1.
2.
3. function dividePolynomials(z, y):

```
    if y == 0: # can't divide by 0
        return NaN

    a = 0  # future quotient
    b = z  # remainder initialized

    while degree(b) >= degree(y):
        c = b[degree(b)] / y[degree(y)]  # the division
        e = degree(b) - degree(y)  # calculate the difference in exponents to make x^e

        d = c * x^e  # singular term created by the division
        a = a + d  # quotient equation adding next term
        b = b - (d * y)  # create the new reminder that i going to be used in the futured

    return a
```

Loop invariant

$z = (y * a) + b \land degree(b) >= degree(y)$

Base case

$a = 0$

$b = z$

$z = (y * a) + b \land degree(b) >= degree(y)$

$z=(y \cdot a)+b$

$z=(y \cdot 0)+z$

$z=z$

degree(b) >= degree(y) has to be true in order for the loop to even run therefore the base case is true

K and K+1 case

$z = (y * a_k) + b_k \land degree(b_k) >= degree(y)$

$z = (y * a_{k+1}) + b_{k+1} \land degree(b_{k+1}) >= degree(y)$

$z = (y * a_{k+1}) + b_{k+1}$

$z = (y * a_k + d) + b_k - (d*y)$

$z = ya_k + yd + b_k - dy$

$z = ya_k + b_k = z = (y * a_k) + b_k$

For the loop to run, $degree(b_k) >= degree(y)$ and $degree(b_{k+1}) >= degree(y)$ have to be true therefore this part is true.

K and K+1 were valid therefore this part of the loop invariant is true.