



UNIVERSITY OF  
**LINCOLN**

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# **NEURAL COMPUTING**

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**Lecture: Binary Neuron Model**



# LECTURE OVERVIEW

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## Part I – Lecture 6 slides (Summary & Review)

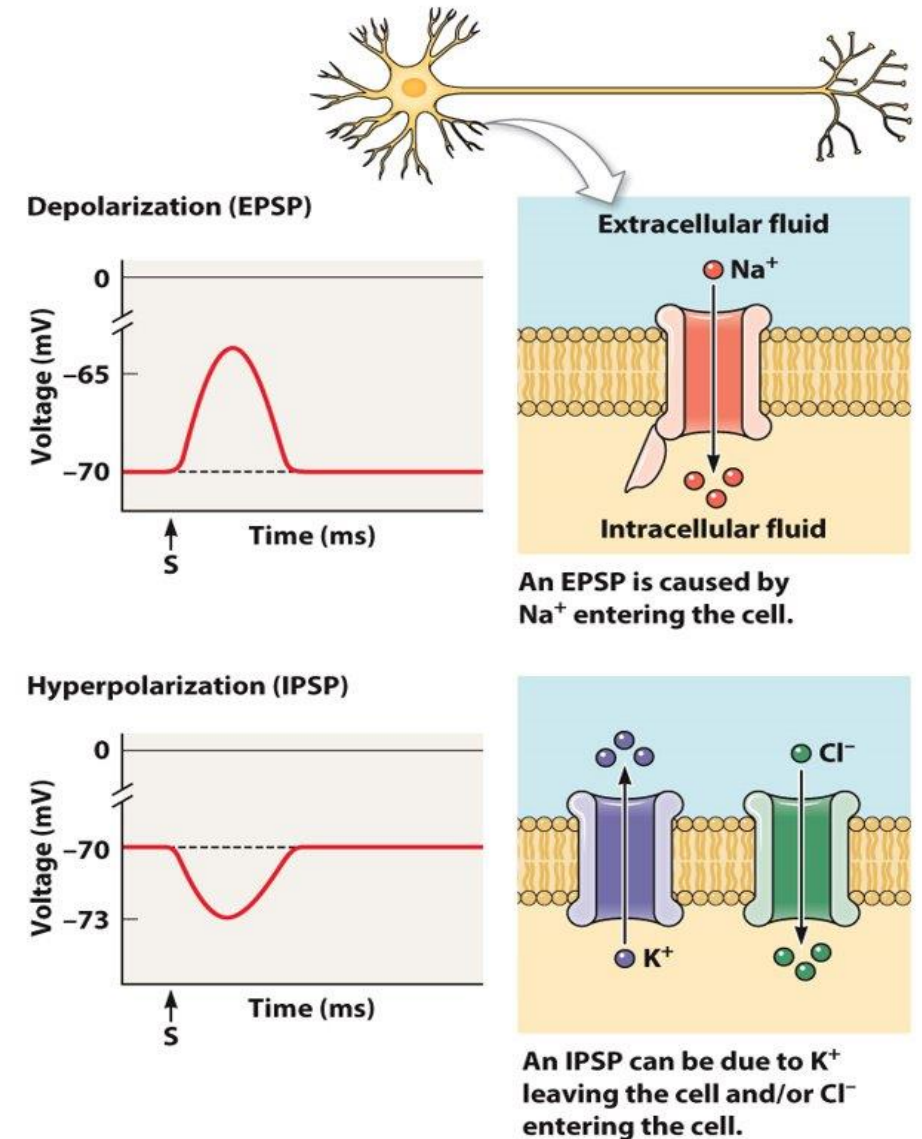
- POSTSYNAPTIC SIGNALS
- EQUIVALENT CIRCUIT MODEL OF A SYNAPSE
- EXCITATORY AND INHIBITORY SYNAPSES
- SYNAPSES & NEUROLOGICAL DISEASES

## Part II – Lecture 7

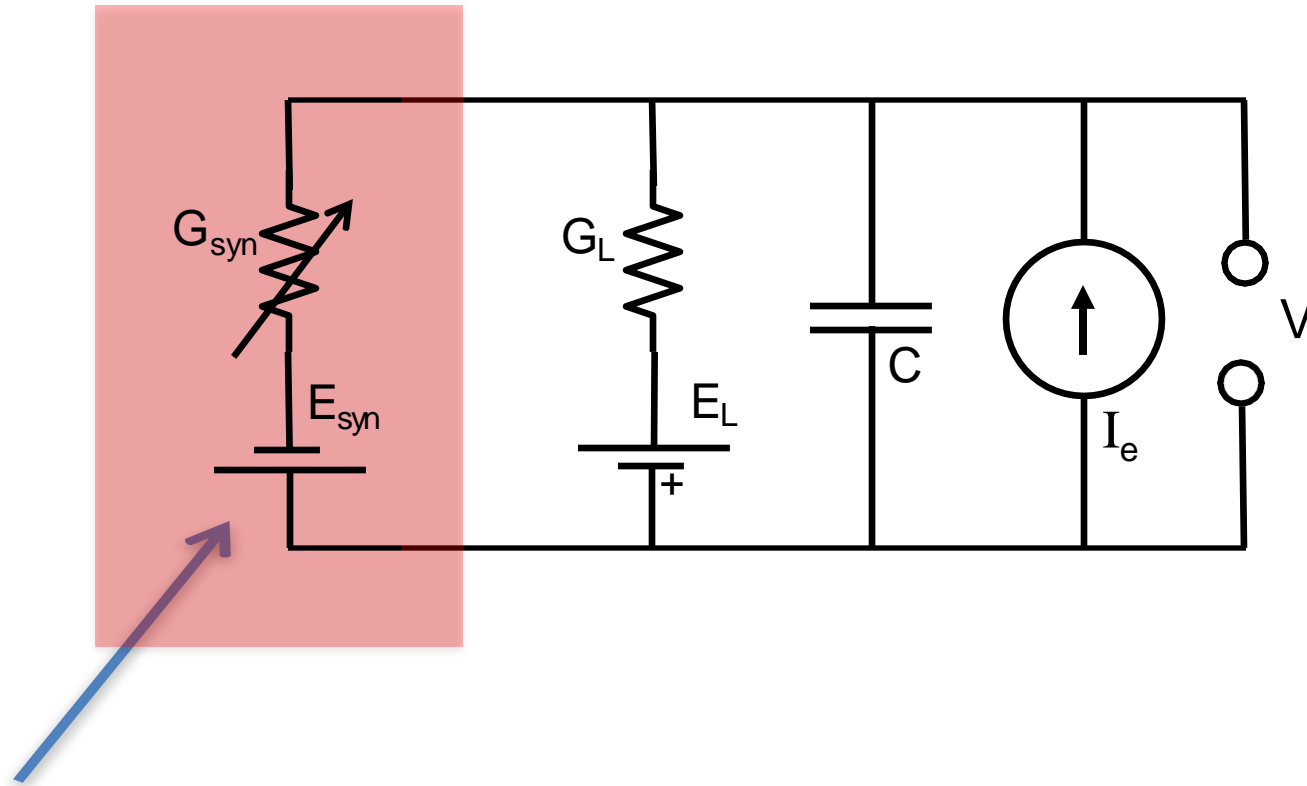
- BUILDING BLOCKS OF ARTIFICIAL NEURAL NETWORKS
- ANATOMY OF A CONNECTIONIST MODEL
- CONNECTION WEIGHTS
- CONNECTION WEIGHTS: ANIMATION VIDEO
- ACTIVATION & OUTPUTS
- TYPES OF ACTIVATION FUNCTIONS
- McCulloch-Pitts Neuron
- EXAMPLES: DECISION BOUNDARY FOR 'AND' & 'OR' GATE

# POSTSYNAPTIC SIGNALS

- When at rest, there is a **voltage difference** between the inside and the outside of the cell.
- The inside of the cell is more negative than the outside, about **-70 mV**.
- **Excitatory postsynaptic potentials** alter the membrane voltage, moving the voltage closer to 0.
- **Inhibitory postsynaptic potentials** move the voltage further from 0.
- Postsynaptic potentials are tiny (about **1 mV**) and fast (**a few milliseconds**).



# EQUIVALENT CIRCUIT MODEL OF A SYNAPSE



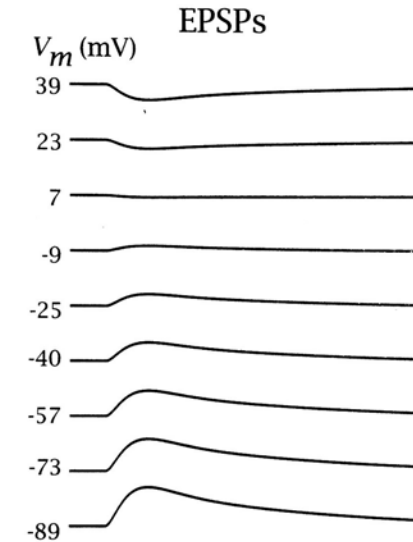
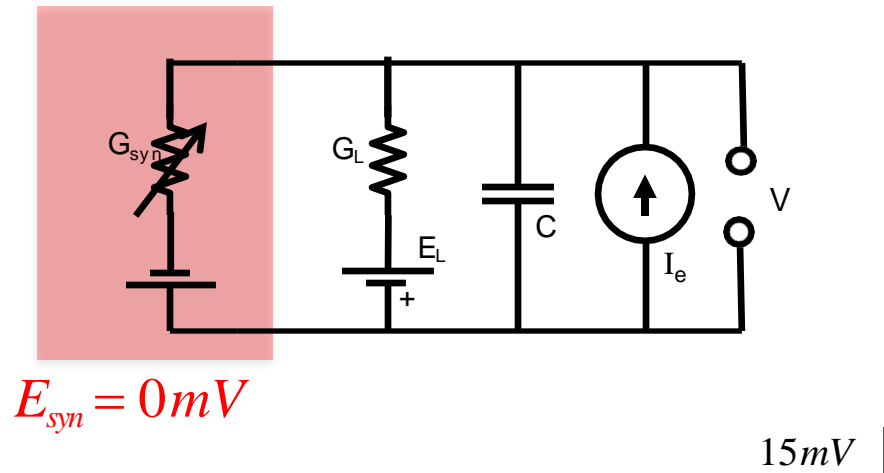
Equivalent circuit of a synapse

$$I_{syn}(t) = G_{syn}(t) \Upsilon_{\leq V - E_{syn}} / f$$

# EXCITATORY AND INHIBITORY SYNAPSES

Increased synaptic conductance causes the membrane potential to approach the reversal potential for that synapse.

$$I_{syn}(t) = G_{syn}(t) V - E_{syn} / f$$



Excitatory postsynaptic potential (EPSP)

Excitatory synapse if

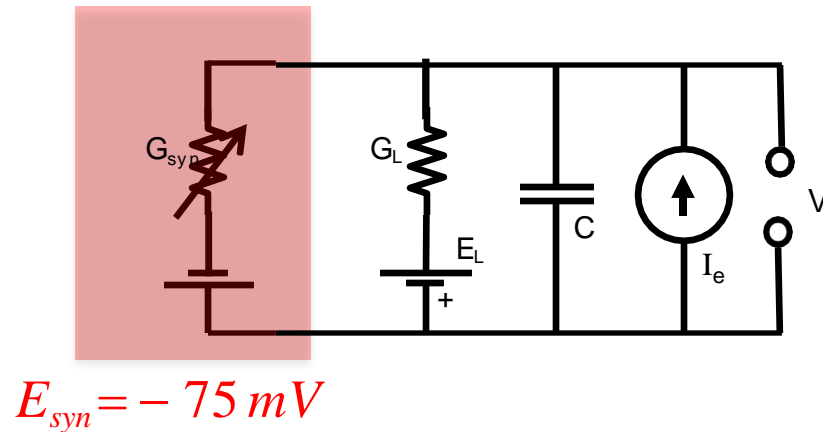
$$E_{syn} > V_{th}$$

Figure from Johnston, D. and M.-S. Wu. *Foundations of Cellular Neurophysiology*. 1995. Courtesy of MIT Press.

# EXCITATORY AND INHIBITORY SYNAPSES

Increased synaptic conductance causes the membrane potential to approach the reversal potential for that synapse.

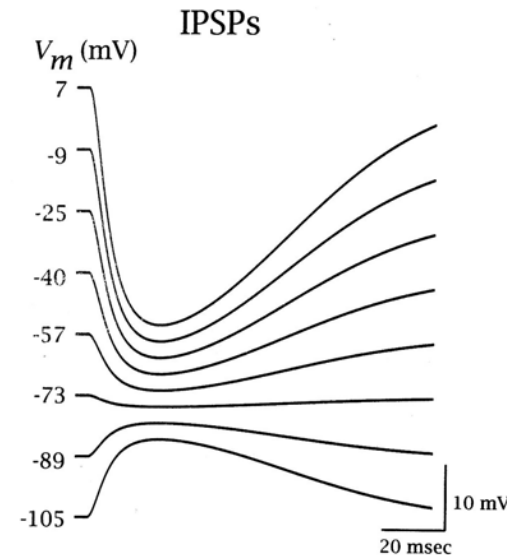
$$I_{syn}(t) = G_{syn}(t) V - E_{syn}$$



Inhibitory synapse if

$$E_{syn} < V_{th}$$

GABAergic synapse



Inhibitory postsynaptic potential (IPSP)

Figure 13.4 from Johnston, D. and M.-S. Wu. *Foundations of Cellular Neurophysiology*. 1995. Courtesy of MIT Press.



# **SYNAPSES & NEUROLOGICAL DISEASES**

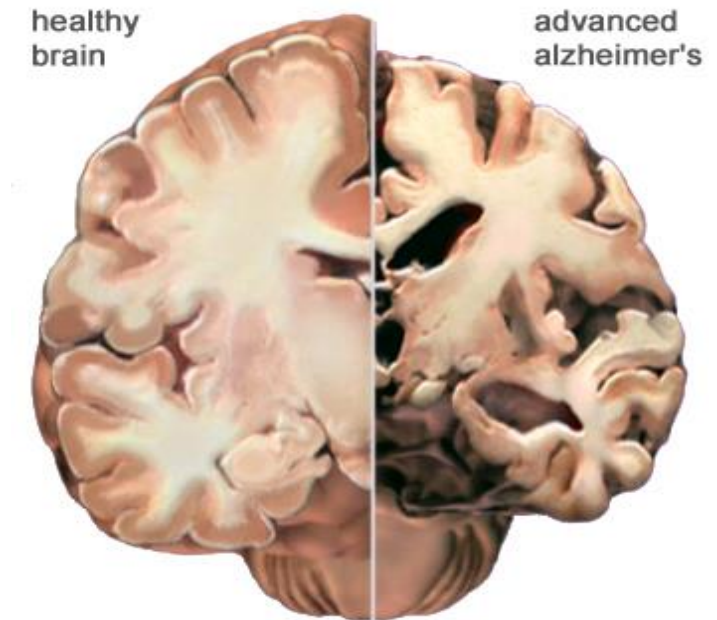
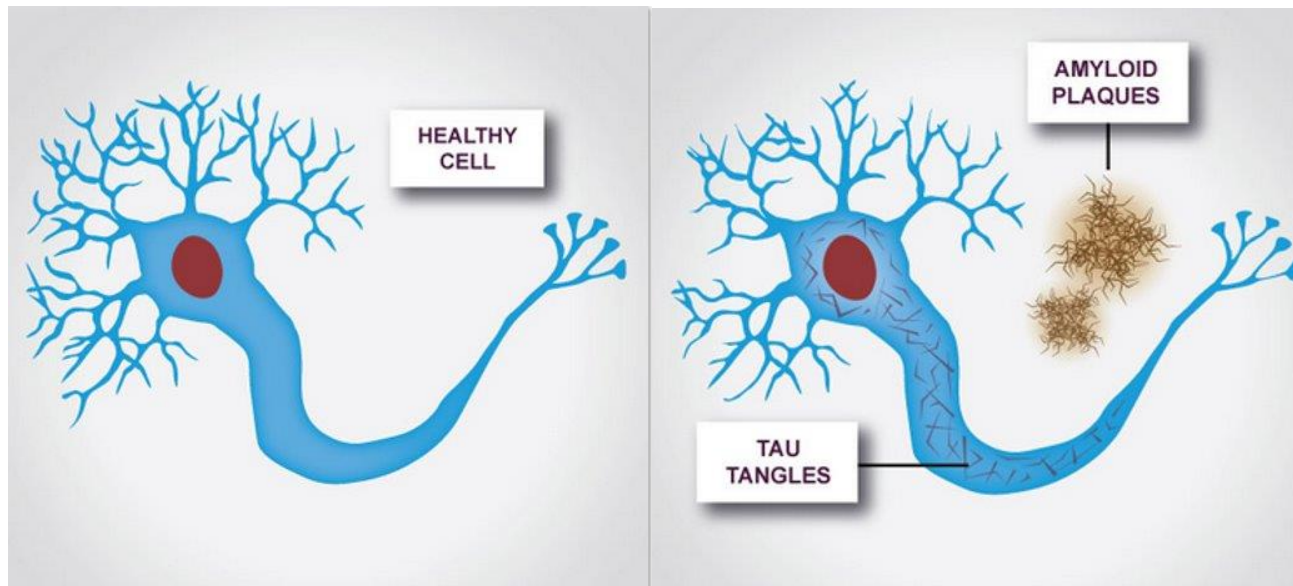
## **Alzheimer's Disease:**

Dementia is caused by physical brain diseases

Nerve cells become damaged and die

Certain parts of the brain start to shrink

**A prominent feature of Alzheimer's disease is the progressive loss of synapses**



# SYNAPSES & NEUROLOGICAL DISEASES

## Multiple Sclerosis:

Multiple sclerosis (MS) is a chronic inflammatory disease characterized by the destruction of myelin.

Brain cells that are covered with myelin propagate signals faster.

Myelin is a fatty layer surrounding some neuron axons, which enhances the speed and efficiency of electrical signals along these axons.

**The loss of synapses can occur in the early stages of MS and may contribute to the development of neurological symptoms.**





# SYNAPSES & NEUROLOGICAL DISEASES

## Amyotrophic Lateral Sclerosis (ALS):

Progressive fatal neurodegenerative disorder. Destruction of upper and lower motor neurons in brain and spinal cord.

Upper motor neuron: spasticity, clonus, hyperreflexia.

Lower motor neurons: weakness, atrophy, fasciculation.

No known cure.

**In ALS, the degeneration of motor neurons leads to a disruption in the signaling process at the synapses. This results in the failure of motor neurons to effectively communicate with the muscles they innervate.**

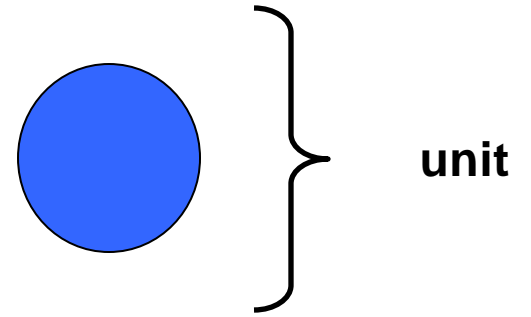


# **BUILDING BLOCKS OF** ARTIFICIAL NEURAL NETWORKS

The “building blocks” of artificial neural networks are the artificial neurons.

Artificial neurons are also known as units or nodes.

Each unit:

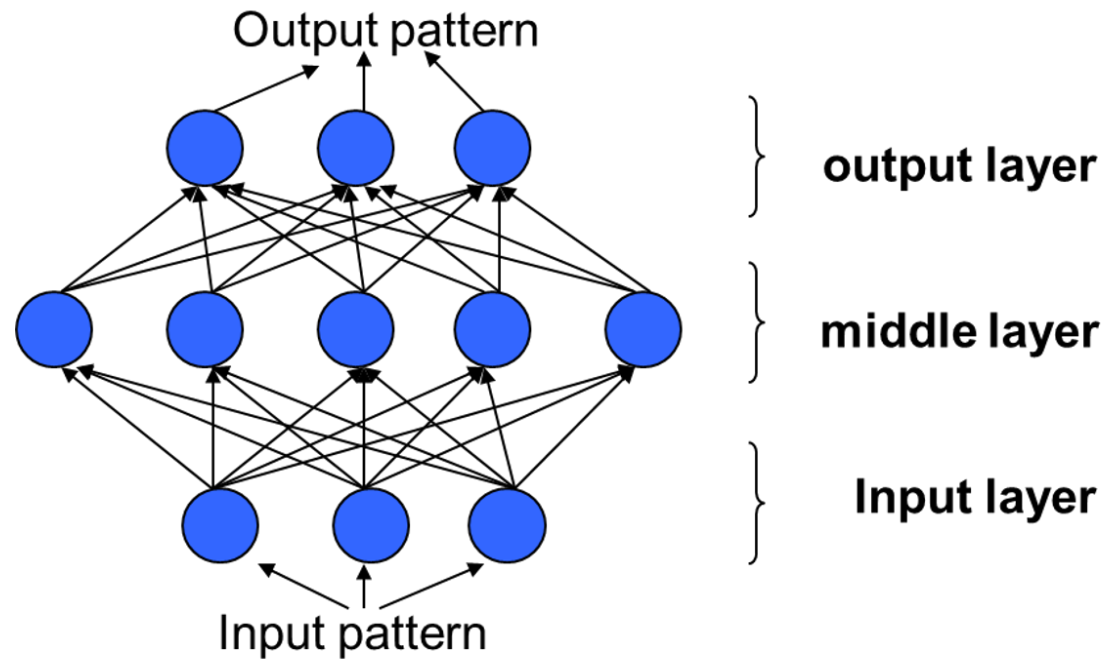


- **Receives input** from many **other units**.
- **Changes** its internal state (activation) based on the **current input**.
- **Sends** one output signal to many different units.
- Units are to a connectionist model what neurons are to a **biological neural network**.
- The basic information processing structures.
- Circles represent units.

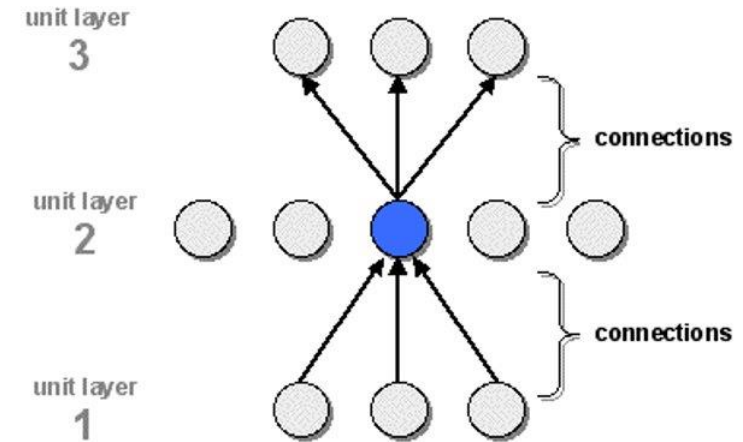
# ANATOMY OF A CONNECTIONIST MODEL

Connections in a connectionist model are **represented with lines**.

Arrows in a connectionist model indicate the flow of information **from one unit to the next**.



**Example: fully-connected feedforward network**



# CONNECTION WEIGHTS

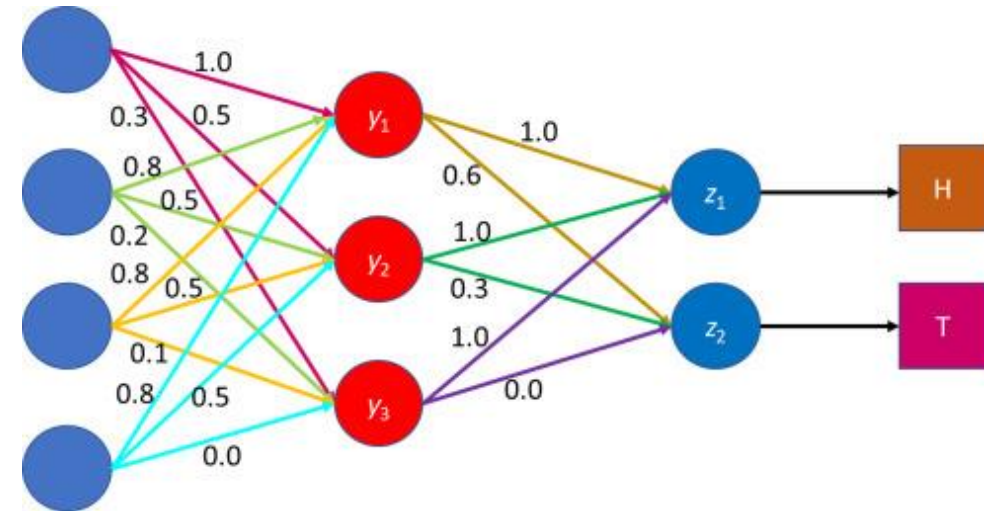
Connection weights are usually **non-discrete values** between **a certain range, usually -1 to 1**.

A **low connection weight** (say, -0.8) represents a weak connection (**inhibition**).

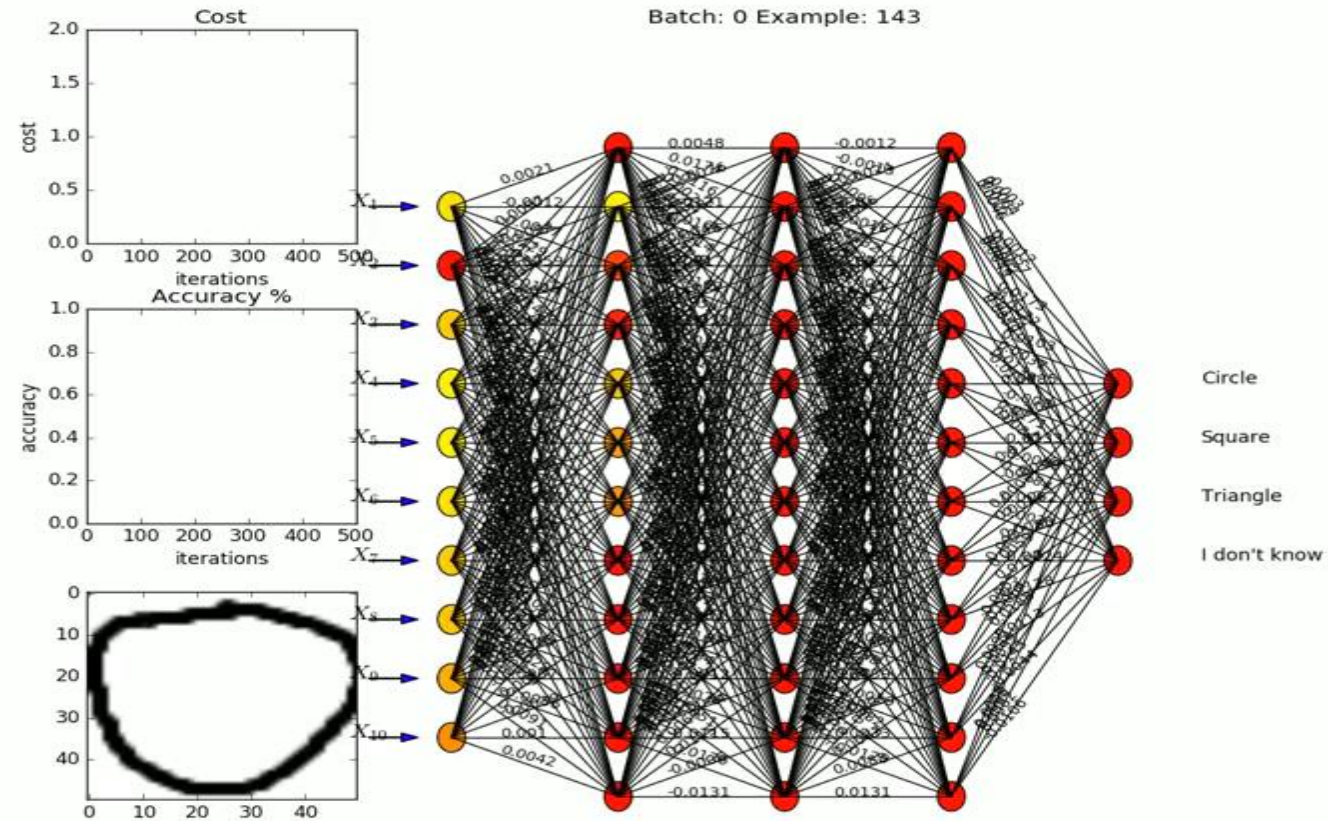
A **high connection weight** (say, 0.7) represents a strong connection (**excitation**).

A unit computes its output in two steps:

- **Step 1: Computes its combined input.**
- **Step 2: It “squashes” it via its activation function.**



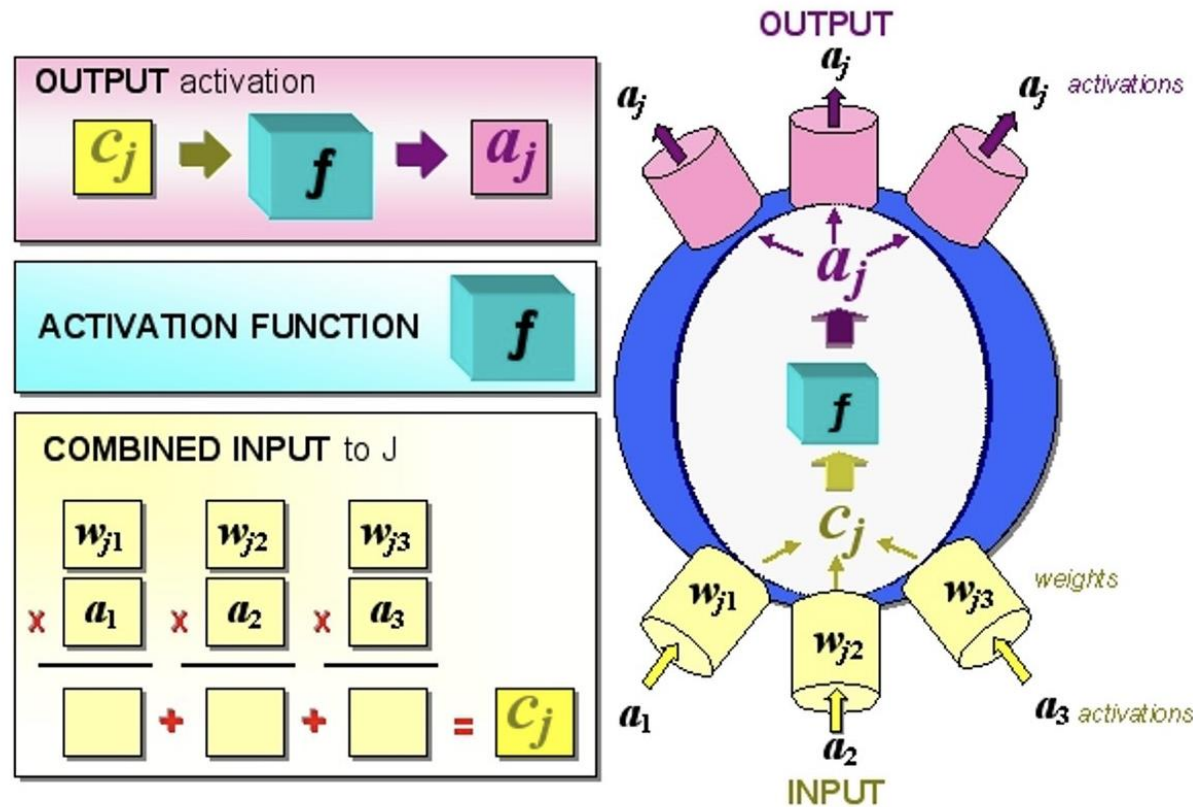
# CONNECTION WEIGHTS: ANIMATION VIDEO



Watch the video here: <https://www.youtube.com/shorts/pKJYHt6AKvU>



# ACTIVATION & OUTPUTS



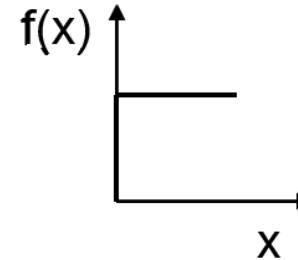
Since **J**'s OUTPUT becomes the INPUT activation to each of the units to which it is connected, the cycle of INPUT-to-OUTPUT information processing just described is then repeated within each of the units in the layer above **J**



# TYPES OF ACTIVATION FUNCTIONS

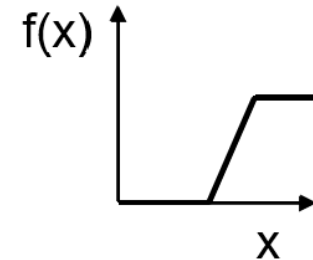
## Threshold Function

$$f(x) = \begin{cases} 1 & \text{if } x \geq 0 \\ 0 & \text{if } x < 0 \end{cases}$$



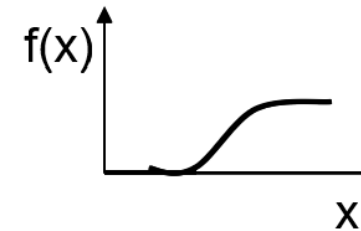
## Piecewise-Linear Function

$$f(x) = \begin{cases} 1 & \text{if } x \geq 1.5 \\ x - 0.5 & \text{if } 0.5 < x < 1.5 \\ 0 & \text{if } x \leq 0.5 \end{cases}$$



## Sigmoid Function

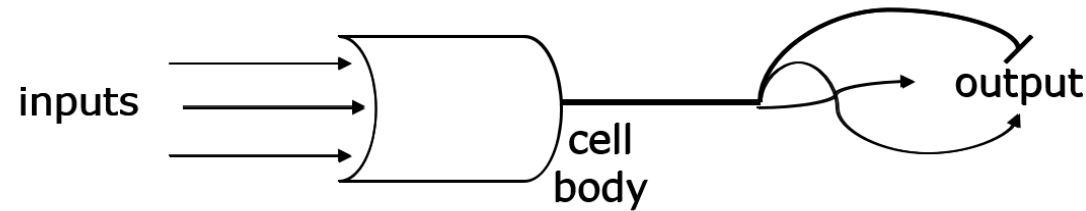
$$f(x) = \frac{1}{1 + e^{-x}}$$



# McCulloch-Pitts Neuron

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In analogy to a biological neuron, we can think of a virtual neuron that crudely mimics the biological neuron and performs analogous computation.



Just like biological neurons, this artificial neuron will have:

Inputs (like biological **dendrites**) carry signal to cell body.

A body (like the **soma**), sums over inputs to compute

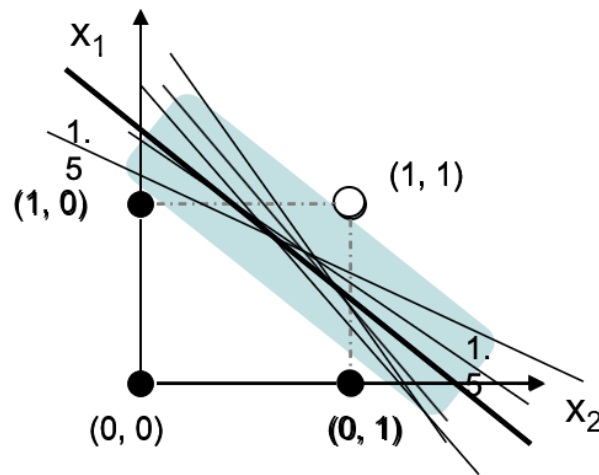
output, and outputs (like **synapses** on the axon) transmit the output downstream

# EXAMPLES: DECISION BOUNDARY FOR 'AND' GATE

AND

$w_1=1, w_2=1, \theta=1.5$

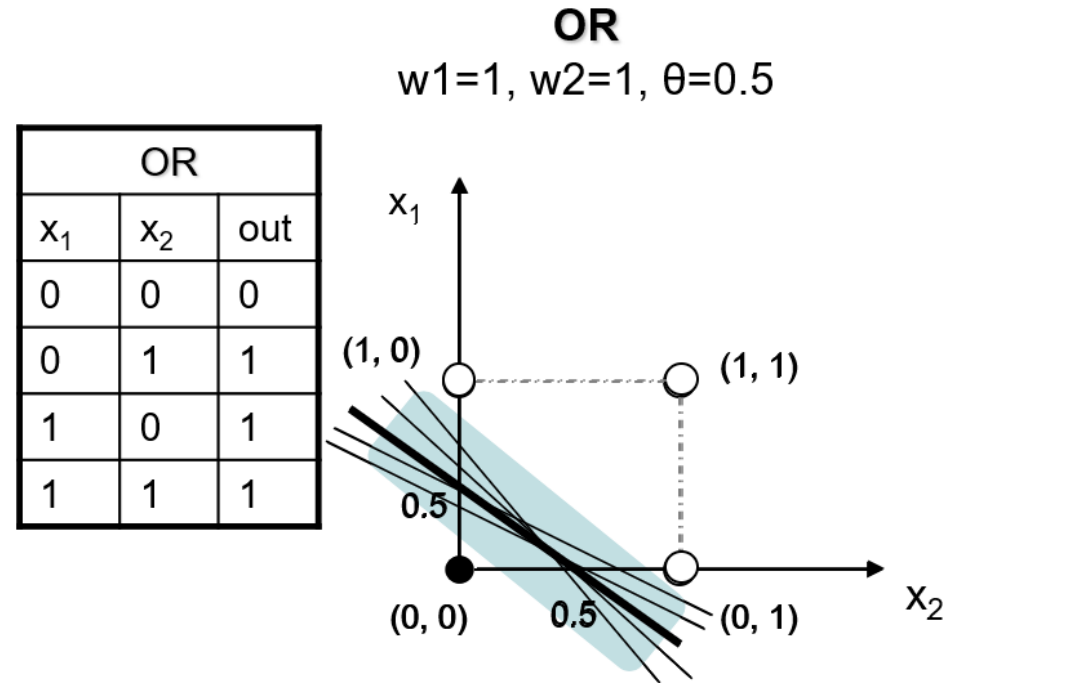
AND		
$x_1$	$x_2$	out
0	0	0
0	1	0
1	0	0
1	1	1



$$\sum_i w \cdot x_i = \theta \Leftrightarrow w_1 x_1 + w_2 x_2 = \theta \Leftrightarrow x_2 = -\left(\frac{w_1}{w_2}\right)x_1 + \left(\frac{\theta}{w_2}\right)$$

slope                      intercept

# EXAMPLES: DECISION BOUNDARY FOR 'OR' GATE



$$\sum_i w \cdot x_i = \theta \Leftrightarrow w_1 x_1 + w_2 x_2 = \theta \Leftrightarrow x_2 = -\left(\frac{w_1}{w_2}\right)x_1 + \left(\frac{\theta}{w_2}\right)$$

# Any Questions?

## GET IN TOUCH



**Email**

Ztayeb@lincoln.ac.uk



**Office In:**

Room: INB3203 - Office Hours Tuesday: 16h00-18h00



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