
ECE 300 Communication Theory

Matlab Project 2 Using viterbi

Table of Contents

Project Description	1
Algorithm Initialization	1
Convolutional	1
iteration	2
Plots	4

Zheng Liu, Jing Jiang, Tianshu Ren

Project Description

Our Goal in part 2 is to Achieve BER of 10^{-6} at 12 dB SNR over moderate ISI channel using whatever means possible.

Algorithm Initialization

```
clear all;close all;clc

numIter = 5; % The number of iterations of the simulation
nSym = 1000; % The number of symbols per packet
SNR_Vec = 0:2:16;
lenSNR = length(SNR_Vec);

M = 8; % The M-ary number, 2 corresponds to binary modulation

%chan = 1; % No channel
chan = [1 .2 .4]; % Somewhat invertible channel impulse response,
    Moderate ISI
%chan = [0.227 0.460 0.688 0.460 0.227]'; % Not so invertible,
    severe ISI

% Create a vector to store the BER computed during each iteration
berVec = zeros(numIter, lenSNR);
eqlBerVec = zeros(numIter, lenSNR);
% Run the simulation numIter amount of times
```

Convolutional

```
%trel = poly2trellis([5 4],[23 35 0;0 5 13]); % Define trellis.
trel = poly2trellis(7,[171 133]); %7 is the constraint length.
    171 173 define the system.
traceBack = 32;
```

```
codeRate = 1/2;
```

Below is the hard decision approach we tried. It worked worse than soft

```
%decision. And soft decision is the more complicated case. So only  
soft  
%decision is shown.  
%enc = comm.ConvolutionalEncoder(trel);  
%dec =  
comm.ViterbiDecoder('TrellisStructure',trel,'InputFormat','Hard','TracebackDepth'  
'Continuous'); %Hard
```

iteration

```
tic  
for i = 1:numIter  
  
    % bits = randint(1, nSym*M, [0 1]); % Generate random bits  
    bits = randi(2,[codeRate*nSym*log2(M), 1])-1;  
  
    % If you increase the M-ary number, as you most likely will,  
    you'll need to  
    % convert the bits to integers. See the BIN2DE function  
    % For binary, our MSG signal is simply the bits  
  
    msg = bi2de(reshape(bits,log2(M),[]).');  
    encodedMSG = convenc(bits,trel); %Encoding using  
    trellis generated above.  
  
    for j = 1:lenSNR % one iteration of the simulation at each SNR  
        Value  
  
            noise_addition = 10*log10(log2(M)*codeRate);  
            %To use soft decision, the variance of the noise is required for  
            demodulation.  
            noise_var = 10.^(-(SNR_Vec(j) + noise_addition)/10);  
  
            tx =  
            gammod(encodedMSG,M,'UnitAveragePower',true,'InputType','bit'); %  
            BPSK modulate the signal  
            tx2 =  
            gammod(bits,M,'UnitAveragePower',true,'InputType','bit');  
  
            if isequal(chan,1)  
                txChan = tx;  
                txChan2 = tx2;  
            elseif isa(chan,'channel.rayleigh')  
                reset(chan) % Draw a different channel each iteration  
                txChan = filter(chan,tx);  
            else  
                txChan = filter(chan,1,tx); % Apply the channel.  
                txChan2 = filter(chan,1,tx2);  
            end  
        end  
    end  
end
```

```
% Convert from EbNo to SNR.
% Note: Because  $N_0 = 2 \cdot \text{noiseVariance}^2$ , we must add ~3 dB
% to get SNR (because  $10 \cdot \log_{10}(2) \approx 3$ ).
txNoisy =
awgn(txChan,10*log10(log2(M))+SNR_Vec(j),'measured'); % Add AWGN
txNoisy2 =
awgn(txChan2,10*log10(log2(M))+SNR_Vec(j),'measured');

rx = txNoisy;
rx2 = txNoisy2;

% Again, if M was a larger number, I'd need to convert my
symbols
% back to bits here.

rxMSG =
qamdemod(rx2,M,'UnitAveragePower',true,'OutputType','bit');
noEq1MSG =
qamdemod(rx,M,'UnitAveragePower',true,'OutputType','bit');

%rxMSG = reshape(de2bi(rx,log2(M)),[],1);

%Equalizer
mu = 0.001; %step size
trainlen = 200;
n = 8; %number of weights
const = qammod((0:1:M-1),M);
trainSig=tx(1:trainlen);

%LMS decision-feedback equalizer
nfwd = 16;
nfbk = 12;
dfeLMS = dfe(nfwd,nfbk,lms(mu));
dfeLMS.SigConst = const; % Set signal constellation.
dfeLMS.ResetBeforeFiltering = 0;

%RLS decision-feedback equalizer
dfeRLS = dfe(nfwd,nfbk,rls(0.99,0.9));
dfeRLS.SigConst = const; % Set signal constellation.
dfeRLS.ResetBeforeFiltering = 0;

%lms,linear
%trainMSG = reshape(de2bi(tx(1:trainlen),log2(M)),[],1);
linLMS = lineareq(n, lms(mu)); % Create an equalizer object.
linLMS.SigConst = const; % Set signal constellation.
linLMS.ResetBeforeFiltering = 0;

%rls,linear
linRLS = lineareq(n, rls(1,0.1)); % Create an equalizer
object.
linRLS.SigConst = const; % Set signal constellation.
linRLS.ResetBeforeFiltering = 0;
```

```

%Again, linRLS is picked.

%delay = (numRefTap-1)/eqobj.nSampPerSym;
[y,eqlSig] = equalize(linRLS,rx,trainSig); % Equalize.
eqlMSG =
gamdemod(eqlSig,M,'UnitAveragePower',true,'OutputType','bit');
eqlMSG_soft = gamdemod(eqlSig,M,'OutputType','approxllr', ...
    'UnitAveragePower',true,'NoiseVariance',noise_var);
%decodedMSG = dec(eqlMSG_soft);
decodedMSG =
vitdec(eqlMSG_soft,trel,traceBack,'cont','unquant');

% Compute and store the BER for this iteration

rxMSG = bi2de(reshape(rxMSG,log2(M),[]).');
%decodedMSG = bi2de(reshape(decodedMSG,log2(M),[]).');
[zzz, berVec(i,j)] = biterr(msg, rxMSG); % We're interested
in the BER, which is the 2nd output of BITERR

[zzz, eqlBerVec(i,j)] = biterr(bits(trainlen+1:end-traceBack),
decodedMSG(trainlen+traceBack+1:end)); %For Conv Code
[zzz, eqlBerVec(i,j)] = biterr(bits(trainlen+1:end-traceBack),
decodedMSG(trainlen+traceBack+1:end));

Except for getting rid of the training part, we also need to deal with delay between input and output caused
by convolution, which is equal to traceback in this case because the rate is 1/2.

% The best result we got is 8-QAM, the bit rate is improved
while
% keeping the BER below e-6.

Bit_Rate = (log2(M)*nSym - trainlen) / 1000;

end % End SNR iteration
end % End numIter iteration
time = toc;
time

time =

5.9601

```

Plots

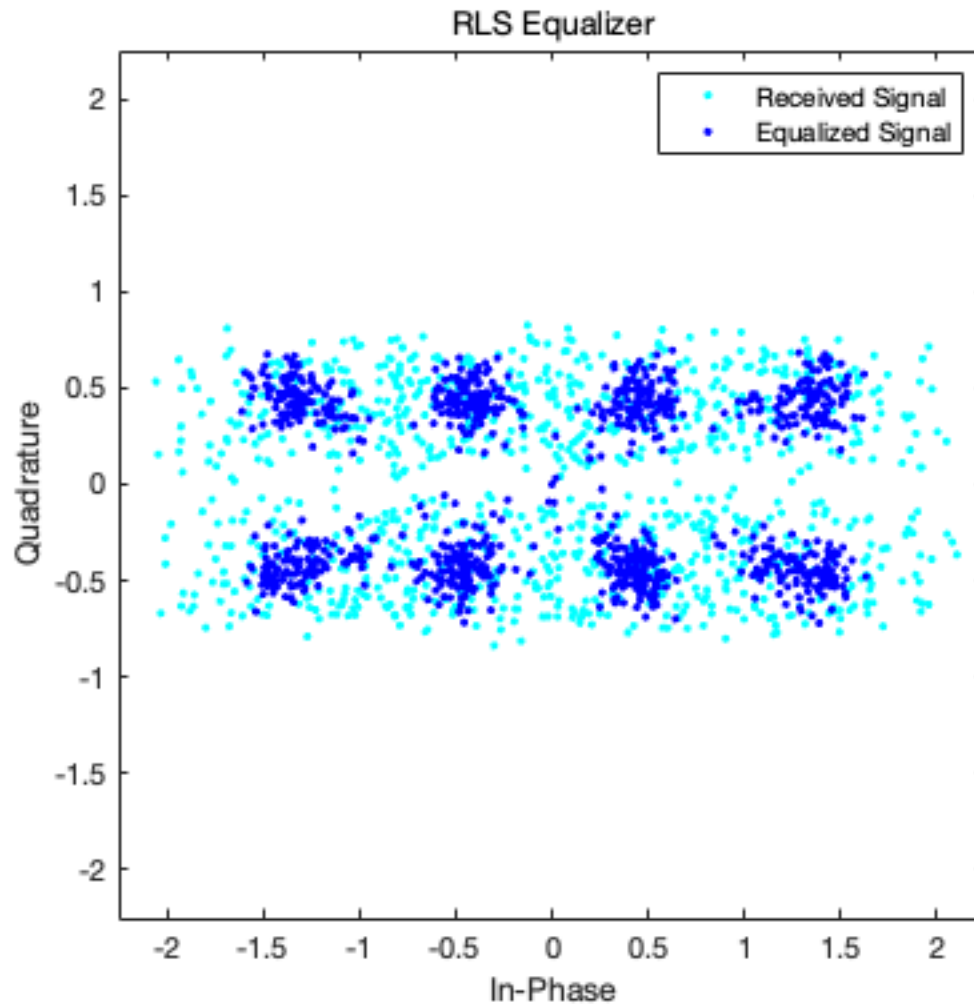
Played with M-ary QAM Scatter plot to see how equalizers work on

```

h = scatterplot(rx,1,0,'c. ');
hold on
scatterplot(y,1,0,'b.',h)
legend('Received Signal','Equalized Signal')
title('RLS Equalizer')

```

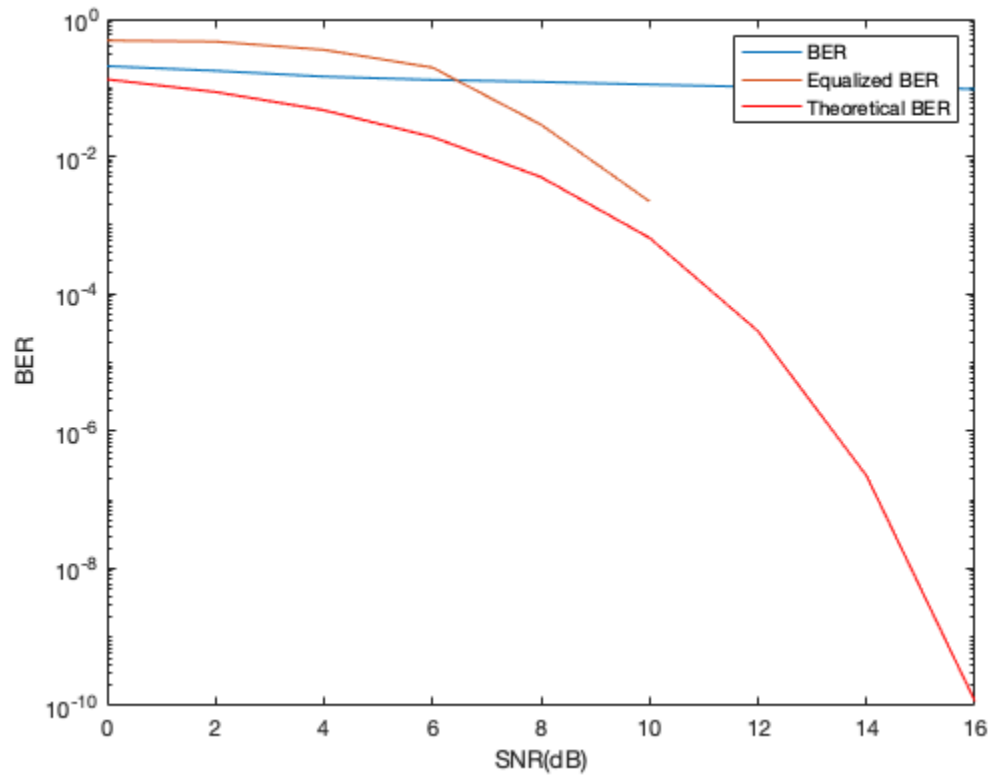
```
hold off  
%
```



Compute and plot the mean BER. The result at 12dB is 0. Which fits the requirement.

```
figure;  
ber = mean(berVec,1);  
eqlBer = mean(eqlBerVec,1);  
semilogy(SNR_Vec, ber);  
hold on  
semilogy(SNR_Vec, eqlBer);  
  
berTheory = berawgn(SNR_Vec, 'qam', M);  
hold on  
semilogy(SNR_Vec, berTheory, 'r')  
xlabel("SNR(dB)")  
ylabel("BER")
```

```
legend('BER', 'Equalized BER', 'Theoretical BER')
```



Published with MATLAB® R2018b

QAM 32 Viterbi

Table of Contents

Algorithm Initialization	1
Convolutional	1
iteration	2
Plots	4

Algorithm Initialization

```
clear all;close all;clc

numIter = 5; % The number of iterations of the simulation
nSym = 1000; % The number of symbols per packet
SNR_Vec = 0:2:16;
lenSNR = length(SNR_Vec);

M = 16; % The M-ary number, 2 corresponds to binary modulation

%chan = 1; % No channel
chan = [1 .2 .4]; % Somewhat invertible channel impulse response,
    Moderate ISI
%chan = [0.227 0.460 0.688 0.460 0.227]'; % Not so invertible,
    severe ISI

% Create a vector to store the BER computed during each iteration
berVec = zeros(numIter, lenSNR);
eq1BerVec = zeros(numIter, lenSNR);
% Run the simulation numIter amount of times
```

Convolutional

```
%trell = poly2trellis([5 4],[23 35 0;0 5 13]); % Define trellis.
trell = poly2trellis(7,[171 133]); %7 is the constraint length.
    171 173 define the system.
traceBack = 32;
codeRate = 1/2;
```

Below is the hard decision approach we tried. It worked worse than soft

```
    %decision. And soft decision is the more complicated case. So only
soft
    %decision is shown.
    %enc = comm.ConvolutionalEncoder(trell);
    %dec =
comm.ViterbiDecoder('TrellisStructure',trell,'InputFormat','Hard','TracebackDepth'
    'Continuous'); %Hard
```

iteration

```

tic
for i = 1:numIter

    % bits = randint(1, nSym*M, [0 1]);      % Generate random bits
    bits = randi(2,[codeRate*nSym*log2(M), 1])-1;

    % If you increase the M-ary number, as you most likely will,
    you'll need to
    % convert the bits to integers. See the BIN2DE function
    % For binary, our MSG signal is simply the bits

    msg = bi2de(reshape(bits,log2(M),[]).');
    encodedMSG = convenc(bits,trel);          %Encoding using
    trellis generated above.

    for j = 1:lenSNR % one iteration of the simulation at each SNR
    Value

        noise_addition = 10*log10(log2(M)*codeRate);
        %To use soft decision, the variance of the noise is required for
        demodulation.
        noise_var = 10.^(-(SNR_Vec(j) + noise_addition)/10);

        tx =
        gammod(encodedMSG,M,'UnitAveragePower',true,'InputType','bit'); %
        BPSK modulate the signal
        tx2 =
        gammod(bits,M,'UnitAveragePower',true,'InputType','bit');

        if isequal(chan,1)
            txChan = tx;
            txChan2 = tx2;
        elseif isa(chan,'channel.rayleigh')
            reset(chan) % Draw a different channel each iteration
            txChan = filter(chan,tx);
        else
            txChan = filter(chan,1,tx); % Apply the channel.
            txChan2 = filter(chan,1,tx2);
        end

        % Convert from EbNo to SNR.
        % Note: Because No = 2*noiseVariance^2, we must add ~3 dB
        % to get SNR (because 10*log10(2) ~= 3).
        txNoisy =
        awgn(txChan,10*log10(log2(M))+SNR_Vec(j),'measured'); % Add AWGN
        txNoisy2 =
        awgn(txChan2,10*log10(log2(M))+SNR_Vec(j),'measured');

        rx = txNoisy;
        rx2 = txNoisy2;
    end
end

```

```

    % Again, if M was a larger number, I'd need to convert my
symbols
    % back to bits here.

    rxMSG =
gamdemod(rx2,M,'UnitAveragePower',true,'OutputType','bit');
    noEq1MSG =
gamdemod(rx,M,'UnitAveragePower',true,'OutputType','bit');

    %rxMSG = reshape(de2bi(rx,log2(M)),[],1);

%Equalizer
mu = 0.001; %step size
trainlen = 200;
n = 8; %number of weights
const = gammod((0:1:M-1),M);
trainSig=tx(1:trainlen);

%LMS decision-feedback equalizer
nfwd = 16;
nfbk = 12;
dfeLMS = dfe(nfwd,nfbk,lms(mu));
dfeLMS.SigConst = const; % Set signal constellation.
dfeLMS.ResetBeforeFiltering = 0;

%RLS decision-feedback equalizer
dfeRLS = dfe(nfwd,nfbk,rls(0.99,0.9));
dfeRLS.SigConst = const; % Set signal constellation.
dfeRLS.ResetBeforeFiltering = 0;

%lms,linear
%trainMSG = reshape(de2bi(tx(1:trainlen),log2(M)),[],1);
linLMS = lineareq(n, lms(mu)); % Create an equalizer object.
linLMS.SigConst = const; % Set signal constellation.
linLMS.ResetBeforeFiltering = 0;

%rls,linear
linRLS = lineareq(n, rls(1,0.1)); % Create an equalizer
object.
linRLS.SigConst = const; % Set signal constellation.
linRLS.ResetBeforeFiltering = 0;

%Again, linRLS is picked.

%delay = (numRefTap-1)/eqobj.nSampPerSym;
[y,eqlSig] = equalize(linRLS,rx,trainSig); % Equalize.
eqlMSG =
gamdemod(eqlSig,M,'UnitAveragePower',true,'OutputType','bit');
eqlMSG_soft = gamdemod(eqlSig,M,'OutputType','approxllr', ...
    'UnitAveragePower',true,'NoiseVariance',noise_var);
%decodedMSG = dec(eqlMSG_soft);

```

```

        decodedMSG =
vitdec(eqlMSG_soft,trel,traceBack,'cont', 'unquant');

        % Compute and store the BER for this iteration

        rxMSG = bi2de(reshape(rxMSG,log2(M),[]).');
        %decodedMSG = bi2de(reshape(decodedMSG,log2(M),[]).');
        [zzz, berVec(i,j)] = biterr(msg, rxMSG); % We're interested
in the BER, which is the 2nd output of BITERR

        [zzz, eqlBerVec(i,j)] = biterr(bits(trainlen+1:end-traceBack),
decodedMSG(trainlen+traceBack+1:end)); %For Conv Code
        [zzz, eqlBerVec(i,j)] = biterr(bits(trainlen+1:end-traceBack),
decodedMSG(trainlen+traceBack+1:end));

```

Except for getting rid of the training part, we also need to deal with delay between input and output caused by convolution, which is equal to traceback in this case because the rate is 1/2.

```

        % The best result we got is 8-QAM, the bit rate is improved
while
    % keeping the BER below e-6.

    Bit_Rate = (log2(M)*nSym - trainlen) / 1000;

end % End SNR iteration
end % End numIter iteration
time = toc;
time

time =

    5.7438

```

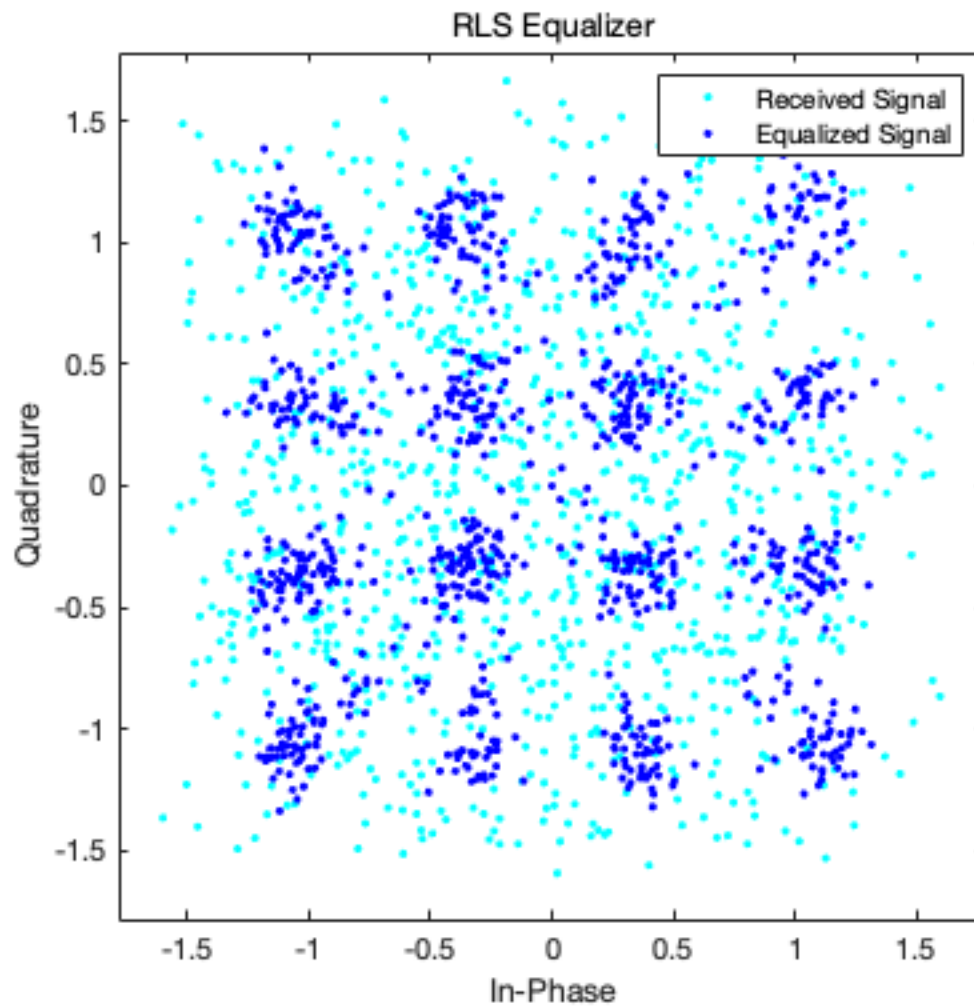
Plots

Played with M-ary QAM Scatter plot to see how equalizers work on

```

h = scatterplot(rx,1,0,'c. ');
hold on
scatterplot(y,1,0,'b.',h)
legend('Received Signal','Equalized Signal')
title('RLS Equalizer')
hold off
%

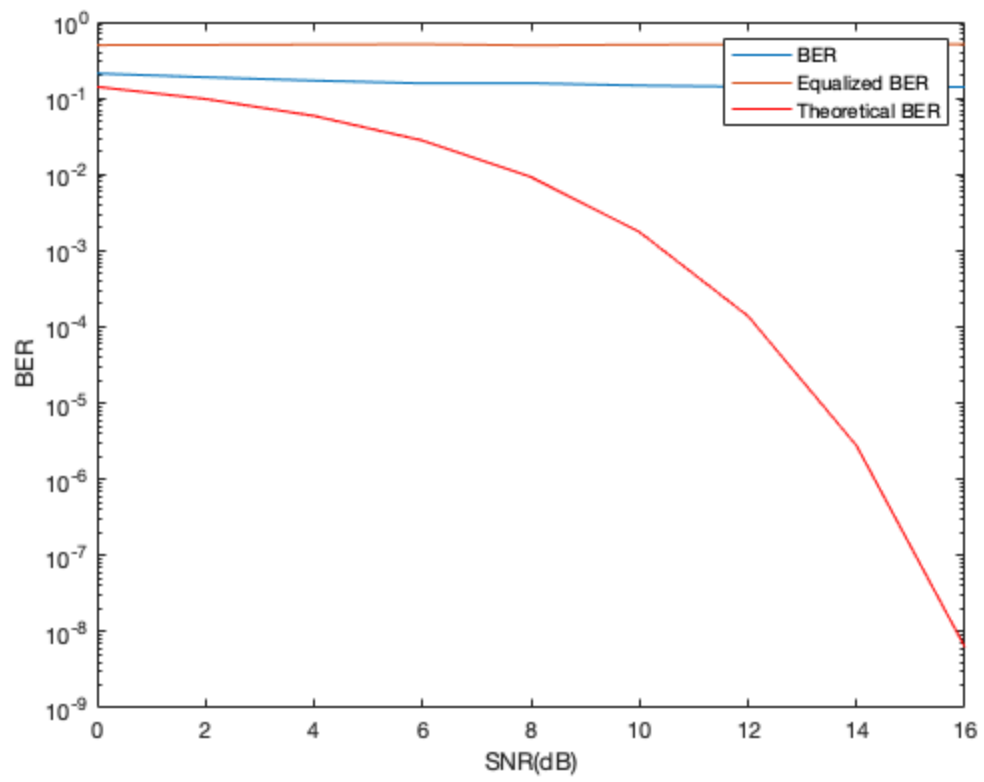
```



Compute and plot the mean BER. The result at 12dB is 0. Which fits the requirement.

```
figure;
ber = mean(berVec,1);
eqlBer = mean(eqlBerVec,1);
semilogy(SNR_Vec, ber);
hold on
semilogy(SNR_Vec, eqlBer);

berTheory = berawgn(SNR_Vec, 'qam', M);
hold on
semilogy(SNR_Vec, berTheory, 'r')
xlabel("SNR(dB)")
ylabel("BER")
legend('BER', 'Equalized BER', 'Theoretical BER')
```



Published with MATLAB® R2018b

ECE 300 Communication Theory

Matlab Project 2 Using BCH

Table of Contents

Project Description	1
Algorithm Initialization	1
BCH	2
Iteration	2
Plots	4

Zheng Liu, Jing Jiang, Tianshu Ren

Project Description

Our Goal in part 2 is to Achieve BER of 10^{-6} at 12 dB SNR over moderate ISI channel using whatever means possible.

Algorithm Initialization

```
clear all;close all;clc
numIter = 5; % The number of iterations of the simulation
nSym = 1000; % The number of symbols per packet
SNR_Vec = 0:2:16;
lenSNR = length(SNR_Vec);

M = 4; % The M-ary number, 2 corresponds to binary modulation

%chan = 1; % No channel
chan = [1 .2 .4]; % Somewhat invertible channel impulse response,
    Moderate ISI
%chan = [0.227 0.460 0.688 0.460 0.227]'; % Not so invertible,
    severe ISI

% Create a vector to store the BER computed during each iteration
berVec = zeros(numIter, lenSNR);
eq1BerVec = zeros(numIter, lenSNR);
% Run the simulation numIter amount of times
```

Block code

```
N = 63; % Codeword length
K = 24; % Message length
S = K; % Shortened message length

% N and K have to be paired up. All valid pairs are shown by
bchnumerr.
% Small K can deal with more bits of error but low efficiency. BCH
works
```

```
% only if N and K are picked so that many parity bits are used.  
Therefore,  
% it is not ideal for maximizing bit rate. Demo of it working uses  
4-QAM.
```

BCH

```
bchnumerr(63) %determine K given N. ie. N and K has to be a  
valid pair in the result  
%gp = bchgenpoly(N,K); %Tried but did not improve performance. Just  
go with default.  
enc = comm.BCHEncoder(N,K);  
dec = comm.BCHDecoder(N,K);
```

```
ans =
```

63	57	1
63	51	2
63	45	3
63	39	4
63	36	5
63	30	6
63	24	7
63	18	10
63	16	11
63	10	13
63	7	15

Iteration

```
tic  
for i = 1:numIter  
  
    % bits = randint(1, nSym*M, [0 1]); % Generate random bits  
    bits = randi(2,[K*nSym*log2(M), 1])-1;  
    % New bits must be generated at every  
    % iteration  
  
    % If you increase the M-ary number, as you most likely will,  
    you'll need to  
    % convert the bits to integers. See the BIN2DE function  
    % For binary, our MSG signal is simply the bits  
    encodedMSG = enc(bits);  
  
    for j = 1:lenSNR % one iteration of the simulation at each SNR  
Value  
  
        tx =  
gammod(encodedMSG,M,'UnitAveragePower',true,'InputType','bit');  
        %Input has to be bits.
```

```

tx2 =
gammod(bits,M,'UnitAveragePower',true,'InputType','bit');
%This signal does not go through coding or equalizer. (Control for
comparison and debugging )

if isequal(chan,1)
    txChan = tx;
    txChan2 = tx2;
elseif isa(chan,'channel.rayleigh')
    reset(chan) % Draw a different channel each iteration
    txChan = filter(chan,tx);
else
    txChan = filter(chan,1,tx); % Apply the channel.
    txChan2 = filter(chan,1,tx2);
end

% Convert from EbNo to SNR.
% Note: Because No = 2*noiseVariance^2, we must add ~3 dB
% to get SNR (because 10*log10(2) ~= 3).
txNoisy =
awgn(txChan,10*log10(log2(M))+SNR_Vec(j),'measured'); % Add AWGN
txNoisy2 =
awgn(txChan2,10*log10(log2(M))+SNR_Vec(j),'measured');
%txNoisy = awgn(txChan,3+SNR_Vec(j),'measured'); % Add AWGN
rx = txNoisy;
rx2 = txNoisy2;
%rx_demod = qamdemod(txNoisy,M); % Demodulate

% Again, if M was a larger number, I'd need to convert my
symbols
% back to bits here.

rxMSG =
qamdemod(rx2,M,'UnitAveragePower',true,'OutputType','bit');
noEq1MSG =
qamdemod(rx,M,'UnitAveragePower',true,'OutputType','bit'); %Encoded
but will not be equalized (for tuning and debugging)

%Equalizer
mu = 0.001; %step size
trainlen = 200;
n = 8; %number of weights
const = gammod((0:1:M-1),M);
trainSig=tx(1:trainlen);

%LMS decision-feedback equalizer
nfwd = 16;
nfbk = 12;
dfeLMS = dfe(nfwd,nfbk,lms(mu));
dfeLMS.SigConst = const; % Set signal constellation.
dfeLMS.ResetBeforeFiltering = 0;

%RLS decision-feedback equalizer

```

```

dfeRLS = dfe(nfwd,nfbk,rls(0.99,0.9));
dfeRLS.SigConst = const; % Set signal constellation.
dfeRLS.ResetBeforeFiltering = 0;

%lms,linear
%trainMSG = reshape(de2bi(tx(1:trainlen),log2(M)),[],1);
linLMS = lineareq(n, lms(mu)); % Create an equalizer object.
linLMS.SigConst = const; % Set signal constellation.
linLMS.ResetBeforeFiltering = 0;

%rls,linear
linRLS = lineareq(n, rls(1,0.1)); % Create an equalizer
object.
linRLS.SigConst = const; % Set signal constellation.
linRLS.ResetBeforeFiltering = 0;

%Decide to use linear RLS after many trials because of its
good
%performance.

[y,eqlSig] = equalize(linRLS,rx,trainSig); % Equalize.
eqlMSG =
gamdemod(eqlSig,M,'UnitAveragePower',true,'OutputType','bit');
decodedMSG = dec(eqlMSG);

Compute and store the BER for this iteration

%decodedMSG = bi2de(reshape(decodedMSG,log2(M),[]).');
[zzz, berVec(i,j)] = biterr(bits, rxMSG); % We're interested
in the BER, which is the 2nd output of BITERR

[zzz, eqlBerVec(i,j)] = biterr(bits(trainlen+1:end),
decodedMSG(trainlen+1:end)); %For Block Code
[zzz, eqlBerVec(i,j)] = biterr(bits(trainlen+1:end),
decodedMSG(trainlen+1:end));

end % End SNR iteration
end % End numIter iteration
time = toc;
time

time =

174.2056

```

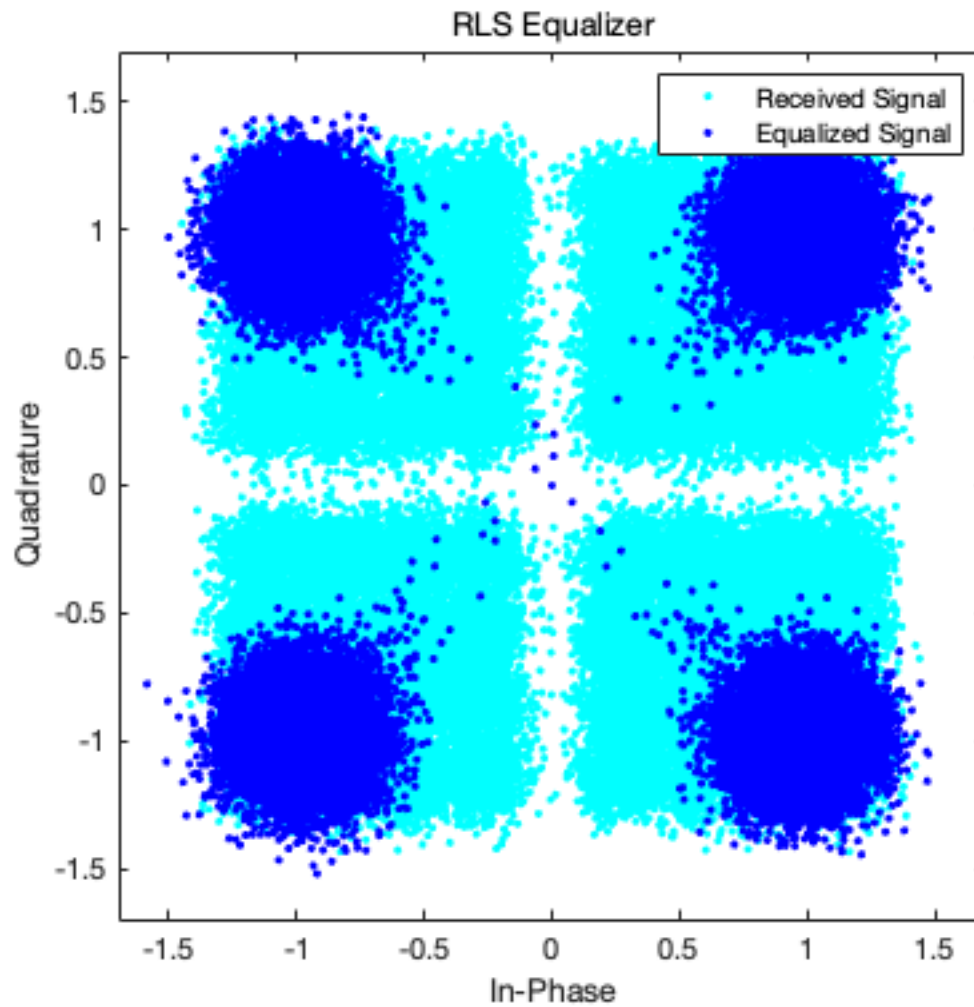
Plots

```

%Played with M-ary QAM Scatter plot to see how equalizers work on
%
h = scatterplot(rx,1,0,'c.');
```

hold on


```
scatterplot(y,1,0,'b.',h)
legend('Received Signal','Equalized Signal')
title('RLS Equalizer')
hold off
%
```

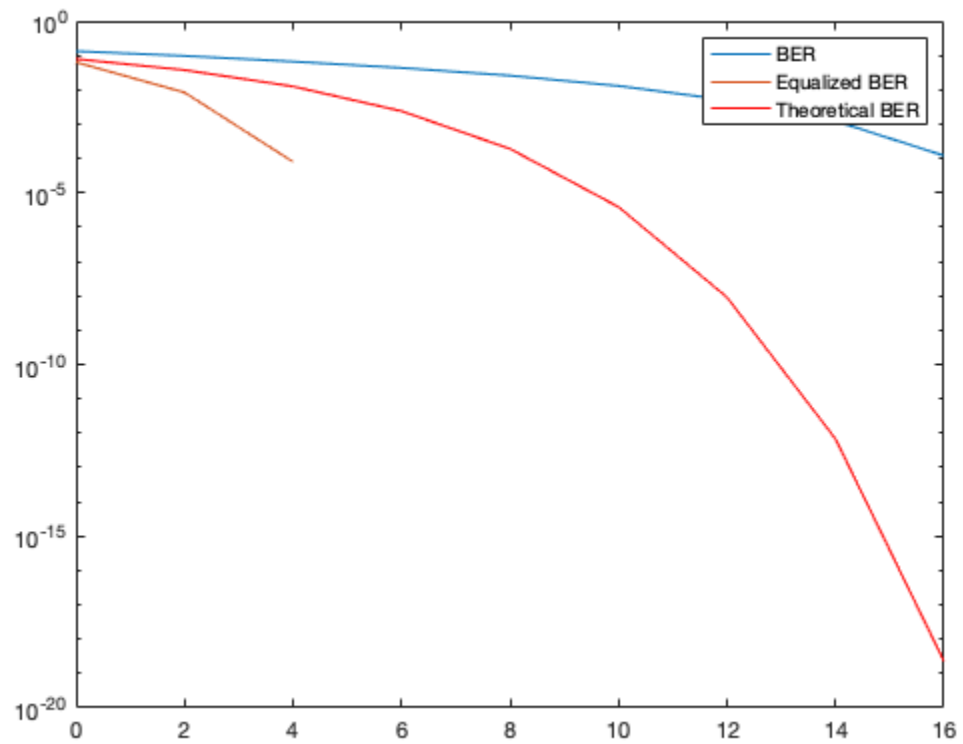


Compute and plot the mean BER. The result at 12dB is 0. Which fits the requirement.

```
figure;
ber = mean(berVec,1);
eqlBer = mean(eqlBerVec,1);
semilogy(SNR_Vec, ber);
hold on
semilogy(SNR_Vec, eqlBer);

berTheory = berawgn(SNR_Vec, 'qam', M);
hold on
semilogy(SNR_Vec, berTheory, 'r')
```

```
legend('BER', 'Equalized BER', 'Theoretical BER')
```



Published with MATLAB® R2018b

ECE 300 Communication Theory

Matlab Project 2 Using Reed-Solomon

Table of Contents

Project Description	1
Algorithm Initialization	1
Reed Solomon	2
Iteration	2
Plots	5

Zheng Liu, Jing Jiang, Tianshu Ren

Project Description

Our Goal in part 2 is to Achieve BER of 10^{-6} at 12 dB SNR over moderate ISI channel using whatever means possible.

Algorithm Initialization

```
clear all;close all;clc
numIter = 5; % The number of iterations of the simulation
nSym = 1000; % Real symbol number needs to be scaled because of
    encoding. See bit generation code.
SNR_Vec = 0:2:16;
lenSNR = length(SNR_Vec);

M = 4; % The M-ary number, 2 corresponds to binary modulation

%chan = 1; % No channel
chan = [1 .2 .4]; % Somewhat invertible channel impulse response,
    Moderate ISI
%chan = [0.227 0.460 0.688 0.460 0.227]'; % Not so invertible,
    severe ISI

% Create a vector to store the BER computed during each iteration
berVec = zeros(numIter, lenSNR);
eqlBerVec = zeros(numIter, lenSNR);
% Run the simulation numIter amount of times

Block code

N = 15; % Codeword length
K = 2; % Message length
S = K; % Shortened message length
```

```
% N and K have to be paired up. All valid pairs are shown by
bchnumerr.
% Small K can deal with more bits of error but low efficiency. BCH
works
% only if N and K are picked so that many parity bits are used.
Therefore,
% it is not ideal for maximizing bit rate. Demo of it working uses
4-QAM.
```

Reed Solomon

```
enc = comm.RSEncoder(N,K,'BitInput',true);
dec = comm.RSDecoder(N,K,'BitInput',true);

%numPuncs = N - K;
%m = log2(N + 1);
%enc.PuncturePatternSource = 'Property';
%enc.PuncturePattern = [ones(N-K-numPuncs,1); zeros(numPuncs,1)];
% Set the shortened message length values
%enc.ShortMessageLength = S;
% Specify the field of GF(2^6) in the RS encoder/decoder System
objects, by setting the PrimitivePolynomialSource property ...
% to 'Property' and the PrimitivePolynomial property to a 6th degree
primitive polynomial.
%enc.PrimitivePolynomialSource = 'Property';
%enc.PrimitivePolynomial = de2bi(primpoly(m, 'nodisplay'), 'left-
msb');

%dec.PuncturePatternSource = 'Property';
%dec.PuncturePattern = [ones(N-K-numPuncs,1); zeros(numPuncs,1)];
% Set the shortened message length values
%dec.ShortMessageLength = S;
% Specify the field of GF(2^6) in the RS encoder/decoder System
objects, by setting the PrimitivePolynomialSource property ...
% to 'Property' and the PrimitivePolynomial property to a 6th degree
primitive polynomial.
%dec.PrimitivePolynomialSource = 'Property';
%dec.PrimitivePolynomial = de2bi(primpoly(m, 'nodisplay'), 'left-
msb');

%Tried user-defined parameters above but did not get improvement.
%Researched puncture but did not know how to use it.
```

Iteration

```
tic
for i = 1:numIter

    % bits = randint(1, nSym*M, [0 1]);      % Generate random bits
    bits = randi(2,[K*nSym*log2(M), 1])-1;
```

```
% New bits must be generated at every
% iteration

msg = bits;
msg = bi2de(reshape(bits,log2(M),[]).');
encodedMSG = enc(bits);

for j = 1:lenSNR % one iteration of the simulation at each SNR
Value

    tx =
    gammod(encodedMSG,M,'UnitAveragePower',true,'InputType','bit'); %
    BPSK modulate the signal
    tx2 =
    gammod(bits,M,'UnitAveragePower',true,'InputType','bit');

    if isequal(chan,1)
        txChan = tx;
        txChan2 = tx2;
    elseif isa(chan,'channel.rayleigh')
        reset(chan) % Draw a different channel each iteration
        txChan = filter(chan,tx);
    else
        txChan = filter(chan,1,tx); % Apply the channel.
        txChan2 = filter(chan,1,tx2);
    end

    % Convert from EbNo to SNR.
    % Note: Because  $N_0 = 2 \cdot \text{noiseVariance}^2$ , we must add ~3 dB
    % to get SNR (because  $10 \cdot \log_{10}(2) \approx 3$ ).
    txNoisy =
    awgn(txChan,10*log10(log2(M))+SNR_Vec(j),'measured'); % Add AWGN
    txNoisy2 =
    awgn(txChan2,10*log10(log2(M))+SNR_Vec(j),'measured');
    %txNoisy = awgn(txChan,3+SNR_Vec(j),'measured'); % Add AWGN
    rx = txNoisy;
    rx2 = txNoisy2;
    %rx_demod = qamdemod(txNoisy,M); % Demodulate

    % Again, if M was a larger number, I'd need to convert my
symbols
    % back to bits here.

    rxMSG =
    qamdemod(rx2,M,'UnitAveragePower',true,'OutputType','bit');
    noEq1MSG =
    qamdemod(rx,M,'UnitAveragePower',true,'OutputType','bit');

    %rxMSG = reshape(de2bi(rx,log2(M)),[],1);

    %Equalizer
```

```
mu = 0.001; %step size
trainlen = 200;
n = 8; %number of weights
const = qammod((0:1:M-1),M);
trainSig=tx(1:trainlen);

%LMS decision-feedback equalizer
nfwd = 16;
nfbk = 12;
dfeLMS = dfe(nfwd,nfbk,lms(mu));
dfeLMS.SigConst = const; % Set signal constellation.
dfeLMS.ResetBeforeFiltering = 0;

%RLS decision-feedback equalizer
dfeRLS = dfe(nfwd,nfbk,rls(0.99,0.9));
dfeRLS.SigConst = const; % Set signal constellation.
dfeRLS.ResetBeforeFiltering = 0;

%lms,linear
%trainMSG = reshape(de2bi(tx(1:trainlen),log2(M)),[],1);
linLMS = lineareq(n, lms(mu)); % Create an equalizer object.
linLMS.SigConst = const; % Set signal constellation.
linLMS.ResetBeforeFiltering = 0;

%rls,linear
linRLS = lineareq(n, rls(1,0.1)); % Create an equalizer
object.
linRLS.SigConst = const; % Set signal constellation.
linRLS.ResetBeforeFiltering = 0;

%lms,decision feedback

%delay = (numRefTap-1)/eqobj.nSampPerSym;
[y,eqlSig] = equalize(linRLS,rx,trainSig); % Equalize.
eqlMSG =
qamdemod(eqlSig,M,'UnitAveragePower',true,'OutputType','bit');
decodedMSG = dec(eqlMSG);

% Compute and store the BER for this iteration

rxMSG = bi2de(reshape(rxMSG,log2(M),[]).');
%decodedMSG = bi2de(reshape(decodedMSG,log2(M),[]).');
[zzz, berVec(i,j)] = biterr(msg, rxMSG); % We're interested
in the BER, which is the 2nd output of BITERR

[zzz, eqlBerVec(i,j)] = biterr(bits(trainlen+1:end),
decodedMSG(trainlen+1:end)); %For Block Code
[zzz, eqlBerVec(i,j)] = biterr(bits(trainlen+1:end),
decodedMSG(trainlen+1:end));
end % End SNR iteration
end % End numIter iteration
time = toc;
time
```

```
time =  
  
42.3645
```

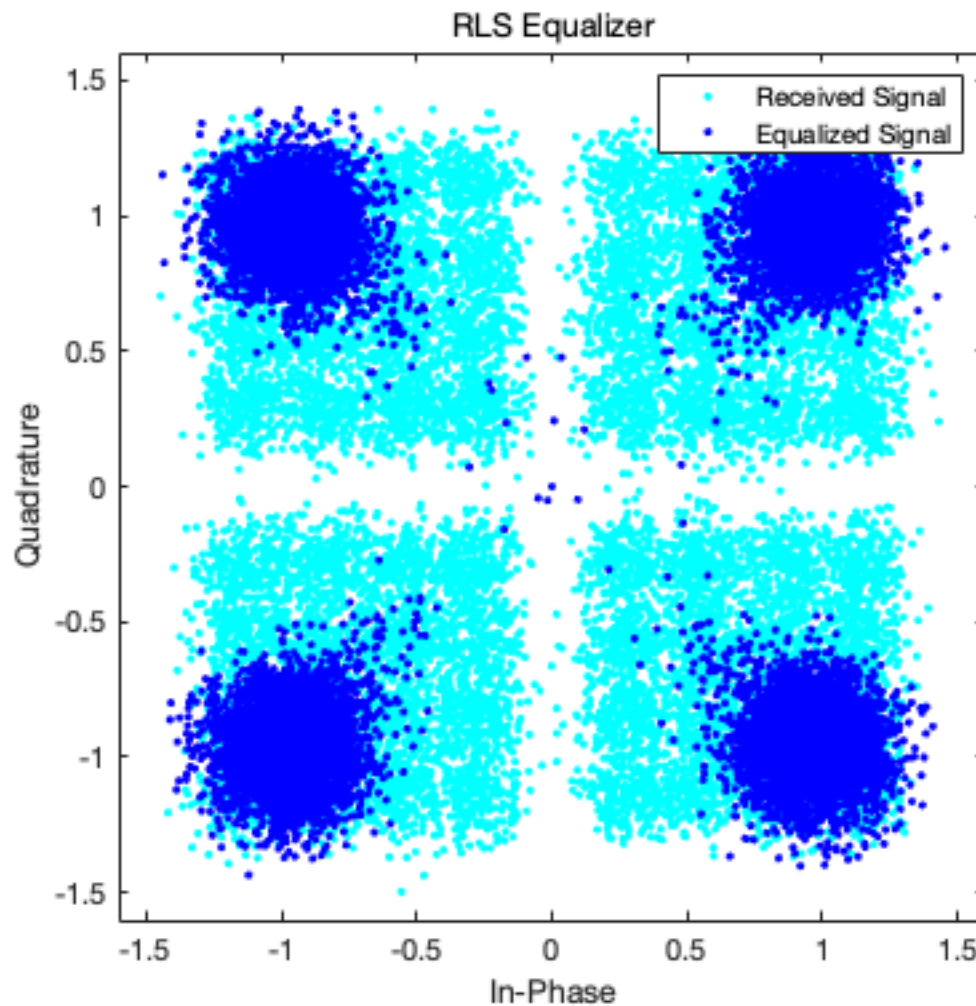
Plots

Played with M-ary QAM Scatter plot to see how equalizers work on

```
h = scatterplot(rx,1,0,'c.');
```

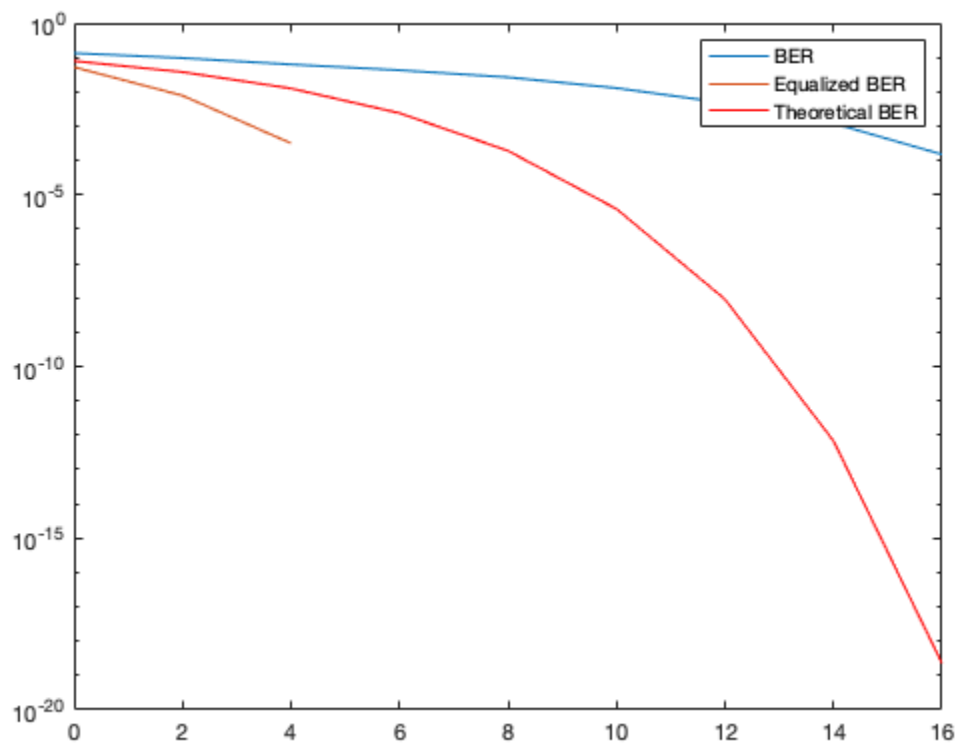
hold on

```
scatterplot(y,1,0,'b.',h)  
legend('Received Signal','Equalized Signal')  
title('RLS Equalizer')  
hold off  
%
```



Compute and plot the mean BER. The result at 12dB is 0. Which fits the requirement.

```
figure;  
ber = mean(berVec,1);  
eqlBer = mean(eqlBerVec,1);  
semilogy(SNR_Vec, ber);  
hold on  
semilogy(SNR_Vec, eqlBer);  
  
berTheory = berawgn(SNR_Vec, 'qam', M);  
hold on  
semilogy(SNR_Vec, berTheory, 'r')  
legend('BER', 'Equalized BER', 'Theoretical BER')
```



Published with MATLAB® R2018b