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```
clear; clc; close all;
% Given
delta_t = 0.5;
omega_a = 0.045;
H = [1 \ 0 \ 0 \ 0; \ 0 \ 0 \ 1 \ 0];
R_a_static = [75 \ 7.5; \ 7.5 \ 75];
% Helper variable for F_a matrix
odt_a = delta_t*omega_a;
% F_a matrix
F_a = [1 \sin(odt_a)/omega_a \ 0 \ -(1-\cos(odt_a))/omega_a;
        0 cos(odt_a) 0 -sin(odt_a);
        0 (1-cos(odt_a))/omega_a 1 sin(odt_a)/omega_a;
        0 sin(odt_a) 0 cos(odt_a)];
% Load data
data_part_b = load("midterm2_problem3b.mat");
y_a = data_part_b.yaHist;
% Get p, and T
[p, T] = size(y_a);
% Convert given measurements to column vector
y_vec = reshape(y_a, [T*p, 1]);
for i = 1:T
    % R_a is dynamically changing
    R_a_k((2*i-1):(2*i),:) = R_a_static + [12.5*sin(i/10), 25.5*sin(i/10);
25.5*sin(i/10), 12.5*cos(i/10)];
    % Assign temp variable
    R_a_k_{temp} = R_a_k((2*i-1):(2*i),:);
    % Assign H matrix
    H_{mat}((2*i-1):(2*i),:) = H*F_a^i;
    % Assign R matrix
    R_{mat}((2*i-1):(2*i), (2*i-1):(2*i)) = R_a_k_{temp};
end
% Invert R matrix
R_{mat_inv} = inv(R_{mat});
% State Estimate error covariance
P = inv(H_mat' * R_mat_inv * H_mat);
```

```
% Compute state initial estimate
x_hat_0 = P * H_mat' * R_mat_inv * y_vec;
```

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