

Quadratic primes

Problem 27

Euler discovered the remarkable quadratic formula:

$$I^2 + I + 41$$

It turns out that the formula will produce 40 primes for the consecutive integer values $0 \leq I \leq 39$. However, when $I = 40$, $40^2 + 40 + 41 = 40(40 + 1) + 41$ is divisible by 41, and certainly when $I = 41$, $41^2 + 41 + 41$ is clearly divisible by 41.

The incredible formula $I^2 - 79I + 1601$ was discovered, which produces 80 primes for the consecutive values $0 \leq I \leq 79$. The product of the coefficients, -79 and 1601, is -126479.

Considering quadratics of the form:

$$I^2 + \triangle I + \equiv, \text{ where } |\triangle| < 1000 \text{ and } |\equiv| \leq 1000$$

where $|I|$ is the modulus/absolute value of I

e.g. $|11| = 11$ and $|-4| = 4$

Find the product of the coefficients, \triangle and \equiv , for the quadratic expression that produces the maximum number of primes for consecutive values of I , starting with $I = 0$.