

```
In [1]: import math

from metas_unclib import *

from Metas.UncLib.LinProp import UncBudget

import pandas as pd

import itables

itables.init_notebook_mode(all_interactive=True)
```

```
In [2]: import metas_unclib as mu
```

```
In [3]: def unc_budget(unc_item, show_table=True):
    tree = UncBudget.ComputeTreeUncBudget(unc_item.net_object)

    table = pd.DataFrame(
        columns=("description", "uncertainty component", "uncertainty percentage"),
        index=range(len(tree)+1)
    )

    for i, elem in enumerate(tree):
        table.loc[i] = (
            elem.get_Description(),
            elem.get_UncComponent(),
            elem.get_UncPercentage(),
        )
    table.loc[len(tree)] = (
        "SUMMARY",
        unc_item.stdunc,
        100.,
    )

    return table.sort_values("uncertainty percentage", ascending=False)
```

```
In [4]: def tolerance(value, a):
    """
    producer tolerance of value +/- a

    returns UniformDistribution(value - a, value + a)
    """
    return UniformDistribution(value - a, value + a)
```

C_{Dewar}

$$C_{Dewar} = C_{Sys,kal} - C_W = \frac{UI}{b} - m_W c_W^{sp}$$

c_L^{sp} : spezifische Wärmekapazität

C : Wärmekapazität Wasser

m : Masse Lösungsmittel

U, I : Spannung, Strom Heizung

b : Steigung aus T-t-Diagramm

```
In [5]: ref_V = ufloatfromdistribution(
        tolerance(0.1, 0.0001), # L
        desc='reference volume / L'
    )
    ref_V
```

Out[5]: 0.1 ± 5.773502691896423e-05

```
In [6]: # rho water
        water_rho = ufloat(0.9982, desc="water rho / kg/L")
        water_m = water_rho * ref_V
        water_m
```

Out[6]: 0.09982 ± 5.76311038705101e-05

```
In [7]: water_c_sp = ufloat(4182, desc="water specific heat capacity / J/K/
```

```
In [8]: U = ufloatfromdistribution(
        tolerance(10.0, 0.05), # V
        desc='voltage / V'
    )
    I = ufloatfromdistribution(
        tolerance(1.61, 0.005), # V
        desc='current / A'
    )
    P = U * I
    P
```

Out[8]: 16.1 ± 0.0547121254080546

```
In [72]: # Janosch
        water_slope_values = np.array((0.027875, 0.02771894, 0.02757587))
        water_slope = ufloatfromsamples(
            water_slope_values,
            desc='slope of water calibration / K/s'
        )
        water_slope
```

Out[72]: 0.027723269999999998 ± 0.00018962430800640334

```
# check for Samuel

water_slope_values = np.array((0.02343122, 0.02377467,
0.02358517))
water_slope = ufloatfromsamples(
    water_slope_values,
    desc='slope of water calibration / K/s'
)
water_slope
```

```
In [73]: dewar_C_array = U.value * I.value / water_slope_values - water_m.va
dewar_C_array
```

```
Out[73]: array([160.13123534, 163.38305149, 166.39653356])
```

```
In [78]: dewar_C = U * I / water_slope - water_m * water_c_sp
#dewar_C.mean()
dewar_C
```

```
Out[78]: 163.2923336505831 ± 4.441980282611897
```

```
In [77]: ufloatfromsamples(dewar_C_array)
```

```
Out[77]: 163.30360679551532 ± 3.971403791973842
```

c_L^{sp}

$$c_L^{sp} = \frac{C_L}{m} = \frac{C_{Sys,L} - C_{Dewar}}{m} = \frac{UI}{bm} - \frac{C_{Dewar}}{m}$$

```
# even more brute force for other estimates
# dewar_C = ufloat(dewar_C_array.mean(), 1.4, desc="dewar_C")
```

```
In [68]: # Janosch
sol_slope = ufloat(
    0.0398696981455289,
    2.96817283935158E-05,
    desc="slope of solution / K/s"
)
sol_slope
```

```
Out[68]: 0.0398696981455289 ± 2.96817283935158e-05
```

```
# check for Samuel
sol_slope = ufloat(
    0.025, # estimated (fitted to reach target result)
    2.96817283935158E-05,
    desc="slope of solution / K/s"
)
sol_slope
```

```
In [79]: # since the scale is very accurate in comparison to the other uncer
sol_m_perV = ufloat(
    0.08236242, # kg
    desc='solution mass / kg'
)
```

```
In [80]: # absolute heat capacity of ethanol
U * I / sol_slope - dewar_C
```

Out[80]: 240.5231138913868 ± 4.035878115463858

```
In [81]: # specific heat capacity
sol_c_sp = (U * I / sol_slope - dewar_C) / sol_m_perV
sol_c_sp
```

Out[81]: 2920.301684814346 ± 49.00145133501247

```
In [66]: unc_budget(sol_c_sp)
```

Out[66]:

	description	uncertainty component	uncertainty percentage
5	SUMMARY	77.177717	100.0
3	slope of water calibration / K/s	76.545151	98.367472
2	slope of solution / K/s	9.283376	1.446865
1	reference volume / L	2.926253	0.143761
4	voltage / V	1.342025	0.030237
0	current / A	0.833556	0.011665

```
In [23]: print(unc_budget(sol_c_sp).to_latex())
```

```
\begin{tabular}{llll}
\toprule
{} & description & uncertainty component & uncertainty percentage \\
\midrule
5 & SUMMARY & 77.177717 & 100.0 \\
3 & slope of water calibration / K/s & 76.545151 & 98.367472 \\
4 & voltage / V & 1.342025 & 0.030237 \\
0 & current / A & 0.833556 & 0.011665 \\
2 & slope of solution / K/s & 9.283376 & 1.446865 \\
1 & reference volume / L & 2.926253 & 0.143761 \\
\bottomrule
\end{tabular}
```

