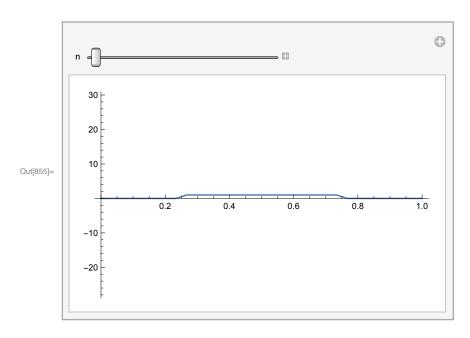
```
Clear[coord, L, nPart, dt, dx, k, s, xPos,
  u0, myTemp, waveL, rightT, leftT, lastT, newT, newT];
(*Part C delta t= 2 delta x*)
L := 1
                     (*Length of rod *)
nPart := 30
                     (*Number of partitions *)
nTsamples := 1000
                     (*Number of time samples*)
tTime := 10
                    (*How much time*)
dx := L / nPart
                          (*Section size \Delta x*)
dt := 2 * dx (*Time interval size \triangle t*)
                  (*k value*)
(*s=k*dt/(dx^2)*)
                           (*s constant*)
s := (c * dt / dx)
(*Interesting to note that forcing various *)
(*values on s affects the stability of the solution*)
(*Here I define a function for the initial temperature distribution f0=f(x)*)
f0[x_] :=
 Piecewise [\{\{0, x \ge 0 \& \& x \le .25 L\}, \{1, x > 0.25 L \& \& x < 0.75 L\}, \{0, x \ge 0.75 L \& \& x \le L\}\}]
(*Here is where I define the initial conditions at t=0*)
(*so u(x,0) = the function f0=f(x) acting on the xpos*)
xPos := (Range[nPart] - 1) * dx;
AppendTo[xPos, dx * nPart];
(*the symbol /@ maps the function onto xpos*)
u0 := f0/@xPos;
(*Initialize the empty u temperature list, these are*)
(*our sample solution points*)
waveL := {};
(*At t=1 we have our u0 list of temps*)
waveL = Append[waveL, u0];
(*This nested for loop sequence calculates the temps at time*)
(*t by using the difference equation on page 226 of the book*)
(*this is also the same one we derived in class*)
(*The outer loop only starts at t=2 because at t=1 this is t0 with*)
(*\mbox{initial temp of u0 which we append before the loop*})
For [t = 2, t \le nTsamples, t++,
  (*Initialize an empty temporary list*)
  myTemp := {};
  (*This loop is where we go throuh each x and calculate*)
  (*u(x,t), where t is from the outer loop*)
  For [k = 1, k \le nPart + 1, k++,
   lastT = waveL[[t - 1, k]];
   If[t == 2, llastT = 0, llastT = waveL[[t - 2, k]]];
   (*if we are at start position x0 or in this case x1*)
   If[k == 1, rightT = 0; leftT = waveL[[t - 1, k + 1]]];
```

```
(*if we reach the end of the rod*)
        If[k == nPart + 1, leftT = 0; rightT = waveL[[t - 1, k - 1]]];
        (*if we are inside rod*)
        If [k > 1 & k < nPart + 1,
         rightT = waveL[[t - 1, k - 1]];
         leftT = waveL[[t-1, k+1]]
        1;
         (*This is the relationship: u[j][m+1]=u[j][m]...from page 226*)
        newT = 2 lastT + s^2 * (leftT - 2 * lastT + rightT) - llastT;
        (*append temperatures to temporary list we started with*)
        myTemp = Append[myTemp, newT];
       ];
       (*append the temp list to our waveL list which we began before*)
       (*the outer loop*)
       waveL = Append[waveL, myTemp];
In[853]:= (*Here we define individual frames representing the solution*)
     (*at different times of t*)
     (*Initialize an empty frame list, we will collect the frames*)
     frames := {}
     (*We need to get the coordinates of the xpos and waveL at*)
     (*those xpos at time t here I accidentally used the letter k instead*)
     For [k = 1, k \le nTsamples, k++,
       coord := {};
       For [i = 1, i \le nPart + 1, i++,
        coord = Append[coord, {xPos[[i]], waveL[[k, i]]}];
       ];
       tempframe := ListLinePlot[coord, PlotRange → {-nPart + 1, nPart + 1}];
       frames = Append[frames, tempframe];
      ];
     (*Try manipulating the plot*)
     Manipulate[Show[frames[[n]]], {n, 1, nTsamples, 1}]
```



ln[858]:= (*Here are the time snapshots of the vibration*) $\label{eq:myTablePlot: Table[frames[[n]], {n, 1, nTsamples, 10}]} \\$ Show[myTablePlot] (*Notice when dt = 2dx is very unstable*)

