(\*maqnit sahəsi ahlında əlavə hədd daxil olacaq. kovariant törəmədə əlavə olacaq∗)  $S = \int d^4x * dz * \sqrt{g} \left[ -\frac{1}{4} * F_{MN}[x, z] * F^{MN}[x, z] - \frac{1}{4} \right]$  $D^{M} * d_{N}^{+}[x, z] * D_{M} * d^{N}[x, z] - i * C_{2} * F^{MN}[x, z] * d_{M}^{+}[x, z] * d_{N}[x, z] +$  $\frac{c_3}{4 \cdot M^2} e^{2A[z]} * \partial^{\mu} F^{NK}[x, z] * (i * D_k * d_M^+[x, z] * d_N[x, z] - d_M^+[x, z] * i * D_k * d_N[x, z] + h.c.) +$  $d_{M}^{+}[x, z] * (\mu^{2} + U[z]) * d^{M}[x, z]$  (1)  $S^{(1)} = \left[ d^{4}x * dz * \sqrt{g} \left[ -D^{M} * d_{N}^{+}[x, z] * D_{M} * d^{N}[x, z] \right] \right]$  (2)  $(*d^z[x,z]=0,V^z[x,z]=0,$ yəni 5-ci komponentlər 0-a bərabər olduğuna görə ancaq 4 komponent yəni, $V^{\mu}[x,z]$  qalır\*)  $D^{+M} * d_N^+ * D_M * d^N = g^{MA} * D_A^+ * d_N^+ * D_M * d_R * g^{NB} (*D^{+M} = g^{MA} * D_A^+ ; d^N = g^{NB} * d_R;$  $g^{MN} * \partial_M \phi * \partial_N \phi = g^{\alpha\beta} * \partial_\alpha \phi * \partial_\beta \phi + g^{5\alpha} * \partial_5 \phi * \partial_\alpha \phi + g^{\alpha5} * \partial_\alpha \phi * \partial_5 \phi + g^{55} (\partial_5 \phi)^2; V_5 = 0;$  $d_5 = 0 \rightarrow D_5 = \partial_5 - i * e * V_5 = \partial_5 *) = g^{\mu\alpha} * g^{\nu\beta} * D^+_{\mu} * d^+_{\nu} * D^-_{\alpha} * d^-_{\beta} + g^{5\alpha} * g^{\beta5} * D^+_5 * d^+_{\beta} * D^-_{\alpha} * d^-_5 + d^+_{\beta} * D^-_{\alpha} * d^-_{\beta} * D^-_{\alpha} * D^-_{\alpha}$  $g^{\alpha 5} * g^{5 \beta} * D_{\alpha}^{+} * d_{5}^{+} * D_{5} * d_{\beta} + g^{zz} * g^{zz} * D_{5}^{+} * d_{5}^{+} * D_{5} * d_{5} (*son iki hədd 0-a bərabərdir *) =$  $g^{\mu\alpha} * g^{\nu\beta} * D_{\mu}^{+} * d_{\nu}^{+} * D_{\alpha} * d_{\beta} = g^{\mu\alpha} * g^{\nu\beta} * ((\partial_{\mu} - \mathbf{i} * \mathbf{e} * \mathbf{V}_{\mu})^{+} * d_{\nu}^{+} * (\partial_{\alpha} - \mathbf{i} * \mathbf{e} * \mathbf{V}_{\alpha}) * d_{\beta}) =$  $\mathbf{g}^{\mu\alpha} \star \mathbf{g}^{\nu\beta} \star ((\partial_{\mu} - \mathbf{i} \star \mathbf{e} \star \mathbf{V}_{\mu}) \star \mathbf{d}_{\nu}^{+} \star (\partial_{\alpha} - \mathbf{i} \star \mathbf{e} \star \mathbf{V}_{\alpha}) \star \mathbf{d}_{\beta})$ (\*bu iki ifadə bir birindən \* işarəsi ilə fərqlənir?\*) =  $g^{\mu\alpha} * g^{\gamma\beta} * (\partial_{\mu} d^{*}_{\nu} * \partial_{\alpha} d_{\beta} - d_{\beta} + d_{\beta} +$  $\partial_{\mu} \mathbf{d}_{\vee}^{+} \star \mathbf{i} \star \mathbf{e} \star \mathbf{V}_{\alpha} \mathbf{d}_{\beta} + \mathbf{i} \star \mathbf{e} \star \mathbf{V}_{\mu} \star \mathbf{d}_{\vee}^{+} \star \partial_{\alpha} \mathbf{d}_{\beta} + \mathbf{e}^{2} \star \mathbf{V}_{\mu} \star \mathbf{d}_{\vee}^{+} \star \mathbf{V}_{\alpha} \mathbf{d}_{\beta}$  (\*son iki hədd form faktora əlavə verir.\*) =  $g^{\mu\alpha} * g^{\nu\beta} * (-e * V_{\alpha} * i * \partial_{\mu} d_{\nu}^{+} * d_{\beta} + i * e * V_{\mu} * d_{\nu}^{+} * \partial_{\alpha} d_{\beta})$  =  $e * (-V_{\alpha} * i * \partial^{\alpha} d^{*}_{\vee} * d^{\vee} + i * V_{\mu} * d^{*}_{\vee} * \partial^{\mu} d^{\vee}) (* \alpha - ya \mu desək; *) = e * (-i * V_{\mu} * \partial^{\mu} d^{*}_{\vee} * d^{\vee} + i * V_{\mu} * \partial^{\mu} d^{\vee}_{\vee} * d^{\vee})$  $\mathbf{i} * \mathbf{V}_{\mu} * \mathbf{d}_{\nu}^{+} * \partial^{\mu} \mathbf{d}^{\nu}) = \mathbf{e} * \mathbf{V}_{\mu} * (-\mathbf{i} * \partial^{\mu} \mathbf{d}_{\nu}^{+} * \mathbf{d}^{\nu} + \mathbf{i} * \mathbf{d}_{\nu}^{+} * \partial^{\mu} \mathbf{d}^{\nu}) \quad (*Beləliklə:*)$  $S^{(1)} = \int d^4x * dz * \sqrt{g} * e * V_{\mu} * (i * \partial^{\mu} d_{\nu}^{\dagger} * d^{\nu} - i * d_{\nu}^{\dagger} * \partial^{\mu} d^{\nu})$  (3)  $(*\sqrt{g}=e^{5A[z]}; \partial^{\mu}=g^{\mu\alpha}\partial_{\alpha}=e^{-2A[z]}*\eta^{\mu\alpha}*\partial_{\alpha};$  $\partial^{\mu} = g^{\mu\alpha} \partial_{\alpha} = e^{-2A[z]} * \eta^{\vee\beta} * \partial_{\beta}; \quad V_{\mu}[x,z] = \int \frac{d^{4}q}{(2*\pi)^{4}} * e^{-i*q*x} * V_{\mu}[q] * V[q,z] \quad (a);$  $\partial_{\alpha}d_{\beta}[x] = \partial_{\alpha}\int_{\frac{\mathrm{d}^{4}p}{(2\star\pi\tau)^{4}}}^{\frac{\mathrm{d}^{4}p}{\star}e^{\mathrm{i}\star p\star x}}\star \epsilon_{\beta}[p] = -\mathrm{i}\star p^{\alpha}\star \frac{\mathrm{d}^{4}p}{(2\star\pi\tau)^{4}}\star e^{-\mathrm{i}\star p\star x}\star \epsilon_{\beta}[p] \quad (b) ;$  $\partial_{\alpha}d_{\nu}^{+}[x] = \partial_{\alpha}\int_{\frac{d^{4}p'}{(2\star\pi)^{4}}}^{\frac{d^{4}p'}{\star}} \star e^{i\star p'\star x+1} \star \varepsilon_{\nu}[p'] = i\star p'^{\alpha} \star \int_{\frac{d^{4}p'}{(2\star\pi)^{4}}}^{\frac{d^{4}p'}{\star}} \star e^{i\star p'\star x+1} \star \varepsilon_{\nu}^{+}[p'] \qquad (c) \quad \star)$  $S^{(1)} = \int d^4x * dz * \sqrt{g} * e * V_{\mu} * (i * \partial^{\mu} d_{\nu}^{+} * d^{\nu} - i * d_{\nu}^{+} * \partial^{\mu} d^{\nu}) =$  $\int d^{4}x * dz * e^{5*A[z]} * e^{-4A[z]} * e * V_{\mu}[x, z] * \eta^{\mu\alpha} * \eta^{\nu\beta} * (i * \partial_{\alpha} d_{\nu}^{+} * d_{\beta} - d_{\nu}^{+} * i * \partial_{\alpha} d_{\beta})$  (6);  $\partial_{\alpha} d_{\nu}^{+}[\mathbf{x}, \mathbf{z}] = \partial_{\alpha} \left( e^{\frac{-A[\mathbf{z}]}{2}} * \sum_{\mathbf{z}} d_{\nu}^{+}[\mathbf{x}] * \mathcal{J}_{n}[\mathbf{z}] \right) = e^{\frac{-A[\mathbf{z}]}{2}} * \partial_{\alpha} d_{\nu}^{+}[\mathbf{x}] * \mathcal{J}_{n}[\mathbf{z}]$ (4);  $\partial_{\alpha} \mathbf{d}_{\beta}[\mathbf{x}, \mathbf{z}] = \partial_{\alpha} \left( e^{\frac{-A[\mathbf{z}]}{2}} * \sum_{\alpha} \mathbf{d}_{\beta}[\mathbf{x}] * \mathcal{J}_{\alpha}[\mathbf{z}] \right) = e^{\frac{-A[\mathbf{z}]}{2}} * \partial_{\alpha} \mathbf{d}_{\beta}[\mathbf{x}] * \mathcal{J}_{\alpha}[\mathbf{z}]$ (5) (\*öncə c-ni 4-də b-ni 5də yerinə yazaq. daha sonra (a) (4) və (5) ifadələrini (6)da nəzərə alaq:\*)  $\mu = \alpha$ ;  $\nu = \beta$ ;  $\rightarrow \eta^{\mu * \alpha} = 1 * \eta^{\nu * \beta} = 1$ ;  $S^{(1)} = \int d^{4}x * dz * e^{A[z]} * e^{-A[z]} * e * \int \frac{d^{4}q}{(2 * \pi r)^{4}} * e^{\pm i * q * x} * V_{\mu}[q] * V[q, z] * \eta^{\mu\alpha} * \eta^{\nu\beta} *$ 

$$\begin{split} \mathcal{J}_{n}[z] * \left( \dot{a} + \dot{a} * p^{-\alpha} * \right) & \int \frac{d^{\alpha}p^{-\alpha}}{(2+\pi)^{4}} * e^{\dot{a} * p^{-\alpha} *} * e^{\dot{c} * p^{-\alpha}} * e^{\dot{c} * p^{-\alpha} *} * e^{\dot{c} * p^{-\alpha}} * e^{\dot{c} * p^{-\alpha} *} * e^{\dot{c} * p^{-\alpha}} * e^{\dot{c} * p^{-\alpha} *} * e^{\dot{c} * p^{-\alpha}} * e^{\dot{c} * p^{-\alpha} *} * e^{\dot{c} * p^{-\alpha}} * e^{\dot{c} * p^{-\alpha} *} * e^{\dot{c} * p^{-\alpha} *}$$

$$\begin{split} & \eta^{\mu\alpha} * \eta^{\nu\beta} * \int \frac{d^4p}{(2*\pi)^4} * e^{\pm i p^* \times x} * e^{-\mu} [p^*] * \int \frac{d^4p}{(2*\pi)^4} * e^{\pm i p \times x} * e^{\nu} [p] = \\ & \int d^4x * e^{-i x \cdot (p \cdot q \cdot p^*) \times x} * \int \frac{d^4p}{(2*\pi)^4} * \frac{d^4p}{(2*\pi)^4} * \frac{d^4q}{(2*\pi)^4} * e^{\pm i \cdot p \times x} * e^{\nu} [p] * \\ & \int dz * V[q,z] * \mathcal{J}^2[z] * (2\pi)^4 * \frac{d^4p}{(2*\pi)^4} * \frac{d^4q}{(2*\pi)^4} * e^{2x} V_{\mu}[q] * \\ & \int dz * V[q,z] * \mathcal{J}^2[z] * (2\pi)^2 * \frac{d^4p}{(2*\pi)^4} * \frac{d^4q}{(2*\pi)^4} * e^{2x} V_{\mu}[q] * \\ & (2\pi)^4 * e^4 * (p \cdot q - p^*) * \int \frac{d^4p}{(2*\pi)^4} * \frac{d^4p}{(2*\pi)^4} * \frac{d^4q}{(2*\pi)^4} * e^2 * V_{\mu}[q] * \\ & F_2[Q^2] * e^{-\mu} [p^*] * e^{\nu} [p] * (q^{\nu} - q^{\mu}) * \\ & (*5(2) = (2\pi)^4 * \int \frac{d^4p}{(2*\pi)^4} * \frac{d^4q}{(2*\pi)^4} * e^2 * (p \cdot q - p^*) * V_{\mu}[q] * M^{(2)} [p,p^*,q] - \dots ; \\ & (*5(2) = (2\pi)^4 * \int \frac{d^4p}{(2*\pi)^4} * \frac{d^4q}{(2*\pi)^4} * e^2 * (p \cdot q - p^*) * V_{\mu}[q] * M^{(2)} [p,p^*,q] - \dots ; \\ & (*5(2) = (2\pi)^4 * \int \frac{d^4p}{(2*\pi)^4} * \frac{d^4q}{(2*\pi)^4} * e^2 * (p \cdot q - p^*) * V_{\mu}[q] * M^{(2)} [p,p^*,q] - \dots ; \\ & \partial^4 * * dz * \sqrt{g} * \frac{4}{4} * \frac{d^3}{2} * e^{2A} (z) * \\ & \partial^4 * * F^{NE}[x,z] * (i + b)_{i}^4 * d_{i}^4 (x,z] * d_{i}[x,z] + i \cdot b_{i} * d_{i}^4 (x,z] * d_{i}[x,z] * d_{i}[x,z$$

=;

 $(-\dot{\mathtt{1}} * \mathsf{q}_{\alpha}) * (-\dot{\mathtt{1}} * \mathsf{q}_{\beta}) * \int_{\frac{\mathrm{d}^{4}q}{(2 * \pi r)^{4}}}^{\frac{\mathrm{d}^{4}q}{2}} * e^{-\dot{\mathtt{1}} * q * \mathsf{X}} * \mathsf{V}_{d}[q] * \mathsf{V}[q,z] = -q_{\alpha} * q_{d} * \int_{\frac{\mathrm{d}^{4}q}{(2 * \pi r)^{4}}}^{\frac{\mathrm{d}^{4}q}{2}} * e^{-\dot{\mathtt{1}} * q * \mathsf{X}} * \mathsf{V}_{d}[q] * \mathsf{V}[q,z]; *)$ 

$$\begin{split} \int d^{d}x \, x + \int dz \, \mathcal{J}_{n}^{2} \, (z) + \frac{c_{3}}{4 + N_{0}^{2}} * e^{2A(z)} + e^{2A(z)} * e^{-A(z)} * e^{-A$$

$$\begin{split} q^{\mu} \star q^{\nu} \star V^{k}[q] \star p_{k} \star \varepsilon_{\mu}[p] \star \varepsilon_{\nu}^{\star 1}[p^{\star}] + q^{\mu} \star q^{k} \star V^{\nu}[q] \star p_{k} \star \varepsilon_{\mu}[p] \star \varepsilon_{\nu}^{\star 1}[p^{\star}] \bigg) = \\ \frac{c_{3}}{4 \star M_{d}^{2}} \star \int d^{4}x \star \int dz \star \mathcal{J}_{n}^{2}[z] \star \left( e^{\star}[p^{\star}] \star q \star e[p] \star q \star p^{k} \star V_{k}[q] + e^{\star}[p^{\star}] \star q \star e[p] \star e$$