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%Program Created by Jason Sayre on 2/5/2018
%housekeeping
clear
clc
close all
fx=25x^{3}-6x^{2}+7x-88 %original function
fx1=75x^{2}-12x+7 %first derivative of function
%fx2=150x-12 %second derivative of function
%fx3=150
xb=1; %starting approximation base
xf=3; %point we are wanting to predict
h=xf-xb; %h= difference between the starting and predicted point
%zeroth order estimate
fx0app = 25*(xb^{(3)}) - 6*(xb^{(2)}) + 7*(xb) - 88; suses original function
fxtrue = 25*(xf^{(3)})-6*(xf^{(2)})+7*(xf)-88; %true value we are trying to
 estimate
TRPE0 = [(fxtrue - fx0app)/fxtrue]*100; %finds percent error of zeroth
 estimate
%First order estimate
fx1app = fx0app + [75*(xb^{2})-12*(xb)+7]*h; %uses 1st deriv.
TRPE1 = [(fxtrue - fxlapp)/fxtrue] *100; %percent error of first
 estimate
%Second order estimate
fx2app = fx1app + [((150*(xb)-12)*h^{(2)})/(2*1)]; %uses 2nd deriv
TRPE2 = [(fxtrue - fx2app)/fxtrue] *100; %percent error
%Third order estimate
fx3app = fx2app + [(150*h^{(3)})/(3*2*1)]; %uses 3rd deriv
TRPE3 = [(fxtrue - fx3app)/fxtrue] *100; %percent error
fprintf('The true value is: ')
disp(fxtrue)
fprintf('The Zeroth order estimate is: ')
disp(fx0app)
fprintf('The Zeroth True Relative Percent Error is: ')
disp(TRPE0)
fprintf('The First order estimate is: ')
disp(fxlapp)
fprintf('The First True Relative Percent Error is: ')
disp(TRPE1)
fprintf('The Second order estimate is: ')
disp(fx2app)
fprintf('The Second True Relative Percent Error is: ')
disp(TRPE2)
fprintf('The Third order estimate is: ')
disp(fx3app)
fprintf('The First True Relative Percent Error is: ')
disp(TRPE3)
The true value is:
                      554
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The Zeroth order estimate is:
                                 -62
The Zeroth True Relative Percent Error is:
                                              111.1913
The First order estimate is:
                                 78
The First True Relative Percent Error is:
                                              85.9206
The Second order estimate is:
The Second True Relative Percent Error is:
                                               36.1011
The Third order estimate is:
                                554
The First True Relative Percent Error is:
clear %reset variables to default
%Forward Difference
f'(x) = [f(x+h)-f(x)]/h
                            %Forward Difference Formula
fx=25x^{(3)}-6x^{(2)}+7x-88 %original function
fx1=75x^{(2)}-12x+7
                            %first derivative of function
x=2; %given
h=0.25; %given
xph = x+h;
firstDerivAtTwo= [75*((2)^{(2)})-12*(2)+7]
fprintf('The first derivative evaluated at the value two is: ')
disp(firstDerivAtTwo)
ApproxFirstDerivForDiff = (((25*((xph)^{(3)})-
(6*((xph)^{(2)}))+(7*(xph))-88)-(25*((x)^{(3)})-
(6*((x)^{(2)})+(7*(x))-88)))/(h);
fprintf('The calculated forward difference approximation for the first
 derivative is: ')
disp(ApproxFirstDerivForDiff)
FrontError = abs(firstDerivAtTwo - ApproxFirstDerivForDiff);
fprintf('The calculated error from forward difference is: ')
disp(FrontError)
%Backward Difference
f'(x) = [f(x)-f(x-h)]/h %Backward Difference Formula
xmh = x-h;
FirstDerivBackDiff = ((25*((x)^{(3)})-(6*((x)^{(2)}))+(7*(x))-88)-
(25*((xmh)^{(3)})-(6*((xmh)^{(2)}))+(7*(xmh))-88))/(h);
fprintf('The calculated backwards difference approximation for the
 first derivative is: ')
disp(FirstDerivBackDiff)
BackError = abs(firstDerivAtTwo-FirstDerivBackDiff);
fprintf('The calculated error from backward difference is: ')
disp(BackError)
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%Centered Difference
f'(x) = [f(x+h)-f(x-h)]/2h %Centered Difference Formula
h2 = h*2;
FirstDerivCentDiff = ((25*((xph)^{(3)})-(6*((xph)^{(2)}))+(7*(xph))-88)-
(25*((xmh)^{(3)})-(6*((xmh)^{(2)}))+(7*(xmh))-88))/(h2);
fprintf('The calculated centered difference approximation for the
 first derivative is: ')
disp(FirstDerivCentDiff)
CentError = abs(firstDerivAtTwo-FirstDerivCentDiff);
fprintf('The calculated error from centered difference is: ')
disp(CentError)
firstDerivAtTwo =
   283
The first derivative evaluated at the value two is:
                                                       283
The calculated forward difference approximation for the first
 derivative is:
                  320.5625
The calculated error from forward difference is:
                                                    37.5625
The calculated backwards difference approximation for the first
 derivative is:
                 248.5625
The calculated error from backward difference is:
                                                     34.4375
The calculated centered difference approximation for the first
 derivative is: 284.5625
The calculated error from centered difference is:
                                                      1.5625
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