

The results showed a significant effect,  $t(28) = 2.45$ ,  $p = .02$ .

Another result was not significant,  $F(2, 60) = 1.03$ ,  $p = .32$ .

Participants in the control group reported  $M = 3.40$  ( $SD = 0.80$ ,  $N = 25$ ).

Participants in the treatment group reported the improbable mean of  $M = 3.48$  ( $SD = 0.81$ ,  $N = 20$ ). # GRIM should flag this one

The difference in reaction times was  $t(30) = 2.10$ ,  $df = 30$ ,  $p = ?$  # missing  
p-value line to test LLM fill-in

A reporting typo:  $t(28) = 1.00$ ,  $p = .001$  # statcheck should flag  
 $p \neq t$

After Greenhouse–Geisser correction ( $\epsilon = .76$ ) the effect remained significant,  $F(1.52, 42.56) = 5.12$ ,  $p = .01$ .

Using a Bonferroni-adjusted  $\alpha = .017$ , the A vs C comparison was non-significant ( $p = .04 > \alpha$ ).

Table 1

Condition M SD t(df) p

Control 3.40 0.80 – –

Treatment 4.10 0.70  $t(24)=2.60$  .016

Condition	M	SD	t(df)	p
Control	3.40	0.80		
Treatment	4.10	0.70	$t(24)=2.60$	0.016