

Solutions to Homework 1

- ```
rm(list = ls()) # clean up memory
setwd("path/of/your/working/directory") # change the path accordingly
cpi <- data <- read.table("CPI.txt", header = T) # first line contains variable names
str(cpi) # check the structure
head(cpi) # first few lines
```

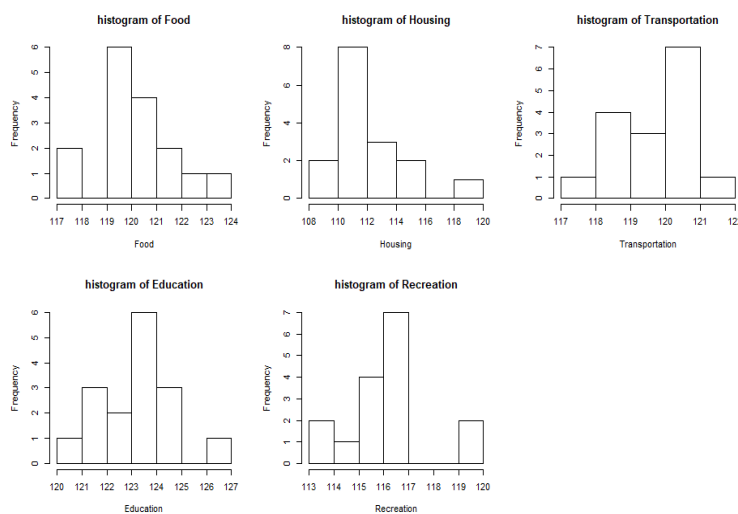
### 1. Summary of Data by numerical values

```
summary(data)
apply(data, 2, var)
```

- The result of 'summary()' function is the summary statistics of the data. (Minimum, 1st Quantile, Median, Mean, 3rd Quantile, Maximum)
- By using 'apply()' function, the variance of each variables can be calculated.
- The variable 'Housing' has the maximum value of variance which is 5.22667, and the variable 'Transportation' has the minimum value of variance which is 1.138667.

### 2. Histogram

```
dev.off()
par(mfrow=c(2, 3))
for (i in 1:ncol(data)){
 hist(data[, i], main=paste("histogram of", colnames(data)[i]),
 xlab=colnames(data)[i])
}
```

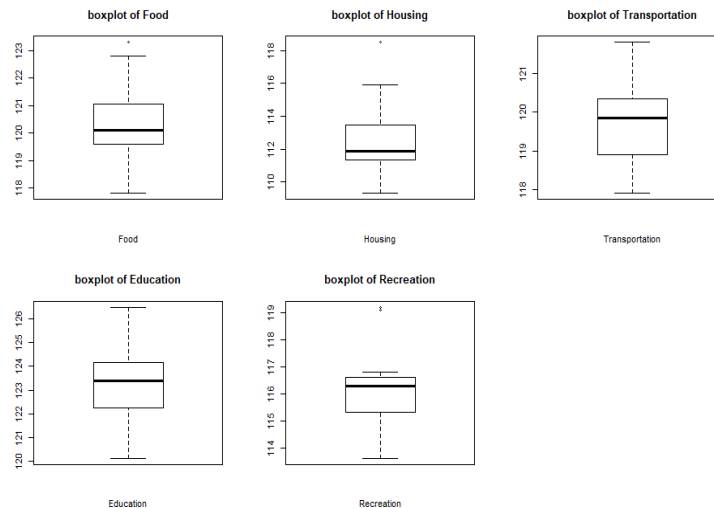


- Using for loop, the histogram of each variables in the data were produced.

- Using 'hist()' function, it is possible to overview the distribution of each variables in the data.
- The distribution of 'Transportation' and 'Education' has little skewness.
- The distribution of 'Food' and 'Housing' is skewed to right.
- The distribution of 'Recreation' is skewed to left.

### 3. Boxplot

```
opar <- par(no.readonly=TRUE)
par(opar)
for (i in 1:ncol(data)){
 boxplot(data[, i], main=paste("boxplot of", colnames(data)[i]),
 xlab=colnames(data)[i])
}
```



- Using 'boxplot()' function, it is possible to overview the distribution of each variables in the data and also detect outliers.
- The x-axis represents the variable and the y-axis represents the value of CPI.
- The variable 'Food' and 'Housing' has one outlier and the variable 'Recreation' has 2 outliers.
- Also the skewness of the data can be checked out in the boxplot.

### 4. Correlation

#### 4.1. Correlation plots and plots of pairs

```
dev.off()
library(corrplot)
data.cor <- cor(data)
corrplot(data.cor)
pairs(data, col=c("red", "blue"), pch=19, main="plots of pairs between items")
```



Figure 1: correlation plots

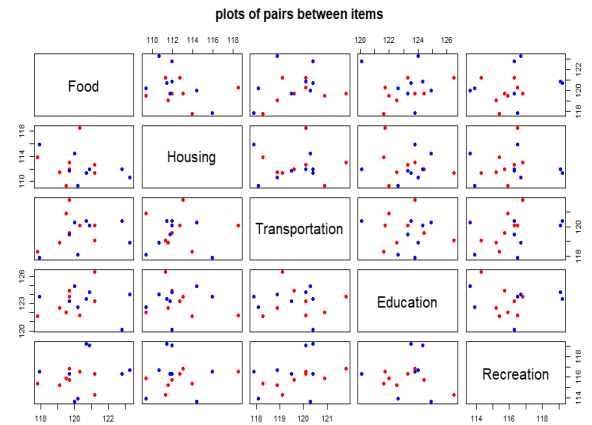


Figure 2: plots of pairs between items

- Refer to Figure 1 and Figure 2.
- The relationship between transportation and food is positive correlation.
- The relationship between transportation and recreation is positive correlation.
- The relationship between housing and food is negative correlation.

#### 4.2. Plots of correlated variables with regions

```
(transportation-food / transportation - recreation / housing - food)
with(data, plot(Transportation ~ Food, type="n",
 main = "plot of cpi between transportation and food"))
with(data, text(Food, Transportation, rownames(data),
 cex=0.8, col=c(1:nrow(data))))

with(data, plot(Transportation ~ Recreation, type="n",
 main = "plot of cpi between transportation and recreation"))
with(data, text(Recreation, Transportation, rownames(data),
 cex=0.8, col=c(1:nrow(data))))

with(data, plot(Housing ~ Food, type="n",
 main = "plot between housing and food"))
with(data, text(Food, Housing, rownames(data),
 cex=0.8, col=c(1:nrow(data))))
```

- Refer to Figure 3
- By making plots with the regions, the relationship between highly correlated variables and region can be confirmed.

#### 5. Dot chart

```
par(mfrow=c(1, 2))
item <- colnames(data)
```

```

region <- rownames(data)
for (i in 1:ncol(data)){
 order.1 <- order(data[, i], decreasing=F)
 dotchart(data[order.1,][, i], labels=region[order.1], xlab=item[i],
 cex=0.8, main=paste("regional_rank_of", item[i]))
}

```

- Refer to Figure 4
- Item - (maximum CPI region, minimum CPI region)
- Food - (Busan, Seoul)
- Housing - (Ulsan, Daegu)
- Transportation - (Chungnam, Incheon))
- Education - (Gyeongnam, Gyeongbuk)

#### 5-1. Minimum and maximum value of CPI in each variable and the region

```

min.item <- matrix(colnames(data), nrow=ncol(data), ncol=3)
max.item <- matrix(colnames(data), nrow=ncol(data), ncol=3)
for (i in 1:ncol(data)){
 min.item[i, 3] <- rownames(data)[which.min(data[, i])]
 max.item[i, 3] <- rownames(data)[which.max(data[, i])]
}
min.item[, 2] <- apply(data, 2, min)
max.item[, 2] <- apply(data, 2, max)
min.item
max.item

```

|   |                | min   |           | max   |           |
|---|----------------|-------|-----------|-------|-----------|
| 1 | Food           | 117.8 | Seoul     | 123.3 | Busan     |
| 2 | Housing        | 109.3 | Daegu     | 118.5 | Ulsan     |
| 3 | Transportation | 117.9 | Incheon   | 121.8 | Chungnam  |
| 4 | Education      | 120.1 | Gyeongbuk | 126.5 | Gyeongnam |
| 5 | Recreation     | 113.6 | Gyeonggi  | 119.2 | Chungbuk  |

### 6. Regional comparison

#### 6.1. Regional comparison by variation

```

data.city=data[1:7,]
data.country=data[8:16,]
apply(data.city,2,mean)
apply(data.country,2,mean)

```

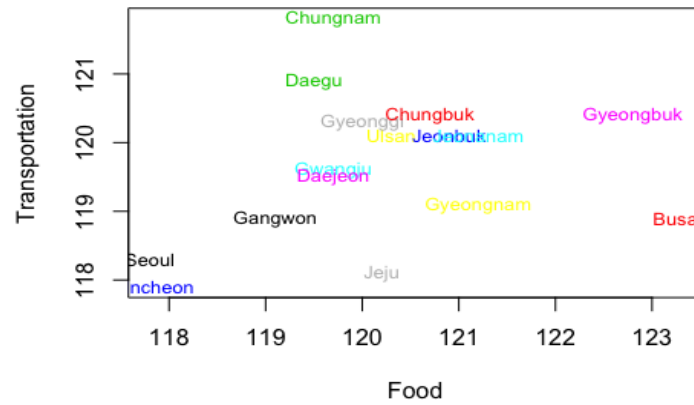
- The mean of 'Housing' and 'Recreation' CPIs are larger in city than country.
- The mean of 'Food', 'Transportation' and 'Education' CPIs are larger in country than the city

#### 6.1. Regional comparison by variation

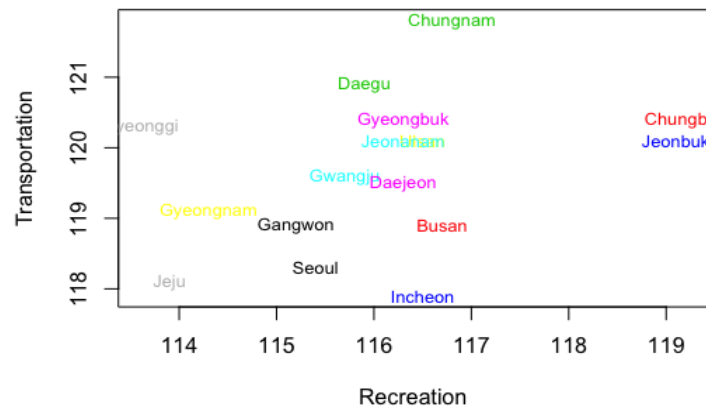
```
apply(data.city,2,var)
apply(data.country,2,var)
```

- The variance of 'Housing' CPI is larger in the city than country.
- The variance of 'Recreation' CPI is larger in the country than city.

**plot of cpi between transportation and food**



**plot of cpi between transportation and recreation**



**plot between housing and food**

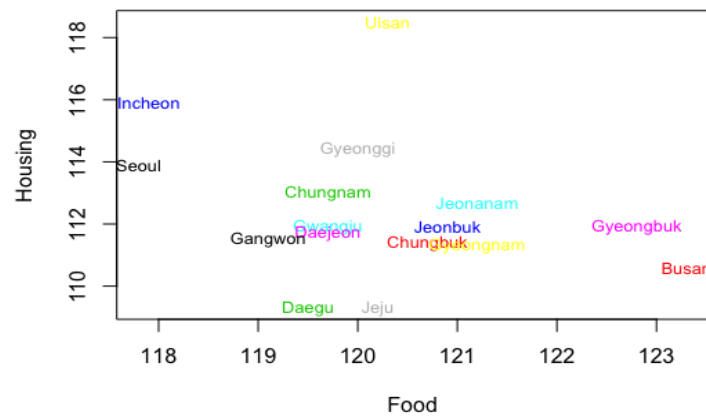


Figure 3: Plots between highly correlated variables with region

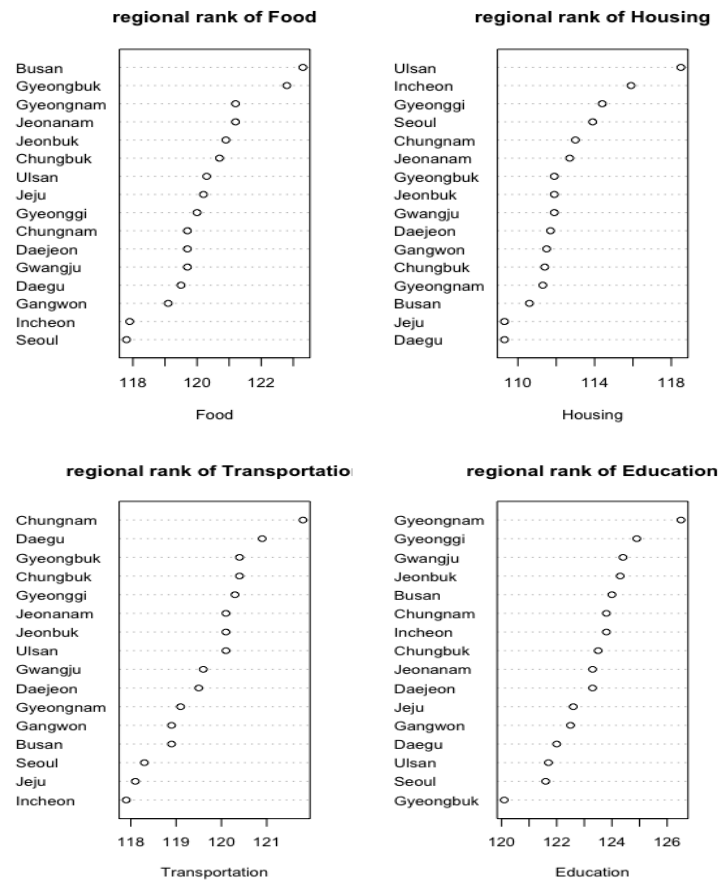


Figure 4: Dot plots with region rank