


## AUTHOR QUERY FORM

|   |  |  |
|---|--|--|
|  | <b>Book: Spatial<br/>Capture-Recapture<br/>Chapter: 16</b> | <b>Please e-mail your responses<br/>and any corrections to:<br/>E-mail:<br/>a.kittusamyramasamy@elsevier.com</b> |
|---|--|--|

Dear Author,

Any queries or remarks that have arisen during the processing of your manuscript are listed below and are highlighted by flags in the proof. (AU indicates author queries; ED indicates editor queries; and TS/TY indicates typesetter queries.) Please check your proof carefully and answer all AU queries. Mark all corrections and query answers at the appropriate place in the proof (e.g., by using on-screen annotation in the PDF file [http://www.elsevier.com/framework\\_authors/tutorials/ePDF\\_voice\\_skin.swf](http://www.elsevier.com/framework_authors/tutorials/ePDF_voice_skin.swf)) or compile them in a separate list, and tick off below to indicate that you have answered the query.

**Please return your input as instructed by the project manager.**

| <p><b>Uncited references:</b> References that occur in the reference list but are not cited in the text. Please position each reference in the text or delete it from the reference list.</p>             |   |
|---|---|
| <p><b>Missing references:</b> References listed below were noted in the text but are missing from the reference list. Please make the reference list complete or remove the references from the text.</p> |   |
| Location in Chapter   | Query / remark  |
| AU:1, page 404  | Please approve the edit of the phrase "where states maybe geographic units".  |
| AU:2, page 406  | Please clarify if to replacing the wording "how animals distribute themselves in space" by "how animals that distribute themselves in space". |
| AU:3, page 411  | Manuscript has been followed with regard to the wording "is individual.....occasion" Please advise.   |
| AU:4, page 422  | Please clarify if to replace 2 state multi-state wording by two-state version of multi-state.   |
| AU:5, page 422  | Please check the mixed usage of bold psi and psi  |
| AU:6, page 423  | Plese note the Heading levels "16.3.2.1" and "16.3.3.1" are identical. Kindly check.  |
| AU:7, page 428  | Please clarify if to replace the wording such by such as.   |
| AU:8, page 429  | Please check the hierarchy of section level headings.   |

# Open Population Models

# 16

## s0005 16.1 Introduction

p0005 In the previous chapters we focused mostly on closed population models for estimating density and for inference about spatial variation in density and space usage. However, a thorough understanding of population dynamics requires information about both spatial *and* temporal variation in population density and demographic parameters. In this chapter, we discuss modeling the processes governing spatial and temporal population dynamics, namely survival, recruitment, and movement over larger temporal scales (e.g., migration, dispersal, etc.). The ability to estimate these parameters is critical to both basic and applied ecological research (Knape et al., 2012). For example, testing hypotheses about life history trade-offs requires accurate estimates of both survival and fecundity (Caswell, 1989; Nichols et al., 1994). Inference about density-dependent population regulation, which has fascinated theoretical ecologists for well over a century, is likewise best accomplished by directly studying the factors affecting survival and fecundity, rather than the more common approach of modeling time series data (Nichols et al., 2000b). A mechanistic understanding of population changes, which is essential for basic ecological and conservation related questions, requires useful models of vital rates. Furthermore, if we know how environmental variables affect demographic parameters, we can make predictions about population changes under different future scenarios. We can also assess the sensitivity of parameters such as population growth rate to variation in survival or fecundity. Although matrix population models are often used for these purposes (Caswell, 1989; Sther and Bakke, 2000), the same objectives can be accomplished by computing posterior predictive distributions of projected population sizes as part of the MCMC algorithm.

p0010 The modeling framework we will develop in this chapter is based on a formulation of the classical Cormack-Jolly-Seber (CJS) and Jolly-Seber (JS) type models (Cormack, 1964; Jolly, 1965; Seber, 1965) that are amenable to modeling individual effects, including individual covariates. There is a long history of use of these models in fisheries, wildlife, and ecology studies (Pollock et al., 1990; Lebreton et al., 1992; Pradel, 1996; Williams et al., 2002; Schwarz and Arnason, 2005; Gimenez et al., 2007). Additionally, there have been many modifications and developments of the

CJS and JS models including dealing with individuals that do not have a well-defined home range but instead are moving through the sampled area (transients), dealing with more than one site or state (multi-state models, where states may be geographic units, reproductive stage, etc.), and addressing individual movement through spatially implicit models. [AU:1]

For the first time, these models can fully integrate the movement of individuals in the vicinity of the trap array with their encounter histories to simultaneously estimate density, survival, and recruitment in a spatial model. For many species, such as those that are rare or not often observed by researchers, this allows inferences to be made about survival and recruitment without having to physically capture individuals. Additionally, another reason for extending SCR models to open populations arises purely from a sampling perspective. Longer time periods are often needed to sample rare or elusive species to ensure that enough captures and recaptures are produced. This ~~extended time frame~~ can quickly lead to violations in the assumption of population closure (see also Chapter 10). For example, the European wildcat study that was mentioned in Chapter 7 (see Kéry et al. (2011) for details) was conducted over a year-long period. While the researchers in that study used a closed population model, they did model variation in detection as a function of time to account for seasonal variation in behavior. Another approach would have been to use an open population model to account for possible changes in the population over time (however, the spatial capture-recapture open models had not been developed at the time of the wildcat study, so we'll forgive the authors for not having used this more appropriate model). p0015

In this chapter, we present the traditional JS model and the spatial version, demonstrating both with an example of mist-netting of ovenbirds, which was also analyzed in Chapter 9. Then we review the traditional CJS, multi-state CJS, and then describe the spatial model. ~~In this section,~~ we will use an example of American shad. Finally, we end by discussing some of the new approaches to ~~dynamics of activity centers~~ including correlated movement and dispersal. p0020

### 16.1.1 Brief overview of population dynamics s0010

The most basic formulation of models for population growth stems from an idea originally used in accounting, the balance sheet (see Conroy and Carroll (2009, Chapter 3) for a more complete description). To gain a mechanistic understanding of population dynamics, it is important to understand four fundamental processes that drive population size: births and immigrants (i.e., population “credits”) and deaths and emigrants (i.e., population “debits”). The population at time  $t + 1$  is a function of these four components: p0025

$$N(t + 1) = N(t) + B(t) + I(t) - D(t) - E(t),$$

where  $N(t)$  is the population size at time  $t$ ,  $B(t)$  and  $I(t)$  are the credits (additions) from births and immigrants at time  $t$ , and  $D(t)$  and  $E(t)$  are the debits (losses) due to deaths and emigration. This balance equation model is known as the “BIDE model.” A simple population growth model under density independence, assuming

no immigration or emigration, can be derived as:

$$N(t + 1) = N(t) + N(t)r(t),$$

where  $r(t) = b(t) - d(t)$ . Here,  $b(t)$  and  $d(t)$  are the per capita birth and death rates and thus  $r(t)$  is the per capita growth rate. Models which are based only on the intrinsic population growth rate, “ $r$ ,” however, do not retain much information about the underlying drivers of the population dynamics. Density-dependent, age structured, stochastic effects on growth, spatially structured, and competition models (e.g., Lotka-Volterra) all are derivations of the basic BIDE model.

p0030 In closed population models, we focus on estimating the population size,  $N$ , but in open population models we are interested in the dynamics that arise between years or seasons and thus we focus not only on  $N(t)$  but on the processes that drive population changes. By taking the basic parameters in the BIDE model and reconceptualizing them, they can then be related to the commonly used parameters in JS and CJS models, described in more detail throughout this chapter. In the absence of movement, ~~deaths~~ ( $D$ ) can be estimated in the CJS model and both  $D$  and  $B$  (births) can be estimated in the JS model. However, in considering movement, it becomes difficult to distinguish births from immigrants and deaths from emigrants because data are usually only collected in one area and when ~~the~~ animal leaves that area we cannot determine its fate.

p0035 For example, survival ( $\phi(t)$ ) is defined as the probability of an individual surviving from time  $t$  to  $t + 1$ , and often this is called “*apparent* survival” because deaths and emigration cannot be separated. Mortality, the probability of dying from time  $t$  to  $t + 1$  is  $1 - \phi(t)$ . Recruitment ( $\gamma$ ) is the probability of a new individual entering the population between  $t$  to  $t + 1$ , which includes both those born into the population and immigrants. This inability to distinguish between the different forms of losses and gains does not allow researchers to test specific hypotheses about population dynamics. To address this, Nichols and Pollock (1990) applied the robust design to a two age class situation in order to separate estimates of recruitment into immigration and *in situ* reproduction. While models that focus on the population growth rate tend to lose important information on population dynamics, more recent work has been done to estimate the contributions of survival and recruitment to the per capita growth rate, “ $r$ ,” using capture-recapture data and a reverse-time modeling approach (Pradel, 1996; Nichols et al., 2000a). All of these model improvements have provided invaluable information in the study of population dynamics, but none explicitly incorporate animal movement.

### s0015 16.1.2 Animal movement related to population demography

p0040 One issue that arises frequently in traditional open population models is that movement can make it difficult to distinguish survival from emigration. For example, we know that movement of transients and temporary emigration will affect the estimates of survival, causing us to refer to estimates as “*apparent* survival” (Lebreton et al., 1992). This is because an animal that appears in the population for a short period of time

## 406 CHAPTER 16 Open Population Models

and then leaves is going to appear as though it has died. Due to this problem, there has been a significant amount of work developing models to deal with temporary emigration and transients in both closed and open capture-recapture models (Kendall et al., 1997; Pradel et al., 1997; Hines et al., 2003; Clavel et al., 2008; Gilroy et al., 2012; Chandler et al., 2011). Because movement is modeled directly within the SCR framework, we can better understand the impact of animals moving onto and off of the trap array and hence we can improve our estimates of survival by combining the traditional CJS and JS models with the SCR model.

While demographic parameters such as survival rates, population growth, etc., are influenced by density (Fowler, 1981; Murdoch, 1994; Saether et al., 2002), it is also likely that movement of individuals can influence these parameters. It is generally accepted that population structure (i.e., age, stage, or size distribution) can affect both population size and growth over time (Caswell and Werner, 1978). We also know how animals that distribute themselves in space can directly influence the age or stage structure of a population—this can be behavioral, habitat related, or some combination of factors. For example, if habitat is limited, some younger members of the population might have trouble finding and/or defending a territory. Ultimately, this may lower survival for a certain age class in the population directly impacting the population structure. p0045

Dispersal can also affect population structure. In population ecology, dispersal can be related with access to reproduction, population regulation, habitat quality, as well as the linking of local populations in metapopulation ecology (Clobert et al., 2001; Ovaskainen, 2004; Ovaskainen et al., 2008). It is known that dispersal may be influenced by density dependence (Matthysen, 2005); for example, competition may cause individuals to be more likely to emigrate from an area, or individuals may leave an area in search of a mate or partner. We discuss modeling dispersal with capture-recapture data a bit further in Section 16.4 at the end of the chapter. p0050

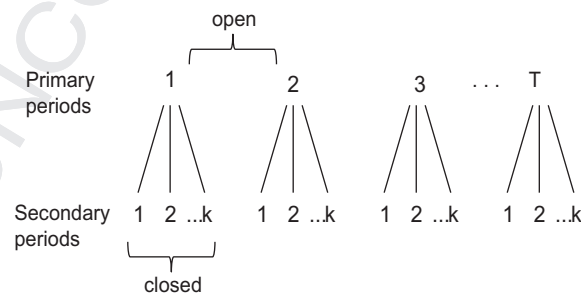
## 16.2 Jolly-Seber models s0020

### 16.2.1 Traditional Jolly-Seber models s0025

The JS model was developed as a way to estimate not only detection and abundance, but survival and recruitment (new individuals coming into the population) based on capture-recapture data (Jolly, 1965; Seber, 1965). There are a number of ways that researchers have formulated the JS model (Cooch and White, 2006) and while all are slightly different, the resulting estimates of abundance and the driving parameters such as survival and some form of recruitment should be equivalent. Commonly used formulations are the Link-Barker (Link and Barker, 2005), Pradel-recruitment (Pradel, 1996), Burnham JS (Burnham, 1997), and the super-population formulation of Schwarz and Arnason (1996). In all of these models, the parameter of interest is recruitment, or how new individuals arrive into the population. Therefore one of the main differences between the various models is how new entrants into the population are parameterized. p0055

p0060 Traditionally, sampling for the JS model included only one data collection event per primary occasion and this allowed for the estimation of survival and recruitment. However, without repeated visits within a primary occasion, there is not enough data to allow for variation in detection and this leads to potentially inaccurate estimates of population size. This led Pollock (1982) to devise the robust design in order to allow for heterogeneity in capture probability (by sex, age, social status, etc.) and trap response under the JS model. We present the robust design approach as it is more flexible and generalizing to the spatial version of the JS model will be much simpler. The basic idea is that there are primary occasions (e.g., years, seasons) and we allow the population to be “open” between the primary occasions. This means that individuals can enter and leave the population (i.e., births, deaths, immigration, emigration can occur) between the primary occasions and within a primary occasion, the population is assumed to be closed to these processes. The standard JS model does not allow for variation in detection probability between individuals or within a primary occasion because only one sample is collected per primary period. However, when multiple samples are taken within a primary occasion (we call these “secondary occasions”), then variation in detection probability can be modeled and thus our estimates of  $N$  can be improved. To that extent, we can envision the data as arising from repeated sampling over seasons or years (or *primary* periods) within which one or more samples (e.g., trap nights) might be taken (*secondary* periods). Figure 16.1 demonstrates the sampling process graphically. Comparing this with all of our previous work, the sample occasions (e.g., trap nights, weeks, etc.) described in the closed population chapters are called *secondary* sampling occasions in the context of open population models.

p0065 We can easily formulate a non-spatial JS model using the robust design. We define  $y_{ikt}$  as the encounter history for individual  $i$  at secondary occasion  $k$  during primary occasion  $t$ . If we have a Bernoulli encounter process then we can describe the observation model, specified conditional on the “alive state,”  $z(i, t)$ , for individual  $i$



**FIGURE 16.1**

Schematic of the robust design with  $T$  primary sampling periods and  $K$  secondary periods. The populations are considered open between primary periods and closed within each.

## 408 CHAPTER 16 Open Population Models

at primary time  $t$ , as:

$$y_{ikt}|z(i, t) \sim \text{Bernoulli}(p_t z(i, t)).$$

(Note: throughout this chapter we will focus on changes in the alive state, so we will index  $z$  using parentheses in order to make the notation easier to read, where  $z(i, t)$  is equivalent to  $z_{it}$ .) Thus, if individual  $i$  is alive at time  $t$  ( $z(i, t) = 1$ ), then the observations are Bernoulli with detection probability  $p$  as before. Conversely, if the individual is not alive ( $z(i, t) = 0$ ), then the observations must be fixed zeros with probability 1. Note our distinct use of the variable  $z$  here as representing the state of individuals (alive/dead) instead of our previous use of  $z$  as the data augmentation variable.

Survival and recruitment in the open population are manifest in a model for the latent state variables  $z(i, t)$  describing individual mortality and recruitment events. An important aspect of the hierarchical formulation of the model that we adopt here is that the model for the state variables is described conditional on the total number of individuals ever alive during the study (a parameter which we label  $N$ ) based on  $T$  periods, as in Schwarz and Arnason (1996). Data augmentation induces a special interpretation on the latent state variables  $z(i, t)$ . In particular, “not alive” includes individuals that have died, or individuals that have not yet been recruited. Royle and Dorazio (2008) showed that using this formulation simplifies the state model and allows it to be implemented directly in the BUGS language. For example, considering the case  $T = 2$ , the state model is composed of the following two components: First, the initial state is described by:

$$z(i, 1) \sim \text{Bernoulli}(\psi),$$

and then a model describing the transition of individual states from  $t = 1$  to  $t = 2$ :

$$z(i, 2) \sim \text{Bernoulli}(\phi z(i, 1) + \gamma(1 - z(i, 1))).$$

If  $z(i, 1) = 1$ , then the individual may survive to time  $t = 2$  with probability  $\phi$  whereas, if  $z(i, 1) = 0$ , then the “pseudo-individual” may be recruited with probability  $\gamma$ .

We can then generalize this model for  $T > 2$  time periods and allow survival and recruitment to be time dependent. Initialize the model for time  $T = 1$  as we have done above and then the model describing the transition of individual states from  $t$  to  $t + 1$  is:

$$z(i, t + 1) \sim \text{Bernoulli}(\phi_t z(i, t) + \gamma_t(1 - z(i, t))).$$

This parameterization results in  $T - 1$  survival and recruitment parameters. The main difference here from the CJS model, described below, is that we include recruitment and are interested in estimating  $N$  for each  $t$ . Since this state model described above is conditional-on- $N$ , we must deal with the fact that  $N$  is unknown, which is done through data augmentation similar to how we used it in the closed population models.



### s0030 16.2.2 Data augmentation for the Jolly-Seber model

p0085 The fundamental challenge in carrying out a Bayesian analysis of this model is that the parameter  $N$  (the total number of individuals alive during the study) is not known. We have discussed and demonstrated data augmentation in many previous chapters; however, with the open population model, we have to take care that two issues are addressed: (1) the data augmentation is large enough to accommodate all potential individuals alive in the population during the entire study and (2) that individuals cannot die and then re-enter the population. Royle and Dorazio (2008) (see also Kéry and Schaub 2012) describe this formulation for open population models, including the non-spatial JS and robust design models.

p0090 To begin, let's consider the role of recruitment,  $\gamma$ , in the model when we use data augmentation to estimate  $N$ . Data augmentation formally reparameterizes the model, replacing  $N$ , the number of individuals ever alive with  $M$ , where we assume  $N \sim \text{Binomial}(M, \psi)$ . That is, the expected value of  $N$  under the model is equal to  $\psi M$ . As a result of this reparameterization, the recruitment parameters  $\gamma_t$  are also relative to the number of “available recruits” on the data augmented list of size  $M$ , and not directly related to the population size. This can be dealt with by deriving  $N_t$ , and  $R_t$ , the population size and number of recruits in year  $t$ , as a function of the latent state variables  $z(i, t)$ . For example, the total number of individuals alive at time  $t$  is

$$N_t = \sum_{i=1}^M z(i, t)$$

and the number of recruits is

$$R_t = \sum_{i=1}^M (1 - z(i, t-1))z(i, t),$$

which is the number of individuals *not* alive at time  $t-1$  but alive at time  $t$ .

p0095 In the case of just two primary periods, this process is straightforward. When the number of primary sample occasions is greater than 2, we must formulate the model for recruitment by introducing another latent variable, in order to ensure that an individual can only be recruited once into the population. Here, this formulation of the model uses a set of latent indicator variables, which we label  $A(i, t)$ , which describe the time interval  $(t-1, t)$  at which individual  $i$  is recruited into the population. Let  $A(i, t) = 1$  if individual  $i$  is recruited in time interval  $(t-1, t)$  otherwise  $A(i, t) = 0$ . To construct the recruitment process we make use of the standard conditional binomial construction of a removal process (Royle and Dorazio, 2008). The initial state is given by:

$$A(i, 1) \sim \text{Bernoulli}(\gamma_1),$$

for  $i = 1, 2, \dots, N$ . Then, for  $t > 1$

$$A(i, t) | A(i, t-1), \dots, A(i, 1) \sim \text{Bernoulli} \left( \left( 1 - \sum_{\tau=1}^{t-1} A(i, \tau) \right) \gamma_t \right),$$





## 410 CHAPTER 16 Open Population Models

where  $\gamma_t$  is equivalent to  $\psi$  in the description of the two primary occasion version open population model above and  $\tau$  is just a counter for times 1 to  $t - 1$ . Each recruitment variable is conditional on whether the individual was ever previously recruited and this construction forces the recruitment variable after initial recruitment to be degenerate (have a sample size of 0). This ensures that an individual cannot be recruited again after initial recruitment. Then, we can describe the state variables  $z(i, t)$  by a first-order Markov process. For  $t = 1$ , the initial states are fixed:

$$z(i, 1) \equiv A(i, 1)$$

and, for subsequent states, we have

$$z(i, t) | z(i, t - 1), A(i, t) \sim \text{Bernoulli}(\phi_t z(i, t - 1) + A(i, t)).$$

Thus, if an individual is in the population at time  $t$  (i.e.,  $z(i, t) = 1$ ), then that individual's status at time  $t + 1$  is the outcome of a Bernoulli random variable with parameter (survival probability)  $\phi_t$ . If the individual, however, is not in the population at time  $t$  (i.e.,  $z(i, t) = 0$ ), then the outcome is a Bernoulli random variable with probability  $\gamma_t$ , a parameter that is related to *per capita* recruitment. Recall that we use  $A$  to describe if an individual is available for recruitment and this is directly related to  $z$  as described above. We carry out this process in **JAGS** by using the `sum()` and `step()` functions together to ascertain if a particular individual  $i$  was ever previously alive. The `step()` function is a logical test in **JAGS** for  $x \geq 0$  such that `step( $x \geq 0$ )` returns a 1, otherwise 0. Individuals that were ever previously alive are no longer eligible to be “recruited” into the population. The implementation of this model in **JAGS** is shown in Panel 16.1.

### 16.2.2.1 Ovenbird mist-netting study

s0035

We now return to the ovenbird data collected using mistnets at Patuxent Wildlife Research Center. We introduced these data in Chapters 9 and 14, and they are provided with the `secr` package (see, Efford et al. 2004, Borchers and Efford 2008). To refresh your memory: 44 mist nets spaced 30 m apart on the perimeter of a 600 m  $\times$  100 m rectangle (see Figure 16.2) were operated on 9 or 10 non-consecutive days in late May and June for 5 years from 2005 to 2009.

p0105

In Chapters 9 and 14, we dealt with this dataset as a type of spatial “multi-session” model where abundances in each year,  $N_t$ , were regarded as independent random variables either with a Poisson prior (as implemented in `secr`) or a binomial prior if analyzed using **BUGS** with data augmentation. This is the simplest approach for modeling data collected over multiple years, but it does not allow for inference about demographic processes, as does the JS model.

p0110

In the spatial multi-session model (S-MS) we were not interested in individual identity across years; however, we need to maintain the order of individuals across years to estimate the survival and recruitment of individuals into the population. We organize the data set so that each row in the array represents just one individual across

p0115

```

model{

psi ~ dunif(0,1)
phi ~ dunif(0,1)
p.mean ~ dunif(0,1)

for(t in 1:T){
N[t] <- sum(z[1:M,t])
gamma[t] ~ dunif(0,1)
}

for(i in 1:M){
  z[i,1] ~ dbern(psi)          # Alive state for the first year
  cp[i,1] <- z[i,1]*p.mean
  Y[i,1] ~ dbinom(cp[i,1], K)  # Y are the number of encounters
  A[i,1] <- (1-z[i,1])

  for(t in 2:T){              # For loop for years 2 to T
    al[i,t] <- sum(z[i, 1:t])  # Sum over the alive states from 1 to t
    A[i,t] <- 1-step(al[i,t] - 1)
    # A is the indicator if an individual is available to be recruited
    mu[i,t] <- (phi*z[i,t-1]) + (gamma[t]*A[i,t-1])
    # Alive state at t is dependent on phi and gamma
    z[i,t] ~ dbern(mu[i,t])
    cp[i,t] <- z[i,t]*p.mean
    Y[i,t] ~ dbinom(cp[i,t], K)
  }
}
}

```

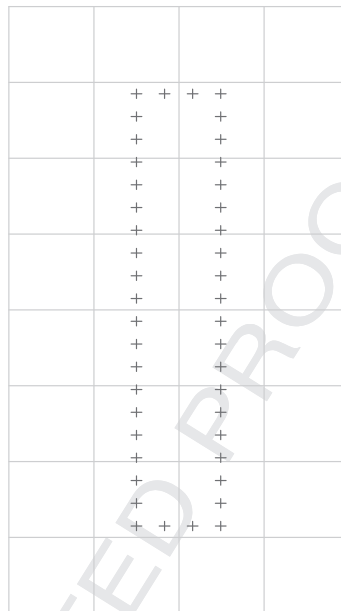
#### PANEL 16.1

**JAGS** model specification for the non-spatial Jolly-Seber model using data augmentation.

all primary periods. For the ovenbird data set, we can organize the data by creating a master list of all individuals captured during the entire study. From this list, we can assign each individual a unique row in our data set (in the **R** commands, we do this by using the `unique()` function on the row names for each year of our three-dimensional array and use `pmatch()` to associate the data to the correct column). The resulting array is individual by secondary occasion by primary occasion,  $M \times K \times T$ . The **R** commands to organize the data in a way suitable for fitting a Jolly-Seber type model are included in the `scrbook` package using the function `ovenbirds.js()` and are not shown here. The key difference between our model and organization of the data here and that in Chapter 9 is that, here, we have to preserve individual identity across years (in the model and data structure).

**AU:3**

## 412 CHAPTER 16 Open Population Models



**FIGURE 16.2**

Arrangement of the mist nets in the ovenbird study. The nets are arranged in a 600 m by 100 m rectangle, spaced 30 m apart.

The data augmentation must be large enough to include individuals alive during any of the time periods and to account for that, we set  $M = 200$ . There were 70 unique individuals captured over the 5-year period. For this example, we hold survival constant but allow recruitment to be time dependent (since  $\gamma$  is essentially a function of the data augmentation process as described above, it does not make sense to hold recruitment constant ~~and we therefore make it time specific~~). p0120

To implement the model in Panel 16.1, the following commands are used: p0125

```
# Set initial values for the alive state, z o0005
> zst <- c(rep(1,M/2),rep(0,M/2)) o0010
> zst <- cbind(zst,zst,zst,zst,zst) o0015

> inits <-function()list(z=zst,sigma=runif(1,25,100),gamma=runif(5,0,1)) o0020
> parameters <- c("psi","N","phi", "p.mean", "gamma") o0025
> data <- list (K=10,Y=Ybin,M=M) o0030

> library("rjags") o0035
> out1 <- jags.model("modelNSJS.txt",data,inits,n.chains=3,n.adapt=500) o0040
> out2NSJS <- coda.samples(out1,parameters,n.iter=20000) o0045
```

In this non-spatial JS model,  $N_t$  is estimated to be between about 22 and 33 for each of the 5 years (see Table 16.1 for results). The posterior mean for detection p0130

$p$ . mean in the model) was 0.14. We did not include  $p$ . mean in the table because the SCR models do not have a parameter that directly corresponds to it. Instead, SCR models have a detection function that is related to distance.

### s0040 16.2.2.2 Shortcomings of the traditional JS models

p0135 One of the biggest shortcomings of the non-spatial JS model is that we estimate  $N$  but have no explicit spatial area associated with it (so, in Table 16.1, the density estimate from the non-spatial JS model is listed as NA). Ignoring the spatial information in the data makes the estimation of density an informal process. As we saw in the closed models, the explicit incorporation of spatial information in the model will allow us to make an explicit estimate of density. This improvement should also carry through in our estimation of other demographic parameters such as survival and recruitment as the movement of individuals is directly accounted for in the model.

### s0045 16.2.3 Spatial Jolly-Seber models

p0140 To parameterize the spatial JS models, we follow all of the same steps as the non-spatial model but also include the trap location information into our detection function. Basically, we are using the closed population SCR model to estimate the detection parameters and initial population size, and the open component is carried out in the process of how we model the transition of  $z(i, t)$  to  $z(i, t + 1)$  which is the same as in the non-spatial JS model. To do so, we describe the Bernoulli observation model, specified conditional on  $z(i, t)$ , as has been done throughout the book:

$$y_{ijkt} | z(i, t) \sim \text{Bernoulli}(p_{ijk} z(i, t))$$

with

$$p_{ijk} = p_0 * \exp(-\alpha_1 d_{ij}^2), \quad (16.2.1)$$

where  $d_{ij} = \|\mathbf{x}_j - \mathbf{s}_i\|$ , the distance between activity center  $\mathbf{s}_i$  and trap  $\mathbf{x}_j$ . As before,  $p_0$  is the baseline encounter probability, for an individual with home range center located precisely at a trap, and  $\alpha_1 = (1/(2\sigma^2))$  where  $\sigma$  is the scale parameter in this Gaussian encounter probability model.

p0145 If individual  $i$  is alive at time  $t$  ( $z(i, t) = 1$ ), then the observations are Bernoulli. Conversely, if the individual is not alive ( $z(i, t) = 0$ ), then the observations must be fixed zeros with probability 1. As always, other observation models can be considered in the context of a fully open JS-type model, such as the Poisson or multinomial models described in Chapter 9, and we can consider many alternative models of encounter probability.

p0150 We initialize the model for time  $T = 1$  and then model the transition of individual states from  $t$  to  $t + 1$  as:

$$z(i, t + 1) \sim \text{Bern}(\phi_t z(i, t) + \gamma_t (1 - z(i, t))).$$

## 414 CHAPTER 16 Open Population Models

Previously, in Section 16.2.2, it was described how this formulation of the model uses a set of latent indicator variables  $A(i, t)$  which describes if an individual is recruited into the population during time interval  $(t - 1, t)$ . We apply the same approach here, so that, as before,  $A(i, t) = 1$  if individual  $i$  is recruited in time interval  $(t - 1, t)$ ; otherwise  $A(i, t) = 0$ .

The number of recruits into the population is calculated based on the alive state of the previous time steps  $(1, 2, \dots, t - 1)$  and the current time step  $(t)$ . For example, to estimate the number of recruits from time period 1 to 2, we count those individuals not in the population at time 1 ( $z(i, 1) = 0$ ) but alive at time 2 ( $z(i, 2) = 1$ ). We can determine if individual  $i$  has entered the population at time  $t = 2$  by using the formula:  $R_{i,2} = (1 - z(i, 1))z(i, 2)$  and then sum  $R_{i,2}$  over  $M$  to get the total number of recruits. We can do this for all the primary periods in our study, as shown in the JAGS code in Panel 16.2.

### 16.2.3.1 Ovenbird mist-netting study

In the previous analysis of the ovenbird data, we did not make use of the spatial location for each net the ovenbirds were captured in. However, there were 44 mist nets operational during each of the sampling occasions. We already organized the data above so that our 3-D encounter histories are set up. The data set is then  $M = 200$  individuals by  $K = 10$  secondary occasions by  $T = 5$  primary occasions. In the non-spatial version, we reduced the data to captured or not-captured; however, the encounter history array, `Yarr`, contains the number of the net that each individual was captured in and contains a 45 if the individual was not captured. The code above describes how the encounter history array is created, so we do not reproduce this piece of code here. To call the model, use the following R code which sets the initial values for  $z[i, t]$ , the parameters to monitor, and calls JAGS. The code is also available in the `ovenbirds.js()` function:

```
> zst <- c(rep(1,n),rep(0,M-n))
> zst <- cbind(zst,zst,zst,zst,zst)

> inits <- function(){list(z=zst,sigma=runif(1,25,100),
  gamma=runif(5,0,1), S=Sst,alpha0=runif(1,-2,-1))}
> parameters <- c("psi", "alpha0", "alpha1", "sigma", "N",
  "D", "phi", "gamma", "R")
> data <- list(X=as.matrix(X[[1]]), K=10, Ycat=Yarr,
  M=M, ntraps=ntraps, ylim=ylim, xlim=xlim)
> library("rjags")
> out1 <- jags.model("modelJS.txt", data, inits, n.chains=3,
  n.adapt=500)
> out2JS <- coda.samples(out1,parameters,n.iter=10000)
```

Our results for density,  $\alpha_0$ , and  $\alpha_1$  are rather similar to those found in the multi-season analysis from Chapter 9. Since all of our parameters including  $\alpha_0$  and  $\alpha_1$  are shared between seasons, we would expect these results to be similar between the multi-season model and the JS model (see Table 16.1). There are some slight

```

model {
  psi ~ dunif(0,1)      # Prior distributions
  phi ~ dunif(0,1)
  alpha0 ~ dnorm(0,10)
  sigma ~ dunif(0,200)
  alpha1 <- 1/(2*sigma*sigma)
  A <- ((xlim[2]-xlim[1]))*((ylim[2]-ylim[1])) # Area of state-space

  for(t in 1:T){
    N[t] <- sum(z[1:M,t]) # Calculate abundance for each year
    D[t] <- N[t]/A # Calculate density for each year
    R[t] <- sum(R[1:M,t]) # Calculate the recruits for each year
    gamma[t] ~ dunif(0,1) # Prior for time specific recruitment parameter
  }

  for(i in 1:M){
    z[i,1] ~ dbern(psi)
    R[i,1] <- z[i,1] # To estimate the number of recruits
    R[i,2] <- (1-z[i,1])*z[i,2]
    R[i,3] <- (1-z[i,1])*(1-z[i,2])*z[i,3]
    R[i,4] <- (1-z[i,1])*(1-z[i,2])*(1-z[i,3])*z[i,4]
    R[i,5] <- (1-z[i,1])*(1-z[i,2])*(1-z[i,3])*(1-z[i,4])*z[i,5]

    for(t in 1:T){
      # Independent activity centers for each year
      S[i,1,t] ~ dunif(xlim[1],xlim[2])
      S[i,2,t] ~ dunif(ylim[1],ylim[2])
      for(j in 1:ntraps){
        d[i,j,t] <- pow(pow(S[i,1,t]-X[j,1],2) + pow(S[i,2,t]-X[j,2],2),1)
      }
      for(k in 1:K){
        for(j in 1:ntraps){
          lp[i,k,j,t] <- exp(alpha0 - alpha1*d[i,j,t])*z[i,t]
          cp[i,k,j,t] <- lp[i,k,j,t]/(1+sum(lp[i,k,,t]))
        }
        cp[i,k,ntraps+1,t] <- 1-sum(cp[i,k,1:ntraps,t])
        # Here, the last cell indicates not captured
        Ycat[i,k,t] ~ dcat(cp[i,k,,t])
      }
    }
    A[i,1]<-(1-z[i,1])
  }
  for(t in 2:T){
    # For loop for years 2 to T
    al[i,t] <- sum(z[i, 1:t]) # Sum over alive states from 1 to t
    A[i,t] <- 1-step(al[i,t] - 1)
    # A indicates if individual is available to be recruited at time t
    mu[i,t] <- (phi*z[i,t-1]) + (gamma[t]*A[i,t-1])
    # Alive state at t is dependent on phi and gamma
    z[i,t] ~ dbern(mu[i,t])
  }
}

```

#### PANEL 16.2

**JAGS** model specification for the fully spatial Jolly-Seber model. This extends the ordinary Jolly-Seber model by the inclusion of a spatial component to the encounter probability model.

## 416 CHAPTER 16 Open Population Models

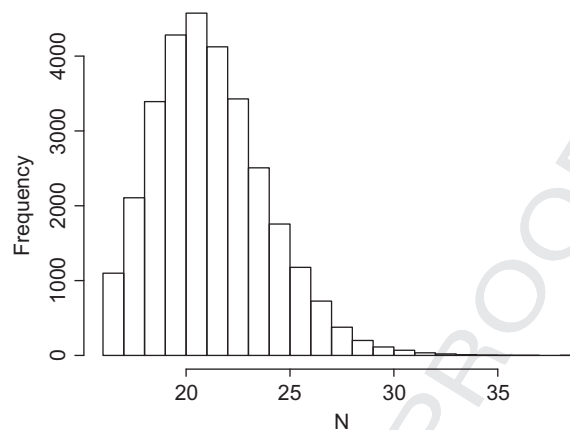
differences in the parameter estimates, for example, the density is lower in year 4 in the multi-season model than in the JS model. This may be due to a smaller sample size in that year; due to the Markovian relationship between abundances, the JS model is able to make use of the data more efficiently. Because we have defined the same state-space for the spatial JS model and multi-season, our estimates of  $N_t$  are directly comparable. However, the estimates of  $N_t$  under the non-spatial JS model are not directly comparable as we do not have a well-defined effective trapping area. We see from Table 16.1 that  $N_t$  is smallest for the non-spatial JS model across all years. This suggests that the actual effective trapping area is smaller than our state-space, but we cannot know how much relative to the state-space to make useful comparisons between the  $N_t$ s.

In the JS formulation of the model, we also estimate the recruitment for each year, and we can look at our derived values for recruitment (R2, R3, R4, and R5). R2 is the number of new recruits from primary period 1 to 2; R3 is the number of

**Table 16.1** Posterior mean of model parameters for the non-spatial Jolly-Seber model (NS-JS), the spatial Jolly-Seber model (S-JS), and the spatial multi-session model (S-MS) fitted to the ovenbird data set. Density shown in individuals per hectare.

|          | NS-JS | S-JS    | S-MS     |
|----------|-------|---------|----------|
| D[1]     | NA    | 0.96    | 0.93     |
| D[2]     | NA    | 1.00    | 1.00     |
| D[3]     | NA    | 1.10    | 1.20     |
| D[4]     | NA    | 1.10    | 0.89     |
| D[5]     | NA    | 0.79    | 0.76     |
| N[1]     | 26.5  | 33      | 32.4     |
| N[2]     | 30.2  | 36      | 35.8     |
| N[3]     | 33.1  | 39      | 42.1     |
| N[4]     | 29.5  | 37      | 30.8     |
| N[5]     | 21.7  | 28      | 26.2     |
| alpha0   | NA    | -2.9    | -2.88    |
| alpha1   | NA    | 1.2e-04 | 1.22e-04 |
| sigma    | NA    | 6.4     | 6.44     |
| gamma[1] | 0.50  | 0.50    | NA       |
| gamma[2] | 0.09  | 0.09    | NA       |
| gamma[3] | 0.11  | 0.13    | NA       |
| gamma[4] | 0.13  | 0.16    | NA       |
| gamma[5] | 0.07  | 0.08    | NA       |
| phi      | 0.48  | 0.53    | NA       |
| psi      | 0.14  | 0.17    | NA       |
| R2       | NA    | 15      | NA       |
| R3       | NA    | 19      | NA       |
| R4       | NA    | 8.3     | NA       |
| R5       | NA    | 8.3     | NA       |





**FIGURE 16.3**

Posterior distribution of  $N_5$  from the spatial JS model for the ovenbird dataset. This figure suggests that there is no truncation of the posterior of  $N_5$  by  $M$ .

new recruits from primary period 2 to 3; and so forth. R2 and R3 are almost double that of R4 and R5, suggesting that less animals were recruited into the population in the latter years of the study. The density in the last year of the study was lower than previous years. It is good to check your results when you see a pattern like this—the number of recruits declining each year—because this could be an indication that the data augmentation was not large enough. In this example, we checked to make sure that  $M = 200$  was sufficiently large by examining the recruitment parameter,  $\gamma$ . If  $\gamma$  is close to 1 during any of the time periods, then there are not enough augmented individuals in the overall data set. In this case, the 97.5% quantile of  $\gamma_5$ , the recruitment probability in the final year of the study, was 0.14 and none of the other  $\gamma$ s were close to 1 either. You can also look at the posterior distributions of  $N_t$  to make sure they are not truncated, Figure 16.3 shows that the posterior distribution of  $N_5$  is not truncated. The posterior mean for survival,  $\phi$ , was 0.53. Although we did not do that in this example, it should be easy to see that we could allow survival to vary by time, as we did with recruitment. Our estimates of survival seem reasonable when compared with the ovenbird literature. Some studies have found annual male ovenbird survival to be around 0.62 (Perneluzi and Faaborg, 1999; Bayne and Hobson, 2002), whereas female ovenbird survival is much lower (0.21, Bayne and Hobson, 2002). With more individuals, we could run this model with survival estimated for each sex separately. However, researchers should be careful not to overparameterize models based on the amount of data available. The results indicate that the posterior mean estimate of  $\phi$  was greater in the SCR model (0.53) than the non-spatial model (0.48) which suggests that the SCR model is starting to separate movement from survival in order to estimate the true rather than apparent survival.

## 16.3 Cormack-Jolly-Seber models

s0055

### 16.3.1 Traditional CJS models

s0060

Cormack-Jolly-Seber (CJS) models are used extensively to estimate survival probabilities. There are two common ways to fit these models, using either a multinomial likelihood approach (Lebreton et al., 1992) or a state-space formulation of the model (Gimenez et al., 2007; Royle, 2008). The multinomial likelihood approach is based on summarizing the data to counts of unique encounter histories, which have a multinomial distribution. The data are summarized over individuals and so it is not feasible to build general models that contain individual covariates. On the other hand, the state-space formulation of the model preserves individual identity and, therefore, parameters can be modeled at the individual level, and individual effects (covariates or heterogeneity) can be included. In the present context of spatial capture-recapture models, we naturally think about including individual locations, or activity centers, as individual covariates.

p0180

We can adopt a simple state-space parameterization of the basic single-state, non-spatial CJS model in which the observation model is described conditional on the latent state variables  $z(i, t)$  – the “alive state” which indicates whether individual  $i$  is alive ( $z(i, t) = 1$ ) or not ( $z(i, t) = 0$ ) during each of  $t = 1, 2, \dots, T$  primary periods. Let  $y_{it}$  indicate the observed encounter data of individual  $i$  in primary period  $t$ . The model, specified conditional on  $z(i, t)$ , is:

p0185

$$y_{it} | z(i, t) \sim \text{Bernoulli}(p_t z(i, t)).$$

Analogous to the JS model, if individual  $i$  is alive at time  $t$  ( $z(i, t) = 1$ ), then the observations are Bernoulli with probability of detection  $p_t$ .

If the individual is not alive ( $z(i, t) = 0$ ), then the observations must be fixed zeros with probability 1. Contrary to the JS model, in the CJS model we condition on first capture, which means that  $z(i, t)$  will be 1 when  $t$  is the primary period individual  $i$  is first captured in. We denote this  $z(i, f_i)$ , where  $f_i$  indicates the primary occasion in which individual  $i$  is first captured, which can vary from  $1 \dots T$ . This ensures that each individual is alive upon entering the model, and is also the reason that recruitment is not estimated in the model.

p0190

The “alive state” at time  $t$  for each individual is a function of the state at the previous time step  $t - 1$ . Because we condition on the first capture, the initial state is set to one:

p0195

$$z(i, f_i) = 1$$

where  $f_i$  indicates the primary occasion in which individual  $i$  is captured and the model for the transition of individual states from  $t$  to  $t + 1$  for all  $t > f_i$  is

$$z(i, t) \sim \text{Bernoulli}(\phi z(i, t - 1)).$$

```

model{
  phi ~ dunif(0,1) # Survival (constant over time)

  for(t in 1:T){
    p[t] ~ dunif(0, 1) # Detection (varies with time)
  }

  for(i in 1:M){
    z[i,first[i]] ~ dbern(1)
    for (t in (first[i]+1):T){
      tmp[i,t] <- z[i,t]*p[t]
      y[i,t] ~ dbern(tmp[i,t])
      phiUP[i,t] <- z[i,t-1]*phi
      z[i,t] ~ dbern(phiUP[i,t])
    }
  }
}

```

### PANEL 16.3

**JAGS** model specification for the non-spatial basic Cormack-Jolly-Seber (CJS) model. Note that the first alive state of each individual,  $z[i, \text{first}[i]]$ , is not stochastic. It is equal to 1 with probability 1.

~~Because we start with  $z(i, f_i) = 1$ , the individual survives with probability  $\phi$  to time  $f_i + 1$  and so forth. Once an individual leaves the population (i.e.,  $z(i, t) = 0$ ), there is no mechanism for the individual to return. This means that under this specification individuals cannot temporarily emigrate.~~ In the CJS model we are not estimating  $N_t$ , so we do not need to make use of data augmentation here in order to account for uncaptured individuals (remember: we explicitly condition on first capture). This version of the model is easy to construct in the **BUGS** (or **JAGS**) language which is shown in Panel 16.3. Variations on this basic model and associated code for fitting the model in **BUGS** are described in detail in [Kéry and Schaub \(2012, Chapters 7–9\)](#).

#### s0065 16.3.1.1 Movement and survival of American shad in the Little River

p0205 As an example for the CJS model, we use data collected on American shad (*Alosa sapidissima*) in the Little River in North Carolina, USA (see photo in Figure 16.4). The Little River is a tributary to the Neuse River and the confluence is near Goldsboro, North Carolina about 212 river kilometers from the Pamlico Sound. The motivation for this example stems from an interest in better understanding survival and movement of migratory fish. American shad are an anadromous fish that use rivers for spawning. The data were collected and analyzed as described in [Raabe \(2012\)](#). Using a resistance

## 420 CHAPTER 16 Open Population Models



**FIGURE 16.4**

American shad caught in North Carolina, USA. *Credit:* Joshua Raabe, North Carolina State University.

board weir near the river mouth, 315 fish were tagged with passive integrated transponders (PIT) in the spring of 2010. An array of seven upstream PIT antennas passively recaptured individuals during upstream and downstream migrations. Each time a fish passed over the antenna, it was recorded and the data were summarized weekly for 12 weeks. The fish do not necessarily move past all antennas and may remain in the river between antennas for more than a week, thus they are not all detected at each time period. The antennas do not always operate perfectly either and fish that pass may not be recorded at some times.

To apply the `basic` CJS model, we create the encounter history for each individual for the 12 weeks and we also create a vector to indicate the period (week) of first capture. The code is not shown here but is available in the `scrbook` package within the function `shad.cjs()`. This function contains all of the code to fit the non-spatial, multi-state, and spatial CJS models to the American shad data set.

Table 16.2 shows the estimated detection probabilities for each of the 12 primary periods in the study. The posterior mean for detection probabilities ranges from 0.126 to 0.880, which could potentially be due to variation in water flow, stream depth, storms, etc. The weekly survival probability,  $\phi$ , had a posterior mean estimate of 0.824. This estimate could be considered low for a weekly probability, but is likely due to the fact that the migration upstream can be quite energetically taxing and the fish are likely to only feed minimally in rivers (Leggett and Carscadden, 1978; Leonard and McCormick, 1999). Additionally, the CJS model is only estimating apparent survival and some fish may have left the stream temporarily or permanently heading back to the ocean or possibly to other tributaries that are not monitored. We demonstrate in Panel 16.3 how to allow  $p$  to vary by time, but we could also allow

sp055

**Table 16.2** Results of the basic non-spatial CJS model for the American shad data set.

|        | Mean  | SD    | 2.5%  | 50%   | 97.5% |
|--------|-------|-------|-------|-------|-------|
| p[1]   | 0.499 | 0.289 | 0.026 | 0.499 | 0.975 |
| p[2]   | 0.627 | 0.058 | 0.511 | 0.628 | 0.738 |
| p[3]   | 0.762 | 0.036 | 0.689 | 0.763 | 0.829 |
| p[4]   | 0.880 | 0.025 | 0.828 | 0.882 | 0.925 |
| p[5]   | 0.548 | 0.043 | 0.465 | 0.548 | 0.633 |
| p[6]   | 0.259 | 0.038 | 0.190 | 0.258 | 0.337 |
| p[7]   | 0.126 | 0.031 | 0.072 | 0.124 | 0.194 |
| p[8]   | 0.236 | 0.045 | 0.155 | 0.234 | 0.332 |
| p[9]   | 0.237 | 0.049 | 0.148 | 0.234 | 0.341 |
| p[10]  | 0.589 | 0.072 | 0.447 | 0.590 | 0.728 |
| p[11]  | 0.834 | 0.063 | 0.700 | 0.839 | 0.942 |
| p[12]  | 0.468 | 0.072 | 0.330 | 0.466 | 0.614 |
| $\phi$ | 0.824 | 0.011 | 0.802 | 0.825 | 0.846 |

survival,  $\phi$ , to vary by time by implementing it exactly as we do for  $p$ . As we move into the multi-state model, we can test for movement and survival by state, which allows more specific biological questions to be addressed.

s0070

### 16.3.2 Multi-state CJS models

p0220

The basic version of the CJS model only allows for estimation of survival and detection probabilities. However, researchers are often interested in addressing other ecological questions such as age-dependent survival rates, habitat-based movements, etc. Multi-state models allow researchers to directly address such questions by incorporating more than one state that an individual may potentially be in (Arnason (1972), 1973, and Brownie et al. (1993)). These possible states can be geographic location, age class, or reproductive status among many others. Instead of just having an encounter history for an individual, we will also have auxiliary information on the state of that individual at capture (e.g., breeder or non-breeder). Since our interest is in movement of individuals, here we will consider states that represent spatial units or geographic locations. Generally speaking, we might think that the transition rates between locations could be due to habitat features (or quality) and we can use multi-state models to help us address such a question. In addressing movement through a multi-state modeling approach, the movement is often parameterized as random or Markovian between patches (Arnason, 1972, 1973; Schwarz et al., 1993).

p0225

In the simplest version of the multi-state model we have just two states. Thus, individuals can be marked and recaptured in one of two states (we'll call them A and B here). We will assume that the two "states" are different geographic sites. In the single-state model above, an individual  $i$  was either alive ( $z(i, t) = 1$ ) at time  $t$  or dead ( $z(i, t) = 0$ ). Now, we must consider that the individual could be alive in a

## 422 CHAPTER 16 Open Population Models

**Table 16.3** Transition matrix for a multi-state model with just two states.

|         | State A                 | State B                 | Dead         |
|---------|-------------------------|-------------------------|--------------|
| State A | $\phi^A(1 - \psi^{AB})$ | $\phi^A\psi^{AB}$       | $1 - \phi^A$ |
| State B | $\phi^B\psi^{BA}$       | $\phi^B(1 - \psi^{BA})$ | $1 - \phi^B$ |
| Dead    | 0                       | 0                       | 1            |

sp060

given state or dead and that individuals can transition between states. An easy way to think about this is to look at the state-transition matrix in Table 16.3. Here,  $\phi^A$  is the probability of surviving in State A from time  $t$  to  $t + 1$  and  $\phi^B$  is the analogous parameter for State B. The movement parameters are  $\psi^{AB}$  and  $\psi^{BA}$ , where  $\psi^{AB}$  is the probability that an individual, survives from  $t$  to  $t + 1$  and moves to State B just before  $t + 1$  and vice versa for  $\psi^{BA}$ . The movement could also be defined as occurring before the survival; i.e.,  $\psi^{AB}$  is the probability that an individual moves from State A to State B shortly after time  $t$  and then survives to time  $t + 1$  in State B.

Because individuals are not necessarily observed in their given state, detection should be estimated separately for each of the states. Hence, we also have  $p^A$  and  $p^B$ , the probability of detecting an individual in State A and State B, respectively. Also, at this point, we assume that there is no error in observed state (i.e., if the animal is observed, then the state is recorded correctly).

p0230

In the next few paragraphs, we show how the formulation of the two state version of multi-state capture-recapture presented above can be related directly to SCR models. To start, define  $s$  as the index of which state an individual is actually in and  $u_{it}$  as the state in which individual  $i$  was observed during sample  $t$ . In this two-state example,  $u_{it}$  can only take on values for being observed in A or B (i.e., 1 or 2). We can define a simplistic model as follows:

p0235

AU:4

AU:5

$$u_{it} \sim \text{dcat}(\psi),$$

where  $\psi$  is a constant vector.

We observe an individual with probability  $p_0$ , that is:

p0240

$$\Pr(y_{it} = 1 | u_{it}) = p_0.$$

The state-transition probabilities are constant.

In an alternative formulation of this model, we can define  $s$  as the index of which state an individual is in and then condition the observed locations,  $u_{it}$  as a function of the actual state,  $s$ . This means that whether an individual moves or not, or where it moves to, is a function of where it is located. In this case, successive movement outcomes are *iid* and we can write the model according to:

p0250

$$u_{it} \sim \text{dcat}(\psi(s_i)).$$

Conditional on the state in which individual  $i$  is located, the probability of observing the individual is the same as above,  $p_0$ . However, in this formulation of the model,

the state-transition probabilities are constant, conditional on  $\mathbf{s}$ . Other models for these transition probabilities are possible and we will discuss those later.

p0255 A slight modification of this model would define  $\mathbf{s}$  as a “home area” for each individual. Then the region the animal goes to is a function not of where it was last time, but which region is its home area. This model is only slightly different from the Markovian model and, as was shown in Chapter 9 for closed population models, is how we make the technical transition from multi-state models to SCR models. Essentially increasing to a large number of strata, this formulation of the multi-state model becomes an SCR model where the “area of activity”  $\mathbf{s}$  becomes the “activity center” for each individual. In this case, the vector  $\psi(\mathbf{s}_i)$  is a  $J \times 1$  vector, corresponding to the probability of observation in each trap, given the individual’s activity center. Therefore, SCR models are closely related to classical multi-state models where the state variable is “space.”

p0260 To describe this model for JAGS, we use a slightly different formulation which combines  $u_{it}$  and  $y_{it}$  as defined above into one observation matrix such that  $y_{it} = 1, 2$ , or 3 where 3 indicates “not observed.” Additionally, we use  $z(i, t)$  to indicate the true state of individual  $i$  such that  $z(i, t) = 1, 2$ , or 3 where 1 indicates alive and in state 1, 2 indicates alive and in state 2, 3 indicates “not alive.” Using this delineation, we just need to set up the transition matrix based on Table 16.3 and define each item within the model specification, shown in Panel 16.4. Note that this can become quite cumbersome when dealing with models that have many states.

#### s0075 16.3.2.1 Movement and survival of American shad in the Little River

p0265 Previously, we analyzed the American shad data using a basic (i.e., non-spatial) CJS model. However, the researchers were interested in movement of fish during migration and so we classified the stream into two states (regions)—“downstream” and “upstream.” Each antenna was assigned to a state based on the location, those below 20 river kilometers were considered in the downstream state. Each fish has an encounter history including whether or not the fish was detected during each week of the 12-week study, but also the “state” of capture (“downstream” or “upstream”). A vector to indicate the period of first capture was also created. Fish captured in more than one state during the week were assigned the state in which they were captured most during that week. And the model assumes that individuals observed in a state at consecutive primary periods did not move from that state within the primary period. The data manipulation and model specification for the multi-state CJS model are provided in the `scrbook` package under the function `shad.cjs()`.

p0270 Survival between the two areas was quite different (see Table 16.4). This might suggest that fish moving further upstream are expending more energy and are more likely to die. While survival in the two states was different, it is intuitive that the average of the survival probabilities for A and B is essentially the same as that from the basic non-spatial CJS ( $\phi = 0.82$ , see Table 16.2). Also, it should be noted that  $\psi^{BA}$  was very high, indicating that fish in this study are returning downstream after spawning in the upstream area. These results highlight the utility in using a multi-state model to understand movement between states; here, we used spatial states, but age,



## 424 CHAPTER 16 Open Population Models

```

model{

# r is an index for state (excluding the 'not alive' state)
for(r in 1:2){
  phi[r] ~ dunif(0,1)
  psi[r] ~ dunif(0,1)
  p[r] ~ dunif(0,1)
}

for (i in 1:M){
  z[i,first[i]] <- y[i, first[i]]
  for (t in (first[i]+1):T){
    z[i,t] ~ dcat(ps[z[i,t-1], i, ])
    y[i,t] ~ dcat(po[z[i,t], i, ])
  }
  ps[1, i, 1] <- phi[1] * (1-psi[1])
  ps[1, i, 2] <- phi[1] * psi[1]
  ps[1, i, 3] <- 1-phi[1]
  ps[2, i, 1] <- phi[2] * (1-psi[2])
  ps[2, i, 2] <- phi[2] * psi[2]
  ps[2, i, 3] <- 1-phi[2]
  ps[3, i, 1] <- 0
  ps[3, i, 2] <- 0
  ps[3, i, 3] <- 1

  po[1, i, 1] <- p[1]
  po[1, i, 2] <- 0
  po[1, i, 3] <- 1-p[1]
  po[2, i, 1] <- 0
  po[2, i, 2] <- p[2]
  po[2, i, 3] <- 1-p[2]
  po[3, i, 1] <- 0
  po[3, i, 2] <- 0
  po[3, i, 3] <- 1
}
}

```

### PANEL 16.4

**JAGS** model specification for a two-state version of the multi-state CJS model. Code modified from [Kéry and Schaub \(2012, Chapter 9\)](#).

class, breeding status, etc., are all possibilities. ~~We did have to reduce the data set however to fit this model and information on exact spatial location of detections was lost in creating just two states, downstream and upstream. Losing information is one potential effect of using a multi-state model; additionally when states are hidden or~~

sp065

**Table 16.4** Results of the multi-state CJS model for the migratory fish example.

$p^A$  is the detection probability in the first state (A), which in this case is the downstream area.  $\phi^A$  is the weekly survival probability in state A and  $\psi^{AB}$  is the probability that an individual, which survived from  $t$  to  $t + 1$  in Site A, moves to State B just before  $t + 1$ .

|             | Mean  | SD    | 2.5%  | 50%   | 97.5% |
|-------------|-------|-------|-------|-------|-------|
| $p^A$       | 0.777 | 0.045 | 0.689 | 0.777 | 0.866 |
| $p^B$       | 0.434 | 0.027 | 0.382 | 0.434 | 0.489 |
| $\phi^A$    | 0.850 | 0.022 | 0.807 | 0.851 | 0.893 |
| $\phi^B$    | 0.782 | 0.019 | 0.743 | 0.782 | 0.820 |
| $\psi^{AB}$ | 0.421 | 0.034 | 0.356 | 0.421 | 0.489 |
| $\psi^{BA}$ | 0.927 | 0.014 | 0.897 | 0.937 | 0.952 |

unknown (e.g., when animals are in a region not exposed to sampling or the state is misclassified), these models can be difficult to fit (see Conn and Cooch (2009) for an overview of these problems). Not losing information and unknown states are two issues that can be resolved using the fully spatial CJS model. Misclassification of state (or even individual) is a difficult problem to solve and current approaches (Link et al., 2010; McClintock et al., in press) are in development for SCR models.

s0080

### 16.3.3 Spatial CJS models

p0275

In Chapter 9, we suggested that SCR models are essentially a type of multi-state model with spatially structured transition probabilities. As we noted, individuals can appear in  $> 1$  states simultaneously, which is not directly analogous to a standard multi-state model. However, building on the state-space and multi-state CJS models, we can explicitly incorporate individual movement as an individual covariate model (Royle, 2009a). To move from the basic and multi-state CJS models to the SCR version, we need only make a few changes to the model. We will not have discrete states and thus the biggest difference is that individuals do not “transition” between a finite set of states, but instead are allowed to move in continuous space.

p0280

We may consider the same basic encounter models as described previously (i.e., Poisson, Bernoulli, or multinomial). In particular, let  $y_{ijk}$  indicate the observed encounter data of individual  $i$  in trap  $j$ , during interval (secondary period or subsample)  $k = 1, 2, \dots, K$  and primary period  $t$ . We note that in some cases we may have intervals ( $K = 1$ ) which correspond to the design underlying a standard CJS or JS models whereas the case  $K > 1$  corresponds to the “robust design” (Pollock, 1982). The Poisson observation model, specified conditional on  $z(i, t)$ , is:

$$y_{ijk} | z(i, t) \sim \text{Poisson}(\lambda_{0gij} z(i, t)),$$

## 426 CHAPTER 16 Open Population Models

where  $\lambda_0$  is the baseline encounter rate and  $g_{ij}$  is the detection model as a function of distance. If the individual is not alive ( $z(i, t) = 0$ ), then the observations must be fixed zeros with probability 1. Remember that in the CJS formulation, we condition on first capture which means that  $z(i, t)$  will be 1 when  $t$  is the first primary period of capture. As before in the non-spatial CJS model, we can denote this as  $z(i, f_i)$  where  $f_i$  indicates the primary occasion in which individual  $i$  is first captured.

Modeling time-effects either within or across primary periods is straightforward. For that, we define  $\lambda_0 \equiv \lambda_0(k, t)$  and then develop models for  $\lambda_0(k, t)$  as in our closed SCR models (we note that trap-specific effects could be modeled analogously).

We follow the same model for survival as described in the non-spatial version of the CJS. The model is initialized by setting the alive state at first capture to one:

$$z(i, f_i) = 1,$$

and for the transition of an individual's alive state from  $t$  to  $t + 1$ , for all  $t > f_i$ , we have

$$z(i, t) \sim \text{Bernoulli}(\phi z(i, t - 1)).$$

An individual survives with probability  $\phi$  from one time step to the next. It is easy to see that we can let survival be time specific by allowing  $\phi$  to vary with each time step:

$$z(i, t) \sim \text{Bernoulli}(\phi_t z(i, t - 1)).$$

In either case, once an individual leaves the population (i.e.,  $z(i, t) = 0$ ), there is no recruitment so individuals cannot return. Again, we are not estimating  $N_t$  in this model, hence we do not need any data augmentation. This conveniently makes the model run faster too!

### 16.3.3.1 Movement and survival of American shad in the Little River

Going back to our American shad example, we can consider that this is exactly a spatial capture-recapture problem. In stream networks, the placement of PIT antennas along the stream mimics the type of spatial data collected in terrestrial passive detector arrays such as camera traps, hair snares, acoustic recording devices, etc. The difference is that for fish and aquatic species, the stream constrains the movement of individuals to a linear network. Using the data from the array of seven PIT antennas and the number of times each fish passed over the antenna, we can apply the SCR CJS model to evaluate movement up and downstream of these fish. When we look at the individuals encountered at each antenna for each of the primary periods, the dimensions of the data are 315 individuals by 7 antennas by 12 sample occasions. Individuals can encounter any antenna any number of times during the week, which means we just sum the encounters over the week and eliminate any need for explicit secondary occasions in the model. The result is a three-dimensional array instead of a four-dimensional array. Given the structure of the encounters, we use a Poisson encounter model in this example shown in 16.5. The code to carry out this model is provided in the `scrbook` package using the function `shad.cjs()`.

```

model {
  # Priors
  sigma ~ dunif(0,80)
  sigma2 <- sigma*sigma
  lam0 ~ dgamma(0.1, 0.1)
  phi ~ dunif(0, 1) # Survival (constant across time)
  tauv~dunif(0, 30)
  tau<-1/(tauv*tauv)

  for (i in 1:M){
    z[i,first[i]] <- 1
    S[i,first[i]] ~ dunif(0,50) #Fish enter the stream at 0, thus the
                                #first AC is set to the lower stream end

    for(j in 1:nantenna) {
      D2[i,j,first[i]] <- pow(S[i,first[i]]-antenna.loc[j], 2)
      lam[i,j,first[i]]<- lam0*exp(- D2[i,j,first[i]]/(2*sigma2))
      tmp[i,j,first[i]] <- lam[i,j,first[i]]
      y[i,j,first[i]] ~ dpois(tmp[i,j,first[i]])
    }

    for (t in first[i]+1:T) {
      S[i,t] ~ dunif(xl, xu)
      for(j in 1:nantenna) {
        D2[i,j,t] <- pow(S[i,t]-antenna.loc[j], 2)
        lam[i,j,t] <- lam0 * exp(-D2[i,j,t]/(2*sigma2))
        tmp[i,j,t] <- z[i,t]*lam[i,j,t]
        y[i,j,t] ~ dpois(tmp[i,j,t])
      }
      phiUP[i,t] <- z[i,t-1]*phi
      z[i,t] ~ dbern(phiUP[i,t])
    }
  }
}

```

#### PANEL 16.5

**JAGS** model specification for the spatial Cormack-Jolly-Seber (CJS) model for the American shad data set. Note that the first alive state of each individual,  $z[i, \text{first}[i]]$ , is not stochastic. It is equal to 1 with probability 1.

p0310 The baseline encounter rate,  $\lambda_0$ , was allowed to vary by week and ranged from 0.188 to 5.555. We use the Poisson encounter model in this spatial CJS example rendering  $\lambda_0$  not directly comparable to  $p_0$  from the non-spatial and multi-state versions, which arises as the detection probability under the Binomial encounter model. The posterior mean for  $\phi$  was 0.784 (see Table 16.5), again showing that the weekly

**Table 16.5** Results of the spatial Cormack-Jolly-Seber model fitted to the American shad data set.

sp070

|          | Mean   | SD    | 2.5%   | 50%    | 97.5%  |
|----------|--------|-------|--------|--------|--------|
| lam0[1]  | 5.555  | 0.224 | 5.125  | 5.553  | 6.003  |
| lam0[2]  | 4.442  | 0.155 | 4.143  | 4.437  | 4.752  |
| lam0[3]  | 1.892  | 0.068 | 1.763  | 1.891  | 2.031  |
| lam0[4]  | 1.126  | 0.055 | 1.021  | 1.125  | 1.238  |
| lam0[5]  | 0.949  | 0.058 | 0.838  | 0.948  | 1.067  |
| lam0[6]  | 0.359  | 0.040 | 0.284  | 0.357  | 0.443  |
| lam0[7]  | 0.188  | 0.031 | 0.133  | 0.186  | 0.254  |
| lam0[8]  | 0.309  | 0.044 | 0.230  | 0.307  | 0.402  |
| lam0[9]  | 0.363  | 0.052 | 0.269  | 0.361  | 0.471  |
| lam0[10] | 0.627  | 0.072 | 0.493  | 0.625  | 0.777  |
| lam0[11] | 1.611  | 0.109 | 1.408  | 1.607  | 1.835  |
| lam0[12] | 0.939  | 0.139 | 0.697  | 0.929  | 1.241  |
| $\phi$   | 0.784  | 0.012 | 0.760  | 0.785  | 0.807  |
| $\sigma$ | 13.954 | 0.197 | 13.573 | 13.950 | 14.350 |

survival probability is rather low, just as we saw in the two previous example analyses of these data. Here, we are modeling survival probability as constant, but there is reason to believe that it might vary by time (similar to detection) and we might consider this additional parameterization in a more complete analysis of the data set. The other parameter of interest is  $\sigma$ , the movement parameter, which had a posterior mean of 13.954. Stream locations are recorded in river kilometers (RKM), so  $\sigma$  is in units of km. Our system here is linear, so we do not think of fish as having a home range radius. However,  $\sigma$  can still inform us about the linear distance fish are moving. One final note about this example, we have simplified the data set for analysis here and some parameter estimates are different than found in Raabe (2012).

## 16.4 Modeling movement and dispersal dynamics

s0090

To better understand the dynamics of a population, it is important to consider how the locations of activity centers evolve over time. It is known that home ranges and territories of animals can shift and other types of movement (migration, dispersal) can take place. In the framework of open population SCR models, these dynamics of individual locations can be reflected in appropriate models for the distribution of the activity centers. To begin, a plausible “null model” for the distribution of individual activity centers is to assume they are static over time and do not change across periods, i.e.,  $s_{it} \sim \text{Uniform}(S)$ . This model may be appropriate for territorial species where the primary sampling periods are relatively close together in time or the overall time frame of the study is limited. It might seem more likely that activity centers change over time but are independent from year to year for a given individual such  $s_{it} \sim \text{Uniform}(S)$ .

p0315

AU:7

This is also how the spatial version of the JS and CJS models was formulated above and this might be a reasonable model when there are large time lags between surveys, or if the individuals redistribute themselves frequently in the study population.

p0320 An intermediate option would be to assume that  $\mathbf{s}(i, t) \sim \text{Normal}(\mathbf{s}(i, t-1), \tau^2 \mathbf{I})$  for  $t > 1$  so that individual home range centers are perturbed randomly from their previous value. This is possibly the most realistic model for many cases. For example, many migratory passerines, like the ovenbird, return to the same location, or nearly so each year.

p0325 We could also use models of the activity centers to look at patterns of animal distribution with regard to habitat. For example, if the primary period is a season, it may be expected that individuals move as the available food sources change. Using telemetry data and/or capture-recapture models a number of developments have been made to understand animal movement patterns relative to habitat or dynamic systems (e.g., Jonsen et al., 2005; Hooten and Wikle, 2010). Similarly, if we have an indicator of habitat that varies by season, then in SCR models we can model the location of activity centers as a function of the change in habitat. There are a number of options for modeling variation in activity centers or animal locations as a function of covariates such as habitat, season, or behavior. Other approaches to analyzing movement in a mark-recapture framework include but are not limited to diffusion and auto-regressive models (Ovaskainen, 2004; Ovaskainen et al., 2008), agent-based (Grimm et al., 2005; Hooten et al., 2010) and dispersal kernels (Fujiwara et al., 2006). For example, we define  $\mathbf{u}_{ikt}$  as the individual's observed location at secondary period  $k$  in primary period  $t$ . Then  $\mathbf{u}_{ikt} \sim \text{Normal}(\mathbf{s}(i, t), \Sigma_t)$  where  $\Sigma_t$  is the variance-covariance matrix at time  $t$ . This is a model we have used quite frequently throughout the book, i.e., that individual observed locations are assumed to follow a bivariate normal distribution about the activity center,  $\mathbf{s}$ . This is similar to the Gaussian and Laplace dispersal kernels. We could further allow the observed locations to follow an auto-regressive model such that  $\mathbf{u}_{ikt} \sim \text{Normal}(\rho(\mathbf{u}_{i,k,t-1} - \mathbf{s}(i, t-1)), \Sigma_t^*)$ . These are just a few simple examples; as more information becomes available and data are collected over longer time periods, we will be able to use more complex movement models in open SCR models.

#### s0110 16.4.0.2 Cautionary note

p0330 Using such Markovian models for the change in location of activity centers across primary periods, activity centers are no longer bound by the limits of the state-space. AU:8 Imagine an individual living at the very edge of  $S$  at time  $t$ —there is some probability that, under the perturbation model, the location of  $\mathbf{s}$  at  $t+1$  could be outside  $S$ . When activity centers are no longer bound to the state-space, the way we have determined density (i.e.,  $D = N/|S|$ ) no longer directly applies. This is not an issue in the CJS models where only survival and detection are of interest. But in the JS model, if individuals can move outside the state-space and remain alive, then the density must be recalculated such that we only count those individuals with activity centers within the state-space. This was previously not an issue because the prior on the activity centers constrained all individuals to the state-space at all times.

### 16.4.1 Thoughts on movement of American shad

s0095

In our American shad example above, we had reason to believe that individual movement is directly related to stream flow. When the stream flow is low, we might expect that the fish move very little, and when the stream flow is high, they might move upstream to spawn. In this case, we could model the effect of stream flow in two ways. First, we might allow  $\sigma$  to be a function of flow and to vary for each primary occasion, according to:

p0335

$$\log(\sigma_t) = \mu_\sigma + \alpha_2 \text{Flow}_t.$$

But if we think that the change in activity centers between primary periods might be related to the general pattern of fish migrating upstream more during high flow or staying closer to the same location in low flow, then we could allow the correlation in activity centers to be a function of flow. In this case, for example, a low flow period might indicate that activity centers are more correlated to the previous time period because fish are not actively migrating during such a time. This means that we assume the activity centers are correlated so we have

$$\mathbf{s}(i, t) \sim \text{Normal}(\mathbf{s}(i, t-1), \tau^2 \mathbf{I}),$$

where

$$\log(\tau) = \mu_\tau + \alpha_2 \text{Flow}_t.$$

These are just a few thoughts on simple ways to model movement as a function of habitat variables which we have only started exploring on these data. As we discussed in the previous section, there are many other movement models that could be used.

### 16.4.2 Modeling dispersal

s0100

Dispersal is a well-studied area in population ecology and is often of heightened interest because it relates directly to population regulation, habitat quality, and linking of local populations. However, studying dispersal with capture-recapture data can be difficult for a few reasons. One common issue with using capture-recapture data for dispersal estimation is that short distances are sampled more frequently than long distances. This is particularly true if we consider that most trap arrays are not large relative the potential dispersal distances of animals. In some cases, such as with small mammals, we may be able to capture both short and long distance dispersals in one trap array; in other cases, we may have discrete study sites set up across a larger area which capture individuals within and between sites. Either way, data are likely to be sparse for long distance dispersal events and this is particularly true if there are different habitat types which are sampled with different levels of effort (Ovaskainen et al., 2008), thus causing more difficulty in fitting models to data where much information is missing. In addition to that, determining if an individual has left an area or died can be difficult if the sampling does not cover the area an individual has moved to or if the sampling method has failed (e.g., a band or tag falls off or a mark is lost).

p0350



p0355

Irregardless of these common sampling limitations, let's look at an optimal situation where we have the trap array large enough to observe some dispersal events (or possibly multiple trap arrays on the landscape where an individual is observed in different arrays). We sketch out a possible dispersal model but note that this is a simple example. In this case, each individual could have some probability of dispersing, say  $\eta$  where  $pd_{i,t} \sim \text{Bernoulli}(\eta)$  indicates if an individual disperses at time  $t$  and then

$$\begin{aligned}s_{i,t+1,1} &= s_{i,t,1} + pd_{i,t}(ds_{i,t}\cos(\theta_{i,t})), \\ s_{i,t+1,2} &= s_{i,t,2} + pd_{i,t}(ds_{i,t}\sin(\theta_{i,t})),\end{aligned}$$

where  $ds_i$  is the dispersal distance for individual  $i$  and  $\theta$  is the dispersal direction (in radians). Thus when  $pd_i = 0$ , then the activity centers remain the same as the previous time step and if  $pd_i = 1$  then the individual disperses to a new activity center. For this specification, we have to provide a model for dispersal distance. One option is to let  $ds_{i,t} \sim \text{exponential}(L)$  where  $L$  is the mean dispersal distance for individuals dispersing and let  $\theta_{i,t} \sim \text{Uniform}(-\pi, \pi)$  where  $\pi$  is not a parameter in this case, but the mathematical constant (i.e.,  $\pi = 3.14159 \dots$ ). If all individuals are expected to move some distance between periods, then the  $pd$  indicator could be removed. A number of distributions exist for fitting these parameters (e.g., the von Mises is commonly used for angles) and more complex models with components like weighted directional movement and various movement states could be fit (see Jonsen et al., 2005; Johnson et al., 2008a; McClintock et al., 2012).

s0105

## 16.5 Summary and outlook

p0360

In this chapter we have described a framework for making inference not only about spatial and temporal variation in population density, but also demographic parameters including survival, recruitment, and movement. The ability to model population vital rates is essential for ecology, management, and conservation; and the models described here allow researchers to examine the spatial and temporal dynamics governing those population parameters. While we have covered a lot of ground in this chapter, but there are many variations of the basic JS and CJS models, such as dead recovery models or models that address transiency that we have not explicitly “converted” to a spatial framework, and these areas provide a broad field of further model

p0365

development. As open models are further developed, mechanisms for dealing directly with dispersal and transients will provide improved inference frameworks for understanding movement as well as the potential to estimate *true* survival instead of only *apparent survival*. This is a function of explicitly modeling movement, which means we can separate movement from mortality, as we sketched out in the model above for dispersal, providing a huge advantage over traditional models. Also, models of individual dispersal can be used to examine dynamics of population dynamics relative to habitat, density dependence, or climatic events.

## 432 CHAPTER 16 Open Population Models

Birth and death processes, as well as movement, all have the potential to be related to the space usage of animals in the landscape. Understanding the impact of spatially varying density on survival and recruitment will provide insights into the basic ecology of species. With the advent of non-invasive techniques, like camera trapping and genetic analysis of tissue, we can start to understand the population dynamics of species that are rarely observed in the wild. As more and more data are collected, we can use the models to explore the spatio-temporal patterns of survival, recruitment, density, and movement of species, providing incredibly useful biological and ecological information as we face broad changes in climate, land use, habitat fragmentation, etc. [Rathbun and Cressie \(1994\)](#) articulate a model for marked point processes where they separate out the spatial birth, growth, and survival processes for longleaf pine trees. Because of the application, these demographic parameters are slightly different than how they are often considered in wildlife and ecology, but still, there are analogies. Allowing birth, growth, and survival as well as density to arise from different spatially varying processes is the next stage in development of the open SCR models. p0370

## Non Print Items

- sp005 **Abstract:** In this chapter, we discuss spatial capture-recapture models in the context of populations that are open to demographic processes such as mortality and birth, and movement dynamics such as dispersal or migration. First, we provide an introduction to the ordinary (non-spatial) Jolly-Seber (JS) model, which estimates both abundance and demographic rates. We address how to carry out Bayesian analysis of this model using a data augmentation framework, as well as a few of the technical issues related to this formulation of the model. Using data augmentation, it is easy to provide an individual capture-history formulation of the model, and this facilitates the inclusion of individual covariates. Based on this individual capture-history formulation of the model, it is straight forward to extend the non-spatial to a spatial JS model.
- We reanalyze the ovenbird mist-netting data from Efford et al. (2004), which we previously analyzed using the multi-session modeling framework, using a spatial Jolly-Seber type of model. We further discuss the classical Cormack-Jolly-Seber (CJS) model, which is a restricted version of the JS model that conditions on entry into the sample, and therefore does not model the recruitment process. We provide an example of modeling movement and survival using a spatial CJS model fitted to data from a study of American shad in spawning migration. Finally, we discuss other types of spatial capture-recapture models that involve more complex movement dynamics such as dispersal, incorporating, for example, a model for how individual activity centers move throughout time.
- st075 **Keywords:** Open population, Jolly-Seber model, Cormack-Jolly-Seber model, Multi-state model, Survival, Recruitment, Movement, Dispersal, Migration