

# **LECTURE 4.3**

## **TWO-PART TARIFFS**

# TWO-PART TARIFFS

There are two components to the price paid by a consumer

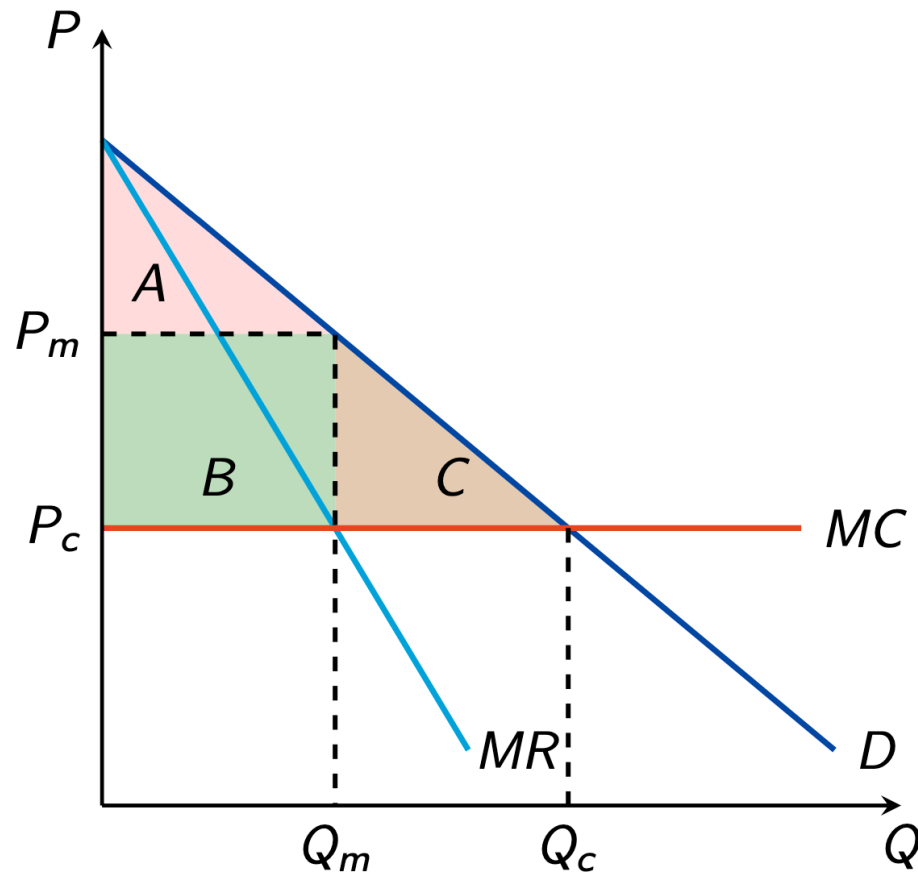
- a price per unit (e.g.  $P = MC$ )
- a fee to join (e.g.  $F = CS$ )

To buy  $q$  units, the consumer pays:

$$P_{bundle} = F + Pq$$

Examples: phone plans, theme parks, electricity plans, razors

# TWO-PART TARIFFS



To sell  $Q_c$ , the firm must charge  $P_c < P_m$

Charge fee:  $F = A + B + C$

Monopolist captures all consumer surplus and the previous deadweight loss

Higher profits than single-price monopolist

# *TWO-PART TARIFFS*

With heterogeneous consumers the problem becomes a little more complex.

- Suppose we have two types of buyers – a high and low willingness to pay type.
- If we set per unit price = MC, the best we can do is to set the fixed fee at the consumer surplus of the low type consumer.

The optimal two-part tariff may involve a unit price different to MC