

# Finding Derivations: Significant

- A contrast-set for which at least two groups differ in their support is called **Significant**.
- Perform an statistical test (chi-square) for the contrast set:
- Null hypothesis: “The support for the contrast-set is the same across all groups”
- We build a 2 X k contingency table, k is the number of groups
- Compute the  $\chi^2$  statistics and check value in the chi-square distribution
- Must be less than a threshold  $\alpha$ . (Typically,  $\alpha = 0.05$  )

c1: “*Product = burger  $\wedge$  Store = Fastfood*”

	Inner City	Industrious	Countryside
c1	944	776	172
$\neg$ c1	2745	1851	4597

$$\chi^2 = \sum_{i=1}^2 \sum_{j=1}^k \frac{(O_{ij} - E_{ij})^2}{E_{ij}} \rightarrow \text{Expected values}$$

$$E_{ij} = \frac{\sum_{i=1}^2 O_{ij} \sum_{j=1}^k O_{ij}}{N} \rightarrow \text{Observed values}$$



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# Finding Derivations: Surprising

- A contrast-set for is considered to be **surprising** if the support of the contrast set in each group is different from its specialised nodes

## Example

For the contrast set c1: “*Product = burger  $\wedge$  Store = Fastfood*”

$\text{support}(\textit{Store} = \textit{Fastfood}) = 13\%$

$\text{support}(\textit{Product} = \textit{burger} \wedge \textit{Store} = \textit{Fastfood}) = 12\%$

Subset support ratio =  $\frac{12}{13} \approx 0.92$