```
# Import necessary libraries
import pandas as pd
import matplotlib.pyplot as plt
from ema_workbench.analysis import parcoords
import os
import subprocess
import pareto
import matplotlib
```

Step 2: Analyzing MORO Optimization Results

After running the Multi-Objective Robust Optimization (MORO) using two different approaches and 5 different seeds in the Step2_Simulate_MORO_Optimisation.py file in this directory, we have obtained a wide range of potential Pareto optimal solutions.

In the first approach, we used MORO to minimize the 90th percentile of costs, damages and deaths under 100 different scenarios per policy. This approach was chosen to identify policies that perform well even under adverse conditions (e.g., worst-case scenarios).

In the second approach, we applied MORO to minimize the means of costs, damages and deaths over 100 scenarios per policy. This approach aimed to provide policies that did not just do good in the 90th percentile, but that have the best performance across scenarios.

In this notebook, we will go into the following topics:

- 1. **Convergence Metrics**: Evaluating metrics such as Epsilon Progress and HyperVolume to assess how effectively MORO converged towards Pareto optimal solutions.
- Pareto Sorting to Merge Outcomes: Merging outcomes from different seeds and measurement types, to remove double outcomes and outcomes that in the same epsilon values square.

1. Convergence Metrics

In Multi-Objective Robust Optimization (MORO), convergence metrics are crucial for assessing the algorithm's effectiveness in identifying Pareto optimal solutions. These metrics provide quantitative measures of the optimization process, tracking how close the algorithm comes to achieving optimal trade-offs between conflicting objectives.

Our analysis will focus on two key convergence metrics: Epsilon Progress and HyperVolume. Epsilon Progress tracks the algorithm's progress towards satisfying predefined trade-off levels (epsilons), indicating its ability to balance conflicting objectives. HyperVolume measures the volume of the objective space dominated by non-dominated solutions found by the algorithm, offering insights into the diversity and quality of Pareto optimal solutions discovered.

Understanding these convergence metrics is essential for evaluating the robustness and quality of policy solutions derived from MORO. This section will therefore examine these metrics to gain

a deeper understanding of how well the optimization process performs across different robustness functions and seeds.

Loading CSVs (MORO Convergence Outputs)

We set the directory paths and load the convergence metrics files for each seed and for the different metrics. This data will be used to visualize the optimization process.

```
# Get the current working directory and navigate to the
data/output data directory
current dir = os.getcwd()
data_dir = os.path.join(current_dir, 'data', 'output_data', 'Step2')
# Load the convergence metrics files for the 90th percentile
metrics 90 seed 1362 = pd.read csv(os.path.join(data dir, '90',
'convergence_metrics_90_seed_1362.csv'))
metrics 90 seed 1363 = pd.read csv(os.path.join(data dir, '90',
'convergence metrics 90 seed 1363.csv'))
metrics 90 seed 1364 = pd.read csv(os.path.join(data dir, '90',
'convergence metrics 90 seed 1364.csv'))
metrics 90 seed 1365 = pd.read_csv(os.path.join(data_dir, '90',
'convergence metrics 90 seed 1365.csv'))
# Load the convergence metrics files for the mean
metrics mean seed 1362 = pd.read csv(os.path.join(data dir, 'mean',
'convergence metrics mean seed 1362.csv'))
metrics mean seed 1363 = pd.read csv(os.path.join(data_dir, 'mean',
'convergence metrics mean seed 1363.csv'))
metrics mean seed 1364 = pd.read csv(os.path.join(data dir, 'mean',
'convergence metrics mean seed 1364.csv'))
metrics mean seed 1365 = pd.read csv(os.path.join(data dir, 'mean',
'convergence_metrics_mean_seed_1365.csv'))
```

The plot_convergence_metrics function shown below is crafted to visualize the Epsilon Convergence and HyperVolume metrics derived from DataFrames previously created. It constructs two subplots: one dedicated to Epsilon Progress and the other to Hypervolume. Each seed is represented with a distinct color in the plots. These visualizations aid in comprehending the convergence of optimization across the number of function evaluations (NFE).

```
def plot_convergence_metrics(metrics_list, seeds, type):
    current_dir = os.getcwd()
    dir = os.path.join(current_dir, 'data', 'plots', 'Step2')
    os.makedirs(dir, exist_ok=True)

fig, (ax1, ax2) = plt.subplots(ncols=2, sharex=True, figsize=(14,
6))

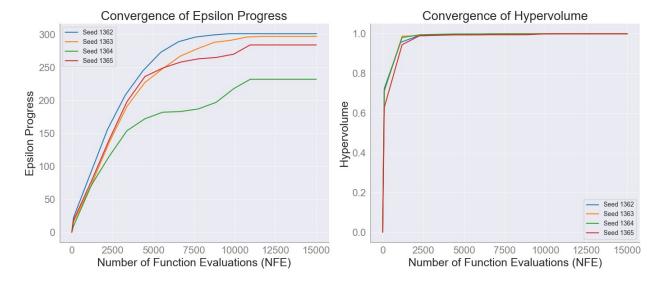
# Define colors using the Set3 colormap
    cmap = matplotlib.colormaps['tab10']
```

```
colors = [cmap(i) for i in range(len(seeds))]
   # Plot for each seed
   for metrics, seed, color in zip(metrics list, seeds, colors):
        ax1.plot(metrics['nfe'], metrics['epsilon progress'],
label=f'Seed {seed}', color=color)
        ax2.plot(metrics['nfe'], metrics['hypervolume'], label=f'Seed
{seed}', color=color)
   # First plot settings
   ax1.set xlabel('Number of Function Evaluations (NFE)')
   ax1.set ylabel('Epsilon Progress')
   ax1.set title('Convergence of Epsilon Progress')
   ax1.legend()
   # Second plot settings
   ax2.set xlabel('Number of Function Evaluations (NFE)')
   ax2.set ylabel('Hypervolume')
   ax2.set title('Convergence of Hypervolume')
   ax2.legend()
   # Apply grid and customize layout for both plots
   for ax in [ax1, ax2]:
        ax.grid(True, which='both', linewidth=0.5)
        ax.spines['top'].set visible(False)
       ax.spines['right'].set_visible(False)
        ax.spines['left'].set color('gray')
        ax.spines['bottom'].set color('gray')
       ax.tick_params(colors='gray', labelsize=16)
        ax.yaxis.get label().set fontsize(18)
       ax.xaxis.get_label().set_fontsize(18)
        ax.title.set fontsize(20)
   plt.tight layout()
   plt.savefig(os.path.join(dir, f'convergence metrics {type}.png'))
   plt.show()
```

Now that the function is set up, we can run it. We will apply it twice: once for the convergence metrics of the 90th percentile-based MORO, and once for the convergence metrics of the mean-based MORO. We will run the function using all four runs/seeds for both cases, and the outcomes are shown below. After each plot, we will discuss the results.

```
# List of metrics and seeds
metrics_list = [metrics_90_seed_1362, metrics_90_seed_1363,
metrics_90_seed_1364, metrics_90_seed_1365]
seeds = [1362, 1363, 1364, 1365]

# Plot convergence metrics for all seeds in a single plot
plot_convergence_metrics(metrics_list, seeds, '90')
```



Discussion of Results for 90th Percentile-Based Optimization

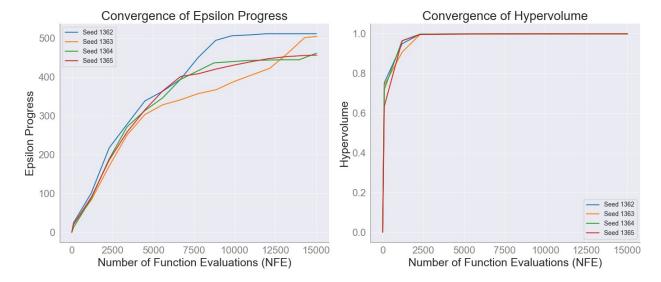
The first plot shows the convergence of Epsilon Progress over the number of function evaluations (NFE). Epsilon Progress tracks the algorithm's ability to balance conflicting objectives by satisfying predefined trade-off levels (epsilons). In our analysis, we observe that the Epsilon Progress stabilizes around 11,000 NFE. This stabilization indicates that the algorithm has effectively balanced the trade-offs between objectives (costs, damages, deaths) and is no longer making significant improvements. Reaching a stable point suggests that the MORO process has identified a set of robust policies that perform well even under adverse conditions, reflecting the resilience of these policies against the worst-case scenarios considered.

The second plot illustrates the convergence of HyperVolume over NFE. HyperVolume measures the volume of the objective space dominated by the non-dominated solutions found by the algorithm. We note that the HyperVolume converges around 2,500 NFE. This early convergence of HyperVolume indicates that the algorithm quickly identifies a diverse set of high-quality Pareto optimal solutions. This rapid stabilization suggests that the algorithm is efficient in exploring the objective space and finding optimal trade-offs between conflicting objectives. A stable HyperVolume signifies that the identified solutions maintain a good balance between objectives and have a wide range of optimal trade-offs, providing a comprehensive set of policy options for decision-makers.

These results demonstrate that the MORO approach is effective in producing a diverse and high-quality set of Pareto optimal solutions, providing valuable policy options that balance costs, damages, and deaths under adverse conditions.

```
# List of metrics and seeds
metrics_list = [metrics_mean_seed_1362, metrics_mean_seed_1363,
metrics_mean_seed_1364, metrics_mean_seed_1365]
seeds = [1362, 1363, 1364, 1365]

# Plot convergence metrics for all seeds in a single plot
plot_convergence_metrics(metrics_list, seeds, 'mean')
```



Discussion of Results for Mean-Based Optimization

The first plot again shows the convergence of Epsilon Progress over the number of function evaluations (NFE). In the plot above analysis, we observe that the Epsilon Progress stabilizes around 15,000 NFE (but is not completely stabilized). This again means the algorithm is no longer making significant improvements. Reaching a stable point suggests that the MORO process has identified a set of robust policies whose mean deaths, damages, and investment are pareto optimal.

The second plot again illustrates the convergence of HyperVolume over NFE. As visible the HyperVolume converges around 2,500 NFE. This early convergence of HyperVolume indicates that the algorithm quickly identifies a diverse set of high-quality Pareto optimal solutions.

These results demonstrate that the MORO approach is effective in producing a diverse and high-quality set of Pareto optimal solutions, providing valuable policy options that balance the mean costs, damages, and deaths under different scenarios.

2. Pareto Sorting to Merge Outcomes

In this section the outcomes from the five different seeds will be merged. Using the epsilon value, we will only keep pareto optimal solutions, from the entire set of policies.

First we load the optimization archives for both the mean and 90th percentile optimization outcomes for all five seeds. We do this below and create two merged dataframes, one for 90th percentile outcomes, and one for mean outcomes.

```
# Define the base directory
current_dir = os.getcwd()
data_dir = os.path.join(current_dir, 'data', 'output_data', 'Step2')
# Categories and seeds
categories = ['90', 'mean']
```

```
seeds = [1362, 1363, 1364, 1365]
# Dictionary to map categories to their respective DataFrame lists
archives = {
    '90': [],
    'mean': []
}
# Load files from each category
for category in categories:
    for seed in seeds:
        file_name = f'optimization_archive_{category}_seed_{seed}.csv'
        file path = os.path.join(data dir, category, file name)
        # Check if the file exists before loading
        if os.path.exists(file path):
            df = pd.read csv(file path)
            if 'Unnamed: 0' in df.columns:
                df = df.drop(columns='Unnamed: 0')
            archives[category].append(df)
        else:
            print(f"File not found: {file path}")
# Concatenate the DataFrame lists into three separate DataFrames
merged df 90 = pd.concat(archives['90'], ignore index=True) if
archives['90'] else pd.DataFrame()
merged df mean = pd.concat(archives['mean'], ignore index=True) if
archives['mean'] else pd.DataFrame()
# Example output to verify the data
print("Merged Archives 90:")
print(merged df 90.head())
print("\nMerged Archives Mean:")
print(merged df mean.head())
Merged Archives 90:
   0 RfR 0 0 RfR 1 0 RfR 2 1 RfR 0 1 RfR 1 1 RfR 2 2 RfR 0
2 RfR 1
         0
                  0
                           0
                                     0
                                              0
                                                                 0
1
         0
                                     0
                                              0
                                                                 0
0
2
         0
                  0
                                     0
                                              0
                                                                 0
                           0
0
3
         0
                                     0
                                              0
                                                                 0
0
4
         0
                                     0
                                                                 0
0
                          A.3 DikeIncrease 2 A.4 DikeIncrease 0 \
   2 RfR 2
            3 RfR 0
                     . . .
         0
                  1
```

1 2 3		0 0 0		1 1 1						0 0 0				2 3 4	
4		0		1						0				1	
0 1 2 3 4	A.4_Di	ike]	Increas	e 1 0 0 0 0)))	4_Dil	keIncre	ease	2 0 0 0 0	A.5	_DikeIr	ncrea	0 0 0 0 0	\	
0 1 2 3 4	A.5_Di	ike]	Increas	se 1 0 0 0 0)))	5_Dil	keIncre	ease	2 0 0 0 0	Dama	age 901	2.88 2.04 1.76 0.00	ercent: 89060e- 12425e- 16295e- 10000e- 16246e-	+07 +06 +05 +00	\
0 1 2 3 4	Invest	tmer	nt 90th	7 8 9	rcent 33208 4534 69519 3208	0.0 30.0 97.0 95.0	Death	ns 90)th	0 0 0	centile .001257 .000096 .000016 .000006	7 5))			
[5 Me			1 colum ives Me												
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	A.4_Di	ike]	Increas	e 1	Α.4	4_Dil	keIncre	ease	2	A.5	_DikeIr	ncrea	se 0	\	

```
0
                      0
                                            0
                                                                 2
1
                      0
                                            0
2
                                                                 4
                      0
                                            0
3
                                                                 2
                      0
                                            0
4
                      0
                                                                 1
                                            0
   A.5_DikeIncrease 1
                         A.5_DikeIncrease 2
                                               Damage Mean Statistic
0
                                                         1.916504e+06
1
                                                         3.121629e+05
                      0
                                            0
2
                      0
                                            0
                                                         0.000000e+00
3
                      0
                                            0
                                                         8.583688e+05
4
                      0
                                            0
                                                         2.407274e+06
   Investment Mean Statistic Deaths Mean Statistic
0
                 3.236929e+07
                                               0.000108
1
                 4.016469e+07
                                               0.000024
2
                 4.763877e+07
                                               0.000000
3
                 3.603164e+07
                                               0.000043
4
                 3.135801e+07
                                               0.000142
[5 rows x 34 columns]
```

Now that we have established the two different merged dataframes, we can compare the outcomes of interest across the different seeds. Our goal is to determine whether some outcomes can be considered equivalent within the specified epsilon values.

The cell below sets up a function to check if multiple outcomes fall within the same epsilon range. If they do, only the one closest to the origin (determined using the Pythagorean theorem) will be retained. After applying this function, we create two new files named merged_archives_mean_nondominated.csv and merged archives 90 nondominated.csv.

```
def apply_general_nondominated_sorting(df, data_dir, file_suffix):
    # Convert DataFrame to a list of lists
    data_as_list = df.values.tolist()

# Automatically pick the last three columns as the objective
columns
    objective_indices = [-3, -2, -1] # Indices for the last three
columns

# Define epsilon values for each objective
epsilon_values = [0.05, 0.05, 0.05]

# Run epsilon-nondominated sorting
    nondominated = pareto.eps_sort([data_as_list], objective_indices,
epsilon_values)

# Extract the relevant rows from the nondominated solutions
    nondominated_solutions = [solution for solution in nondominated]
```

```
# Convert back to DataFrame using the original column names
nondominated_df = pd.DataFrame(nondominated_solutions,
columns=df.columns)

# Saving results to a file
output_file = os.path.join(data_dir,
f'merged_archives_{file_suffix}_nondominated.csv')
nondominated_df.to_csv(output_file, index=False)
return nondominated_df
```

We now apply the function to both the 90th percentile and mean dataframe.

```
# Example usage (assuming 'data dir' and the merged DataFrames are
already defined)
nondominated_90 = apply_general_nondominated_sorting(merged_df_90,
data dir, '90')
nondominated mean = apply general nondominated sorting(merged df mean,
data dir, 'mean')
# Output verification
print("Nondominated solutions for 90:")
print(nondominated 90.head())
print("\nNondominated solutions for Mean:")
print(nondominated mean.head())
Nondominated solutions for 90:
   0 RfR 0 0 RfR 1 0 RfR 2 1 RfR 0 1 RfR 1 1 RfR 2 2 RfR 0
2 RfR 1 \
       0.0
                0.0
                          0.0
                                                                0.0
0
                                    0.0
                                             0.0
                                                       0.0
0.0
1
       0.0
                0.0
                          0.0
                                   0.0
                                             0.0
                                                      0.0
                                                                0.0
0.0
2
       0.0
                0.0
                          0.0
                                   0.0
                                             0.0
                                                      0.0
                                                                0.0
0.0
3
       0.0
                0.0
                          0.0
                                    0.0
                                             0.0
                                                       0.0
                                                                0.0
0.0
                0.0
                          0.0
                                    0.0
                                                       0.0
                                                                0.0
4
       0.0
                                             0.0
0.0
                                                A.4 DikeIncrease 0
   2 RfR 2
            3 RfR 0
                           A.3 DikeIncrease 2
0
       0.0
                 1.0
                                           0.0
                                                                3.0
                      . . .
1
                                           0.0
       0.0
                1.0
                                                                4.0
                      . . .
2
       0.0
                1.0
                                           0.0
                                                                0.0
3
       0.0
                                           0.0
                                                                2.0
                1.0
                      . . .
       0.0
                1.0
                                           0.0
                                                                1.0
   A.4 DikeIncrease 1 A.4_DikeIncrease 2 A.5_DikeIncrease 0 \
0
                   0.0
                                        0.0
```

1 2 3 4		0.0 0.0 0.0 0.0		0.0 0.0 0.0		0	. 0 . 0 . 0	
0 1 2 3 4	A.5_DikeInc	rease 1 0.0 0.0 0.0 0.0	A.5_Dike	Increase 2 0.0 0.0 0.0 0.0	Damage 9	0th Perce 1.76629 0.00000 1.75720 1.64623 7.82304	95e+05 90e+00 93e+07 31e+06	
0 1 2 3 4	Investment	845 969 733	entile [3407.0 95195.0 0.0 82080.0	Deaths 90t	n Percenti 0.0000 0.0000 0.0013 0.0002 0.0007	10 00 04 11		
[5	rows x 34 c	olumns]						
	ndominated s 0_RfR 0 0_ RfR 1 \				RfR 1 1_R	.fR 2 2_F	RfR 0	
0 0.	0.0	0.0	0.0	0.0	0.0	0.0	0.0	
1	0.0	0.0	0.0	0.0	0.0	0.0	0.0	
0.	0.0	0.0	0.0	0.0	0.0	0.0	0.0	
0.	0.0	0.0	0.0	0.0	0.0	0.0	0.0	
0. 4	0.0	1.0	0.0	0.0	0.0	0.0	0.0	
0.		1.0	0.0	0.0	0.0	0.0	0.0	
0 1 2 3 4	2_RfR 2 3_ 0.0 0.0 0.0 0.0 0.0	RfR 0 1.0 1.0 1.0 1.0		(e 2 A.4_D 9.0 9.0 9.0 9.0 9.0	ikeIncrea	3.0 4.0 3.0 4.0 6.0	
0 1 2 3 4	A.4_DikeInc	rease 1 0.0 0.0 0.0 0.0	A.4_Dike	Increase 2 0.0 0.0 0.0 0.0 0.0	A.5_Dike	2 1 1 1	0 \ .0 .0 .0 .0 .0	
	A.5_DikeInc	rease 1	A.5_Dike	Increase 2	Damage M	lean Stat:	istic \	

```
0
                   0.0
                                        0.0
                                                       8.583688e+05
1
                   0.0
                                        0.0
                                                       1.115450e+06
2
                   0.0
                                        0.0
                                                       1.343501e+06
3
                   0.0
                                        0.0
                                                       1.259039e+06
4
                   0.0
                                        0.0
                                                       0.000000e+00
   Investment Mean Statistic Deaths Mean Statistic
0
                 3.603164e+07
                                              0.000043
1
                 3.473241e+07
                                              0.000084
2
                 3.349062e+07
                                              0.000091
3
                 3.473241e+07
                                              0.000084
4
                 4.596357e+07
                                              0.000000
[5 rows x 34 columns]
```

The function strongly decreased the number of possible policies:

- 90th Percentile-based: went from 25 to 5 non-dominated policies.
- Mean-based: went from 104 to 23 non-dominated policies

We now create a function that adds a column containing the policy type (either 90th percentile or mean), this is so we can later on distinguish them. Also, we sort the number of deaths from low to high.

```
def select_lowest_deaths_and_sort_by_investment(df, policy_type):
    # Assuming the last column is 'Deaths' and the second last is
'Cost'
    deaths_column = df.columns[-1]

# Add a column to indicate the policy type
    df['Type'] = policy_type

# Sort by deaths first to find the lowest values
    sorted_by_deaths = df.sort_values(by=deaths_column)

# # Select the top 5 with the lowest deaths
    # top_policies = sorted_by_deaths.head(10)

return sorted_by_deaths
```

Let us run the function on both dataframes.

```
# Apply the selection and sorting to each DataFrame
nondominated_90 =
select_lowest_deaths_and_sort_by_investment(nondominated_90, '90th
Percentile')
nondominated_mean =
select_lowest_deaths_and_sort_by_investment(nondominated_mean, 'Mean')
```

In this cell, we streamline the dataframes of non-dominated policies by selecting relevant columns and removing duplicates to prepare them for further analysis. First, we define a function to modify each dataframe by retaining all columns except the three preceding the last one, effectively retaining policies while removing outcomes.

We then apply this function to both the 90th percentile and mean dataframes, producing two prepared dataframes. These are combined into a single dataframe to consolidate all policies. To ensure the combined dataframe is clean and free of redundant entries, we remove duplicate rows while excluding the 'Source' column from the duplicate detection process. This step is crucial to eliminate policies that were created by both mean and 90th percentile based approaches.

This process ensures that we have a comprehensive and non-redundant set of policy data ready for analysis.

```
def prepare dataframe(df):
    # Create a list of all column indices to keep
    # This keeps all columns except the three before the last
    columns to keep = list(range(len(df.columns) - 4)) + [-1]
    # Select columns based on the indices we decided to keep
    modified df = df.iloc[:, columns to keep].copy()
    return modified df
# Prepare each DataFrame
prepared_90 = prepare dataframe(nondominated 90)
prepared mean = prepare dataframe(nondominated mean)
# Concatenate all prepared DataFrames
combined_df = pd.concat([prepared_90, prepared_mean],
ignore index=True)
# Number of policies before deduplication
initial policy count = combined df.shape[0]
# Remove duplicates, ignoring the 'Source' column for duplicate
detection
columns for dup check = combined df.columns[:-1] # Exclude the last
column which is 'Source'
combined df.drop duplicates(subset=columns for dup check,
keep='first', inplace=True)
# Reset index after removing duplicates
combined df.reset index(drop=True, inplace=True)
# Number of policies after deduplication
final policy count = combined df.shape[0]
policies removed = initial policy count - final policy count
# Save the cleaned, combined DataFrame to a CSV file
```

```
output filepath = os.path.join(data dir,
'combined nondominated solutions cleaned.csv')
combined df.to csv(output filepath, index=False)
# Output verification
print("Combined DataFrame with unique policies saved to:",
output filepath)
print(combined df.head())
print(f"Number of policies removed: {policies removed}")
Combined DataFrame with unique policies saved to: C:\Users\jaspe\
PycharmProjects\MBDM assignments\MBDM-project\final assignment\data\
output data\Step2\combined nondominated solutions cleaned.csv
                               1 RfR 0 1 RfR 1 1_RfR 2 2_RfR 0
   0_RfR 0 0_RfR 1 0_RfR 2
2 RfR 1 \
0
       0.0
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4
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   2 RfR 2
            3 RfR 0
                           A.3 DikeIncrease 0
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1
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                 1.0
2
       0.0
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3
       0.0
                 1.0
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                                                                 0.0
4
       0.0
                 1.0
                                           0.0
                                                                 0.0
   A.3 DikeIncrease 2
                                             A.4 DikeIncrease 1 \
                        A.4 DikeIncrease 0
0
                                        4.0
                   0.0
                                                              0.0
1
                   0.0
                                        3.0
                                                              0.0
2
                                        2.0
                   0.0
                                                              0.0
3
                   0.0
                                        1.0
                                                              0.0
4
                   0.0
                                        0.0
                                                              0.0
   A.4 DikeIncrease 2
                        A.5 DikeIncrease 0
                                              A.5 DikeIncrease 1
0
                   0.0
                                        0.0
                                                              0.0
1
                   0.0
                                        0.0
                                                              0.0
2
                   0.0
                                        0.0
                                                              0.0
3
                   0.0
                                        0.0
                                                              0.0
4
                   0.0
                                        0.0
                                                              0.0
   A.5 DikeIncrease 2
                                    Type
0
                   0.0
                        90th Percentile
1
                        90th Percentile
                   0.0
```

```
2 0.0 90th Percentile
3 0.0 90th Percentile
4 0.0 90th Percentile
[5 rows x 32 columns]
Number of policies removed: 4
```

The output shown above indicates that we now have 25 unique non-dominated policies. Also, it shows that there were 4 policies found that are the same for the mean and 90th percentile based optimization.

Extra steps for saving the dataframes with the right index

Now we perform a function to save the dataframe that contains different values for all the policies, one that contains all the values and one that contains only the columns that have different values value in each row of a column, for further interpretation and for creating heatmaps for communication in the third notebook.

```
def drop constant columns(df):
    Drops columns from the DataFrame where all values are equal.
    :param df: pandas DataFrame
    :return: pandas DataFrame with constant columns removed
    df2 = df.copy()
    for column in df2.columns:
        if df2[column].nunique() == 1:
            df2.drop(column, axis=1, inplace=True)
    return df2
combined_df_interpretation = drop constant columns(combined df)
# Initialize a dictionary for policy counts
policy counts = {}
# Iterate through the DataFrame and update the 'Type' column
for i, row in combined df interpretation.iterrows():
    policy type = row['Type']
    # If the policy type is not in the dictionary, add it with an
initial count of 0
    if policy type not in policy counts:
        policy counts[policy type] = 1
    else:
        policy_counts[policy_type] += 1
    # Create the policy name
    policy_index = policy_counts[policy_type]
    policy name = f"{policy type} Policy {str(policy index).zfill(2)}"
    # Replace the 'Type' value with the policy name
```

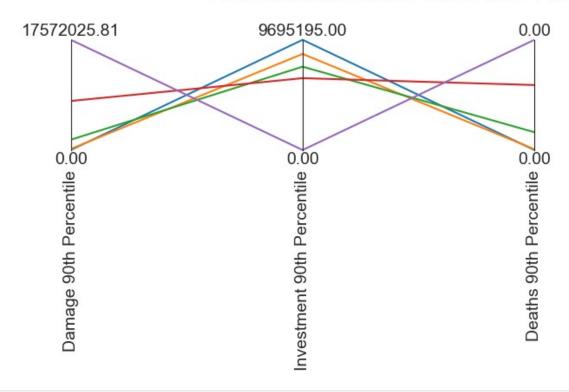
```
combined_df_interpretation.at[i, 'Type'] = policy name
policy counts2 = {}
# Iterate through the DataFrame and update the 'Type' column
for i, row in combined df.iterrows():
    policy type = row['Type']
    # If the policy type is not in the dictionary, add it with an
initial count of 0
    if policy_type not in policy_counts2:
        policy counts2[policy type] = 1
    else:
        policy counts2[policy type] += 1
    # Create the policy name
    policy index = policy counts2[policy type]
    policy name = f"{policy type} Policy {str(policy index).zfill(2)}"
    # Replace the 'Type' value with the policy name
    combined df.at[i, 'Type'] = policy name
# Get the current working directory
current directory = os.getcwd()
print(current directory)
directory = os.path.join(current directory, 'data', 'output data',
'Step2')
file name = 'Interpretation policy preorder.csv'
file name total = 'Total Policy Preorder.csv'
file path = os.path.join(directory, file name)
file path total = os.path.join(directory, file name total)
# Create the directory if it doesn't exist
os.makedirs(directory, exist ok=True)
# Save the modified DataFrame to a CSV file
combined df interpretation.to csv(file path, index=False)
combined df.to csv(file path total, index=False)
print(f"DataFrame saved to {file path}")
print(f"DataFrame saved to {file path total}")
C:\Users\jaspe\PycharmProjects\MBDM assignments\MBDM-project\final
assignment
DataFrame saved to C:\Users\jaspe\PycharmProjects\MBDM assignments\
MBDM-project\final assignment\data\output data\Step2\
Interpretation policy preorder.csv
DataFrame saved to C:\Users\jaspe\PycharmProjects\MBDM assignments\
MBDM-project\final assignment\data\output data\Step2\
Total Policy Preorder.csv
```

3. Plotting Outcomes for Means- and 90th Percentile-Based MORO

Now that we have our 25 policies, let us create a plot to plot them all. The function below generates a parallel coordinates plot to visualize the selected policies. It selects the last three columns of the DataFrame, representing key metrics, and creates a plot showing the relationships between these metrics. The plot is saved to a specified directory and displayed. This visualization helps in comparing and analyzing the performance and trade-offs of the policies.

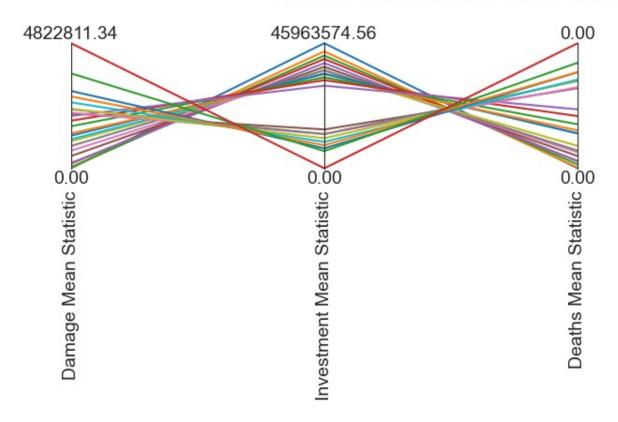
```
def plot parallel coordinates(df, file suffix):
    # Create a saving directory
    current dir = os.getcwd()
    dir = os.path.join(current dir, 'data', 'plots', 'Step2')
    # Select the last three columns of the DataFrame
    output = df.iloc[:, -4:-1]
    # Creating limits DataFrame with min and max for each of the last
three columns
    limits = pd.DataFrame({
        'min': output.min(),
        'max': output.max()
    }).T # Transpose to have 'min' and 'max' as rows and columns as
columns
    # Create a new figure for plotting
    plt.figure(figsize=(14, 6))
    # Initialize ParallelAxes with limits
    axes = parcoords.ParallelAxes(limits)
    axes.plot(output)
    # Adjust the figure to make space for the title and improve layout
    plt.subplots adjust(top=0.85)
    plt.title(f'Parallel Coordinates Plot for {file suffix}', pad=25,
fontsize=18)
    # Save and display the plot
    filename = os.path.join(dir,
f'parallel coordinates plot {file suffix}.png')
    plt.savefig(filename, bbox inches='tight')
    plt.show()
# Example usage
plot parallel coordinates(nondominated 90, '90th Percentile')
plot parallel coordinates(nondominated mean, 'Mean')
```

Parallel Coordinates Plot for 90th Percentile



<Figure size 1400x600 with 0 Axes>

Parallel Coordinates Plot for Mean



The outputted plot above show us all different mean based and 90th percentile based non-dominated policies.