save to csv file
np.savetxt('./data/c2f_Iout_U0_ex3_cal_I_plus.csv', data_Iout_U0_ex3_cal, delimiter=',')
```

Load data you saved

C2f plot

```
In [23]:
# C2f plot
import matplotlib.pyplot as plt
import numpy as np
plt.rcParams.update({'font.size': 14})

Iout_UO_ex3 = calIout_UO_ex3_save/256*30

plt.plot(Iout_UO_ex3,c2f_Iout_UO_ex3_save,'k+')

plt.xlabel('$I_b$ (nA)')
plt.ylabel('C2F (Hz)')
# plt.legend(['C2F'],prop={'size': 14})
plt.title('Fig. 2: C2F values vs. $I_1$ for $V_1 \gg V_2$.')
plt.grid()
plt.show()
```

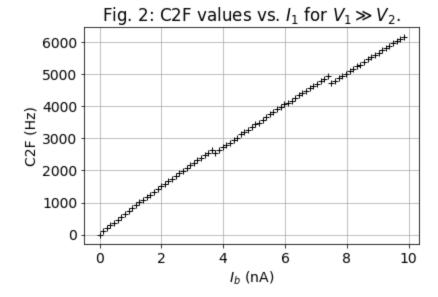


Fig. 1 shows the C2F values obtained by sweeping the bias current over the range $I_b \in [0 \text{nA}, 10 \text{nA}]$, whereas $V_1 = 0.8 \text{V}$ and $V_2 = 0.2 \text{V}$.

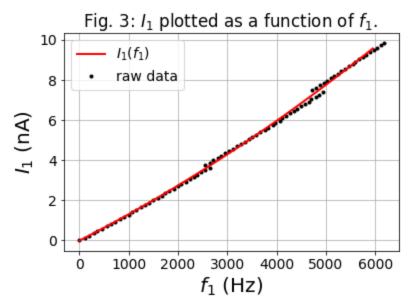
The values for V_1 and V_2 were chosen such that $V_1\gg V_2$. For these values, the corresponding currents becomes $I_1\approx I_b$ and $I_2\approx 0$. The measured data can therefore be utilized to determine the mapping between $I_1\approx I_b$ and the C2F measurements for the transconductance amplifier.

• Extract the function $I_{+}\left(f_{+}\right)$ (Hint: use higher order polynomial to increase accuracy)

```
In [24]: # plot the raw data
  raw_UO, = plt.plot(c2f_Iout_UO_ex3_save, Iout_UO_ex3, '.k')
# data range you want to fit
```

```
low bound = 2
high bound = 80
# print(c2f Iout UO ex3[low bound:high bound])
# fit polynomial to C2F (frequency) vs I data
a2 1, a1 1, a0 1 = np.polyfit(c2f Iout UO ex3 save[low bound:high bound], Iout UO ex3[low
# print(a0)
# print(a1)
# print(a2)
# Print out the function I(f) you got
I freq = np.polyfit(c2f Iout UO ex3 save[low bound:high bound], Iout UO ex3[low bound:high
print ('The I1(f1) function of NTA IOUT UO is :')
print (np.poly1d(I_freq))
# select frequency range that you want to plot
freq = np.arange(0, 6000, 50)
# print(freq)
I1 = a2 1*freq**2 + a1 <math>1*freq + a0 1 # function I(f)
fit, = plt.plot(freq, I1, 'r-', linewidth=2)
plt.xlabel('$f 1$ (Hz)', {'size':20})
plt.ylabel('$I 1$ (nA)', {'size':20})
plt.legend([fit, raw UO], ['$I 1(f 1)$', 'raw data'],prop={'size': 14})
plt.title('Fig. 3: $I 1$ plotted as a function of $f 1$. ')
plt.grid()
plt.show()
```

The I1(f1) function of NTA_IOUT_UO is:
2
5.967e-08 x + 0.001255 x - 0.01069



3.2.2 NTA_IOUT_UBO

• Set fixed voltages for V_1 and V_2

```
In [19]:
    p.set_voltage(pyplane.DacChannel.AIN3,0.2) # V1 = 0.2
    time.sleep(0.2) # settle time
    p.set_voltage(pyplane.DacChannel.AIN4,0.8) # V2 = 0.8
```

Out[19]: 0.798827052116394

Set voltages such that $V_1 \ll V_2$.

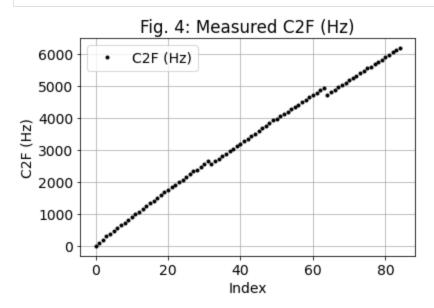
• Data aquisition (Hint: use master current for I_b 30 nA)

```
In [25]:
          import numpy as np
          import time
          callout UBO ex3 = np.arange(0,85,1) # bias current sweep range
          c2f Iout UBO ex3 = []
          for n in range(len(callout UBO ex3)):
              # set bias
              p.send coach events([pyplane.Coach.generate biasgen event(\
              pyplane.Coach.BiasAddress.NTA VB N, \
              pyplane.Coach.BiasType.N, \
              pyplane.Coach.BiasGenMasterCurrent.I30nA, callout UBO ex3[n])])
              time.sleep(0.2) # settle time
              # read c2f values
              c2f Iout UBO ex3 temp = p.read c2f output(0.1)
              c2f Iout UBO ex3.append(c2f Iout UBO ex3 temp[12])
          print(c2f Iout UBO ex3)
         [1, 85, 159, 240, 293, 370, 441, 518, 579, 655, 723, 798, 848, 923, 989, 1065, 1121, 1199,
         1266, 1340, 1383, 1461, 1527, 1602, 1652, 1727, 1789, 1860, 1908, 1980, 2035, 2109, 2043,
```

[1, 85, 159, 240, 293, 370, 441, 518, 579, 655, 723, 798, 848, 923, 989, 1065, 1121, 1199, 1266, 1340, 1383, 1461, 1527, 1602, 1652, 1727, 1789, 1860, 1908, 1980, 2035, 2109, 2043, 2116, 2171, 2240, 2287, 2367, 2419, 2492, 2545, 2623, 2676, 2752, 2801, 2863, 2936, 3002, 3060, 3125, 3202, 3280, 3310, 3376, 3446, 3507, 3564, 3624, 3694, 3741, 3781, 3864, 3920, 3986, 3818, 3880, 3934, 3993, 4037, 4109, 4167, 4226, 4281, 4347, 4394, 4459, 4502, 4568, 4636, 4689, 4747, 4824, 4869, 4934, 4973]

Plot

```
In [36]:
    plt.plot(c2f_Iout_U0_ex3, '.k', label="C2F (Hz)")
    plt.xlabel("Index")
    plt.ylabel("C2F (Hz)")
    plt.title("Fig. 4: Measured C2F (Hz)")
    plt.legend()
    plt.grid()
    plt.show()
```



· Save data

```
In [27]:  # if the data looks nice, save it!
    data_Iout_UBO_ex3_cal= [c2f_Iout_UBO_ex3, calIout_UBO_ex3]
    # save to csv file
    np.savetxt('./data/c2f_Iout_UBO_ex3_cal_I_minus.csv', data_Iout_UBO_ex3_cal, delimiter=',
```

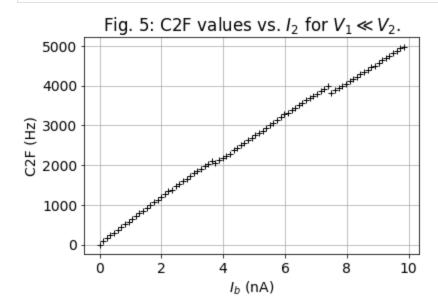
· Load data you saved

```
In [25]: [c2f_Iout_U0_ex3_save, calIout_U0_ex3_save] = np.loadtxt('./data/c2f_Iout_UB0_ex3_cal_I_min
In [26]: # c2f plot
import matplotlib.pyplot as plt
import numpy as np
plt.rcParams.update({'font.size': 14})

Iout_U0_ex3 = calIout_U0_ex3_save/256*30

plt.plot(Iout_U0_ex3,c2f_Iout_U0_ex3_save,'k+')

plt.xlabel('$I_b$ (nA)')
plt.ylabel('C2F (Hz)')
# plt.legend(['C2F'],prop={'size': 14})
plt.title('Fig. 5: C2F values vs. $I_2$ for $V_1 \ll V_2$.')
plt.grid()
plt.show()
```



ullet Extract the function $I_-\left(f_ight)$ (Hint: use higher order polynomial to increase accuracy)

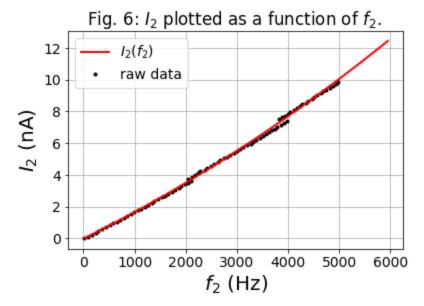
```
In [27]: # plot the raw data
    raw_UO, = plt.plot(c2f_Iout_UO_ex3_save, Iout_UO_ex3, '.k')

# data range you want to fit
    low_bound = 2
    high_bound = 80
# print(c2f_Iout_UO_ex3[low_bound:high_bound])

# fit polynomial to C2F (frequency) vs I data
    a2_2, a1_2, a0_2 = np.polyfit(c2f_Iout_UO_ex3_save[low_bound:high_bound], Iout_UO_ex3[low_bound]
```

```
# print(a0)
# print(a1)
# print(a2)
# Print out the function I(f) you got
I freq = np.polyfit(c2f Iout UO ex3 save[low bound:high bound], Iout UO ex3[low bound:high
print ('The I1(f1) function of NTA IOUT UO is :')
print (np.poly1d(I freq))
# select frequency range that you want to plot
freq = np.arange(0, 6000, 50)
# print(freq)
I1 = a2 2*freq**2 + a1 <math>2*freq + a0 2 # function I(f)
fit, = plt.plot(freq, I1, 'r-', linewidth=2)
plt.xlabel('$f 2$ (Hz)', {'size':20})
plt.ylabel('$I 2$ (nA)', {'size':20})
plt.legend([fit, raw UO], ['$I 2(f 2)$', 'raw data'],prop={'size': 14})
plt.title('Fig. 6: $1 2$ plotted as a function of $f_2$.')
plt.grid()
plt.show()
```

The I1(f1) function of NTA_IOUT_UO is:
2
8.479e-08 x + 0.001588 x - 0.01483



3.3 Output voltage vs. input voltage

3.3.1 Basic measurement

• Set bias current I_b

```
I_b = w rac{BG_{	ext{fine}}}{256} I_{BG_{	ext{master}}} = rac{42}{256} \cdot 30 	ext{nA} pprox 5 	ext{nA}.
```

• Set fixed value of V_2 (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [54]:
    p.set_voltage(pyplane.DacChannel.AIN4, 0.9) # V2 = 0.9?
    v2_real = p.get_set_voltage(pyplane.DacChannel.AIN4)
    print("V2 is set to {} V".format(v2_real))
```

V2 is set to 0.8991203308105469 V

• Sweep V_1 and measure V_{out} (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [55]:
          import numpy as np
          import time
          V1 sweep ex3 = np.arange(0, 1.8, 0.05) # voltage V1 sweep range
          V2 ex3 getset = p.get set voltage(pyplane.DacChannel.AIN4)
          Vout V1 sweep ex3 = []
          V1 sweep ex3 getset = []
          for n in range(len(V1 sweep ex3)):
              p.set voltage(pyplane.DacChannel.AIN3,V1 sweep ex3[n]) #
              time.sleep(0.3) # settle time
              V1 sweep ex3 getset.append(p.get set voltage(pyplane.DacChannel.AIN3))
                Vout V1 sweep ex3.append(p.read adc instantaneous(13))
              Vout V1 sweep ex3.append(p.read voltage(pyplane.AdcChannel.AOUT13))
          # print(V2 ex3 getset)
          # print(V1 sweep ex3 getset)
          # print(Vout V1 sweep ex3)
```

Plot raw data

```
In [56]: 
    plt.plot(V1_sweep_ex3_getset, Vout_V1_sweep_ex3, 'bo-', label="$V_{out}$")
    plt.title("Fig. 7: $V_{out}$ vs. $V_1$ with $V_2 = 0.9 V$ and $I_b = 5 nA$")
    plt.xlabel("$V_1$ (V)")
    plt.ylabel("$V_{out}$ (V)")
    plt.legend()
    plt.grid()
    plt.show()
```

Fig. 7: V_{out} vs. V_1 with $V_2 = 0.9V$ and $I_b = 5nA$ 1.5

2 1.0

0.0

0.0

0.5

1.5

 V_1 (V)

· Save raw data

```
In [50]: # if the data looks nice, save it!
    data_Vout_V1_sweep_ex3 = [V1_sweep_ex3_getset, Vout_V1_sweep_ex3]
    # save to csv file
    np.savetxt('./data/Vout_sweep_ex3_1.csv', data_Vout_V1_sweep_ex3, delimiter=',')

In []: [V1_sweep_ex3_getset_save, Vout_V1_sweep_ex3_save] = np.loadtxt('./data/Vout_sweep_ex3_1.c
```

3.3.2 Different bias currents

Repeat 3.3.1 with another two bias currents and compare the three curves

The bias current was switched from $I_b \approx 5 \mathrm{nA}$ to $I_b \approx 10 \mathrm{nA}$.

• Set fixed value of V_2 (Hint: use get_set_voltage to get the real value set on the DAC)

```
In []:
    p.set_voltage(pyplane.DacChannel.AIN4, 0.9) # V2 = 0.9?
    v2_real = p.get_set_voltage(pyplane.DacChannel.AIN4)
    print("V2 is set to {} V".format(v2_real))
```

V2 is set to 0.8991203308105469 V

```
import numpy as np
import time

V1_sweep_ex3 = np.arange(0,1.8,0.05) # voltage V1 sweep range

V2_ex3_getset = p.get_set_voltage(pyplane.DacChannel.AIN4)

Vout_V1_sweep_ex3 = []
V1_sweep_ex3_getset = []
```

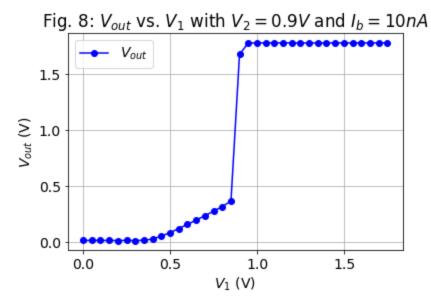
```
for n in range(len(V1_sweep_ex3)):
    p.set_voltage(pyplane.DacChannel.AIN3,V1_sweep_ex3[n]) #
    time.sleep(0.3) # settle time

    V1_sweep_ex3_getset.append(p.get_set_voltage(pyplane.DacChannel.AIN3))
    Vout_V1_sweep_ex3.append(p.read_adc_instantaneous(13))
    Vout_V1_sweep_ex3.append(p.read_voltage(pyplane.AdcChannel.AOUT13))

# print(V2_ex3_getset)
# print(V1_sweep_ex3_getset)
# print(V0ut_V1_sweep_ex3)
```

Plot raw data

```
In [67]:
    plt.plot(V1_sweep_ex3_getset, Vout_V1_sweep_ex3, 'bo-', label="$V_{out}$")
    plt.title("Fig. 8: $V_{out}$ vs. $V_1$ with $V_2 = 0.9 V$ and $I_b = 10 nA$")
    plt.xlabel("$V_1$ (V)")
    plt.ylabel("$V_{out}$ (V)")
    plt.legend()
    plt.grid()
    plt.show()
```



· Save raw data

```
In [60]: # if the data looks nice, save it!
    data_Vout_V1_sweep_ex3 = [V1_sweep_ex3_getset, Vout_V1_sweep_ex3]
    # save to csv file
    np.savetxt('./data/Vout_sweep_ex3_2.csv', data_Vout_V1_sweep_ex3, delimiter=',')
In [66]: [V1_sweep_ex3_getset_save, Vout_V1_sweep_ex3_save] = np.loadtxt('./data/Vout_sweep_ex3_2.c
```

The bias current was switched from $I_b \approx 5 \mathrm{nA}$ to $I_b \approx 15 \mathrm{nA}$.

• Set fixed value of V_2 (Hint: use get_set_voltage to get the real value set on the DAC)

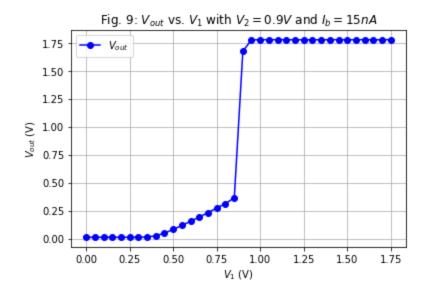
```
In [10]:
    p.set_voltage(pyplane.DacChannel.AIN4, 0.9) # V2 = 0.9?
    v2_real = p.get_set_voltage(pyplane.DacChannel.AIN4)
    print("V2 is set to {} V".format(v2_real))

V2 is set to 0.8991203308105469 V
```

```
In [63]:
          import numpy as np
          import time
          V1 sweep ex3 = np.arange(0,1.8,0.05) # voltage V1 sweep range
          V2 ex3 getset = p.get set voltage(pyplane.DacChannel.AIN4)
          Vout V1 sweep ex3 = []
          V1 sweep ex3 getset = []
          for n in range(len(V1 sweep ex3)):
              p.set voltage(pyplane.DacChannel.AIN3,V1 sweep ex3[n]) #
              time.sleep(0.3) # settle time
              V1 sweep ex3 getset.append(p.get set voltage(pyplane.DacChannel.AIN3))
                Vout V1 sweep ex3.append(p.read adc instantaneous(13))
              Vout V1 sweep ex3.append(p.read voltage(pyplane.AdcChannel.AOUT13))
          # print(V2 ex3 getset)
          # print(V1_sweep_ex3_getset)
          # print(Vout V1 sweep ex3)
```

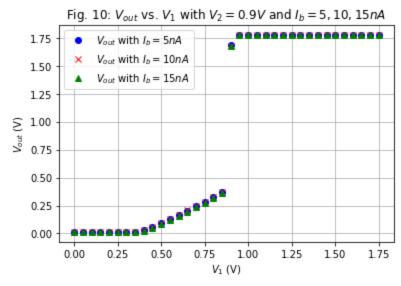
Plot raw data

```
In [5]:
    plt.plot(V1_sweep_ex3_getset, Vout_V1_sweep_ex3, 'bo-', label="$V_{out}$")
    plt.title("Fig. 9: $V_{out}$ vs. $V_1$ with $V_2 = 0.9 V$ and $I_b = 15 nA$")
    plt.xlabel("$V_1$ (V)")
    plt.ylabel("$V_{out}$ (V)")
    plt.legend()
    plt.grid()
    plt.show()
```



Save raw data

```
In [68]:
          # if the data looks nice, save it!
          data Vout V1 sweep ex3 = [V1 sweep ex3 getset, Vout V1 sweep ex3]
          # save to csv file
          np.savetxt('./data/Vout sweep ex3 3.csv', data Vout V1 sweep ex3, delimiter=',')
In [4]:
          [V1 sweep ex3 getset, Vout V1 sweep ex3] = np.loadtxt('./data/Vout sweep ex3 3.csv',
 In [8]:
          # your codes
          [V1 sweep ex3 getset save, Vout V1 sweep ex3 save 1] = np.loadtxt('./data/Vout sweep ex3
          [V1 sweep ex3 getset save, Vout V1 sweep ex3 save 2] = np.loadtxt('./data/Vout sweep ex3
          [V1 sweep ex3 getset save, Vout V1 sweep ex3 save 3] = np.loadtxt('./data/Vout sweep ex3
          plt.plot(V1 sweep ex3 getset save, Vout V1 sweep ex3 save 1, 'bo', label="$V {out}$ with
          plt.plot(V1 sweep ex3 getset save, Vout V1 sweep ex3 save 2, 'rx', label="$V {out}$ with
          plt.plot(V1_sweep_ex3_getset_save, Vout_V1_sweep_ex3_save_3, 'g^', label="$V_{out}$ with
          plt.title("Fig. 10: V_{out} with V_2 = 0.9 V and 1 b = 5, 10, 15 nA")
          plt.xlabel("$V 1$ (V)")
          plt.ylabel("$V {out}$ (V)")
          plt.legend()
          plt.grid()
          plt.show()
```



To conclude your observations:

The bias current does not affect the output voltage when one input voltage is fixed. $\frac{dV_{out}}{dL}=0$

3.3.3 Different fixed voltages V_n

• Repeat 3.3.1 with another two fixed voltages V_2 and compare the three curves

Switch voltage from $V_2=0.9{
m V}$ to $V_2=0.4{
m V}$. The bias current was $I_b=10{
m nA}$

```
In [10]: # Set V2 = 04
p.set_voltage(pyplane.DacChannel.AIN4, 0.4) # V2 = 0.4?
v2_real = p.get_set_voltage(pyplane.DacChannel.AIN4)
print("V2 is set to {} V".format(v2_real))
```

V2 is set to 0.399413526058197 V

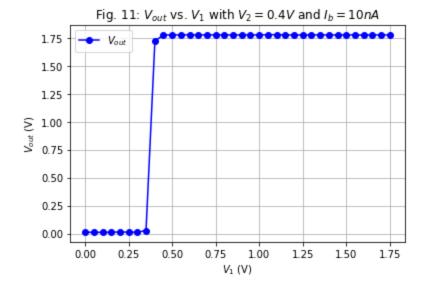
The bias current is set to $I_b \approx 10 \mathrm{nA}$.

• Set fixed value of V_2 (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [12]:
          import numpy as np
          import time
          V1 sweep ex3 = np.arange(0,1.8,0.05) # voltage V1 sweep range
          V2 ex3 getset = p.get set voltage(pyplane.DacChannel.AIN4)
          Vout V1 sweep ex3 = []
          V1 sweep ex3 getset = []
          for n in range(len(V1 sweep ex3)):
              p.set voltage(pyplane.DacChannel.AIN3,V1 sweep ex3[n]) #
              time.sleep(0.3) # settle time
              V1 sweep ex3 getset.append(p.get set voltage(pyplane.DacChannel.AIN3))
                Vout V1 sweep ex3.append(p.read adc instantaneous(13))
              Vout V1 sweep ex3.append(p.read voltage(pyplane.AdcChannel.AOUT13))
          # print(V2 ex3 getset)
          # print(V1 sweep ex3 getset)
          # print(Vout V1 sweep ex3)
```

Plot raw data

```
In [13]:
    plt.plot(V1_sweep_ex3_getset, Vout_V1_sweep_ex3, 'bo-', label="$V_{out}$")
    plt.title("Fig. 11: $V_{out}$ vs. $V_1$ with $V_2 = 0.4 V$ and $I_b = 10 nA$")
    plt.xlabel("$V_1$ (V)")
    plt.ylabel("$V_{out}$ (V)")
    plt.legend()
    plt.grid()
    plt.show()
```



Save raw data

```
In [14]: # if the data looks nice, save it!
    data_Vout_V1_sweep_ex3 = [V1_sweep_ex3_getset, Vout_V1_sweep_ex3]
    # save to csv file
    np.savetxt('./data/Vout_sweep_ex3_4.csv', data_Vout_V1_sweep_ex3, delimiter=',')
In [15]: [V1 sweep ex3 getset save, Vout V1 sweep ex3 save] = np.loadtxt('./data/Vout_sweep_ex3_4.csv')
```

Switch voltage from $V_2=0.9{
m V}$ to $V_2=1.2{
m V}$. The bias current was $I_b=10{
m nA}$

• Set fixed value of V_2 (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [27]:
    p.set_voltage(pyplane.DacChannel.AIN4, 1.2) # V2 = 0.2
    v2_real = p.get_set_voltage(pyplane.DacChannel.AIN4)
    print("V2 is set to {} V".format(v2_real))
```

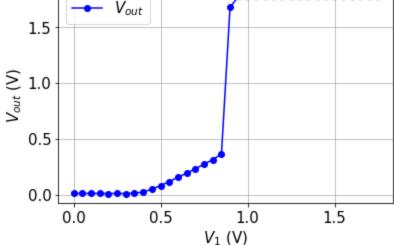
V2 is set to 1.1982406377792358 V

```
# print(V1_sweep_ex3_getset)
# print(Vout_V1_sweep_ex3)
```

Plot raw data

```
In [66]:
    plt.plot(V1_sweep_ex3_getset, Vout_V1_sweep_ex3, 'bo-', label="$V_{out}$")
    plt.title("Fig. 12: $V_{out}$ vs. $V_1$ with $V_2 = 1.2 V$ and $I_b = 10 nA$")
    plt.xlabel("$V_1$ (V)")
    plt.ylabel("$V_{out}$ (V)")
    plt.legend()
    plt.grid()
    plt.show()
```

Fig. 12: V_{out} vs. V_1 with $V_2 = 1.2V$ and $I_b = 10nA$



```
In [30]: # if the data looks nice, save it!
    data_Vout_V1_sweep_ex3 = [V1_sweep_ex3_getset, Vout_V1_sweep_ex3]
    # save to csv file
    np.savetxt('./data/Vout_sweep_ex3_5.csv', data_Vout_V1_sweep_ex3, delimiter=',')
```

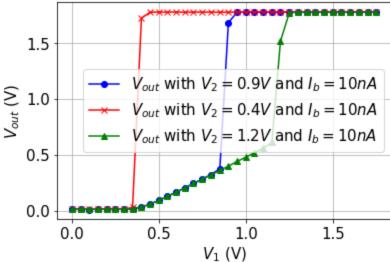
```
In [65]: [V1_sweep_ex3_getset_save, Vout_V1_sweep_ex3_save] = np.loadtxt('./data/Vout_sweep_ex3_5.c
```

```
In [67]:
```

```
# your codes

[V1_sweep_ex3_getset_save, Vout_V1_sweep_ex3_save_1] = np.loadtxt('./data/Vout_sweep_ex3_1
[V1_sweep_ex3_getset_save, Vout_V1_sweep_ex3_save_4] = np.loadtxt('./data/Vout_sweep_ex3_2
[V1_sweep_ex3_getset_save, Vout_V1_sweep_ex3_save_5] = np.loadtxt('./data/Vout_sweep_ex3_2
plt.plot(V1_sweep_ex3_getset_save, Vout_V1_sweep_ex3_save_1, 'bo-', label="$V_{out}$ with
plt.plot(V1_sweep_ex3_getset_save, Vout_V1_sweep_ex3_save_4, 'rx-', label="$V_{out}$ with
plt.plot(V1_sweep_ex3_getset_save, Vout_V1_sweep_ex3_save_5, 'g^-', label="$V_{out}$ with
plt.plot(V1_sweep_ex3_getset_save, Vout_V1_sweep_ex3_save_5, 'g^-', label="$V_{out}$ with
plt.title("Fig. 13: $V_{out}$ vs. $V_1$ with $V_2 = 0.2, 0.4 and 0.9V$ and $I_b = 10 nA$")
plt.xlabel("$V_1$ (V)")
plt.legend()
plt.grid()
plt.show()
```

Fig. 13: V_{out} vs. V_1 with $V_2 = 0.2, 0.4$ and $I_b = 10$ nA



To conclude your observations:

 V_{out} has a linear increase with a slope of κ until V_1 surpasses V_2 , at which point V_{out} increases drastically to V_{dd} . So, shifting V_2 means shifting the graph. The most ideal amplifier behavior is reached with a low V_2 .

3.4 Output current vs. input voltage

3.4.1 Basic measurement

ullet Set bias current I_b

Switch bias current back to $I_b = 10 \mathrm{nA}$.

ullet Assign common mode voltage V_{cm}

```
In [48]: Vcm_ex3 = 0.9 # Vcm = 0.9V
```

ullet Sweep differential voltage V_{diff} and measure I_{out} (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [49]: import numpy as np
import time

V1_sweep_ex3 = np.arange(0.6, 1.2, 0.01) # voltage V1 sweep range

#V2_ex3_getset = p.get_set_voltage(pyplane.VoltageChannel.AIN4)

V2_ex3 = []
V1_sweep_ex3_getset = []
V2_ex3_getset = []
c2f_Iout_UO_Vcm_ex3 = []
```

```
c2f Iout UBO Vcm ex3 = []
for n in range(len(V1 sweep ex3)):
    # calculate V2 via Vcm and V1
   V2 ex3.append(2*Vcm ex3-V1 sweep ex3[n])
    p.set voltage(pyplane.DacChannel.AIN3,V1 sweep ex3[n]) #
   p.set voltage(pyplane.DacChannel.AIN4,V2 ex3[n]) #
    time.sleep(0.2) # settle time
   V1 sweep ex3 getset.append(p.get set voltage(pyplane.DacChannel.AIN3))
   V2 ex3 getset.append(p.get set voltage(pyplane.DacChannel.AIN4))
    # read c2f values
   c2f Iout ex3 temp = p.read c2f output(0.1)
    c2f Iout UO Vcm ex3.append(c2f Iout ex3 temp[11])
    c2f Iout UBO Vcm ex3.append(c2f Iout ex3 temp[12])
# print(V1 sweep ex3 getset)
# print(V2 ex3 getset)
# print(c2f Iout UO Vcm ex3)
# print(c2f Iout UBO Vcm ex3)
```

Save raw data

0.

```
In [50]: # if the data looks nice, save it!
    data_Iout_Vcm09_ex3 = [V1_sweep_ex3_getset, V2_ex3_getset, c2f_Iout_U0_Vcm_ex3, c2f_Iout_UB0]
# save to csv file
    np.savetxt('./data/V1_sweep_Iout_Vcm09_ex3.csv', data_Iout_Vcm09_ex3, delimiter=',')
```

Plot raw data (C2F rate vs. Vdi f f)

```
In [51]:
          import matplotlib.pyplot as plt
          import numpy as np
          plt.rcParams.update({'font.size': 15})
          V1 sweep Iout Vcm09 ex3 getset, V2 Iout Vcm09 ex3 getset, c2f Iout UO Vcm09 ex3, c2f Iout UB(
          Vdiff Vcm09 = V1 sweep Iout Vcm09 ex3 getset-V2 Iout Vcm09 ex3 getset
          print(Vdiff Vcm09)
          c2f Iout Vcm09 = c2f Iout UO Vcm09 ex3 - c2f Iout UBO Vcm09 ex3
          print(c2f Iout Vcm09)
          plt.plot(Vdiff Vcm09,c2f Iout Vcm09,'b+')
          plt.xlabel('$V 1-V 2$ [V]')
          plt.ylabel('C2F [Hz]')
          plt.legend(['C2F'],prop={'size': 14})
          plt.title('Fig. 12: Measured C2F data for $I {out}$ plotted over $V 1-V 2$.')
          plt.grid()
          plt.show()
         [-0.60000008 \ -0.58064526 \ -0.55953091 \ -0.53841656 \ -0.52082115 \ -0.49970675]
          -0.4785924 -0.4609971 -0.43988276 -0.41876841 -0.40117306 -0.38005871
          -0.35894436 \ -0.34134907 \ -0.32023472 \ -0.29912025 \ -0.2815249 \ -0.26041055
          -0.2392962 -0.22170091 -0.20058656 -0.17947215 -0.1583578 -0.14076245
```

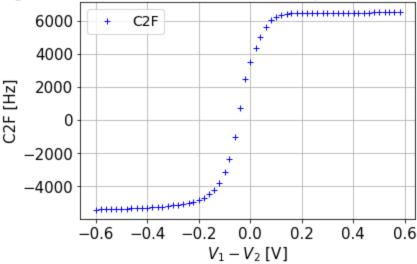
 $-0.1196481 \quad -0.09853375 \quad -0.08093846 \quad -0.05982405 \quad -0.0387097 \quad -0.02111435$

0.1196481 0.14076245 0.1583578 0.17947215 0.20058656 0.22170091

0.02111435 0.0387097 0.05982405 0.08093846 0.09853375

```
0.2392962
            0.26041055 0.2815249
                                  0.29912025
                                            0.32023472
                                                       0.34134907
 0.35894436 \quad 0.38005871 \quad 0.40117306 \quad 0.41876841 \quad 0.43988276 \quad 0.4609971
 [-5399. -5392. -5379. -5371. -5364. -5352. -5339. -5327. -5313. -5296.
-5280. -5263. -5242. -5220. -5189. -5150. -5116. -5066. -5000. -4932.
-4825. -4673. -4460. -4212. -3775. -3114. -2332. -997.
                                                    745. 2480.
 3512. 4363. 5012. 5623. 6033. 6243. 6384. 6450. 6477. 6484.
 6485.
       6483.
              6482.
                    6481.
                          6475.
                                 6470.
                                       6475.
                                             6483.
                                                   6493.
                                                          6495.
 6497. 6500. 6506. 6512.
                          6522. 6529. 6535. 6540. 6546. 6555.]
```

Fig. 12: Measured C2F data for I_{out} plotted over $V_1 - V_2$.

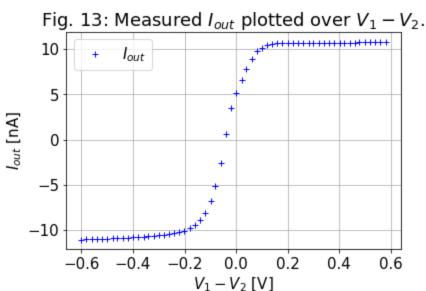


· Convert rate to current and plot

```
In [65]:
          import matplotlib.pyplot as plt
          import numpy as np
          plt.rcParams.update({'font.size': 15})
          V1 sweep Iout Vcm09 ex3 getset, V2 Iout Vcm09 ex3 getset, c2f Iout UO Vcm09 ex3, c2f Iout UB(
          I plus = a2 1 \times c2f Iout UO Vcm09 ex3**2 + a1 1 \times c2f Iout UO Vcm09 ex3 + a0 1
          I minus = a2 2*c2f Iout UBO Vcm09 ex3**2 + a1 <math>2*c2f Iout UBO Vcm09 ex3 + a0 2
          Vdiff Vcm09 = V1 sweep Iout Vcm09 ex3 getset-V2 Iout Vcm09 ex3 getset
          print(Vdiff Vcm09)
          I out = I plus - I minus
          print(I out)
          plt.plot(Vdiff Vcm09,I out,'b+', label="$I {out}$")
          plt.xlabel('$V 1-V 2$ [V]')
          plt.ylabel('$I {out}$ [nA]')
          plt.legend()
          plt.title('Fig. 13: Measured $I {out}$ plotted over $V 1-V 2$.')
          plt.grid()
          plt.show()
          [-0.600000008 -0.58064526 -0.55953091 -0.53841656 -0.52082115 -0.49970675
```

```
-0.4785924 -0.4609971 -0.43988276 -0.41876841 -0.40117306 -0.38005871
-0.35894436 \ -0.34134907 \ -0.32023472 \ -0.29912025 \ -0.2815249 \ \ -0.26041055
-0.2392962 \quad -0.22170091 \quad -0.20058656 \quad -0.17947215 \quad -0.1583578 \quad -0.14076245
-0.1196481 \quad -0.09853375 \quad -0.08093846 \quad -0.05982405 \quad -0.0387097 \quad -0.02111435
             0.02111435 0.0387097
                                    0.05982405 0.08093846 0.09853375
 0.
 0.1196481
             0.14076245 0.1583578
                                      0.17947215
                                                 0.20058656 0.22170091
 0.2392962
             0.26041055 0.2815249
                                    0.29912025 0.32023472 0.34134907
 0.43988276 0.4609971
 0.4785924
             0.49970675 0.52082115 0.53841656 0.55953091
                                                              0.580645261
[-11.04927323 - 11.03424004 - 11.00419504 - 10.98542851 - 10.97041363
```

```
-10.94415038 -10.91664264 -10.89288028 -10.86289847 -10.8291549 -10.79791324 -10.76910425 -10.73400987 -10.696413 -10.64374661 -10.57846772 -10.52675294 -10.44850799 -10.34361371 -10.23471808 -10.05740268 -9.79077914 -9.40038558 -8.92843683 -8.06934214 -6.74319185 -5.18283258 -2.59702606 0.56295362 3.4724337 5.1476028 6.61557127 7.79318415 8.94744904 9.74754114 10.16494104 10.44814861 10.58109276 10.63580413 10.65044318 10.65247215 10.64841433 10.64594541 10.64435698 10.6321878 10.62205009 10.6321878 10.64797403 10.66870823 10.67276845 10.67682914 10.68247874 10.69466511 10.70729953 10.72762805 10.74186511 10.75362646 10.76380235 10.77646519 10.79479683]
```



Compute transconductance

```
In [66]:
    kappa = 0.78
    U_T = 0.025
    I_b = 10e-9
    g_m = I_b*kappa/(2*U_T)
    print("The transconductance g_m is:", g_m)
```

The transconductance g m is: 1.56e-07

• Explain any asymmetries in the amplifier's I-V curve and the offset voltage in terms of mismatch between devices in the mirror and differential pair, and the Early effect. How can you distinguish the effects of mismatch in the mirror and in the differential pair? The main point here is to recognize that there will be non-idealities, to understand where they arise, and to quantify them in the simplest manner possible.

A mismatch in the diff-pair moves the curve away from a symmetry at $V_1-V_2=0$, as we can see in the curve above, which is moved a bit to left left. The reason is that through minuscule imperfections, the two input branches won't have the exact same behavior; one branch will tend to conduct a bit more electricity.

A mismatch in the mirror will cause $|I_{\rm out,\,min}| \neq I_{\rm out,\,max}$. The reason is that I_1 will not be mirrored correctly to I_2 . This seems to not be a problem in the graph above.

The curve is not completely flat at the edge of the sigmoid because of the Early effect.

3.4.2 Different bias currents

Repeat 3.4.1 with another two bias currents and compare the three curves

The bias current was switched from $I_b \approx 10 \mathrm{nA}$ to $I_b \approx 5 \mathrm{nA}$.

Assign common mode voltage V_{cm}

```
In [45]: Vcm_ex3 = 0.9 # Vcm = 0.9V
```

• Sweep differential voltage V_{diff} and measure I_{out} (Hint: use get_set_voltage to get the real value set on the DAC)

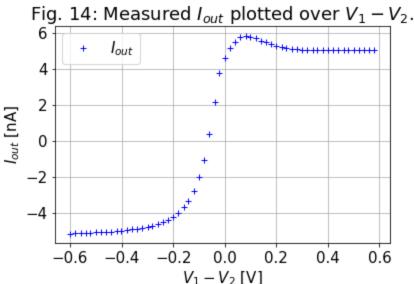
```
In [46]:
          import numpy as np
          import time
          V1 sweep ex3 = np.arange(0.6, 1.2, 0.01) # voltage V1 sweep range
          #V2 ex3 getset = p.get set voltage(pyplane.VoltageChannel.AIN4)
          V2 ex3 = []
          V1 sweep ex3 getset = []
          V2 ex3 getset = []
          c2f Iout UO Vcm ex3 = []
          c2f Iout UBO Vcm ex3 = []
          for n in range(len(V1 sweep ex3)):
              # calculate V2 via Vcm and V1
              V2 ex3.append(2*Vcm ex3-V1 sweep ex3[n])
              p.set voltage(pyplane.DacChannel.AIN3,V1 sweep ex3[n]) #
              p.set voltage(pyplane.DacChannel.AIN4,V2 ex3[n]) #
              time.sleep(0.2) # settle time
              V1 sweep ex3 getset.append(p.get set voltage(pyplane.DacChannel.AIN3))
              V2 ex3 getset.append(p.get set voltage(pyplane.DacChannel.AIN4))
              # read c2f values
              c2f Iout ex3 temp = p.read_c2f_output(0.1)
              c2f Iout UO Vcm ex3.append(c2f Iout ex3 temp[11])
              c2f Iout UBO Vcm ex3.append(c2f Iout ex3 temp[12])
          # print(V1 sweep ex3 getset)
          # print(V2 ex3 getset)
          # print(c2f Iout UO Vcm ex3)
          # print(c2f Iout UBO Vcm ex3)
```

Save raw data

```
In [47]:
# if the data looks nice, save it!
data_Iout_Vcm09_ex3 = [V1_sweep_ex3_getset, V2_ex3_getset, c2f_Iout_U0_Vcm_ex3, c2f_Iout_UB0]
# save to csv file
np.savetxt('./data/V1_sweep_Iout_Vcm09_ex3_2.csv', data_Iout_Vcm09_ex3, delimiter=',')
```

```
    Convert rate to current and plot

In [48]:
          import matplotlib.pyplot as plt
          import numpy as np
          plt.rcParams.update({'font.size': 15})
          V1 sweep Iout Vcm09 ex3 getset, V2 Iout Vcm09 ex3 getset, c2f Iout UO Vcm09 ex3, c2f Iout UB(
          I plus = a2 1 \times c2f Iout UO Vcm09 ex3**2 + a1 1 \times c2f Iout UO Vcm09 ex3 + a0 1
          I minus = a2 2*c2f Iout UBO Vcm09 ex3**2 + a1 <math>2*c2f Iout UBO Vcm09 ex3 + a0 2
          Vdiff Vcm09 = V1 sweep Iout Vcm09 ex3 getset-V2 Iout Vcm09 ex3 getset
          print(Vdiff Vcm09)
          I out = I plus - I minus
          print(I out)
          plt.plot(Vdiff Vcm09,I out,'b+', label="$I {out}$")
          plt.xlabel('$V 1-V 2$ [V]')
          plt.ylabel('$I {out}$ [nA]')
          plt.legend()
          plt.title('Fig. 14: Measured $I {out}$ plotted over $V 1-V 2$.')
          plt.grid()
          plt.show()
          [-0.60000008 \ -0.58064526 \ -0.55953091 \ -0.53841656 \ -0.52082115 \ -0.49970675 ] 
          -0.4785924 -0.4609971 -0.43988276 -0.41876841 -0.40117306 -0.38005871
          -0.35894436 \ -0.34134907 \ -0.32023472 \ -0.29912025 \ -0.2815249 \ -0.26041055
          -0.2392962 -0.22170091 -0.20058656 -0.17947215 -0.1583578 -0.14076245
          -0.1196481 -0.09853375 -0.08093846 -0.05982405 -0.0387097 -0.02111435
           0.
                       0.02111435 0.0387097
                                               0.05982405 0.08093846 0.09853375
           0.1196481
                      0.14076245 0.1583578
                                                0.17947215 0.20058656 0.22170091
                                                0.29912025 0.32023472 0.34134907
           0.2392962
                       0.26041055 0.2815249
           0.35894436  0.38005871  0.40117306  0.41876841  0.43988276  0.4609971
                       0.49970675 0.52082115 0.53841656 0.55953091 0.58064526]
           0.4785924
         [-5.14960903 -5.13550576 -5.12391864 -5.12221481 -5.10066511 -5.08612073
          -5.07444436 \ -5.06769542 \ -5.04936331 \ -5.01899392 \ -5.00304727 \ -4.95762888
          -4.92073978 -4.89694184 -4.83153657 -4.77225272 -4.71278063 -4.63067512
          -4.51408955 -4.39561913 -4.22148833 -3.99689282 -3.69193545 -3.35689283
          -2.80019302 -1.99387406 -1.08140569 0.36199626 2.1354708
                                                                         3.75131163
           4.58036953 5.16602632 5.50521722 5.7563349
                                                            5.81981468 5.78197381
           5.68774816 5.55795943 5.45937392 5.34599043 5.27340952 5.19947123
           5.14592865 5.10077172 5.07071543
                                               5.04736505
                                                           5.0289575
                                                                         5.02229598
                                                5.01071886 5.01064294 5.02396118
           5.01737751 5.01404795
                                   5.0090545
           5.02736906 5.02237275 5.03736491 5.04069781 5.0472865
                                                                         5.055622641
```



• Compute transconductance

```
In [78]: kappa = 0.78
U_T = 0.025
I_b = 5e-9
g_m = I_b*kappa/(2*U_T)
print("The transconductance g_m is:", g_m)
```

The transconductance g_m is: 7.8e-08

The bias current was switched from $I_b \approx 10 \mathrm{nA}$ to $I_b \approx 15 \mathrm{nA}$.

• Assign common mode voltage V_{cm}

```
In [40]: Vcm_ex3 = 0.9 # Vcm = 0.9V
```

• Sweep differential voltage V_{diff} and measure I_{out} (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [41]:
          import numpy as np
          import time
          V1 sweep ex3 = np.arange(0.6, 1.2, 0.01) # voltage V1 sweep range
          #V2 ex3 getset = p.get set voltage(pyplane.VoltageChannel.AIN4)
          V2 ex3 = []
          V1 sweep ex3 getset = []
          V2 ex3_getset = []
          c2f Iout UO Vcm ex3 = []
          c2f Iout UBO Vcm ex3 = []
          for n in range(len(V1 sweep ex3)):
              # calculate V2 via Vcm and V1
              V2 ex3.append(2*Vcm ex3-V1 sweep ex3[n])
              p.set voltage(pyplane.DacChannel.AIN3,V1 sweep ex3[n]) #
              p.set voltage(pyplane.DacChannel.AIN4,V2 ex3[n]) #
              time.sleep(0.2) # settle time
              V1 sweep ex3 getset.append(p.get set voltage(pyplane.DacChannel.AIN3))
              V2 ex3 getset.append(p.get set voltage(pyplane.DacChannel.AIN4))
              # read c2f values
              c2f Iout ex3 temp = p.read c2f output(0.1)
              c2f Iout UO Vcm ex3.append(c2f Iout ex3 temp[11])
              c2f Iout UBO Vcm ex3.append(c2f Iout ex3 temp[12])
          # print(V1 sweep ex3 getset)
          # print(V2 ex3 getset)
          # print(c2f Iout UO Vcm ex3)
          # print(c2f Iout UBO Vcm ex3)
```

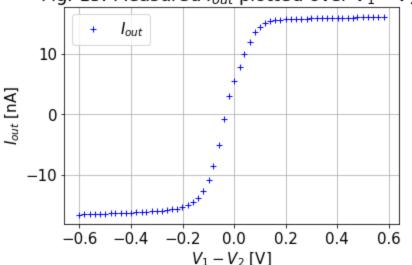
Save raw data

```
In [42]:
          # if the data looks nice, save it!
          data Iout Vcm09 ex3 = [V1 sweep ex3 getset, V2 ex3 getset, c2f Iout UO Vcm ex3, c2f Iout UBO
          # save to csv file
          np.savetxt('./data/V1 sweep Iout Vcm09 ex3 3.csv', data Iout Vcm09 ex3, delimiter=',')
```

Convert rate to current and plot

```
In [43]:
          import matplotlib.pyplot as plt
          import numpy as np
          plt.rcParams.update({'font.size': 15})
          V1 sweep Iout Vcm09 ex3 getset, V2 Iout Vcm09 ex3 getset, c2f Iout UO Vcm09 ex3, c2f Iout UB(
          I plus = a2 1 \times c2f Iout UO Vcm09 ex3**2 + a1 1 \times c2f Iout UO Vcm09 ex3 + a0 1
          I minus = a2 2*c2f Iout UBO Vcm09 ex3**2 + a1 <math>2*c2f Iout UBO Vcm09 ex3 + a0 2
          Vdiff Vcm09 = V1 sweep Iout Vcm09 ex3 getset-V2 Iout Vcm09 ex3 getset
          print(Vdiff Vcm09)
          I out = I plus - I minus
          print(I out)
          plt.plot(Vdiff Vcm09,I out,'b+', label="$I {out}$")
          plt.xlabel('$V 1-V 2$ [V]')
          plt.ylabel('$I {out}$ [nA]')
          plt.legend()
          plt.title('Fig. 15: Measured $I {out}$ plotted over $V 1-V 2$.')
          plt.grid()
          plt.show()
           [-0.60000008 \ -0.58064526 \ -0.55953091 \ -0.53841656 \ -0.52082115 \ -0.49970675 ] 
          -0.4785924 -0.4609971 -0.43988276 -0.41876841 -0.40117306 -0.38005871
          -0.35894436 - 0.34134907 - 0.32023472 - 0.29912025 - 0.2815249 - 0.26041055
          -0.2392962 \quad -0.22170091 \quad -0.20058656 \quad -0.17947215 \quad -0.1583578 \quad -0.14076245
          -0.1196481 -0.09853375 -0.08093846 -0.05982405 -0.0387097 -0.02111435
                       0.02111435 0.0387097 0.05982405 0.08093846 0.09853375
           0.
           0.1196481 0.14076245 0.1583578 0.17947215 0.20058656 0.22170091
           0.2392962 0.26041055 0.2815249 0.29912025 0.32023472 0.34134907
           0.35894436 0.38005871 0.40117306 0.41876841 0.43988276 0.4609971
           0.4785924 0.49970675 0.52082115 0.53841656 0.55953091 0.58064526]
          \begin{bmatrix} -16.4818515 & -16.46065792 & -16.44231914 & -16.4040708 & -16.37596552 \end{bmatrix}
          -16.32514748 -16.28856604 -16.26651394 -16.23028813 -16.18558182
          -16.16103849 -16.12265639 -16.04783401 -16.0182652 -15.95131612
          -15.89780095 -15.84298639 -15.76360594 -15.64329713 -15.49920411
          -15.29407736 \ -14.97369599 \ -14.47133252 \ -13.83461945 \ -12.64802882
          -10.78258246 -8.57341858 -5.12331126 -0.82324655 3.07048062
            5.47973798 7.82443958 9.86784962 11.96917982 13.48728357
           14.33235635 14.95830599 15.30604057 15.48014768 15.59347935
           15.65335572 15.69946936 15.71792819 15.74029193 15.75876698
           15.78259422 15.78721681 15.81033689 15.82884154 15.86124307
           15.87672503 15.8774526 15.90293654 15.92611629 15.94698827
           15.96481715 15.97874219 16.01663136 16.04219407 16.03986959]
```

Fig. 15: Measured I_{out} plotted over $V_1 - V_2$.



Compute transconductance

plt.ylabel("\$I {out}\$ (V)")

plt.legend() plt.grid() plt.show()

your codes

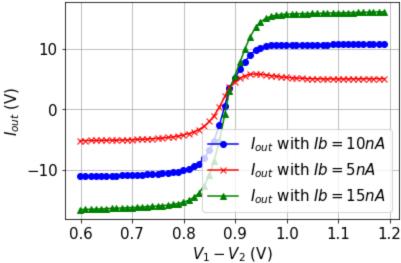
In [9]:

```
In [82]:
          kappa = 0.78
          U T = 0.025
          I b = 15e-9
          g m = I b*kappa/(2*U T)
          print("The transconductance g m is:", g m)
```

The transconductance g m is: 2.339999999999998e-07

```
import matplotlib.pyplot as plt
import numpy as np
plt.rcParams.update({'font.size': 15})
V1 sweep Iout Vcm09 ex3 getset 1, V2 Iout Vcm09 ex3 getset 1, c2f Iout UO Vcm09 ex3 1, c2f Iout Vcm09 ex3 getset 1, c2f Iout Vcm09 e
V1 sweep Iout Vcm09 ex3 getset 2,V2 Iout Vcm09 ex3 getset 2,c2f Iout UO Vcm09 ex3 2,c2f I
V1 sweep Iout Vcm09 ex3 getset 3,V2 Iout Vcm09 ex3 getset 3,c2f Iout UO Vcm09 ex3 3,c2f Iout Vcm09 ex3 getset 3,c2
I plus 1 = a2 1*c2f Iout UO Vcm09 ex3 1**2 + a1 1*c2f Iout UO Vcm09 ex3 1 + a0 1
I minus 1 = a2 2*c2f Iout UBO Vcm09 ex3 1**2 + a1 2*c2f Iout UBO Vcm09 ex3 1 + a0 2
I plus 2 = a2 1*c2f Iout UO Vcm09 ex3 2**2 + a1 1*c2f Iout UO Vcm09 ex3 2 + a0 1
I minus 2 = a2 2*c2f Iout UBO Vcm09 ex3 2**2 + a1 2*c2f Iout UBO Vcm09 ex3 2 + a0 2
I plus 3 = a2 1*c2f Iout UO Vcm09 ex3 3**2 + a1 1*c2f Iout UO Vcm09 ex3 3 + a0 1
I minus 3 = a2 2*c2f Iout UBO Vcm09 ex3 3**2 + a1 2*c2f Iout UBO Vcm09 ex3 3 + a0 2
plt.plot(V1 sweep Iout Vcm09 ex3 getset 1, I plus 1 - I minus 1, 'bo-', label="$I {out}$$ v
plt.plot(V1_sweep_Iout_Vcm09_ex3_getset_2, I_plus_2 - I_minus 2, 'rx-', label="$I {out}$ v
plt.plot(V1_sweep_Iout_Vcm09_ex3_getset_3, I_plus_3 - I_minus_3, 'g^-', label="$I {out}$ v
plt.title("Fig. 13: 1 \text{ out} vs. 1 - 2 \text{ with } 2 = 0.2, 0.4 \text{ and } 0.9 \text{ and } 5 = 10 \text{ m}
plt.xlabel("$V 1-V 2$ (V)")
```

Fig. 13: I_{out} vs. $V_1 - V_2$ with $V_2 = 0.2, 0.4$ and $I_b = 10$ nA



To conclude your observations:

The range of the sigmoid is proportional to the bias current. The slope is just as proportional, resolting in $I_{\rm out,\;min}$ and $asl_{\rm out,\;min}$ and $asl_$

3.4.3 Different common mode voltages

• Repeat 3.4.1 with another two common mode voltages and compare the three curves

```
In [24]: # Assign common mode voltage Vcm
Vcm_ex3 = 0.45
```

The bias current was switched back to $I_b \approx 10 \mathrm{nA}$.

• Sweep differential voltage V_{diff} and measure I_{out} (Hint: use get_set_voltage to get the real value set on the DAC)

```
import numpy as np
import time

V1_sweep_ex3 = np.arange(0.2, 0.7, 0.01) # voltage V1 sweep range

#V2_ex3_getset = p.get_set_voltage(pyplane.VoltageChannel.AIN4)

V2_ex3 = []
V1_sweep_ex3_getset = []
V2_ex3_getset = []
c2f_Iout_U0_Vcm_ex3 = []
c2f_Iout_UBO_Vcm_ex3 = []
for n in range(len(V1_sweep_ex3)):
```

```
# calculate V2 via Vcm and V1
V2 ex3.append(2*Vcm_ex3-V1_sweep_ex3[n])

p.set_voltage(pyplane.DacChannel.AIN3,V1_sweep_ex3[n]) #
p.set_voltage(pyplane.DacChannel.AIN4,V2_ex3[n]) #

time.sleep(0.2) # settle time

V1_sweep_ex3_getset.append(p.get_set_voltage(pyplane.DacChannel.AIN3))
V2_ex3_getset.append(p.get_set_voltage(pyplane.DacChannel.AIN4))

# read c2f values
c2f_Iout_ex3_temp = p.read_c2f_output(0.1)
c2f_Iout_UO_Vcm_ex3.append(c2f_Iout_ex3_temp[11])
c2f_Iout_UBO_Vcm_ex3.append(c2f_Iout_ex3_temp[12])

# print(V1_sweep_ex3_getset)
# print(V2_ex3_getset)
# print(c2f_Iout_UO_Vcm_ex3)
# print(c2f_Iout_UBO_Vcm_ex3)
```

• Save raw data

-0.01935485 0.

0.45923758 0.48035194]

```
In [29]: # if the data looks nice, save it!
    data_Iout_Vcm09_ex3 = [V1_sweep_ex3_getset, V2_ex3_getset, c2f_Iout_U0_Vcm_ex3, c2f_Iout_UB0_
# save to csv file
    np.savetxt('./data/V1_sweep_Iout_Vcm09_ex3_5.csv', data_Iout_Vcm09_ex3, delimiter=',')
```

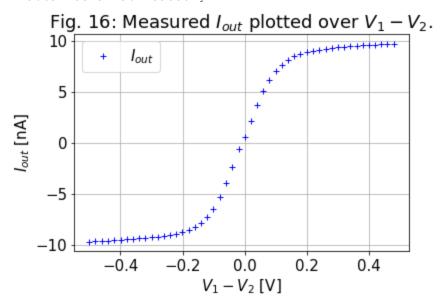
Convert rate to current and plot

```
In [31]:
                               import matplotlib.pyplot as plt
                               import numpy as np
                               plt.rcParams.update({'font.size': 15})
                               V1 sweep Iout Vcm09 ex3 getset, V2 Iout Vcm09 ex3 getset, c2f Iout UO Vcm09 ex3, c2f Iout UB(
                               I plus = a2 1 \times c2f Iout UO Vcm09 ex3**2 + a1 1 \times c2f Iout UO Vcm09 ex3 + a0 1
                               I minus = a2 2*c2f Iout UBO Vcm09 ex3**2 + a1 <math>2*c2f Iout UBO Vcm09 ex3 + a0 2
                               Vdiff Vcm09 = V1 sweep Iout Vcm09 ex3 getset-V2 Iout Vcm09 ex3 getset
                               print(Vdiff Vcm09)
                               I out = I plus - I minus
                               print(I out)
                               plt.plot(Vdiff Vcm09,I out,'b+', label="$I {out}$")
                               plt.xlabel('$V 1-V 2$ [V]')
                               plt.ylabel('$I {out}$ [nA]')
                               plt.legend()
                               plt.title('Fig. 16: Measured $I {out}$ plotted over $V 1-V 2$.')
                               plt.grid()
                               plt.show()
                              [-0.49970683 \ -0.48035194 \ -0.45923758 \ -0.43988276 \ -0.42052792 \ -0.39941356 ] 
                               -0.38005868 \ -0.36070383 \ -0.33958948 \ -0.32023466 \ -0.29912028 \ -0.27976546
                               -0.26041058 \ -0.2392962 \ -0.21994138 \ -0.20058653 \ -0.17947218 \ -0.160117368 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ -0.20058653 \ 
                                -0.14076245 -0.1196481 -0.10029328 -0.0791789 -0.05982405 -0.04046923
```

0.10029328 0.1196481 0.14076245 0.16011736 0.17947218 0.20058653 0.21994138 0.2392962 0.26041058 0.27976546 0.29912028 0.32023466 0.33958948 0.36070383 0.38005868 0.39941356 0.42052792 0.43988276

0.01935485 0.04046923 0.05982405 0.0791789

```
[-9.67819741 -9.65169952 -9.62041029 -9.58559795 -9.54831376 -9.51951789 -9.47043886 -9.42849205 -9.37829336 -9.33180962 -9.26859566 -9.20437501 -9.12967673 -9.02190625 -8.91808983 -8.753604 -8.5270472 -8.25254093 -7.84100843 -7.2614521 -6.51411103 -5.29729611 -3.91310765 -2.37536086 -0.57574807 0.57412705 2.12581461 3.75822132 5.08239939 6.18758162 7.09034229 7.67851314 8.15466922 8.49433063 8.70794984 8.91121131 9.06163752 9.1545684 9.25519719 9.3311434 9.37247649 9.42914313 9.47807424 9.52707994 9.5659626 9.59740168 9.62728288 9.65878306 9.69228549 9.71595502]
```



pyplane.Coach.BiasGenMasterCurrent.I30nA, 85)])

Compute transconductance

ullet Assign common mode voltage V_{cm}

```
In [34]: Vcm_ex3 = 0.2 # Vcm = 0.9V
```

ullet Sweep differential voltage V_{diff} and measure I_{out} (Hint: use get_set_voltage to get the real value set on the DAC)

```
import numpy as np
import time

V1_sweep_ex3 = np.arange(0.1, 0.3, 0.01) # voltage V1 sweep range

#V2_ex3_getset = p.get_set_voltage(pyplane.VoltageChannel.AIN4)

V2_ex3 = []
```

```
V1 sweep ex3 getset = []
V2 ex3 getset = []
c2f Iout UO Vcm ex3 = []
c2f Iout UBO Vcm ex3 = []
for n in range(len(V1 sweep ex3)):
    # calculate V2 via Vcm and V1
    V2 ex3.append(2*Vcm ex3-V1 sweep ex3[n])
    p.set voltage(pyplane.DacChannel.AIN3,V1 sweep ex3[n]) #
    p.set voltage(pyplane.DacChannel.AIN4,V2 ex3[n]) #
    time.sleep(0.2) # settle time
    V1 sweep ex3 getset.append(p.get set voltage(pyplane.DacChannel.AIN3))
    V2 ex3 getset.append(p.get set voltage(pyplane.DacChannel.AIN4))
    # read c2f values
    c2f Iout ex3 temp = p.read c2f output(0.1)
    c2f Iout UO Vcm ex3.append(c2f Iout ex3 temp[11])
    c2f Iout UBO Vcm ex3.append(c2f Iout ex3 temp[12])
# print(V1 sweep ex3 getset)
# print(V2 ex3 getset)
# print(c2f Iout UO Vcm ex3)
# print(c2f Iout UBO Vcm ex3)
```

Save raw data

```
In [36]: # if the data looks nice, save it!
    data_Iout_Vcm09_ex3 = [V1_sweep_ex3_getset, V2_ex3_getset, c2f_Iout_U0_Vcm_ex3, c2f_Iout_UBO]
# save to csv file
    np.savetxt('./data/V1_sweep_Iout_Vcm09_ex3_6.csv', data_Iout_Vcm09_ex3, delimiter=',')
```

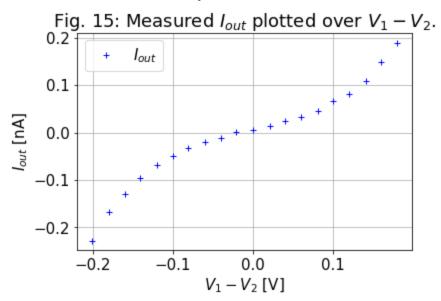
Convert rate to current and plot

```
In [37]:
          import matplotlib.pyplot as plt
          import numpy as np
          plt.rcParams.update({'font.size': 15})
          V1 sweep Iout Vcm09 ex3 getset, V2 Iout Vcm09 ex3 getset, c2f Iout UO Vcm09 ex3, c2f Iout UB(
          I plus = a2 1*c2f Iout UO Vcm09 ex3**2 + a1 <math>1*c2f Iout UO Vcm09 ex3 + a0 1
          I minus = a2 2*c2f Iout UBO Vcm09 ex3**2 + a1 <math>2*c2f Iout UBO Vcm09 ex3 + a0 2
          Vdiff Vcm09 = V1 sweep Iout Vcm09 ex3 getset-V2 Iout Vcm09 ex3 getset
          print(Vdiff Vcm09)
          I out = I plus - I minus
          print(I out)
          plt.plot(Vdiff Vcm09,I out,'b+', label="$I {out}$")
          plt.xlabel('$V 1-V 2$ [V]')
          plt.ylabel('$I {out}$ [nA]')
          plt.legend()
          plt.title('Fig. 15: Measured $I {out}$ plotted over $V 1-V 2$.')
          plt.grid()
          plt.show()
```

```
 \begin{bmatrix} -0.20058654 & -0.17947215 & -0.16011732 & -0.14076249 & -0.1196481 & -0.10029326 \\ -0.08093843 & -0.05982405 & -0.04046921 & -0.02111436 & 0. & 0.02111436 \end{bmatrix}
```

```
0.04046921 0.05982405 0.08093843 0.10029326 0.1196481 0.14076249 0.16011732 0.17947215]

[-0.22795071 -0.16873977 -0.13022458 -0.09625979 -0.06784572 -0.05029833 -0.03310884 -0.02003752 -0.01174919 0.00063197 0.00506447 0.01385363 0.02390555 0.03270725 0.0465503 0.06577805 0.08185232 0.10965527 0.14893019 0.18959235]
```



Compute transconductance

```
In [38]:
    kappa = 0.78
    U_T = 0.025
    I_b = 10e-9
    g_m = I_b*kappa/(2*U_T)
    print("The transconductance g_m is:", g_m)
```

The transconductance g m is: 1.56e-07

```
In [28]:
                                 import matplotlib.pyplot as plt
                                 import numpy as np
                                 plt.rcParams.update({'font.size': 15})
                                 files = ['./data/V1 sweep Iout Vcm09 ex3.csv', './data/V1 sweep Iout Vcm09 ex3 5.csv', '.,
                                 styles = ['b+','rx', 'g.']
                                 v cms = [0.9, 0.45, 0.2]
                                 for (file, style), v cm in zip(zip(files, styles), v_cms):
                                              V1_sweep_Iout_Vcm09_ex3_getset, V2_Iout_Vcm09_ex3_getset, c2f_Iout_U0_Vcm09_ex3, c2f_Iout
                                               I plus = a2 1 \times c2f Iout UO Vcm09 ex3**2 + a1 1 \times c2f Iout UO Vcm09 ex3 + a0 1
                                               I minus = a2 2*c2f Iout UBO Vcm09 ex3**2 + a1 <math>2*c2f Iout UBO Vcm09 ex3 + a0 2
                                              Vdiff Vcm09 = V1 sweep Iout Vcm09 ex3 getset-V2 Iout Vcm09 ex3 getset
                                               I out = I plus - I minus
                                               plt.plot(Vdiff \ Vcm09,I \ out, \ style, \ label=f"$I \ \{\{out\}\}$ with $V \ \{\{cm\}\}$ = \{v \ cm\}V$")$ and $V \ \{\{cm\}\}$ = \{v \ cm\}V$")$ are supported by the support of the supported by the support of the
                                 plt.xlabel('$V 1-V 2$ [V]')
                                 plt.ylabel('$I {out}$ [nA]')
                                 plt.legend()
                                 plt.title('Fig. 15: Measured $I {out}$ plotted over $V 1-V 2$.')
                                 plt.grid()
                                 plt.show()
```

Fig. 15: Measured I_{out} plotted over $V_1 - V_2$.

10

+ I_{out} with $V_{cm} = 0.9V$ -5

-10

-0.6

-0.4

-0.2

0.0

0.2

0.4

0.6 $V_1 - V_2$ [V]

To conclude your observations:

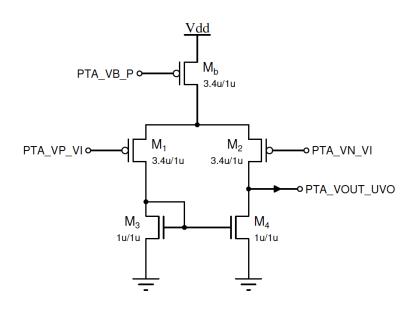
Increasing V_{cm} has the same effect as increasing I_b , but a lower V_{cm} results in a lower range of available ΔV

What do you observe when the common mode voltage V_{cm} is too small (e.g. 0.2V or 0.3V)? Does it have a sigmoid shape? If not, try to explain why.

The sigmoid is flipped: The borders are steep and the center is flat. M_4 of the schematic above is no longer in saturation, its requirement is $\max(V_1,V_2)>V_b+\frac{4U_T}{\kappa}$. With $V_{cm}=0.2V$, $\max(V_1,V_2)\leq 0.3V$ is too low.

4 P-Type 5T Transamp

4.0 Schematic and pin map



$$V_1$$
 = V_p = PTA_VP_VI = AIN7

$$V_2$$
 = V_n = PTA_VN_VI = AIN8

```
V_{out} = PTA_VOUT_UVO = ADC[12]
```

```
I_{out} = I_+ - I_- = PTA_IOUT_UO - PTA_IOUT_UBO = C2F[13] - C2F[14]
```

Note: There are three identical PTA circuits with the same bias and input voltages, one with the output open-circuited and routed out at PTA_VOUT*UVO*, the other two with $V_{out}fixed to 1Vbut$ I_{out} routed out through N- and P- type current mirror at PTA_IOUT_UO and PTA_IOUT_UBO.

4.1 Chip configuration

4.2 Calibration of C2F channels

Here you need to calibrate PTA_IOUT_UO and PTA_IOUT_UBO in the same way as the last lab. Notice the W/L ratio of 3.4 of Mb.

4.2.1 PTA_IOUT_UO

• Set fixed voltages for V_1 and V_2

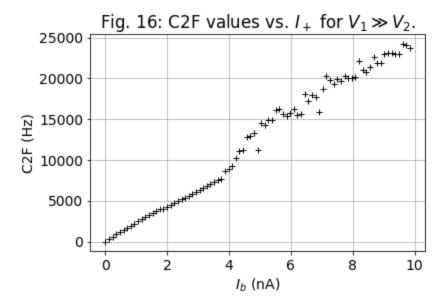
Set $V_1 \gg V_2$.

• Data aquisition (Hint: use master current 30 nA)

```
In [10]:
          import numpy as np
          import time
          callout UO ex4 = np.arange(0,85,1) # bias current sweep range, fine value
          c2f Iout UO ex4 = [] # what you get is frequency
          for n in range(len(callout UO ex4)):
              # set bias
              p.send coach events([pyplane.Coach.generate biasgen event(\
              pyplane.Coach.BiasAddress.PTA VB P, \
              pyplane.Coach.BiasType.P, \
              pyplane.Coach.BiasGenMasterCurrent.I30nA, callout UO ex4[n])])
              time.sleep(0.2) # settle time
              # read c2f values
              c2f Iout UO ex4 temp = p.read c2f output(0.1)
              c2f Iout UO ex4.append(c2f Iout UO ex4 temp[13])
          print(c2f Iout UO ex4)
```

[1, 313, 570, 873, 1112, 1406, 1649, 1934, 2192, 2470, 2706, 2989, 3211, 3487, 3710, 3966, 3977, 4244, 4456, 4711, 4919, 5170, 5386, 5637, 5858, 6108, 6312, 6564, 6772, 7029, 7258, 7596, 7660, 8605, 8932, 9276, 10236, 11148, 11209, 12837, 12942, 13271, 11197, 14479, 1431 5, 14893, 14860, 16069, 16280, 15688, 15433, 15768, 16227, 15541, 15647, 18150, 17282, 179 46, 17724, 15863, 18737, 20275, 19781, 19275, 19928, 19653, 20330, 20082, 20110, 20195, 22 121, 21014, 20835, 21447, 22632, 21859, 21838, 23026, 23065, 23071, 23018, 22991, 24242, 2 4060, 23714]

Plot



Save raw data

```
In [11]: # if the data looks nice, save it!
    data_Vout_V1_sweep_ex4 = [c2f_Iout_U0_ex4, calIout_U0_ex4]
    # save to csv file
    np.savetxt('./data/c2f_Iout_U0_ex4_cal_I_plus.csv', data_Vout_V1_sweep_ex4, delimiter=',')
```

· Load data

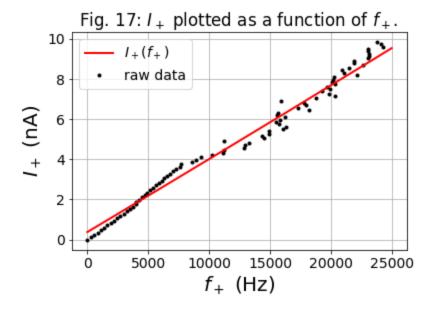
```
In [29]: [c2f_Iout_UO_ex4_save, callout_UO_ex4_save] = np.loadtxt('./data/c2f_Iout_UO_ex4_cal_I_plu
```

ullet Extract the function $I_+\left(f_+
ight)$ (Hint: use higher order polynomial to increase accuracy)

```
# plot the raw data
raw UO, = plt.plot(c2f Iout UO ex4 save, Iout UO ex4, '.k')
# data range you want to fit
low bound = 2
high bound = 80
# print(c2f Iout UO ex5[low bound:high bound])
# fit polynomial to C2F (frequency) vs I data
a2 1, a1 1, a0 1 = np.polyfit(c2f Iout UO ex4 save[low bound:high bound], Iout UO ex4[low
# print(a0)
# print(a1)
# print(a2)
# Print out the function I(f) you got
I freq = np.polyfit(c2f Iout UO ex4 save[low bound:high bound], Iout UO ex4[low bound:high
print ('The I+(f+) function of NTA IOUT UO is :')
print (np.poly1d(I freq))
# select frequency range that you want to plot
freq = np.arange(0, 25000, 50)
# print(freq)
I1 = a2 1*freq**2 + a1 <math>1*freq + a0 1 # function I(f)
fit, = plt.plot(freq, I1, 'r-', linewidth=2)
plt.xlabel('$f +$ (Hz)', {'size':20})
plt.ylabel('$I +$ (nA)', {'size':20})
plt.legend([fit, raw UO], ['$I +(f +)$', 'raw data'],prop={'size': 14})
plt.title('Fig. 17: $I +$ plotted as a function of $f +$. ')
plt.grid()
plt.show()
```

The I+(f+) function of NTA_IOUT_UO is: 2 2.05e-10 x + 0.0003619 x + 0.377

In [31]:



4.2.2 PTA_IOUT_UBO

• Set fixed voltages for V_1 and V_2

```
In [17]: p.set_voltage(pyplane.DacChannel.AIN7, 0.2) # V1 = ??
p.set_voltage(pyplane.DacChannel.AIN8, 0.8) # V2 = ??
```

```
Out[17]: 0.798827052116394
```

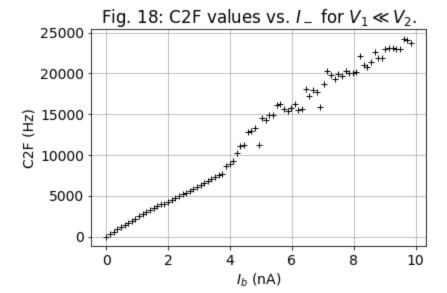
Set $V_1 \ll V_2$.

Data aquisition (Hint: use master current 30 nA)

```
In [18]:
          import numpy as np
          import time
          callout UO ex4 = np.arange(0,85,1) # bias current sweep range, fine value
          c2f Iout UO ex4 = [] # what you get is frequency
          for n in range(len(callout UO ex4)):
              # set bias
              p.send coach events([pyplane.Coach.generate biasgen event(\
              pyplane.Coach.BiasAddress.PTA VB P, \
              pyplane.Coach.BiasType.P, \
              pyplane.Coach.BiasGenMasterCurrent.I30nA, callout UO ex4[n])])
              time.sleep(0.2) # settle time
              # read c2f values
              c2f Iout UO ex4 temp = p.read c2f output(0.1)
              c2f Iout UO ex4.append(c2f Iout UO ex4 temp[14])
          print(c2f Iout UO ex4)
```

[207, 494, 809, 1174, 1430, 1894, 2112, 2540, 2959, 3366, 3698, 3908, 4271, 4664, 4931, 59 11, 5791, 5501, 6002, 6141, 6345, 6953, 7431, 8182, 7755, 6657, 8384, 8423, 9071, 9111, 10 553, 10001, 9963, 9992, 9972, 10746, 11344, 9359, 11552, 12242, 12049, 12277, 12081, 1033 7, 13877, 13619, 14343, 12548, 12626, 15869, 15178, 14079, 15986, 15385, 15216, 16272, 157 73, 16951, 16599, 16160, 12898, 17900, 18548, 17471, 18769, 17960, 18455, 18833, 17848, 13 672, 17916, 21499, 20687, 20089, 20973, 20646, 20588, 20119, 21471, 21922, 21887, 21641, 2 1723, 21869, 23074]

Plot



Save raw data

```
In [19]: # if the data looks nice, save it!
    data_Vout_V1_sweep_ex4 = [c2f_Iout_U0_ex4, calIout_U0_ex4]
    # save to csv file
    np.savetxt('./data/c2f_Iout_UB0_ex4_cal_I_minus.csv', data_Vout_V1_sweep_ex4, delimiter=',
```

Load data

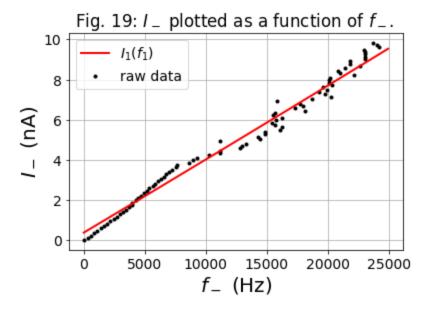
```
In [32]: # if the data looks nice, save it!
[V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save] = np.loadtxt('./data/c2f_Iout_UBO_ex4_c
```

• Extract the function $I_{-}\left(f_{-}\right)$ (Hint: use higher order polynomial to increase accuracy)

```
In [35]:
          # plot the raw data
          raw UO, = plt.plot(c2f Iout UO ex4 save, Iout UO ex4, '.k')
          # data range you want to fit
          low bound = 2
          high bound = 80
          # print(c2f Iout UO ex5[low bound:high bound])
          # fit polynomial to C2F (frequency) vs I data
          a2 2, a1 2, a0 2 = np.polyfit(c2f Iout UO ex4 save[low bound:high bound], Iout UO ex4[low
          # print(a0)
          # print(a1)
          # print(a2)
          # Print out the function I(f) you got
          I freq = np.polyfit(c2f Iout UO ex4 save[low bound:high bound], Iout UO ex4[low bound:high
          print ('The I1(f1) function of NTA IOUT UO is :')
          print (np.poly1d(I freq))
          # select frequency range that you want to plot
          freq = np.arange(0, 25000, 50)
          # print(freq)
          I1 = a2 2*freq**2 + a1 <math>2*freq + a0 2 # function I(f)
          fit, = plt.plot(freq, I1, 'r-', linewidth=2)
```

```
plt.xlabel('$f_-$ (Hz)', {'size':20})
plt.ylabel('$I_-$ (nA)', {'size':20})
plt.legend([fit, raw_UO], ['$I_1(f_1)$', 'raw data'],prop={'size': 14})
plt.title('Fig. 19: $I_-$ plotted as a function of $f_-$. ')
plt.grid()
plt.show()
```

The I1(f1) function of NTA_IOUT_UO is: 2 2.05e-10 x + 0.0003619 x + 0.377



4.3 Output voltage vs. input voltage

4.3.1 Basic measurement

• Set bias current I_h

The bias current is set to

$$I_b = w rac{BG_{ ext{fine}}}{256} I_{BG_{ ext{master}}} = rac{42}{256} \cdot 30 ext{nA} = 5 ext{nA}.$$

• Set fixed value of V_2 (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [34]:
    p.set_voltage(pyplane.DacChannel.AIN8, 0.9) # V2 = 0.9?
    v2_real = p.get_set_voltage(pyplane.DacChannel.AIN8)
    print("V2 is set to {} V".format(v2_real))
```

V2 is set to 0.8991203308105469 V

- Sweep V_1 and measure V_{out} (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [35]: import numpy as np
```

```
import time

V1_sweep_ex4 = np.arange(0,1.8,0.05) # voltage V1 sweep range

V2_ex4_getset = p.get_set_voltage(pyplane.DacChannel.AIN7)

Vout_V1_sweep_ex4 = []
V1_sweep_ex4_getset = []

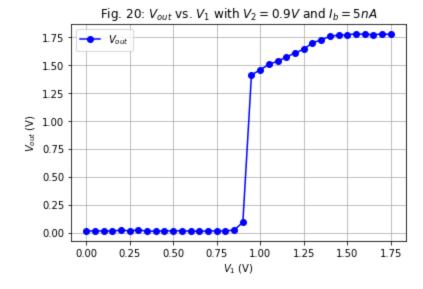
for n in range(len(V1_sweep_ex4)):
    p.set_voltage(pyplane.DacChannel.AIN7,V1_sweep_ex4[n]) #
    time.sleep(0.3) # settle time

V1_sweep_ex4_getset.append(p.get_set_voltage(pyplane.DacChannel.AIN7))
    Vout_V1_sweep_ex5.append(p.read_adc_instantaneous(13))
    Vout_V1_sweep_ex4_append(p.read_voltage(pyplane.AdcChannel.AOUT12))

# print(V2_ex5_getset)
# print(V1_sweep_ex5_getset)
# print(Vout_V1_sweep_ex5)
```

• Plot raw data

```
In [36]:
    plt.plot(V1_sweep_ex4_getset, Vout_V1_sweep_ex4, 'bo-', label="$V_{out}$")
    plt.title("Fig. 20: $V_{out}$ vs. $V_1$ with $V_2 = 0.9 V$ and $I_b = 5 nA$")
    plt.xlabel("$V_1$ (V)")
    plt.ylabel("$V_{out}$ (V)")
    plt.legend()
    plt.grid()
    plt.show()
```



Save raw data

```
In [37]: # if the data looks nice, save it!
    data_Vout_V1_sweep_ex4 = [V1_sweep_ex4_getset, Vout_V1_sweep_ex4]
    # save to csv file
    np.savetxt('./data/Vout_sweep_ex4_1.csv', data_Vout_V1_sweep_ex4, delimiter=',')
```

```
In [19]: [V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save] = np.loadtxt('./data/Vout_sweep_ex4_1.c
```

4.3.2 Different bias currents

Repeat 4.3.1 with another two bias currents and compare the three curves

Switch bias current from $I_b=5\mathrm{nA}$ in the basic measurement to $I_b=10\mathrm{nA}$.

• Set fixed value of V_2 (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [21]:
    p.set_voltage(pyplane.DacChannel.AIN8, 0.9) # V2 = 0.9?
    v2_real = p.get_set_voltage(pyplane.DacChannel.AIN8)
    print("V2 is set to {} V".format(v2_real))
```

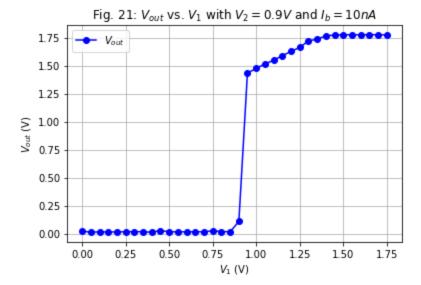
V2 is set to 0.8991203308105469 V

ullet Sweep V_1 and measure V_{out} (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [22]:
          import numpy as np
          import time
          V1 sweep ex4 = np.arange(0, 1.8, 0.05) # voltage V1 sweep range
          V2 ex4 getset = p.get set voltage(pyplane.DacChannel.AIN7)
          Vout V1 sweep_ex4 = []
          V1 sweep ex4 getset = []
          for n in range(len(V1 sweep ex4)):
              p.set voltage(pyplane.DacChannel.AIN7,V1 sweep ex4[n]) #
              time.sleep(0.3) # settle time
              V1 sweep ex4 getset.append(p.get set voltage(pyplane.DacChannel.AIN7))
               Vout V1 sweep ex3.append(p.read adc instantaneous(13))
              Vout V1 sweep ex4.append(p.read voltage(pyplane.AdcChannel.AOUT12))
          # print(V2 ex3 getset)
          # print(V1 sweep ex3 getset)
          # print(Vout V1 sweep ex3)
```

Plot raw data

```
In [23]:
    plt.plot(V1_sweep_ex4_getset, Vout_V1_sweep_ex4, 'bo-', label="$V_{out}$")
    plt.title("Fig. 21: $V_{out}$ vs. $V_1$ with $V_2 = 0.9 V$ and $I_b = 10 nA$")
    plt.xlabel("$V_1$ (V)")
    plt.ylabel("$V_{out}$ (V)")
    plt.legend()
    plt.grid()
    plt.show()
```



Save raw data

```
In [24]: # if the data looks nice, save it!
    data_Vout_V1_sweep_ex4 = [V1_sweep_ex4_getset, Vout_V1_sweep_ex4]
    # save to csv file
    np.savetxt('./data/Vout_sweep_ex4_2.csv', data_Vout_V1_sweep_ex4, delimiter=',')
In [25]: [V1 sweep ex4 getset save, Vout V1 sweep ex4 save] = np.loadtxt('./data/Vout_sweep_ex4_2.csv')
```

Switch bias current from $I_b=5\mathrm{nA}$ in the basic measurement to $I_b=15\mathrm{nA}$.

• Set fixed value of V_2 (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [27]:
    p.set_voltage(pyplane.DacChannel.AIN8, 0.9) # V2 = 0.9?
    v2_real = p.get_set_voltage(pyplane.DacChannel.AIN8)
    print("V2 is set to {} V".format(v2_real))
```

V2 is set to 0.8991203308105469 V

• Sweep V_1 and measure V_{out} (Hint: use get_set_voltage to get the real value set on the DAC)

```
import numpy as np
import time

V1_sweep_ex4 = np.arange(0,1.8,0.05) # voltage V1 sweep range

V2_ex4_getset = p.get_set_voltage(pyplane.DacChannel.AIN7)

Vout_V1_sweep_ex4 = []
V1_sweep_ex4_getset = []

for n in range(len(V1_sweep_ex4)):

    p.set_voltage(pyplane.DacChannel.AIN7,V1_sweep_ex4[n]) #
```

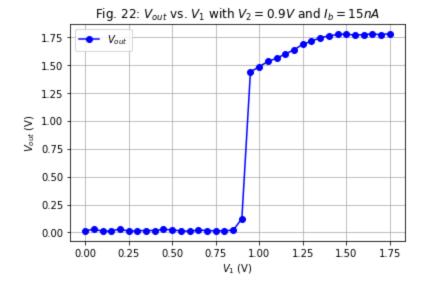
```
time.sleep(0.3) # settle time

V1_sweep_ex4_getset.append(p.get_set_voltage(pyplane.DacChannel.AIN7))
# Vout_V1_sweep_ex3.append(p.read_adc_instantaneous(13))
Vout_V1_sweep_ex4.append(p.read_voltage(pyplane.AdcChannel.AOUT12))

# print(V2_ex3_getset)
# print(V1_sweep_ex3_getset)
# print(V1_sweep_ex3_getset)
# print(Vout_V1_sweep_ex3)
```

Plot raw data

```
In [29]:
    plt.plot(V1_sweep_ex4_getset, Vout_V1_sweep_ex4, 'bo-', label="$V_{out}$")
    plt.title("Fig. 22: $V_{out}$ vs. $V_1$ with $V_2 = 0.9 V$ and $I_b = 15 nA$")
    plt.xlabel("$V_1$ (V)")
    plt.ylabel("$V_{out}$ (V)")
    plt.legend()
    plt.grid()
    plt.show()
```



Save raw data

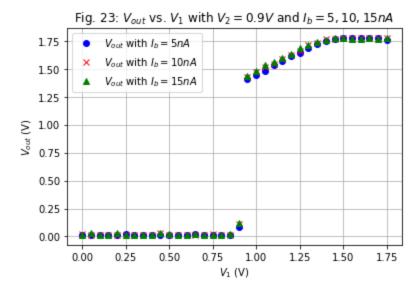
```
In [30]: # if the data looks nice, save it!
    data_Vout_V1_sweep_ex4 = [V1_sweep_ex4_getset, Vout_V1_sweep_ex4]
    # save to csv file
    np.savetxt('./data/Vout_sweep_ex4_3.csv', data_Vout_V1_sweep_ex4, delimiter=',')

In [31]: [V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save] = np.loadtxt('./data/Vout_sweep_ex4_3.cv')

In [32]: # your codes
```

```
[V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save_1] = np.loadtxt('./data/Vout_sweep_ex4_1
[V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save_2] = np.loadtxt('./data/Vout_sweep_ex4_2
[V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save_3] = np.loadtxt('./data/Vout_sweep_ex4_3
plt.plot(V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save_1, 'bo', label="$V_{out}$ with $\frac{1}{2}$
plt.plot(V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save_2, 'rx', label="$V_{out}$ with $\frac{1}{2}$
plt.plot(V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save_3, 'g^', label="$V_{out}$ with $\frac{1}{2}$
plt.plot(V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save_3, 'g^', label="$V_{out}$ with $\frac{1}{2}$
plt.title("Fig. 23: $V_{out}$ vs. $V_1$ with $V_2 = 0.9 V$ and $I_b = 5, 10, 15 nA$")
plt.xlabel("$V_1$ (V)")
```

```
plt.ylabel("$V_{out}$ (V)")
plt.legend()
plt.grid()
plt.show()
```



To conclude your observations:

The bias current does not affect the output voltage when one input voltage is fixed. $\frac{dV_{out}}{dL}=0$

4.3.3 Different fixed voltages V_n

• Repeat 4.3.1 with another two fixed voltages V_2 and compare the three curves

Switch voltage from $V_2=0.9{
m V}$ to $V_2=0.4{
m V}$. The bias current was $I_b=10{
m nA}$

```
In [39]:
# Set V2 = 04
p.set_voltage(pyplane.DacChannel.AIN8, 0.4) # V2 = 0.4
v2_real = p.get_set_voltage(pyplane.DacChannel.AIN8)
print("V2 is set to {} V".format(v2_real))
```

V2 is set to 0.399413526058197 V

The bias current is set to $I_b \approx 10 \mathrm{nA}$.

• Set fixed value of V_2 (Hint: use get_set_voltage to get the real value set on the DAC)

```
import numpy as np
import time

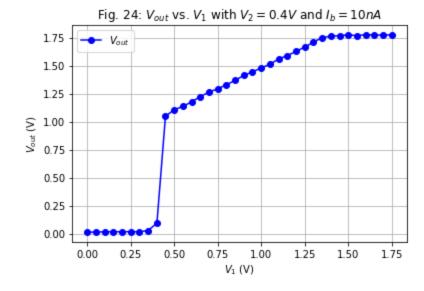
V1_sweep_ex4 = np.arange(0,1.8,0.05) # voltage V1 sweep range

V2_ex4_getset = p.get_set_voltage(pyplane.DacChannel.AIN8)

Vout_V1_sweep_ex4 = []
V1_sweep_ex4_getset = []
```

Plot raw data

```
In [42]:
    plt.plot(V1_sweep_ex4_getset, Vout_V1_sweep_ex4, 'bo-', label="$V_{out}$")
    plt.title("Fig. 24: $V_{out}$ vs. $V_1$ with $V_2 = 0.4 V$ and $I_b = 10 nA$")
    plt.xlabel("$V_1$ (V)")
    plt.ylabel("$V_{out}$ (V)")
    plt.legend()
    plt.grid()
    plt.show()
```



• Save raw data

```
In [43]: # if the data looks nice, save it!
    data_Vout_V1_sweep_ex4 = [V1_sweep_ex4_getset, Vout_V1_sweep_ex4]
    # save to csv file
    np.savetxt('./data/Vout_sweep_ex4_3.csv', data_Vout_V1_sweep_ex4, delimiter=',')

In [44]: [V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save] = np.loadtxt('./data/Vout_sweep_ex4_3.c
```

Switch voltage from $V_2=0.9{
m V}$ to $V_2=1.2{
m V}$. The bias current was $I_b=10{
m nA}$

• Set fixed value of V_2 (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [45]:
    p.set_voltage(pyplane.DacChannel.AIN8, 1.2) # V2 = 0.2
    v2_real = p.get_set_voltage(pyplane.DacChannel.AIN8)
```

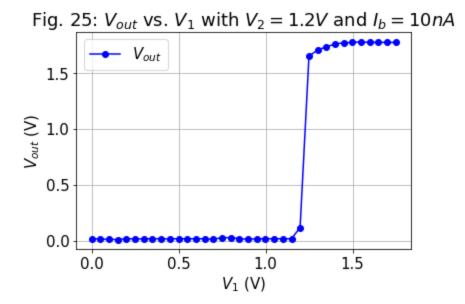
```
print("V2 is set to {} V".format(v2_real))
```

V2 is set to 1.1982406377792358 V

```
In [47]:
          import numpy as np
          import time
          V1 sweep ex4 = np.arange(0, 1.8, 0.05) # voltage V1 sweep range
          V2 ex4 getset = p.get set voltage(pyplane.DacChannel.AIN7)
          Vout V1 sweep ex4 = []
          V1 sweep ex4 getset = []
          for n in range(len(V1 sweep ex4)):
              p.set voltage(pyplane.DacChannel.AIN7,V1 sweep ex4[n]) #
              time.sleep(0.3) # settle time
              V1 sweep ex4 getset.append(p.get set voltage(pyplane.DacChannel.AIN7))
                Vout V1 sweep ex3.append(p.read adc instantaneous(13))
              Vout V1 sweep ex4.append(p.read voltage(pyplane.AdcChannel.AOUT12))
          # print(V2 ex3 getset)
          # print(V1 sweep ex3 getset)
          # print(Vout V1 sweep ex3)
```

Plot raw data

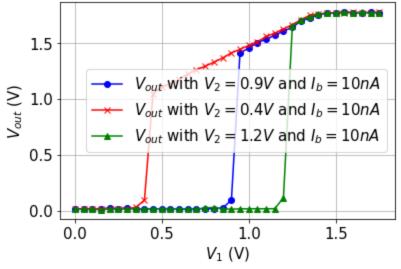
```
In [71]: plt.plot(V1_sweep_ex4_getset, Vout_V1_sweep_ex4, 'bo-', label="$V_{out}$")
    plt.title("Fig. 25: $V_{out}$ vs. $V_1$ with $V_2 = 1.2 V$ and $I_b = 10 nA$")
    plt.xlabel("$V_1$ (V)")
    plt.ylabel("$V_{out}$ (V)")
    plt.legend()
    plt.grid()
    plt.show()
```



```
In [49]:
# if the data looks nice, save it!
data_Vout_V1_sweep_ex4 = [V1_sweep_ex4_getset, Vout_V1_sweep_ex4]
# save to csv file
np.savetxt('./data/Vout_sweep_ex4_4.csv', data_Vout_V1_sweep_ex4, delimiter=',')
```

```
In [70]:
          [V1 sweep ex4 getset, Vout V1 sweep ex4] = np.loadtxt('./data/Vout sweep ex4 4.csv',
In [73]:
          # your codes
          [V1 sweep ex4 getset save, Vout V1 sweep ex4 save 1] = np.loadtxt('./data/Vout sweep ex4
          [V1 sweep ex4 getset save, Vout V1 sweep ex4 save 4] = np.loadtxt('./data/Vout sweep ex4
          [V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save_5] = np.loadtxt('./data/Vout_sweep_ex4_
          plt.plot(V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save 1, 'bo-', label="$V {out}$ with
          plt.plot(V1 sweep ex4 getset save, Vout V1 sweep ex4 save 4, 'rx-', label="$V {out}$ with
          plt.plot(V1 sweep ex4 getset save, Vout V1 sweep ex4 save 5, 'g^-', label="$V {out}$ with
          plt.title("Fig. 26: V_{out} vs. V_1 with V_2 = 1.2, 0.4 and 0.9V and E_b = 10 nA$";
          plt.xlabel("$V_1$ (V)")
          plt.ylabel("$V {out}$ (V)")
          plt.legend()
          plt.grid()
          plt.show()
```

Fig. 26: V_{out} vs. V_1 with $V_2 = 1.2, 0.4$ and $I_b = 10$ nA



To conclude your observations:

In contrast to nFET, this graph stays at nearly GND while $V_1 < V_2$. At $V_1 = V_2$, it rises nearly instantly but takes a while to reach V_{dd} , since at some point it starts rising linearly with a slope of κ . Shifting V_2 translates to shifting the graph. The most ideal amplifier is reached with a high V_2 .

4.4 Output current vs. input voltage

4.4.1 Basic measurement

• Set bias current I_b

Switch bias current back to $I_b = 10 \mathrm{nA}$.

• Assign common mode voltage V_{cm}

```
In [54]: Vcm_ex4 = 0.9 # Vcm = 0.9V
```

• Sweep differential voltage V_{diff} and measure I_{out} (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [55]:
          import numpy as np
          import time
          V1 sweep ex4 = np.arange(0.6, 1.2, 0.01) # voltage V1 sweep range
          #V2 ex3 getset = p.get set voltage(pyplane.VoltageChannel.AIN8)
          V2 ex4 = []
          V1 sweep ex4 getset = []
          V2 ex4 getset = []
          c2f Iout UO Vcm ex4 = []
          c2f_Iout_UBO_Vcm_ex4 = []
          for n in range(len(V1 sweep ex4)):
              # calculate V2 via Vcm and V1
              V2 ex4.append(2*Vcm ex4-V1 sweep ex4[n])
              p.set voltage(pyplane.DacChannel.AIN7,V1 sweep ex4[n]) #
              p.set voltage(pyplane.DacChannel.AIN8, V2 ex4[n]) #
              time.sleep(0.2) # settle time
              V1 sweep ex4 getset.append(p.get set voltage(pyplane.DacChannel.AIN7))
              V2 ex4 getset.append(p.get set voltage(pyplane.DacChannel.AIN8))
              # read c2f values
              c2f Iout ex4 temp = p.read_c2f_output(0.1)
              c2f Iout UO Vcm ex4.append(c2f Iout ex4 temp[13])
              c2f Iout UBO Vcm ex4.append(c2f Iout ex4 temp[14])
          # print(V1 sweep ex3 getset)
          # print(V2 ex4 getset)
          # print(c2f Iout UO Vcm ex4)
          # print(c2f Iout UBO Vcm ex4)
```

Save raw data

```
In [56]:
# if the data looks nice, save it!
data_Iout_Vcm09_ex4 = [V1_sweep_ex4_getset, V2_ex4_getset, c2f_Iout_U0_Vcm_ex4, c2f_Iout_UBO]
# save to csv file
np.savetxt('./data/V1_sweep_Iout_Vcm09_ex4_1.csv', data_Iout_Vcm09_ex4, delimiter=',')
```

• Plot raw data (C2F rate vs. Vdiff)

```
import matplotlib.pyplot as plt
import numpy as np
plt.rcParams.update({'font.size': 15})

V1_sweep_Iout_Vcm09_ex4_getset, V2_Iout_Vcm09_ex4_getset, c2f_Iout_U0_Vcm09_ex4, c2f_Iout_UBC
```

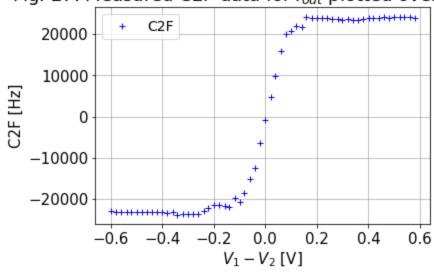
```
Vdiff_Vcm09 = V1_sweep_Iout_Vcm09_ex4_getset-V2_Iout_Vcm09_ex4_getset
print(Vdiff_Vcm09)
c2f_Iout_Vcm09 = c2f_Iout_UO_Vcm09_ex4 - c2f_Iout_UBO_Vcm09_ex4
print(c2f_Iout_Vcm09)

plt.plot(Vdiff_Vcm09,c2f_Iout_Vcm09,'b+')

plt.xlabel('$V_1-V_2$ [V]')
plt.ylabel('C2F [Hz]')
plt.legend(['C2F'],prop={'size': 14})
plt.title('Fig. 27: Measured C2F data for $I_{out}$ plotted over $V_1-V_2$.')
plt.grid()
plt.show()
```

```
[-0.60000008 \ -0.58064526 \ -0.55953091 \ -0.53841656 \ -0.52082115 \ -0.49970675]
-0.4785924 \quad -0.4609971 \quad -0.43988276 \quad -0.41876841 \quad -0.40117306 \quad -0.38005871
-0.35894436 \ -0.34134907 \ -0.32023472 \ -0.29912025 \ -0.2815249 \ -0.26041055
-0.2392962 \quad -0.22170091 \quad -0.20058656 \quad -0.17947215 \quad -0.1583578 \quad -0.14076245
-0.1196481 -0.09853375 -0.08093846 -0.05982405 -0.0387097 -0.02111435
  0.
             0.02111435 0.0387097
                                      0.05982405 0.08093846 0.09853375
            0.14076245 0.1583578
  0.1196481
                                        0.17947215 0.20058656 0.22170091
  0.2392962 \qquad 0.26041055 \quad 0.2815249 \qquad 0.29912025 \quad 0.32023472 \quad 0.34134907
  0.35894436 0.38005871 0.40117306 0.41876841 0.43988276 0.4609971
  0.4785924
              0.49970675 0.52082115 0.53841656 0.55953091
                                                                 0.58064526]
[-22954. -23044. -23115. -23115. -23087. -23135. -23141. -23109. -23026.
-23049. -22985. -23318. -23164. -23714. -23676. -23666. -23622. -23520.
-22825. -22247. -21330. -21294. -21542. -21905. -19719. -20721. -18437.
-15103. -12343. -6335.
                            -709.
                                            9772. 15884. 20077. 20844.
                                    4803.
  21930. 21728. 24156. 23954. 23924. 23808. 23800. 23583. 23564.
  23459. 23531. 23406. 23471. 23664. 23786. 23934. 23870. 24056.
  23794.
          24033. 24132.
                           24080.
                                   24036.
                                            23975.1
```

Fig. 27: Measured C2F data for I_{out} plotted over $V_1 - V_2$.



Convert rate to current and plot

```
import matplotlib.pyplot as plt
import numpy as np
plt.rcParams.update({'font.size': 15})

V1_sweep_Iout_Vcm09_ex4_getset, V2_Iout_Vcm09_ex4_getset, c2f_Iout_U0_Vcm09_ex4, c2f_Iout_UB0

I_plus = a2_1*c2f_Iout_U0_Vcm09_ex4**2 + a1_1*c2f_Iout_U0_Vcm09_ex4 + a0_1
I_minus = a2_2*c2f_Iout_UB0_Vcm09_ex4**2 + a1_2*c2f_Iout_UB0_Vcm09_ex4 + a0_2
Vdiff_Vcm09 = V1_sweep_Iout_Vcm09_ex4_getset-V2_Iout_Vcm09_ex4_getset
print(Vdiff_Vcm09)
I_out = I_plus - I_minus
```

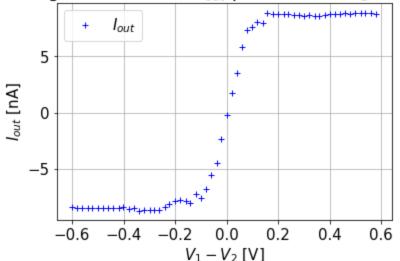
```
print(I_out)

plt.plot(Vdiff_Vcm09,I_out,'b+', label="$I_{out}$")

plt.xlabel('$V_1-V_2$ [V]')
plt.ylabel('$I_{out}$ [nA]')
plt.legend()
plt.title('Fig. 28: Measured $I_{out}$ plotted over $V_1-V_2$.')
plt.grid()
plt.show()
```

```
[-0.600000008 -0.58064526 -0.55953091 -0.53841656 -0.52082115 -0.49970675
-0.4785924 -0.4609971 -0.43988276 -0.41876841 -0.40117306 -0.38005871
-0.35894436 \ -0.34134907 \ -0.32023472 \ -0.29912025 \ -0.2815249 \ \ -0.26041055
-0.2392962 \quad -0.22170091 \quad -0.20058656 \quad -0.17947215 \quad -0.1583578 \quad -0.14076245
-0.1196481 -0.09853375 -0.08093846 -0.05982405 -0.0387097 -0.02111435
             0.02111435 0.0387097 0.05982405 0.08093846 0.09853375
 0.
            0.14076245 0.1583578
 0.1196481
                                     0.17947215 0.20058656 0.22170091
 0.2392962 0.26041055 0.2815249 0.29912025 0.32023472 0.34134907
 0.35894436 0.38005871 0.40117306 0.41876841 0.43988276 0.4609971
             0.49970675 0.52082115 0.53841656 0.55953091 0.58064526]
 0.4785924
 \begin{bmatrix} -8.41565393 & -8.44908532 & -8.47544441 & -8.47545389 & -8.4650453 & -8.48288203 \end{bmatrix} 
-8.48510102 -8.47322548 -8.44239122 -8.45094219 -8.42717498 -8.55085713
-8.49365312 -8.69799778 -8.68387543 -8.68015912 -8.66380785 -8.62590569
-8.36776429 -8.15323061 -7.81315284 -7.79980894 -7.89174432 -8.0263565
-7.21653368 -7.58749016 -6.74251694 -5.51293226 -4.49848746 -2.30103051
-0.25671092   1.74306145   3.55631961   5.80055763   7.34902377   7.63305509
 8.03562929 7.96071241 8.86230645 8.78720522 8.776053
                                                               8.73293455
 8.72996106 8.64931535 8.64225512 8.60323113 8.62999297 8.58354949
 8.6076993 8.67940617 8.72475753 8.77977036 8.75598972 8.82512553
 8.72773097 8.81658435 8.85338266 8.83404858 8.81768984 8.79501199]
```

Fig. 28: Measured I_{out} plotted over $V_1 - V_2$.



Compute transconductance

```
In []:
    kappa = 0.78
    U_T = 0.025
    I_b = 10e-9
    g_m = I_b*kappa/(2*U_T)
    print("The transconductance g_m is:", g_m)
```

The transconductance g m is: 1.56e-07

• Explain any asymmetries in the amplifier's I-V curve and the offset voltage in terms of mismatch between devices in the mirror and differential pair, and the Early effect. How can you distinguish the

effects of mismatch in the mirror and in the differential pair? The main point here is to recognize that there will be non-idealities, to understand where they arise, and to quantify them in the simplest manner possible.

A mismatch in the diff-pair moves the curve away from a symmetry at $V_1-V_2=0$. The reason is that through minuscule imperfections, the two input branches won't have the exact same behavior; one branch will tend to conduct a bit more electricity. This seems to not be a problem in the graph above.

A mismatch in the mirror will cause $|I_{\rm out,\,min}| \neq I_{\rm out,\,max}$. The reason is that I_1 will not be mirrored correctly to I_2 . We can see this a bit in the graph.

The curve is not completely flat at the edge of the sigmoid because of the Early effect.

4.4.2 Different bias currents

Repeat 4.4.1 with another two bias currents and compare the three curves

The bias current was switched from $I_b \approx 10 \mathrm{nA}$ to $I_b \approx 5 \mathrm{nA}$.

• Assign common mode voltage V_{cm}

```
In [26]: Vcm_ex4 = 0.9 # Vcm = 0.9V
```

• Sweep differential voltage V_{diff} and measure I_{out} (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [30]:
          import numpy as np
          import time
          V1 sweep ex4 = np.arange(0.6, 1.2, 0.01) # voltage V1 sweep range
          #V2 ex4 getset = p.get set voltage(pyplane.VoltageChannel.AIN8)
          V2 ex4 = []
          V1 sweep ex4_getset = []
          V2 ex4 getset = []
          c2f Iout UO Vcm ex4 = []
          c2f Iout UBO Vcm ex4 = []
          for n in range(len(V1 sweep ex4)):
              # calculate V2 via Vcm and V1
              V2 ex4.append(2*Vcm ex4-V1 sweep ex4[n])
              p.set voltage(pyplane.DacChannel.AIN7,V1 sweep ex4[n]) #
              p.set voltage(pyplane.DacChannel.AIN8, V2 ex4[n]) #
              time.sleep(0.2) # settle time
```

Save raw data

```
In [31]: # if the data looks nice, save it!
    data_Iout_Vcm09_ex4 = [V1_sweep_ex4_getset, V2_ex4_getset, c2f_Iout_U0_Vcm_ex4, c2f_Iout_UB0_
    # save to csv file
    np.savetxt('./data/V1_sweep_Iout_Vcm09_ex4_2.csv', data_Iout_Vcm09_ex4, delimiter=',')
```

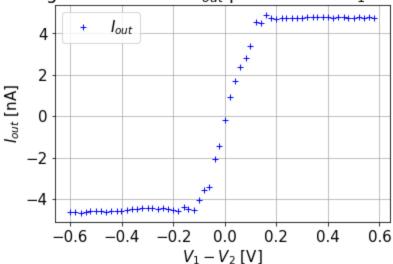
• Convert rate to current and plot

```
In [32]:
          import matplotlib.pyplot as plt
          import numpy as np
          plt.rcParams.update({'font.size': 15})
          V1 sweep Iout Vcm09 ex4 getset, V2 Iout Vcm09 ex4 getset, c2f Iout UO Vcm09 ex4, c2f Iout UB(
          I plus = a2 1*c2f Iout UO Vcm09 ex4**2 + a1 <math>1*c2f Iout UO Vcm09 ex4 + a0 1
           I minus = a2 2*c2f Iout UBO Vcm09 ex4**2 + a1 <math>2*c2f Iout UBO Vcm09 ex4 + a0 2
          Vdiff Vcm09 = V1 sweep Iout Vcm09 ex4 getset-V2 Iout Vcm09 ex4 getset
          print(Vdiff Vcm09)
          I out = I plus - I minus
          print(I out)
          plt.plot(Vdiff Vcm09,I out,'b+', label="$I {out}$")
          plt.xlabel('$V 1-V 2$ [V]')
          plt.ylabel('$I {out}$ [nA]')
          plt.legend()
          plt.title('Fig. 29: Measured $I {out}$ plotted over $V 1-V 2$.')
          plt.grid()
          plt.show()
          [-0.600000008 -0.58064526 -0.55953091 -0.53841656 -0.52082115 -0.49970675
           -0.4785924 \quad -0.4609971 \quad -0.43988276 \quad -0.41876841 \quad -0.40117306 \quad -0.38005871
           -0.35894436 \ -0.34134907 \ -0.32023472 \ -0.29912025 \ -0.2815249 \ -0.26041055
           -0.2392962 \quad -0.22170091 \quad -0.20058656 \quad -0.17947215 \quad -0.1583578 \quad -0.14076245
```

```
-0.60000008 -0.58064526 -0.55953091 -0.53841656 -0.52082115 -0.49970675 -0.4785924 -0.4609971 -0.43988276 -0.41876841 -0.40117306 -0.38005871 -0.35894436 -0.34134907 -0.32023472 -0.29912025 -0.2815249 -0.26041055 -0.2392962 -0.22170091 -0.20058656 -0.17947215 -0.1583578 -0.14076245 -0.1196481 -0.09853375 -0.08093846 -0.05982405 -0.0387097 -0.02111435 -0.02111435 -0.05982405 -0.0387097 -0.02111435 -0.0387097 -0.05982405 -0.03893846 -0.09853375 -0.1196481 -0.14076245 -0.1583578 -0.17947215 -0.20058656 -0.22170091 -0.2392962 -0.26041055 -0.2815249 -0.29912025 -0.32023472 -0.34134907 -0.35894436 -0.38005871 -0.40117306 -0.41876841 -0.43988276 -0.4609971 -0.4785924 -0.49970675 -0.52082115 -0.53841656 -0.55953091 -0.58064526] -4.60529795 -4.62402089 -4.65008794 -4.6111717 -4.60052561 -4.59244949 -4.57226007 -4.61007037 -4.59281659 -4.57923446 -4.59869011 -4.54326289 -4.47390028 -4.47206548 -4.43940792 -4.43463798 -4.43537182 -4.46178582 -4.45261733 -4.47022567 -4.5161033 -4.58730509 -4.39244543 -4.49774843 -4.54436401 -4.06719459 -3.5819359 -3.39644618 -2.0674551 -1.43135354 -0.18173935 -0.94856537 -0.5928156 -2.35716934 -0.28249091 -0.474960227 -0.18173935 -0.94856537 -0.5928156 -0.5595371 -0.5928991 -0.58064526] -0.18173935 -0.94856537 -0.5819359 -3.39644618 -2.0674551 -1.43135354 -0.18173935 -0.94856537 -0.5928156 -0.35716934 -0.7075937 -0.74960227
```

```
4.7231601
            4.7569477
                        4.76135503
                                    4.76172767
                                                 4.77568464
                                                             4.79661582
4.78559642
           4.79661043
                        4.79992172
                                    4.74666415
                                                 4.78192337
                                                             4.79771778
4.75217315
           4.74629689
                        4.77237899
                                    4.75291304
                                                4.78082146 4.760625821
```

Fig. 29: Measured I_{out} plotted over $V_1 - V_2$.



Compute transconductance

```
In []:
    kappa = 0.78
    U_T = 0.025
    I_b = 5e-9
    g_m = I_b*kappa/(2*U_T)
    print("The transconductance g_m is:", g_m)
```

The transconductance g m is: 7.8e-08

The bias current was switched from $I_b \approx 10 \mathrm{nA}$ to $I_b \approx 15 \mathrm{nA}$.

Assign common mode voltage V_{cm}

```
In [34]: Vcm_ex4 = 0.9 # Vcm = 0.9V
```

• Sweep differential voltage V_{diff} and measure I_{out} (Hint: use get_set_voltage to get the real value set on the DAC)

```
import numpy as np
import time

V1_sweep_ex4 = np.arange(0.6, 1.2, 0.01) # voltage V1 sweep range

#V2_ex4_getset = p.get_set_voltage(pyplane.VoltageChannel.AIN8)

V2_ex4 = []
V1_sweep_ex4_getset = []
V2_ex4_getset = []
c2f_Iout_UO_Vcm_ex4 = []
c2f_Iout_UBO_Vcm_ex4 = []
```

```
for n in range(len(V1 sweep ex4)):
    # calculate V2 via Vcm and V1
   V2 ex4.append(2*Vcm ex4-V1 sweep ex4[n])
    p.set voltage(pyplane.DacChannel.AIN7,V1 sweep ex4[n]) #
   p.set voltage(pyplane.DacChannel.AIN8, V2 ex4[n]) #
   time.sleep(0.2) # settle time
   V1 sweep ex4 getset.append(p.get set voltage(pyplane.DacChannel.AIN7))
   V2 ex4 getset.append(p.get set voltage(pyplane.DacChannel.AIN8))
    # read c2f values
   c2f Iout ex4 temp = p.read c2f output(0.1)
    c2f Iout UO Vcm ex4.append(c2f Iout ex4 temp[13])
    c2f Iout UBO Vcm ex4.append(c2f Iout ex4 temp[14])
# print(V1 sweep ex4 getset)
# print(V2 ex4 getset)
# print(c2f Iout UO Vcm ex4)
# print(c2f_Iout_UBO_Vcm_ex4)
```

Save raw data

0.

```
In [36]:
# if the data looks nice, save it!
data_Iout_Vcm09_ex4 = [V1_sweep_ex4_getset, V2_ex4_getset, c2f_Iout_U0_Vcm_ex4, c2f_Iout_UB0]
# save to csv file
np.savetxt('./data/V1_sweep_Iout_Vcm09_ex4_3.csv', data_Iout_Vcm09_ex4, delimiter=',')
```

Convert rate to current and plot

```
In [37]:
          import matplotlib.pyplot as plt
          import numpy as np
          plt.rcParams.update({'font.size': 15})
          V1 sweep Iout Vcm09 ex4 getset, V2 Iout Vcm09 ex4 getset, c2f Iout UO Vcm09 ex4, c2f Iout UB(
          I plus = a2 1*c2f Iout UO Vcm09 ex4**2 + a1 <math>1*c2f Iout UO Vcm09 ex4 + a0 1
          I minus = a2 2*c2f Iout UBO Vcm09 ex4**2 + a1 <math>2*c2f Iout UBO Vcm09 ex4 + a0 2
          Vdiff Vcm09 = V1 sweep Iout Vcm09 ex4 getset-V2 Iout Vcm09 ex4 getset
          print(Vdiff Vcm09)
          I out = I plus - I minus
          print(I out)
          plt.plot(Vdiff Vcm09,I out,'b+', label="$I {out}$")
          plt.xlabel('$V 1-V 2$ [V]')
          plt.ylabel('$I {out}$ [nA]')
          plt.legend()
          plt.title('Fig. 30: Measured $I {out}$ plotted over $V 1-V 2$.')
          plt.grid()
          plt.show()
          [-0.600000008 -0.58064526 -0.55953091 -0.53841656 -0.52082115 -0.49970675]
          -0.4785924 \quad -0.4609971 \quad -0.43988276 \quad -0.41876841 \quad -0.40117306 \quad -0.38005871
          -0.35894436 -0.34134907 -0.32023472 -0.29912025 -0.2815249 -0.26041055
```

0.02111435 0.0387097 0.05982405 0.08093846 0.09853375

```
0.14076245 0.1583578
 0.1196481
                                    0.17947215 0.20058656 0.22170091
 0.2392962 0.26041055 0.2815249
                                    0.29912025 0.32023472 0.34134907
 0.35894436 0.38005871 0.40117306 0.41876841 0.43988276 0.4609971
 0.4785924 0.49970675 0.52082115 0.53841656 0.55953091
                                                           0.58064526]
[-11.93522337 -11.98888152 -11.98212689 -11.98512893 -12.00276647
-11.97237043 -12.00689453 -12.02941212 -12.05868719 -12.06319126
-12.09209384 \ -12.06206524 \ -12.04630128 \ -12.1240021 \ \ -12.17806521
-12.24715821 -12.33166581 -12.424836 -12.58869635 -12.72856542
-12.51352138 -11.728924 -10.07813115 -7.89137357 -9.55796151
 -7.99149306 -9.1230496 -7.55822814 -5.80239982 -3.07729612
             2.39910219 5.90263079 8.01077877 10.17443333
 -0.28641888
  9.70777803 11.64718875 11.18713583 11.76192357 11.95435923
 11.90370781 11.91121125 11.87519622 11.87669677 11.89132749
 11.89958098 11.87219514 11.85981595 11.87896082 11.81292914
 11.74879836 11.7802997
                          11.74804836 11.7652987
                                                   11.78181295
 11.72517425 11.71842481 11.75779845 11.71542509 11.7446734 ]
```

Fig. 30: Measured I_{out} plotted over $V_1 - V_2$. I_{out} 10 5 0 -5-10-0.4-0.20.0 0.2 0.6 0.4 $V_1 - V_2 [V]$

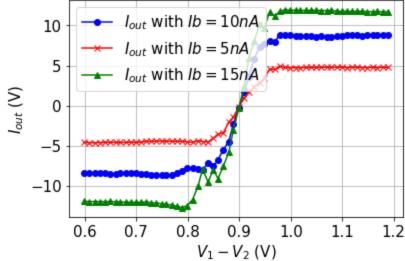
Compute transconductance

```
In [38]:
          kappa = 0.78
          U T = 0.025
          I b = 15e-9
          g m = I b*kappa/(2*U T)
          print("The transconductance g m is:", g m)
```

```
The transconductance g m is: 2.339999999999998e-07
In [21]:
                                                                            # your codes
                                                                          import matplotlib.pyplot as plt
                                                                           import numpy as np
                                                                         plt.rcParams.update({'font.size': 15})
                                                                         V1 sweep Iout Vcm09 ex4 getset 1, V2 Iout Vcm09 ex4 getset 1, c2f Iout UO Vcm09 ex4 1, c2f Iout Vcm09 ex4 getset 1, c2f Iout Vcm09 e
                                                                         V1 sweep Iout Vcm09 ex4 getset 2, V2 Iout Vcm09 ex4 getset 2, c2f Iout UO Vcm09 ex4 2, c2f Iout Vcm09 ex4 getset 2, c2f Iout Vcm09 e
                                                                         V1 sweep Iout Vcm09 ex4 getset 3,V2 Iout Vcm09 ex4 getset 3,c2f Iout UO Vcm09 ex4 3,c2f Iout Vcm09 ex4 getset 3,c2
                                                                          I_plus_1 = a2_1*c2f_Iout_UO_Vcm09_ex4_1**2 + a1_1*c2f_Iout_UO_Vcm09_ex4_1 + a0_1
                                                                          I minus 1 = a2 2*c2f Iout UBO Vcm09 ex4 1**2 + a1 2*c2f Iout UBO Vcm09 ex4 1 + a0 2
                                                                         I plus 2 = a2 1*c2f Iout UO Vcm09 ex4 2**2 + a1 1*c2f Iout UO Vcm09 ex4 2 + a0 1
                                                                         I minus 2 = a2 2*c2f Iout UBO Vcm09 ex4 2**2 + a1 2*c2f Iout UBO Vcm09 ex4 2 + a0 2
                                                                           I plus 3 = a2 1*c2f Iout UO Vcm09 ex4 3**2 + a1 1*c2f Iout UO Vcm09 ex4 3 + a0 1
                                                                           I minus 3 = a2 2*c2f Iout UBO Vcm09 ex4 3**2 + a1 2*c2f Iout UBO Vcm09 ex4 3 + a0 2
```

```
plt.plot(V1_sweep_Iout_Vcm09_ex4_getset_1, I_plus_1 - I_minus_1, 'bo-', label="$I_{out}$ v
plt.plot(V1_sweep_Iout_Vcm09_ex4_getset_2, I_plus_2 - I_minus_2, 'rx-', label="$I_{out}$ v
plt.plot(V1_sweep_Iout_Vcm09_ex4_getset_3, I_plus_3 - I_minus_3, 'g^-', label="$I_{out}$ v
plt.title("Fig. 31: $I_{out}$ vs. $V_1-V_2$ with $V_2 = 0.2, 0.4 and 0.9V$ and $I_b = 10 r
plt.xlabel("$V_1-V_2$ (V)")
plt.ylabel("$I_{out}$ (V)")
plt.legend()
plt.grid()
plt.show()
```

Fig. 31: I_{out} vs. $V_1 - V_2$ with $V_2 = 0.2, 0.4$ and $I_b = 10$ nA



To conclude your observations:

The range of the sigmoid is proportional to the bias current. The slope is just as proportional, resolting in $I_{\rm out,\;min}$ and $asl_{\rm out,\;min}$ and $asl_$

4.4.3 Different common mode voltages

Repeat 4.4.1 with another two common mode voltages and compare the three curves

```
In [13]: # Assign common mode voltage Vcm
Vcm_ex4 = 0.45
```

The bias current was switched back to $I_b pprox 10 \mathrm{nA}$.

ullet Sweep differential voltage V_{diff} and measure I_{out} (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [15]: import numpy as np import time
```

```
V1 sweep ex4 = np.arange(0.2, 0.7, 0.01) # voltage V1 sweep range
#V2 ex4 getset = p.get set voltage(pyplane.VoltageChannel.AIN8)
V2 ex4 = []
V1 sweep ex4 getset = []
V2 ex4 getset = []
c2f Iout UO Vcm ex4 = []
c2f Iout UBO Vcm ex4 = []
for n in range(len(V1 sweep ex4)):
    # calculate V2 via Vcm and V1
    V2 ex4.append(2*Vcm ex4-V1 sweep ex4[n])
    p.set voltage(pyplane.DacChannel.AIN7,V1 sweep ex4[n]) #
    p.set voltage(pyplane.DacChannel.AIN8,V2 ex4[n]) #
   time.sleep(0.2) # settle time
    V1 sweep ex4 getset.append(p.get set voltage(pyplane.DacChannel.AIN7))
    V2 ex4 getset.append(p.get set voltage(pyplane.DacChannel.AIN8))
    # read c2f values
    c2f Iout ex4 temp = p.read c2f output(0.1)
    c2f Iout UO Vcm ex4.append(c2f Iout ex4 temp[13])
    c2f Iout UBO Vcm ex4.append(c2f Iout ex4 temp[14])
# print(V1 sweep ex4 getset)
# print(V2 ex4 getset)
# print(c2f Iout UO Vcm ex4)
# print(c2f Iout UBO Vcm ex4)
```

• Save raw data

```
In [16]:
# if the data looks nice, save it!
data_Iout_Vcm09_ex4 = [V1_sweep_ex4_getset, V2_ex4_getset, c2f_Iout_U0_Vcm_ex4, c2f_Iout_UB0_
# save to csv file
np.savetxt('./data/V1_sweep_Iout_Vcm09_ex4_4.csv', data_Iout_Vcm09_ex4, delimiter=',')
```

Convert rate to current and plot

```
import matplotlib.pyplot as plt
import numpy as np
plt.rcParams.update({'font.size': 15})

V1_sweep_Iout_Vcm09_ex4_getset,V2_Iout_Vcm09_ex4_getset,c2f_Iout_U0_Vcm09_ex4,c2f_Iout_UBC

I_plus = a2_1*c2f_Iout_U0_Vcm09_ex4**2 + a1_1*c2f_Iout_U0_Vcm09_ex4 + a0_1
I_minus = a2_2*c2f_Iout_UBO_Vcm09_ex4**2 + a1_2*c2f_Iout_UBO_Vcm09_ex4 + a0_2
Vdiff_Vcm09 = V1_sweep_Iout_Vcm09_ex4_getset-V2_Iout_Vcm09_ex4_getset
print(Vdiff_Vcm09)
I_out = I_plus - I_minus
print(I_out)

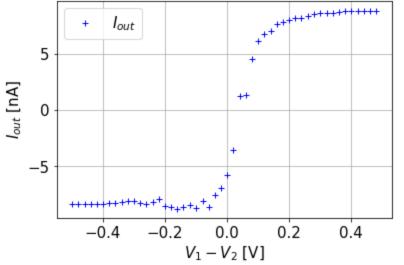
plt.plot(Vdiff_Vcm09,I_out,'b+', label="$I_{out}$")

plt.xlabel('$V_1-V_2$ [V]')
plt.ylabel('$I_{out}$ [nA]')
plt.legend()
```

```
plt.grid()
plt.show()
 [-0.49970683 \ -0.48035194 \ -0.45923758 \ -0.43988276 \ -0.42052792 \ -0.39941356 ] 
-0.38005868 -0.36070383 -0.33958948 -0.32023466 -0.29912028 -0.27976546
-0.26041058 \ -0.2392962 \ -0.21994138 \ -0.20058653 \ -0.17947218 \ -0.16011736
-0.14076245 -0.1196481 -0.10029328 -0.0791789 -0.05982405 -0.04046923
-0.01935485 0.
                        0.01935485 0.04046923 0.05982405 0.0791789
 0.10029328 0.1196481
                        0.14076245 0.16011736 0.17947218 0.20058653
 0.21994138 0.2392962
                        0.33958948 0.36070383 0.38005868 0.39941356 0.42052792 0.43988276
 0.45923758 0.48035194]
 [-8.34029039 \ -8.36478467 \ -8.35848232 \ -8.36218572 \ -8.31801591 \ -8.30167294 ] 
-8.27978149 -8.23374826 -8.15879636 -8.07308498 -8.08941658 -8.27866793
                       -7.883217
                                  -8.52039664 -8.56757442 -8.73925329
-8.31987206 -8.156199
-8.64671419 -8.40452341 -8.68276054 -8.05899788 -8.64708578 -7.5297094
-6.87740629 \ -5.76264299 \ -3.51027571 \ 1.22095147 \ 1.30365296 \ 4.55585821
 6.17738368 6.76694557 7.0316531 7.61842853 7.83329619 8.02348293
 8.1532262
            8.21987769 8.36535717 8.54584152 8.59556111 8.60471959
 8.65268855 8.73519986 8.7600111
                                    8.7708705 8.77868668 8.81495456
 8.79839901 8.803515371
```

plt.title('Fig. 32: Measured \$I {out}\$ plotted over \$V 1-V 2\$.')

Fig. 32: Measured I_{out} plotted over $V_1 - V_2$.



Compute transconductance

• Assign common mode voltage V_{cm}

```
In [19]: Vcm_ex4 = 0.2 # Vcm = 0.9V
```

• Sweep differential voltage V_{diff} and measure I_{out} (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [20]:
          import numpy as np
          import time
          V1 sweep ex4 = np.arange(0.1, 0.3, 0.01) # voltage V1 sweep range
          #V2 ex4 getset = p.get set voltage(pyplane.VoltageChannel.AIN8)
          V2 ex4 = []
          V1 sweep ex4 getset = []
          V2 ex4 getset = []
          c2f Iout UO_Vcm_ex4 = []
          c2f Iout UBO Vcm ex4 = []
          for n in range(len(V1 sweep ex4)):
              # calculate V2 via Vcm and V1
              V2 ex4.append(2*Vcm ex4-V1 sweep ex4[n])
              p.set voltage(pyplane.DacChannel.AIN7,V1 sweep ex4[n]) #
              p.set voltage(pyplane.DacChannel.AIN8, V2 ex4[n]) #
              time.sleep(0.2) # settle time
              V1 sweep ex4 getset.append(p.get set voltage(pyplane.DacChannel.AIN7))
              V2 ex4 getset.append(p.get set voltage(pyplane.DacChannel.AIN8))
              # read c2f values
              c2f Iout ex4 temp = p.read c2f output(0.1)
              c2f Iout UO Vcm ex4.append(c2f Iout ex4 temp[13])
              c2f Iout UBO Vcm ex4.append(c2f Iout ex4 temp[14])
          # print(V1 sweep ex4 getset)
          # print(V2 ex4 getset)
          # print(c2f Iout UO Vcm ex4)
          # print(c2f Iout UBO Vcm ex4)
```

• Save raw data

```
In [21]: # if the data looks nice, save it!
    data_Iout_Vcm09_ex4 = [V1_sweep_ex4_getset, V2_ex4_getset, c2f_Iout_U0_Vcm_ex4, c2f_Iout_UBO]
    # save to csv file
    np.savetxt('./data/V1_sweep_Iout_Vcm09_ex4_5.csv', data_Iout_Vcm09_ex4, delimiter=',')
```

Convert rate to current and plot

```
import matplotlib.pyplot as plt
import numpy as np
plt.rcParams.update({'font.size': 15})

V1_sweep_Iout_Vcm09_ex4_getset, V2_Iout_Vcm09_ex4_getset, c2f_Iout_U0_Vcm09_ex4, c2f_Iout_UB(

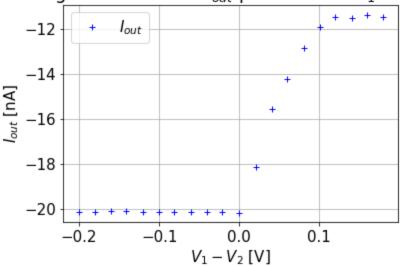
I_plus = a2_1*c2f_Iout_U0_Vcm09_ex4**2 + a1_1*c2f_Iout_U0_Vcm09_ex4 + a0_1
I_minus = a2_2*c2f_Iout_UBO_Vcm09_ex4**2 + a1_2*c2f_Iout_UBO_Vcm09_ex4 + a0_2
Vdiff_Vcm09 = V1_sweep_Iout_Vcm09_ex4_getset-V2_Iout_Vcm09_ex4_getset
print(Vdiff_Vcm09)
I_out = I_plus - I_minus
print(I_out)
```

```
plt.plot(Vdiff_Vcm09,I_out,'b+', label="$I_{out}$")

plt.xlabel('$V_1-V_2$ [V]')
plt.ylabel('$I_{out}$ [nA]')
plt.legend()
plt.title('Fig. 33: Measured $I_{out}$ plotted over $V_1-V_2$.')
plt.grid()
plt.show()
```

```
[-0.20058654 -0.17947215 -0.16011732 -0.14076249 -0.1196481 -0.10029326 -0.08093843 -0.05982405 -0.04046921 -0.02111436 0. 0.02111436 0.14076249 0.16011732 0.17947215]
[-20.12717032 -20.14368482 -20.09491163 -20.09222353 -20.11987346 -20.12870652 -20.13869198 -20.11257674 -20.14980779 -20.11104061 -20.15070882 -18.12195847 -15.56102576 -14.22136788 -12.85304043 -11.93654203 -11.49079446 -11.5241492 -11.37596959 -11.45904337]
```

Fig. 33: Measured I_{out} plotted over $V_1 - V_2$.



Compute transconductance

```
In []: kappa = 0.78
U_T = 0.025
I_b = 10e-9
g_m = I_b*kappa/(2*U_T)
print("The transconductance g_m is:", g_m)
```

The transconductance g m is: 1.56e-07

```
import matplotlib.pyplot as plt
import numpy as np
plt.rcParams.update(('font.size': 15))

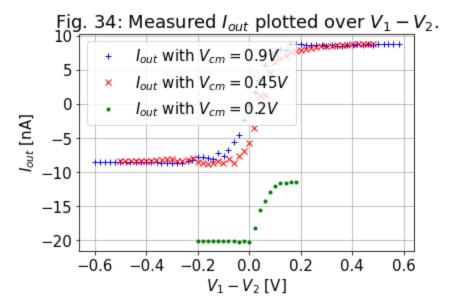
files = ['./data/V1_sweep_Iout_Vcm09_ex4_1.csv', './data/V1_sweep_Iout_Vcm09_ex4_4.csv',
    styles = ['b+','rx', 'g.']
    v_cms = [0.9, 0.45, 0.2]
    for (file, style), v_cm in zip(zip(files, styles), v_cms):
        V1_sweep_Iout_Vcm09_ex4_getset,V2_Iout_Vcm09_ex4_getset,c2f_Iout_U0_Vcm09_ex4,c2f_Iout

        I_plus = a2_1*c2f_Iout_U0_Vcm09_ex4**2 + a1_1*c2f_Iout_U0_Vcm09_ex4 + a0_1
        I_minus = a2_2*c2f_Iout_UBO_Vcm09_ex4**2 + a1_2*c2f_Iout_UBO_Vcm09_ex4 + a0_2
        Vdiff_Vcm09 = V1_sweep_Iout_Vcm09_ex4_getset-V2_Iout_Vcm09_ex4_getset
        I_out = I_plus - I_minus

        plt.plot(Vdiff Vcm09,I out, style, label=f"$I {{out}}$ with $V {{cm}}$ = {v cm}V$")
```

```
plt.xlabel('$V_1-V_2$ [V]')
plt.ylabel('$I_{out}$ [nA]')

plt.legend()
plt.title('Fig. 34: Measured $I_{out}$ plotted over $V_1-V_2$.')
plt.grid()
plt.show()
```



To conclude your observations:

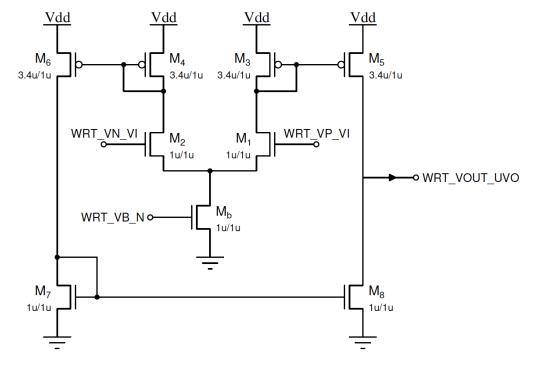
Increasing V_{cm} has the same effect as increasing I_b , but a lower V_{cm} results in a lower range of available ΔV

What do you observe when the common mode voltage V_{cm} is too small (e.g. 0.2V or 0.3V)? Does it have a sigmoid shape? If not, try to explain why.

The sigmoid is cut off when $V_2>V_1$. M_2 of the schematic above is no longer in saturation, its requirement is $V_{out}<\max(V_1,V_2)-4U_T$. With $V_{cm}=0.2V$, $\max(V_1,V_2)\leq 0.3V$ is too low. This explains why the right side of the graph looks normal: When all current flows through M_1 and none through M_2 , it doesn't matter that M_2 is not in saturation.

5 Wide-range Transamp

5.0 Schematic and pin map



```
V_1 = V_p = WRT_VP_VI = AIN7
```

$$V_2$$
 = V_n = WRT_VN_VI = AIN8

 V_{out} = WRT_VOUT_UVO = ADC[11]

5.1 Chip configuration

5.2 Output voltage vs. input voltage

5.2.1 Basic measurement

• Set bias current I_b

The bias current is set to

$$I_b = w rac{BG_{ ext{fine}}}{256} I_{BG_{ ext{master}}} = rac{85}{256} \cdot 30 ext{nA} pprox 9.961 ext{nA}.$$

• Set fixed value of V_2 (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [34]: p.set_voltage(pyplane.DacChannel.AIN8,0.9) # V2 = 0.9
```

Out[34]: 0.8991203308105469

The input voltage is set to $V_2 = 0.9 V$.

• Sweep V_1 and measure V_{out} (Hint: use get_set_voltage to get the real value set on the DAC)

```
import numpy as np
import time

V1_sweep_ex5 = np.arange(0,1.8,0.05) # voltage V1 sweep range

V2_ex5_getset = p.get_set_voltage(pyplane.DacChannel.AIN8)

Vout_V1_sweep_ex5 = []
V1_sweep_ex5_getset = []

for n in range(len(V1_sweep_ex5)):

    p.set_voltage(pyplane.DacChannel.AIN7,V1_sweep_ex5[n]) #

    time.sleep(0.2) # settle time

    V1_sweep_ex5_getset.append(p.get_set_voltage(pyplane.DacChannel.AIN7))
    Vout_V1_sweep_ex5.append(p.read_voltage(pyplane.AdcChannel.AOUT11))

print(V2_ex5_getset)
    print(V1_sweep_ex5_getset)
    print(Vout_V1_sweep_ex5)
```

0.8991203308105469 24985340237617493, 0.2991202771663666, 0.3483871519565582, 0.399413526058197, 0.4486804008 4838867, 0.49970680475234985, 0.5489736795425415, 0.5982405543327332, 0.6492669582366943, $0.698533833026886,\ 0.7495601773262024,\ 0.798827052116394,\ 0.8498534560203552,\ 0.8991203308$ 105469, 0.9483872056007385, 0.9994136095046997, 1.0486804246902466, 1.0997068881988525, 1. 1489737033843994, 1.1982406377792358, 1.2492669820785522, 1.2985339164733887, 1.3495602607 72705, 1.3988271951675415, 1.449853539466858, 1.4991203546524048, 1.5483872890472412, 1.59 94136333465576, 1.648680567741394, 1.6997069120407104, 1.74897384643554691 [0.01369628868997097, 0.01369628868997097, 0.012890624813735485, 0.01369628868997097, 0.01 369628868997097, 0.012890624813735485, 0.012890624813735485, 0.012890624813735485, 0.01289 0624813735485, 0.012890624813735485, 0.01369628868997097, 0.01369628868997097, 0.012890624 813735485, 0.01369628868997097, 0.01369628868997097, 0.012890624813735485, 0.0145019534975 2903, 0.01369628868997097, 0.4890380799770355, 1.7724609375, 1.780517578125, 1.78051757812 5, 1.780517578125, 1.780517578125, 1.780517578125, 1.780517578125, 1.7797119617462158, 1.7 80517578125, 1.780517578125, 1.778906226158142, 1.780517578125, 1.780517578125, 1.78051757 8125, 1.780517578125, 1.780517578125, 1.780517578125]

Plot raw data

```
In [50]: 
    plt.plot(V1_sweep_ex5_getset, Vout_V1_sweep_ex5, 'bo-', label="$V_{out}$")
    plt.title("Fig. 35: $V_{out}$ vs. $V_1$ with $V_2 = 0.9 V$ and $I_b = 5 nA$")
    plt.xlabel("$V_1$ (V)")
    plt.ylabel("$V_{out}$ (V)")
    plt.legend()
    plt.grid()
    plt.show()
```

Fig. 35: V_{out} vs. V_1 with $V_2 = 0.9V$ and $I_b = 5nA$ 1.5

2 1.0

0.0

0.0

0.5

1.5

 V_1 (V)

Save raw data

```
In [39]: # if the data looks nice, save it!
    np.savetxt('./data/Vout_sweep_ex5_1.csv',[V1_sweep_ex5,V1_sweep_ex5_getset,Vout_V1_sweep_ex5]
In [49]: [V1_sweep_ex5,V1_sweep_ex5_getset,Vout_V1_sweep_ex5] = np.loadtxt('./data/Vout_sweep_ex5_1)
```

5.2.2 Different bias currents

Repeat 5.2.1 with another two bias currents and compare the three curves

The bias current was switched from $I_b \approx 5 \mathrm{nA}$ to $I_b \approx 10 \mathrm{nA}$.

- Set fixed value of V_2 (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [42]:
    p.set_voltage(pyplane.DacChannel.AIN8, 0.9) # V2 = 0.9?
    v2_real = p.get_set_voltage(pyplane.DacChannel.AIN8)
    print("V2 is set to {} V".format(v2_real))
```

V2 is set to 0.8991203308105469 V

```
In [43]:
    import numpy as np
    import time

V1_sweep_ex5 = np.arange(0,1.8,0.05) # voltage V1 sweep range

V2_ex5_getset = p.get_set_voltage(pyplane.DacChannel.AIN8)

Vout_V1_sweep_ex5 = []
V1_sweep_ex5_getset = []

for n in range(len(V1_sweep_ex5)):
```

```
p.set_voltage(pyplane.DacChannel.AIN7,V1_sweep_ex5[n]) #

time.sleep(0.3) # settle time

V1_sweep_ex5_getset.append(p.get_set_voltage(pyplane.DacChannel.AIN7))

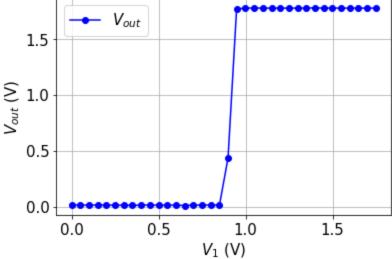
# Vout_V1_sweep_ex5.append(p.read_adc_instantaneous(13))
Vout_V1_sweep_ex5.append(p.read_voltage(pyplane.AdcChannel.AOUT11))

# print(V2_ex5_getset)
# print(V1_sweep_ex5_getset)
# print(V0ut_V1_sweep_ex5)
```

• Plot raw data

```
In [44]:
    plt.plot(V1_sweep_ex5_getset, Vout_V1_sweep_ex5, 'bo-', label="$V_{out}$")
    plt.title("Fig. 36: $V_{out}$ vs. $V_1$ with $V_2 = 0.9 V$ and $I_b = 10 nA$")
    plt.xlabel("$V_1$ (V)")
    plt.ylabel("$V_{out}$ (V)")
    plt.legend()
    plt.grid()
    plt.show()
```





Save raw data

```
In [45]: # if the data looks nice, save it!
    data_Vout_V1_sweep_ex5 = [V1_sweep_ex5_getset, Vout_V1_sweep_ex5]
    # save to csv file
    np.savetxt('./data/Vout_sweep_ex5_2.csv', data_Vout_V1_sweep_ex5, delimiter=',')
In [46]: [V1] sweep_ex5_state to save __Vout_V1_sweep_ex5_2.csv']
```

[V1 sweep ex5 getset save, Vout V1 sweep ex5 save] = np.loadtxt('./data/Vout sweep ex5 2.

The bias current was switched from $I_b \approx 5 \mathrm{nA}$ to $I_b \approx 15 \mathrm{nA}$.

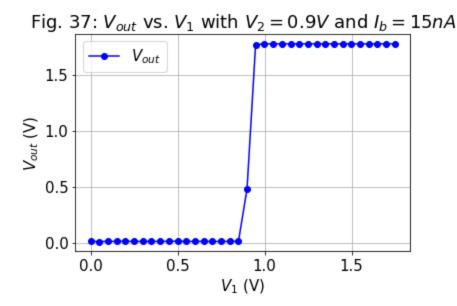
• Set fixed value of V_2 (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [48]:
          p.set voltage(pyplane.DacChannel.AIN8, 0.9) # V2 = 0.9?
          v2 real = p.get set voltage(pyplane.DacChannel.AIN8)
          print("V2 is set to {} V".format(v2 real))
         V2 is set to 0.8991203308105469 V
In [49]:
          import numpy as np
          import time
          V1 sweep ex5 = np.arange(0,1.8,0.05) # voltage V1 sweep range
          V2 ex5 getset = p.get set voltage(pyplane.DacChannel.AIN8)
          Vout V1 sweep ex5 = []
          V1 sweep ex5 getset = []
          for n in range(len(V1 sweep ex5)):
              p.set voltage(pyplane.DacChannel.AIN7,V1 sweep ex5[n]) #
              time.sleep(0.3) # settle time
              V1 sweep ex5 getset.append(p.get set voltage(pyplane.DacChannel.AIN7))
                Vout V1 sweep ex5.append(p.read adc instantaneous(13))
              Vout V1 sweep ex5.append(p.read voltage(pyplane.AdcChannel.AOUT11))
          # print(V2 ex5 getset)
```

Plot raw data

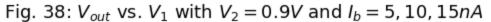
print(V1_sweep_ex5_getset)
print(Vout V1 sweep ex5)

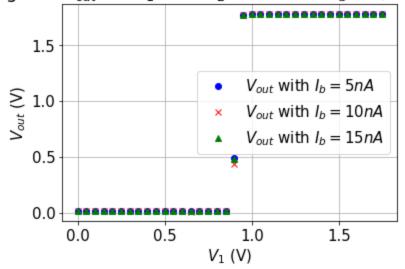
```
In [50]: 
    plt.plot(V1_sweep_ex5_getset, Vout_V1_sweep_ex5, 'bo-', label="$V_{out}$")
    plt.title("Fig. 37: $V_{out}$ vs. $V_1$ with $V_2 = 0.9 V$ and $I_b = 15 nA$")
    plt.xlabel("$V_1$ (V)")
    plt.ylabel("$V_{out}$ (V)")
    plt.legend()
    plt.grid()
    plt.show()
```



· Save raw data

```
In [51]:
          # if the data looks nice, save it!
          data Vout V1 sweep ex5 = [V1 sweep ex5 getset, Vout V1 sweep ex5]
          # save to csv file
          np.savetxt('./data/Vout sweep ex5 3.csv', data Vout V1 sweep ex5, delimiter=',')
In [52]:
          [V1 sweep ex5 getset, Vout V1 sweep ex5] = np.loadtxt('./data/Vout sweep ex5 3.csv',
In [55]:
          # your codes
          [V1 sweep ex5 save, V1 sweep ex5 getset, Vout V1 sweep ex5 save 1] = np.loadtxt('./data/Vout
          [V1 sweep ex5 getset save, Vout V1 sweep ex5 save 2] = np.loadtxt('./data/Vout sweep ex5
          [V1_sweep_ex5_getset_save, Vout_V1_sweep_ex5_save_3] = np.loadtxt('./data/Vout_sweep_ex5_
          plt.plot(V1 sweep ex5 getset save, Vout V1 sweep ex5 save 1, 'bo', label="$V {out}$ with
          plt.plot(V1 sweep ex5 getset save, Vout V1 sweep ex5 save 2, 'rx', label="$V {out}$ with
          plt.plot(V1_sweep_ex5_getset_save, Vout_V1_sweep_ex5_save_3, 'g^', label="$V_{out}$ with
          plt.title("Fig. 38: V_{out} with V_2 = 0.9  and b = 5, 10, 15 nA$")
          plt.xlabel("$V 1$ (V)")
          plt.ylabel("$V {out}$ (V)")
          plt.legend()
          plt.grid()
          plt.show()
```





To conclude your observations:

The bias current does not affect the output voltage when one input voltage is fixed. $rac{dV_{out}}{dI_{b}}=0$ This is the same behavior as in the regular transamp.

5.2.3 Different fixed voltages V_n

• Repeat 5.2.1 with another two fixed voltages V_2 and compare the three curves

Switch voltage from $V_2=0.9{
m V}$ to $V_2=0.4{
m V}$. The bias current was $I_b=10{
m nA}$

```
In [56]:
# Set V2 = 04
p.set_voltage(pyplane.DacChannel.AIN8, 0.4) # V2 = 0.4
v2_real = p.get_set_voltage(pyplane.DacChannel.AIN8)
print("V2 is set to {} V".format(v2_real))
```

```
V2 is set to 0.399413526058197 V
```

The bias current is set to $I_b \approx 10 \mathrm{nA}$.

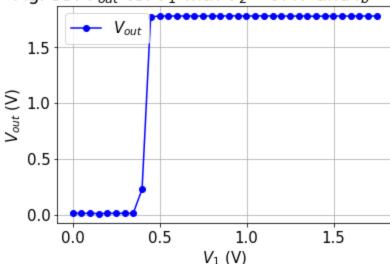
• Set fixed value of V_2 (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [58]:
          import numpy as np
          import time
          V1 sweep ex5 = np.arange(0,1.8,0.05) # voltage V1 sweep range
          V2 ex5 getset = p.get set voltage(pyplane.DacChannel.AIN8)
          Vout V1 sweep ex5 = []
          V1 sweep ex5 getset = []
          for n in range(len(V1 sweep ex5)):
              p.set voltage(pyplane.DacChannel.AIN7,V1 sweep ex5[n]) #
              time.sleep(0.3) # settle time
              V1 sweep ex5 getset.append(p.get set voltage(pyplane.DacChannel.AIN7))
               Vout V1 sweep ex3.append(p.read adc instantaneous(13))
              Vout V1 sweep ex5.append(p.read voltage(pyplane.AdcChannel.AOUT11))
          # print(V2 ex3 getset)
          # print(V1 sweep ex3 getset)
          # print(Vout V1 sweep ex3)
```

Plot raw data

```
In [59]:
    plt.plot(V1_sweep_ex5_getset, Vout_V1_sweep_ex5, 'bo-', label="$V_{out}$")
    plt.title("Fig. 39: $V_{out}$ vs. $V_1$ with $V_2 = 0.4 V$ and $I_b = 10 nA$")
    plt.xlabel("$V_1$ (V)")
    plt.ylabel("$V_{out}$ (V)")
    plt.legend()
    plt.grid()
    plt.show()
```

Fig. 39: V_{out} vs. V_1 with $V_2 = 0.4V$ and $I_b = 10nA$



Save raw data

```
In [60]: # if the data looks nice, save it!
    data_Vout_V1_sweep_ex5 = [V1_sweep_ex5_getset, Vout_V1_sweep_ex5]
    # save to csv file
    np.savetxt('./data/Vout_sweep_ex5_3.csv', data_Vout_V1_sweep_ex5, delimiter=',')
In [61]: [V1_sweep_ex5_getset_save, Vout_V1_sweep_ex5_save] = np.loadtxt('./data/Vout_sweep_ex5_3.csv')
```

Switch voltage from $V_2=0.9{
m V}$ to $V_2=1.2{
m V}$. The bias current was $I_b=10{
m nA}$

• Set fixed value of V_2 (Hint: use get_set_voltage to get the real value set on the DAC)

```
In [62]:
    p.set_voltage(pyplane.DacChannel.AIN8, 1.2) # V2 = 0.2
    v2_real = p.get_set_voltage(pyplane.DacChannel.AIN8)
    print("V2 is set to {} V".format(v2_real))
```

V2 is set to 1.1982406377792358 V

```
Im [63]: import numpy as np
import time

V1_sweep_ex5 = np.arange(0,1.8,0.05) # voltage V1 sweep range

V2_ex5_getset = p.get_set_voltage(pyplane.DacChannel.AIN7)

Vout_V1_sweep_ex5 = []
V1_sweep_ex5_getset = []

for n in range(len(V1_sweep_ex5)):
    p.set_voltage(pyplane.DacChannel.AIN7,V1_sweep_ex5[n]) #

    time.sleep(0.3) # settle time

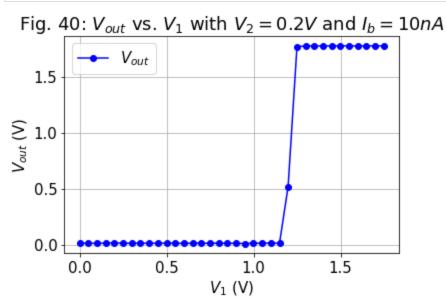
V1_sweep_ex5_getset.append(p.get_set_voltage(pyplane.DacChannel.AIN7))
    Vout_V1_sweep_ex3.append(p.read_adc_instantaneous(13))
    Vout_V1_sweep_ex5.append(p.read_voltage(pyplane.AdcChannel.AOUT11))

# print(V2_ex3_getset)
```

```
# print(V1_sweep_ex3_getset)
# print(Vout_V1_sweep_ex3)
```

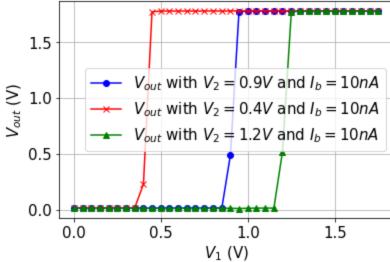
Plot raw data

```
In [64]:
    plt.plot(V1_sweep_ex5_getset, Vout_V1_sweep_ex5, 'bo-', label="$V_{out}$")
    plt.title("Fig. 40: $V_{out}$ vs. $V_1$ with $V_2 = 0.2 V$ and $I_b = 10 nA$")
    plt.xlabel("$V_1$ (V)")
    plt.ylabel("$V_{out}$ (V)")
    plt.legend()
    plt.grid()
    plt.show()
```



```
In [65]:
          # if the data looks nice, save it!
          data Vout V1 sweep ex5 = [V1 sweep ex5 getset, Vout V1 sweep ex5]
          # save to csv file
          np.savetxt('./data/Vout sweep ex5 4.csv', data Vout V1 sweep ex5, delimiter=',')
In [66]:
          [V1 sweep ex5 getset save, Vout V1 sweep ex5 save] = np.loadtxt('./data/Vout sweep ex5 4.0
In [74]:
          # your codes
          [V1_sweep_ex5_save,V1_sweep_ex5_getset_save,Vout_V1_sweep_ex5_save_1] = np.loadtxt('./date
          [V1 sweep ex5 getset save, Vout V1 sweep ex5 save 4] = np.loadtxt('./data/Vout sweep ex5
          [V1 sweep ex5 getset save, Vout V1 sweep ex5 save 5] = np.loadtxt('./data/Vout sweep ex5
          plt.plot(V1 sweep ex5 getset save, Vout V1 sweep ex5 save 1, 'bo-', label="$V {out}$ with
          plt.plot(V1 sweep ex5 getset save, Vout V1 sweep ex5 save 4, 'rx-', label="$V {out}$ with
          plt.plot(V1 sweep ex5 getset save, Vout V1 sweep ex5 save 5, 'g^-', label="$V {out}$ with
          plt.title("Fig. 41: $V {out}$ vs. $V 1$ with $V 2 = 0.2, 0.4 and 0.9V$ and $I b = 10 nA$")
          plt.xlabel("$V 1$ (V)")
          plt.ylabel("$V {out}$ (V)")
          plt.legend()
          plt.grid()
          plt.show()
```

Fig. 41: V_{out} vs. V_1 with $V_2 = 0.2, 0.4$ and $I_b = 10$ nA



To conclude your observations:

In contrast to the regular transamp, the wide range transamp behaves like a regular amplifier: its $V_{out} is nearly at GND when \centsforthing the like a regular amplifier: \centsforthing the like a regular amplifier: its <math>V_{out} is nearly at GND when \centsforthing the like a regular amplifier: \centsforthing the like amplifier:$

. *Asintheregulartransamp*, *shifting*V_2\$ results in shifting the graph.

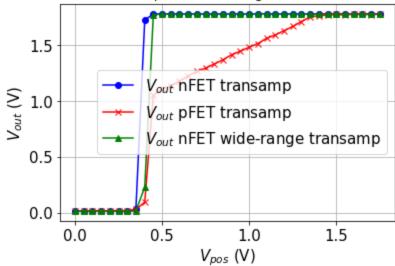
5.3 Comparison with 5T transamps

Compare the V_{out} vs V_{pos} (V_1) curves of the three transamps with different V_{neq} (V_2)

```
In [64]:
# fix Vn < 0.9V, Compare Vout vs Vpos

[V1_sweep_ex5_getset_save, Vout_V1_sweep_ex5_save_1] = np.loadtxt('./data/Vout_sweep_ex5_3.
[V1_sweep_ex3_getset_save, Vout_V1_sweep_ex3_save_1] = np.loadtxt('./data/Vout_sweep_ex3_4.
[V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save_1] = np.loadtxt('./data/Vout_sweep_ex4_3.
plt.plot(V1_sweep_ex3_getset_save, Vout_V1_sweep_ex3_save_1, 'bo-', label="$V_{out}$ nFET_plt.plot(V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save_1, 'rx-', label="$V_{out}$ pFET_plt.plot(V1_sweep_ex5_getset_save, Vout_V1_sweep_ex5_save_1, 'g^-', label="$V_{out}$ nFET_plt.title("Fig. 42: $V_{out}$ vs. $V_{pos}$ with $V_{neg} = 0.4V$ and $I_b = 10 nA$")
plt.xlabel("$V_{pos}$ (V)")
plt.ylabel("$V_{out}$ (V)")
plt.legend()
plt.grid()
plt.show()</pre>
```

Fig. 42: V_{out} vs. V_{pos} with $V_{neg} = 0.4V$ and $I_b = 10nA$



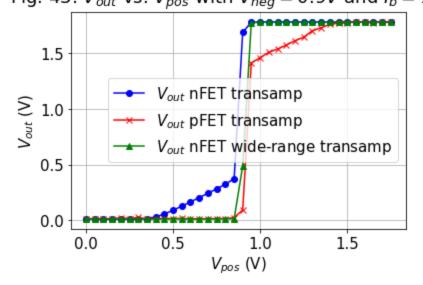
```
In [56]: # fix Vn = 0.9V, Compare Vout vs Vpos

[V1_sweep_ex5_save,V1_sweep_ex5_getset_save,Vout_V1_sweep_ex5_save_1] = np.loadtxt('./data
[V1_sweep_ex3_getset_save, Vout_V1_sweep_ex3_save_1] = np.loadtxt('./data/Vout_sweep_ex3_1
[V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save_1] = np.loadtxt('./data/Vout_sweep_ex4_1
plt.plot(V1_sweep_ex3_getset_save, Vout_V1_sweep_ex3_save_1, 'bo-', label="$V_{out}$ nfet
plt.plot(V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save_1, 'rx-', label="$V_{out}$ pfet
plt.plot(V1_sweep_ex5_getset_save, Vout_V1_sweep_ex5_save_1, 'g^-', label="$V_{out}$ nfet
plt.title("Fig. 43: $V_{out}$ vs. $V_{pos}$ with $V_{neg}$ = 0.9V$ and $I_b = 10_nA$")
```

Fig. 43: V_{out} vs. V_{pos} with $V_{neg} = 0.9V$ and $I_b = 10nA$

plt.xlabel("\$V_{pos}\$ (V)")
plt.ylabel("\$V {out}\$ (V)")

plt.legend()
plt.grid()
plt.show()

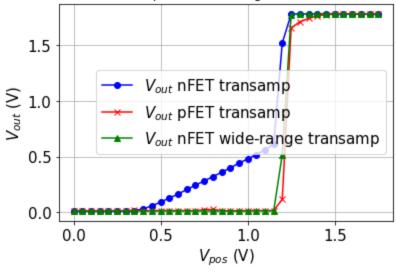


```
In [76]: # fix Vn > 0.9V, Compare Vout vs Vpos

[V1_sweep_ex5_getset_save, Vout_V1_sweep_ex5_save_1] = np.loadtxt('./data/Vout_sweep_ex5_4
[V1_sweep_ex3_getset_save, Vout_V1_sweep_ex3_save_1] = np.loadtxt('./data/Vout_sweep_ex3_5]
[V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save_1] = np.loadtxt('./data/Vout_sweep_ex4_5]
plt.plot(V1_sweep_ex3_getset_save, Vout_V1_sweep_ex3_save_1, 'bo-', label="$V_{out}$ nFET_plt.plot(V1_sweep_ex4_getset_save, Vout_V1_sweep_ex4_save_1, 'rx-', label="$V_{out}$ nFET_plt.plot(V1_sweep_ex5_getset_save, Vout_V1_sweep_ex5_save_1, 'g^-', label="$V_{out}$ nFET_plt.title("Fig. 44: $V_{out}$ vs. $V_{pos}$ with $V_{neg}$ = 1.2V$ and $I_b = 10 nA$")
```

plt.xlabel("\$V_{pos}\$ (V)")
plt.ylabel("\$V_{out}\$ (V)")
plt.legend()
plt.grid()
plt.show()





To conclude your observations:

- ullet nFET: V_{out} steadily rises with a slope of κ until $V_{pos}>V_{neg}$, when it peakes to almost V_{dd}
- pFET: V_{out} is at nearly GND when $V_{pos} < V_{neg}$, rises nearly instantly when $V_{pos} = V_{neg}$, but then rises with a slope of κ linearly up to V_{dd} .
- wide range nFET: In contrast to the regular transamp, the wide range transamp behaves like a regular amplifier: its $V_{out} is nearly at GND when V_1 > V2$ $and rises learly instantly to nearly V \{dd\} when V_1 < V_2$
 - $. This means that the graph is not dependent on \verb|\kappa|| \$.$

6 Postlab

1. When we set the output voltage of the transconductance amplifier to a certain value between gnd and Vdd and measured its output current, we found that at some nonzero input voltage (the offset voltage) the output current was zero. Will we get a different input offset voltage if we change the output voltage? Explain why.

No, I_{out} is always zero at $V_1=V_2$. Per the following equations, changing V_{out} does not change the point at which I_{out} is zero:

$$I_{out} = I_b \tanh\left(\frac{\kappa}{2U_T}(V_1 - V_2)\right) \tag{1}$$

$$V_{out} = A(V_1 - V_2) \tag{2}$$

1. What are the conditions for keeping ${\cal M}_b$ in saturation for the P-type transamp? Do they differ from the N-type transamp?

The requirement is $\max(V_1,V_2)<rac{V_{dd}-4U_T}{\kappa}+V_b.$

This is the exact opposite of the situation for nFET, where the requirement is $\max(V_1,V_2)>rac{V_{dd}-4U_T}{\kappa}+V_b$

1. What are the advantages and disadvantages of the wide-output-range transconductance amplifier vs. a standard transconductance amplifier? Consider layout area, output voltage swing, offset voltage, current asymmetries, and the gain A. Why is the wide-output-range transamp better suited for construction of a high-gain single-stage amplifier? *Hint: think about the necessary symmetries between pairs of transistors*.

Advantages:

- ullet I_{out} is symmetrical when sweeping V_1 or V_2
- Way higher gain (even A>1000)
- Way bigger output voltage swing (nearly GND to nearly V_{dd})

Disadvantages:

- Bigger layout area
- More necessary transistors (5 vs 9, nearly twice as many)
- ullet More current mirrors means more opportunity for mismatches, moving the offset voltage away from 0V.

The wide-output-range transamp is better suited for construction of a high-gain single-stage amplifier because it has a much higher gain and actual symmetric output voltage curve. The regular transamp has a linear component on $V_1 < V_2$ for nFET and $V_1 > V_2$ for pFET.

7 What we expect after lab 4 and lab5

Can you sketch a transamp, a wide range transamp, a current correlator, and a bump circuit in both n- and p-type varieties?

How does a differential pair work? How does the common-node voltage change with the input voltages? How can you compute the differential tail currents from the subthreshold equations, and how do you obtain the result in terms of the differential input voltage? How does a current-correlator work? How does a bump circuit work?

The I-V characteristics of a transconductance amplifier below threshold. What's the functional difference between simple and wide-output-range transamp? The subthreshold transconductance gm. The relation between gain A, transistor drain conductances gd, and transconductances gm.

Can you reason through all the node voltages in these circuits? I.e., if we draw the circuit and provide specific power supply and input voltages, can you reason to estimate all the other node voltages, at least to first order approximations, assuming $\kappa = 1$?

8 Congratulations

Wish you joy when you look back on your works, beautiful plots and all your efforts!