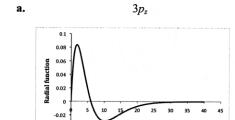
### 1.配分:一小題 1 分, 共 5 分(1)4 (2)0 (3)3 (4)1 (5) 3

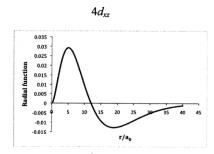
#### 2.配分:一小題2分,共10分

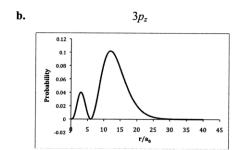
- a.  $p_x$  has  $C_{\infty_v}$  symmetry. (Ignoring the difference in sign between the two lobes, the point group would be  $D_{\infty_h}$ .)
- **b.**  $d_{xy}$  has  $D_{2h}$  symmetry. (Ignoring the signs, the point group would be  $D_{4h}$ .)
- c.  $d_{x^2-y^2}$  has  $D_{2h}$  symmetry. (Ignoring the signs, the point group would be  $D_{4h}$ .)
- **d.**  $d_{z^2}$  has  $D_{\infty_h}$  symmetry.
- e.  $f_{xyz}$  has  $T_d$  symmetry.

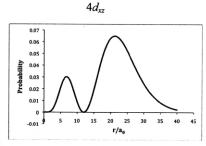


#### 3. 配分: (a) 2 (b) 2 (c) 4 共 8 分

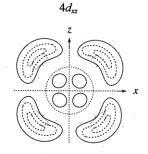








c.  $3p_z$  For contour map, see Figure 2.8.



## $4f_{z(x^2-y^2)}$ orbital

- a. No radial nodes
- **b.** 3 angular nodes
- c. The angular nodes are solutions for  $z(x^2-y^2) = 0$ . These solutions are z = 0 (xy plane), and the planes where x = y and x = -y, both perpendicular to the xy plane.
- d. There are 8 lobes, 4 above and 4 below the xy plane. Down the z axis, this orbital looks like a  $d_{x^2-y^2}$  orbital, but the node at the xy plane splits each lobe in two. For an image of this orbital, please see <a href="http://winter.group.shef.ac.uk/orbitron/">http://winter.group.shef.ac.uk/orbitron/</a> or another atomic orbital site on the Web.

#### 4.配分: (a) 1 (b) 1 (c) 2 (d) 2 共 6 分

5.

配分:共6分	Sc	Ti	Compare with Ni	
3d	1分	1分	1 分: Z*of 3d = 4s (Sc)	
			Different with Ni	
4s	1分	1分	1 分: Z* of 3d > 4s (Ti)	
			Same with Ni	
			The difference between	
			3d & 4s increases across	
			the row of transition	
			metals	

#### 3d electron:

1 Electron 
$$(1s^2)(2s^2, 2p^6)(3s^2, 3p^6)(3d^1)(4s^2)$$
  $(1s^2)(2s^2, 2p^6)(3s^2, 3p^6)(3d^2)(4s^2)$  configuration

4a Contribution of other 
$$d$$
 in  $(3d^1)$ ] One other  $3d$  electron: Contribution to  $S = 1 \times 0.35 = 0.35$ 

4b Contribution 
$$18 \times 1.00 = 18.00$$
  $18 \times 1.00 = 18.00$  of electrons to left of  $(3d^n)$ 

Total S 
$$2^*$$
 18.00 18.35  $2 - 18.00 = 3.00$  18.35  $22 - 18.35 = 3.65$ 

#### 4s electron:

1 Electron 
$$(1s^2)(2s^2, 2p^6)(3s^2, 3p^6)(3d^1)(4s^2)$$
  $(1s^2)(2s^2, 2p^6)(3s^2, 3p^6)(3d^2)(4s^2)$  configuration

3a Contribution of other 
$$(4s^2)$$
 electron Contribution to  $S = 0.35$  Contribution to  $S = 0.35$ 

3b Contribution 
$$9 \times 0.85 = 7.65$$
  $10 \times 0.85 = 8.50$  electrons

3c Contribution 
$$10 \times 1.00 = 10.00$$
  $10 \times 1.00 = 10.00$  of other electrons

Total S 
$$Z^*$$
  $0.35 + 7.65 + 10.00 = 18.00$   $0.35 + 8.50 + 10.00 = 18.85$   $21 - 18.00 = 3.00$   $22 - 18.85 = 3.15$ 

In Sc Slater's rules give the same value for the effective nuclear charge  $Z^*$  for the 3d and 4s electrons, consistent with the very similar energies of these orbitals. In Ti the effective nuclear charge is slightly less for 4s than for 3d, by 0.50. This difference in the energies of 4s and 3d increases across the row of transition metals; by nickel, as calculated in the example in section 2.2.4, the 4s orbital has an effective nuclear charge 3.50 less than the 3d orbitals. This is consistent with the experimental observation that transition metal cations have electron configurations in which there are no valence s electrons; the 3d orbitals are lower in energy than the 4s orbital, so d orbitals are the ones that are occupied. A similar phenomenon is observed for the second and third row transition metals.

#### 6. 配分:一題2分,共4分

$$\begin{array}{c|c}
F \\
N = CCH_3
\end{array}$$

$$\begin{array}{c|c}
F \\
Xe = C
\end{array}$$

In  $F_2OXeN$ =CCH<sub>3</sub> the nitrogen-xenon bond is weak; see the reference for details on bond distances and angles.

### 7. 配分:關鍵字(套粉紅色) or 圖示 or 描述完整

### (a)1 (b) 1 (c) 2 (d) 1 (e) 2 (f) 1 (g) 2 共 10 分

- As a result, hydrogen bonding holds the molecules together and requires more energy for vaporization. The larger molecular weight of methyl mercaptan has a similar effect, but the hydrogen bonding in methanol has a stronger influence.
- b. CO and N<sub>2</sub> have nearly identical molecular weights, but the polarity of CO leads to dipole-dipole attractions that help hold CO molecules together in the solid and liquid states.
- c. The *ortho* isomer of hydroxybenzoic acid can form *intra*molecular hydrogen bonds, while the *meta* and *para* isomers tend to form dimers and larger aggregates in their hydrogen bonding. As a result of their better ability to form hydrogen bonds between molecules (*inter*molecular hydrogen bonds), the *meta* and *para* isomers have higher melting points (*ortho*, 159°; *meta*, 201.3°; *para*, 214–215°).

- d. The London (dispersion) forces between atoms increase with the number of electrons, so the noble gases with larger Z have larger interatomic forces and higher boiling points.
- e. Acetic acid can form hydrogen-bonded dimers in the gas phase, so the total number of particles in the gas is half the number expected by using the ideal gas law.

- Acetone has a negative carbonyl oxygen; chloroform has a positive hydrogen, due to the electronegative character of the chlorines. As a result, there is a stronger attraction between the different kinds of molecules than between molecules of the same kind, and a resulting lower vapor pressure. (This is an unusual case of hydrogen bonding, with no H–N, H–O, or H–F bond involved.)
- g. CO has about 76 kJ contribution to its bond energy because of the electronegativity difference between C and O; attraction between the slightly positive and negative ends strengthens the bonding. Although this is not a complete explanation, it covers most of the difference between CO and N<sub>2</sub>. In spite of its high bond energy, N<sub>2</sub> is thought by some to have some repulsion in its sigma bonding because of the short bond distance.

8.

0.	T	T	T
配分:	Lewis structure	shape	Point group
共 15 分			(最高對稱)
(a) $\frac{1+1+1}{=3 \ \%}$	.о. н-о. — в — о. — н ∴о.	O    	$\mathrm{C}_{\mathrm{2V}}$
(b) <u>1+1+1</u> <u>=3 分</u>	: OH	OH O N† O planar	$C_{s}$
$ \begin{array}{c} (c) \\ \underline{1+1+1} \\ \underline{=3  \hat{n}} \end{array} $	HÖ.——P.——O.: :OH	HO HO	$C_{\rm s}$
(d) <u>1+1+1</u> =3 分	$ \begin{vmatrix} H \\ C = C = C \end{vmatrix} $	C=C=C H	D2d
(e) 1+1+1	H H		Staggered:C2h
=3 分	H N N H	H <b>™</b> N N N N N N N N N N N N N N N N N N N	Eclipsed:C2v
	H	Н	Between:C2

#### 9. 配分:每小題 2 分, 共 10 分

 $D_{2h}$  molecules have E,  $C_2(z)$ ,  $C_2(y)$ ,  $C_2(x)$ , i,  $\sigma(xy)$ ,  $\sigma(xz)$ , and a.  $\sigma(yz)$  operations.

$$C = C$$

c. 
$$E C_2(z) C_2(z)$$

**d.** 
$$\Gamma_1$$
 1 -1 -1 1 -1 1 1 -1 matching  $B_{3u}$   $\Gamma_2$  1 -1 1 -1 1 -1 1 matching  $B_{2u}$   $\Gamma_3$  1 1 -1 -1 -1 1 1 matching  $B_{1u}$ 

e. 
$$\Gamma_1 \times \Gamma_2 = 1 \times 1 + (-1) \times (-1) + (-1) \times 1 + 1 \times (-1) + (-1) \times (-1) + 1 \times 1 + 1 \times (-1) + (-1) \times 1 = 0$$

$$\Gamma_1 \times \Gamma_3 = 1 \times 1 + (-1) \times 1 + (-1) \times (-1) + 1 \times (-1) + (-1) \times (-1) + 1 \times (-1) + 1 \times (-1) \times (-1) + 1 \times (-1) \times (-$$

$$\Gamma_2 \times \Gamma_3 = 1 \times 1 + (-1) \times 1 + 1 \times (-1) + (-1) \times (-1) + (-1) \times (-1) + 1 \times (-1) + (-1) \times 1 + 1 \times 1 = 0$$

### 10. 配分:每小題 4 分共 12 分,

每小題 reducible representation: 2分; reduce 结果(IR active):1分

幾個 bands: 1 分(各自代表什麼 symmetry);

#### a. cis-Fe(CO)<sub>4</sub>Cl<sub>2</sub> has $C_{2\nu}$ symmetry.

The vectors for CO stretching have the representation  $\Gamma$  below:

$C_{2 u}$	E	$C_2$	$\sigma_{\nu}(xz)$	$\sigma_{v}'(yz)$	
Γ	4	0	2	2	
$A_1$	1	1	1	1	z
$A_2$	1	1	-1	-1	
$B_1$	1	-1	1	-1	x
$B_2$	1	-1	-1	1	у

$$n(A_1) = 1/4[4 \times 1 + 0 \times 1 + 2 \times 1 + 2 \times 1] = 2$$
  
 $n(A_2) = 1/4[4 \times 1 + 0 \times 1 + 2 \times (-1) + 2 \times (-1)] = 0$   
 $n(B_1) = 1/4[4 \times 1 + 0 \times (-1) + 2 \times 1 + 2 \times (-1)] = 1$   
 $n(B_2) = 1/4[4 \times 1 + 0 \times (-1) + 2 \times (-1) + 2 \times 1] = 1$   
 $\Gamma = 2 A_1 + B_1 + B_2$ , all four IR active.



#### **b.** trans-Fe(CO)<sub>4</sub>Cl<sub>2</sub> has $D_{4h}$ symmetry.

$D_{th}$	Е	$2C_4$	$C_2$	$2C_2'$	$2C_{2}''$	i	$2S_4$	$\sigma_h$	$2\sigma_{v}$	$2\sigma_d$	z $(x,y)$
<u>Б</u> 4 <i>n</i>	4	0	0	2	0	0	0	4	2	0	
$\frac{1}{A_{2y}}$	1	1	1	-1	-1	-1	-1	-1	1	1	z
$E_u$	2	0	-2	0	0	-2	0	2	0	0	(x,y)

Omitting the operations that have zeroes in  $\Gamma$ :

offitting the operations that takes 2500 
$$n(A_{2u}) = 1/16[4 \times 1 + 2 \times 2 \times (-1) + 4 \times (-1) + 2 \times 2 \times 1] = 0$$
  
 $n(E_u) = 1/16[4 \times 2 + 2 \times 2 \times 0 + 4 \times 2 + 2 \times 2 \times 0] = 1$  (IR active)

Note: In checking for IR-active bands, it is only necessary to check the irreducible representations having the same symmetry as x, y, or z, or a combination of them.

### c. Fe(CO)<sub>5</sub> has $D_{3h}$ symmetry.

The vectors for C–O stretching have the following representation  $\Gamma$ :

	O	
OC	Ĭ	
oc.	Fe—	—co
	C	
	О	

$$n(E') = 1/12 [(5 \times 2) + (2 \times 2 \times -1) + (3 \times 2)] = 1$$
  
 $n(A_2'') = 1/12 [(5 \times 1) + (2 \times 2 \times 1) + (3 \times 1 \times -1) + (3 \times -1) + (3 \times 3 \times 1)] = 1$ 

There are two bands, one matching E' and one matching  $A_2''$ . These are the only irreducible representations that match the coordinates x, y, and z.

# 11. 配分:O<sub>2</sub> M.O.--->4 分 解釋:2 分,共6分

### 12. 配分:(a) 4 (b) 4 (c)1 共 9 分

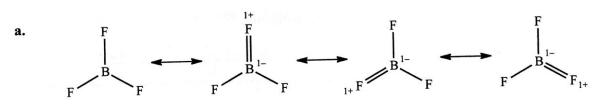
**a.** PCl<sub>5</sub> has  $D_{3h}$  symmetry.

a							
	-	2C	$3C_2$	$\sigma_h$	$2S_3$	$3\sigma_{v}$	
$D_{3h}$	E	2C <sub>3</sub>	1	2	0	3	
Г	5	2	1	3	<del></del>	0	$(x,y)(x^2-y^2,xy)$
	2	_1	0	2	-1	0	$(x,y)$ $(x^2,y^2,y^2)$
E'		1	1	1	1	1	2
$A_1'$	1	1	1	1	_1	1	Z
1."	1	1	-1	-1	•		•
A12							

 $\Gamma = E' + 2A_1' + A_2''$ , so the hybrids are  $dsp^3$  or  $d^3sp$ .

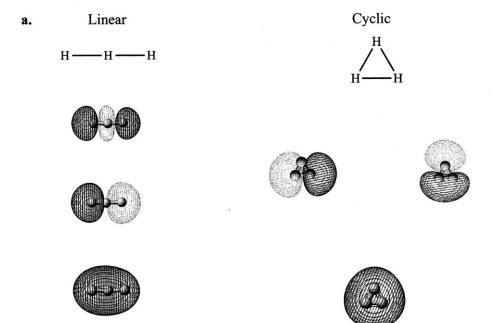
- b. This could also be analyzed separately for the axial and the equatorial positions. The  $p_z$  and  $d_z^2$  orbitals can bond to the axial chlorines  $(A_1' + A_2'')$  and the s,  $p_x$ , and  $p_y$  orbitals or the s,  $d_x^2-y^2$ , and  $d_{xy}$  orbitals can bond to the equatorial chlorines (E').
- c. The  $d_{z^2}$  orbital extends farther than the p orbitals, making the axial bonds a bit longer.

## <u>13. 每一小題 2 分, 共</u> 8 分



- b. The  $1a_2$ " orbital near the middle of the figure is the  $\pi$ -bonding orbital.
- c. The LUMO,  $2a_2''$ , is the best orbital for accepting a lone pair.
- d. The  $1a_2$ " orbital is formed by adding all the  $p_z$  orbitals together. The  $2a_2$ " orbital is formed by adding the B  $p_z$  orbital and subtracting the three F  $p_z$  orbitals.

# 14. 配分-linear:4分, cyclic:4分, stable: 2分, 共10分



In the linear arrangement, the molecular orbitals shown, from bottom to top, are bonding, nonbonding, and antibonding, with only the bonding orbital occupied. In the cyclic geometry, the lowest energy orbital is bonding, and the other two orbitals are degenerate, each with a node slicing through the center; again, only the lowest energy orbital is occupied.

**b.** Cyclic  $H_3^+$  is slightly more stable than linear  $H_3^+$ , based on the energy of the lowest orbital in an AM1 calculation (-28.4 eV versus -26.7 eV).

#### 15.配分(a)5分-老師講義和課本的皆可(略)

(b) 5 分- LUMO:  $\pi$  acid, HOMO:  $\sigma$  base;

共10分