

*Heaven's Light is Our Guide*

**Rajshahi University of Engineering & Technology**



**Department of  
Electrical & Computer Engineering**

**Lab Report 4**

Study of Image Zooming and Interpolation Techniques

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# Study of Image Zooming and Interpolation Techniques

## 1 Theory and Introduction

Image zooming (scaling) involves resizing a digital image matrix. Since this operation creates new spatial locations where no pixel data previously existed, **interpolation** algorithms are required to estimate the intensity values of these new pixels based on the surrounding known data [1].

This experiment compares two primary interpolation methods:

- **Nearest Neighbor Interpolation:** Assigns the value of the spatially closest original pixel to the new pixel. It preserves original data values exactly but introduces aliasing (blockiness).
- **Bilinear Interpolation:** Computes a weighted average of the four nearest neighbors using linear distance. It produces smooth gradients but acts as a low-pass filter, potentially blurring sharp edges.

## 2 Methodology

A  $4 \times 4$  matrix was defined with specific intensity values to represent a high-contrast pattern. Zooming algorithms were then manually implemented with a scaling factor of  $s = 4$ .

### 2.1 Matrix Definition

The input matrix utilizes three distinct intensity levels: 10 (Dark), 50 (Mid-tone), and 200 (Bright).

$$I = \begin{bmatrix} 10 & 200 & 10 & 200 \\ 200 & 50 & 200 & 50 \\ 10 & 200 & 10 & 200 \\ 200 & 50 & 200 & 50 \end{bmatrix}$$

With  $s = 4$ , the target output dimension is  $(4 \times 4) \rightarrow (16 \times 16)$ .

### 2.2 Python Implementation

The implementation avoids built-in resizing functions to demonstrate the underlying logic:

1. **Nearest Neighbor:** The original matrix is iterated through, and each pixel value is replicated into a  $4 \times 4$  block in the destination matrix.
2. **Bilinear:** The destination matrix is iterated through, coordinates are mapped back to the source, and the weighted sum of neighbors is calculated using the bilinear formula:

$$f(x, y) = (1 - \alpha)(1 - \beta)Q_{11} + \alpha(1 - \beta)Q_{21} + (1 - \alpha)\beta Q_{12} + \alpha\beta Q_{22}$$

```

1 import numpy as np
2 import matplotlib.pyplot as plt
3 import math
4 import os
5
6 os.makedirs("./images/output", exist_ok=True)
7 # 1. Define a 4x4 Matrix "Image" Using a
→ checkerboard-like pattern with distinct
→ values for clarity
8 # 10 = Dark, 200 = Bright
9 img_4x4 = np.array(
10     [[10, 200, 10, 200], [200, 50, 200, 50],
→     [10, 200, 10, 200], [200, 50, 200,
→     50]],
11     dtype=np.uint8,
12 )
13
14 m, n = img_4x4.shape
15 s = 3 # Scaling Factor
16
17 # Method 1: Nearest Neighbor (Manual Loop)
18 new_m = m * s
19 new_n = n * s
20 zoomed_nn = np.zeros((new_m, new_n),
→     dtype=np.uint8)
21
22 # Loop through original 4x4 pixels
23 for i in range(m):
24     for j in range(n):
25         val = img_4x4[i, j]
26
27         # Fill the 3x3 block in the new image
28         # Row start: i*3, Col start: j*3
29         for r in range(s):
30             for c in range(s):
31                 zoomed_nn[i * s + r, j * s + c] =
→                     val
32
33 # Method 2: Bilinear Interpolation (Manual
→ Loop)
34 zoomed_bl = np.zeros((new_m, new_n),
→     dtype=np.uint8)
35
36 # Helper function to get pixel safely (clamping
→ to edges)
37 def get_pixel(img, x, y):
38     h, w = img.shape
39     x = min(max(x, 0), h - 1)
40     y = min(max(y, 0), w - 1)
41     return img[x, y]
42
43
44 # Loop through NEW 8x8 pixels
45 for i in range(new_m):
46     for j in range(new_n):
47
48         # Map back to original coordinate space
→         (i / s) scales 0..7 back to 0..3.5
→         range
49
50
51     orig_x = i / s
52     orig_y = j / s
53
54     # Find 4 Nearest Neighbors
55     x1 = int(math.floor(orig_x))
56     y1 = int(math.floor(orig_y))
57     x2 = x1 + 1
58     y2 = y1 + 1
59
60     # Calculate distances (0 to 1)
61     alpha = orig_x - x1
62     beta = orig_y - y1
63
64     # Get values of neighbors
65     Q11 = get_pixel(img_4x4, x1, y1) #
→     Top-Left
66     Q21 = get_pixel(img_4x4, x2, y1) #
→     Bottom-Left
67     Q12 = get_pixel(img_4x4, x1, y2) #
→     Top-Right
68     Q22 = get_pixel(img_4x4, x2, y2) #
→     Bottom-Right
69
70     # Bilinear Formula
71     val = (
72         (1 - alpha) * (1 - beta) * Q11
73         + alpha * (1 - beta) * Q21
74         + (1 - alpha) * beta * Q12
75         + alpha * beta * Q22
76     )
77
78     zoomed_bl[i, j] = int(val)
79
80 # Visualization
81 def plot_matrix(ax, matrix, title):
82     ax.imshow(matrix, cmap="viridis", vmin=0,
→     vmax=255)
83     ax.set_title(title)
84     # Draw grid lines to show pixels clearly
85     h, w = matrix.shape
86     ax.set_xticks(np.arange(-0.5, w, 1),
→     minor=True)
87     ax.set_yticks(np.arange(-0.5, h, 1),
→     minor=True)
88     ax.grid(which="minor", color="white",
→     linestyle="--", linewidth=1)
89     ax.tick_params(which="minor", size=0)
90
91     # Annotate values
92     for i in range(h):
93         for j in range(w):
94             ax.text(
95                 j,
96                 i,
97                 str(matrix[i, j]),
98                 ha="center",
99                 va="center",
100                color="white" if matrix[i, j] <
→ 150 else "black",
100                fontsize=8,
```

```

101
102
103
104 fig, axes = plt.subplots(1, 3, figsize=(15, 5))
105
106 plot_matrix(axes[0], img_4x4, "Original (4x4)")
107 plot_matrix(axes[1], zoomed_nn, "Nearest
108   ↪ Neighbor (8x8)")
109 plot_matrix(axes[2], zoomed_bl, "Bilinear
110   ↪ (8x8)")
111 plt.tight_layout()
112 plt.savefig("./images/output/lab4_color.png")
113
114 # plt.show()
115
116 # Print Matrices to Console for Report
117   ↪ Verification
118 print("--- Original 4x4 ---")
119 print(img_4x4)
120 print("\n--- Nearest Neighbor 8x8 (Note the 2x2
121   ↪ blocks) ---")
122 print(zoomed_nn)
123 print("\n--- Bilinear 8x8 (Note the smoothing)
124   ↪ ---")
125 print(zoomed_bl)

```

### 3 Results

The code generated  $16 \times 16$  matrices visualized using the `viridis` colormap.

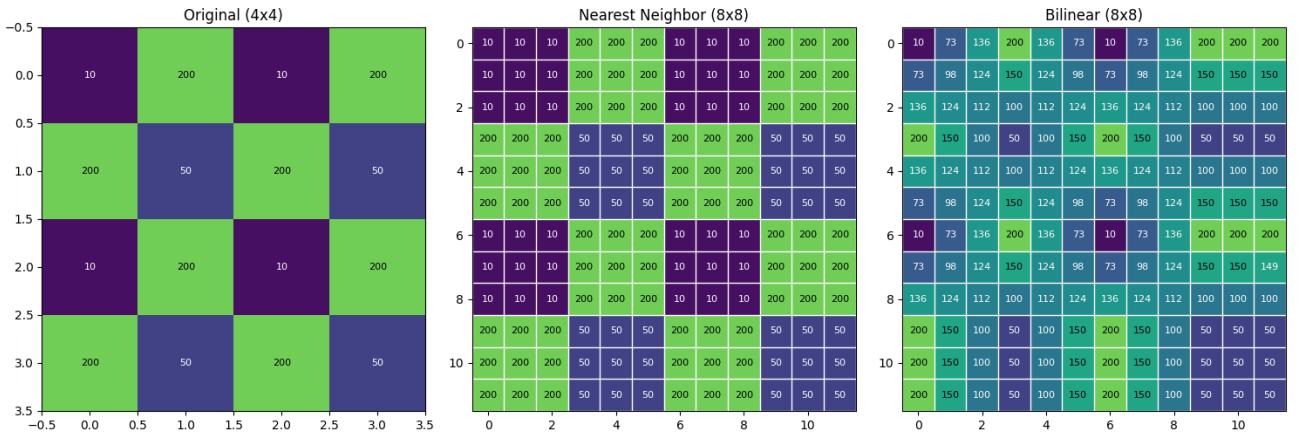


Figure 1: Zooming Analysis ( $s = 4$ ). Left: Original 4x4. Center: Nearest Neighbor simply expands pixels into large blocks. Right: Bilinear Interpolation generates intermediate colors (gradients) between the values 10, 50, and 200.

### 4 Discussion

The comparison highlights the trade-off between sharpness and smoothness:

- **Nearest Neighbor:** The result is a direct magnification of the original grid. The output contains only the original values (10, 50, 200). It is visually jagged but preserves the exact contrast of the original data.
- **Bilinear Interpolation:** The result introduces new intensity values not present in the original image. For example, between a pixel of value 200 and a pixel of value 50, the algorithm generates a smooth transition (e.g., 163, 126, 88). This creates a visually softer image, effectively smoothing out the "checkerboard" pattern.

### 5 Conclusion

The mathematical foundations of image resampling were validated in this experiment. By implementing the algorithms manually, it was observed that Nearest Neighbor interpolation is computationally

efficient and preserves discrete data types, while Bilinear interpolation provides superior visual quality for continuous-tone images by estimating intermediate intensities.

## References

- [1] R. C. Gonzalez and R. E. Woods, *Digital Image Processing*, 4th ed. Boston, MA, USA: Pearson, 2018.