

ASSIGNMENT 2

BIOINFORMATICS (CIS 455)

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Problem 2-1 Jones & Pevzner, Problem 4.1

In this problem, we will be given a set X , and we will need to calculate the multiset ΔX ,

Pseudocode

In our implementation, we will iterate over the list with two index, the first one to indicate the position we are calculating the distances from, and the second one to indicate the position we want to calculate the distance with. We suppose that the given list comes presorted, so we won't.

Algorithm 1 title

```
for  $i$  in range  $1 \rightarrow \text{length}(X)$  do
    for  $j$  in range  $j \rightarrow \text{length}(X)$  do
         $\text{distance} = X[j] - X[i]$ 
        We add the calculated distance to the  $\Delta X$  array
    end for
end for
```

Implementation

Here is the implementation of the pseudocode listed above.

```
#First we declare the X
X =[1,2,4,6,9,14]

#We will store DX in this list
dx =[]

#Now we will iterate over the list to calculate all the distances
for i in range(0,len(X)):
    for j in range(i+1,len(X)):
        deltax = X[j]-X[i]
        dx.append(deltax)

#Print the results
print( 'X: ')
print(X)
print( ' ')
print( 'Delta_X: ')
print(dx)
```

After running the code over a sample dataset, we obtained the following results.

X:
[1, 2, 4, 6, 9, 14]

Delta X:
[1, 3, 5, 8, 13, 2, 4, 7, 12, 2, 5, 10, 3, 8, 5]

Problem 2-2 Jones & Pevzner, Problem 4.2

Following *ANOTHERBRUTEFORCEPDP*(L, n)

Here is the implementation code for *ANOTHERBRUTEFORCEPDP*, note that for finding all the possible sets of length $n - 2$, we decided to use *itertools*, to make the implementation easier.

```
#Importing numpy module
import numpy as np
from itertools import permutations

#We are given the following partial digest
L = [1,1,1,2,2,3,3,3,4,4,5,5,6,6,6,9,9,10,11,12,15]

def anotherbruteforcepdp(L):
    M = max(L)
    L1 = len(L)

    #Calculating n
    #n^2-n-2*L = 0
    n = (1+np.sqrt(1+8*L1))/2

    if (int(n) != n):
        print('Error')
        return

    n = int(n)

    print('Maximum: %i Length: %i' % (M, n))

#First we need to get the unique integers
UL = []
for number in L:
```

```

if UL == []:
    UL.append(number)
else:
    if number != UL[len(UL)-1] and number<M and number>0:
        UL.append(number)
    else:
        continue

#List of good sets
XList = []

#Valid X
Xret = []

#Now we will build all the different possible sets,
#using the itertools package
for p in permutations(UL, 5):
    valid = 1

    #We check if the set is valid
    for i in range(0, len(p)-1):
        if p[i]>=p[i+1]:
            valid = 0

    #If the set is valid, we create X
    if valid == 1:
        p = list(p)
        p.insert(0,0)
        p.append(M)
        XList.append(p) #Adding set to the list of sets

#For each set, we check if deltaX equals L
for X in XList:

    dx =[]

    for i in range(0, len(X)):
        for j in range(i+1, len(X)):
            deltax = X[j]-X[i]
            dx.append(deltax)

    #Sorting the Delta X list
    dx.sort()

    if dx == L:
        Xret.append(X)

```

```

#If we finish iterating the for loop without finding any solution we
#return that there is no solution

if Xret == []:
    print( 'No_solution' )
    return

else:
    return Xret

#We call the function and store the results
X = anotherbruteforcepdp(L)

print( '' )
print( 'X_Found: ' )
print(X)

```

After running the code over the given partial digest, we obtained the following results.

Maximum: 15 Length: 7

X Found:
[[0, 3, 4, 5, 6, 9, 15], [0, 6, 9, 10, 11, 12, 15]]

Problem 2-3 Jones & Pevzner, Problem 4.5

Two sets A and B are said to be homometric if $\Delta A = \Delta B$.

We will try to prove that

$$U \oplus V = \{u + v : u \in U, v \in V\}$$

and

$$U \ominus V = \{u - v : u \in U, v \in V\}$$

are homometric.

In this problem we have two sets

Problem 2-4 Jones & Pevzner, Problem 4.9

Pseudocode

Branch and Bound

Problem 2-5 Jones & Pevzner, Problem 4.12

In this problem, we have a long text string T , and a shorter pattern string s , we are trying to find the first occurrence of s in T , if there is any.

We suppose that the length of T is m , and the length of s is n .

Pseudocode

Algorithm 2 Pseudocode for finding pattern

```
function FINDPATTERN( $T, s, m, n$ )  
  while  $i < (m - n)$  do  
    if  $s[i] == T[i]$  then  
      for  $j$  in range  $i \rightarrow (i + n)$  do  
        if  $s[j] == T[j]$  then  
          if  $j! = (i + n)$  then  
             $j++$   
          end if  
          if  $j == (i + n)$  then  
            Return  $s[i : (i + n)]$   
          end if  
        end if  
        if  $s[j]! = T[j]$  then  
           $i = j$   
          Exit for loop  
        end if  
      end for  
    end if  
    if  $s[i]! = T[i]$  then  
       $i++$   
    end if  
  end while  
end function
```

Time Complexity

In our implementation, we will iterate over the long string with our pattern. If we find that the first letter of our pattern is equal to the position we are checking in the longer text string, we will continue to check the following positions of our pattern to see if they match the ones on the long string.

Then in worst case scenario, we will have to check if the pattern is in the long string, on every position possible of the long string, without success. Then the time complexity of our algorithm will be $O((m - n) * n)$.

Problem 2-6 Jones & Pevzner, Problem 4.16

Problem 2-7 Rosalind

This problem was solved entirely on **Rosalind**.

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