

## MATLAB – 1

## CODE:

```
clc
clear all
syms x1 x2 x3 x4
A = (2*x1)-(x3) == 0;
B = (4*x1)-(x4) == 0;
C = (2*x2)-(2*x3)-x4 == 0;
fprintf('20BCD7171 MAJJIGA JASWANTH \n')
[X,Y] = equationsToMatrix([A,B,C],[x1,x2,x3,x4])
z = linsolve(X,Y)
|
```

20BCD7171 MAJJIGA JASWANTH

X =

$$\begin{pmatrix} 2 & 0 & -1 & 0 \\ 4 & 0 & 0 & -1 \\ 0 & 2 & -2 & -1 \end{pmatrix}$$

Y =

$$\begin{pmatrix} 0 \\ 0 \\ 0 \end{pmatrix}$$

Warning: Solution is not unique  
because the system is rank-  
deficient.

z =

$$\begin{pmatrix} 0 \\ 0 \\ 0 \\ 0 \end{pmatrix}$$

## MATLAB

## LAB 2

Code :

```
>> syms x1 x2 x3 x4
```

```
>> eq1 = x1 - x4 == 160
```

eq1 =

$x_1 - x_4 == 160$

```
>> eq2 = x1 - x2 == 240
```

eq2 =

$x_1 - x_2 == 240$

```
>> eq3 = x3 - x2 == 600
```

eq3 =

$x_3 - x_2 == 600$

```
>> eq4 = x3 - x2 == 520
```

eq4 =

$x_3 - x_2 == 520$

```
>> [A,B] = equationsToMatrix([eq1,eq2,eq3,eq4],[])
```

A =

Empty sym: 4-by-0

B =

$$x_4 - x_1 + 160$$

$$x_2 - x_1 + 240$$

$$x_2 - x_3 + 600$$

$$x_2 - x_3 + 520$$

```
>> [A,B] = equationsToMatrix([eq1,eq2,eq3,eq4],[x1,x2,x3,x4])
```

A =

$$[1, 0, 0, -1]$$

$$[1, -1, 0, 0]$$

$$[0, -1, 1, 0]$$

$$[0, -1, 1, 0]$$

B =

$$160$$

$$240$$

$$600$$

$$520$$

```
>> AB=[A,B]
```

AB =

$$[1, 0, 0, -1, 160]$$

```
[1, -1, 0, 0, 240]
```

```
[0, -1, 1, 0, 600]
```

```
[0, -1, 1, 0, 520]
```

```
>> alpha=A(2,1)/A(1,1)
```

```
alpha =
```

```
1
```

```
>> AB(2,:)
```

```
ans =
```

```
[1, -1, 0, 0, 240]
```

```
>> AB(1,:)
```

```
ans =
```

```
[1, 0, 0, -1, 160]
```

```
>> AB(2,:)=AB(2,:)-alpha*AB(1,:)
```

```
AB =
```

```
[1, 0, 0, -1, 160]
```

```
[0, -1, 0, 1, 80]
```

```
[0, -1, 1, 0, 600]
```

```
[0, -1, 1, 0, 520]
```

```
>> alp = A(3,2)/A(2,2)
```

alp =

1

```
>> AB(3,:)=AB(3,:)-alp*AB(2,:)
```

AB =

[1, 0, 0, -1, 160]

[0, -1, 0, 1, 80]

[0, 0, 1, -1, 520]

[0, -1, 1, 0, 520]

```
>> alp=A(4,3)/A(3,3)
```

alp =

1

```
>> AB(4,:)=AB(4,:)-alp*AB(3,:)
```

AB =

[1, 0, 0, -1, 160]

[0, -1, 0, 1, 80]

[0, 0, 1, -1, 520]

[0, -1, 0, 1, 0]

```
>> syms k
```

```
>> x4 = k
```

$x_4 =$

$k$

$x_3 =$

$k + 520$

$\gg x_2 = -AB(2,5) + x_4$

$x_2 =$

$k - 80$

$\gg x_1 = AB(1,5) + x_4$

$x_1 =$

$k + 160$

$\gg x_4 = 0$

$x_4 =$

$0$

$\gg x_3 = AB(3,5) + x_4$

$x_3 =$

$520$

$\gg x_2 = -AB(2,5) + x_4$

x2 =

-80

>> x1=AB(1,5)+x4

x1 =

160

>> x4 =10

x4 =

10

>> x3=520+x4

x3 =

530

>> x2=-80+x4

x2 =

-70

>> x1=160+x4

x1 =

170

>>



## MATLAB-3

## CODE:

```
%MATLAB-3
clc
clear all
fprintf("MAJJIGA JASWANTH \n20BCD7171")
X = [0 0 1 1;1 0 0 0;1 1 0 1;1 1 0 0]
a = 0.85;
delta = 0.0375;
z = sum(X,1)

for i = 1:4
    for j =1:4
        if z(j) == 0;
            Y(i,j) = delta;
        else
            Y(i,j) = ((a*X(i,j))/z(j))+delta;
        end
    end
end
disp(Y)
[B,D]=eigs(X);
p = B(:,1);
x = p/sum(p);
n=char(65:68);
for i = 1:1:4
    fprintf("page rank of"+x(i)+"is"+p(i)+"\n")
end
```

MAJJIGA JASWANTH  
20BCD7171

X = 4x4

0	0	1	1
1	0	0	0
1	1	0	1
1	1	0	0

z = 1x4

3	2	1	2
---	---	---	---

0.0375	0.0375	0.8875	0.4625
0.3208	0.0375	0.0375	0.0375
0.3208	0.4625	0.0375	0.4625
0.3208	0.4625	0.0375	0.0375

page rank of0.28879is0.55529  
page rank of0.14812is0.2848  
page rank of0.33901is0.65184  
page rank of0.22408is0.43086

## MATLAB – 4

Question 1: Use the matrix  $\begin{bmatrix} 4 & 1 \\ 3 & 1 \end{bmatrix}$  to obtain the Hill cipher encryption for the plain text message 'UTES'

Code:

```
>> w = 'UTES'

w =

    'UTES'

>> x = double(w);
>> x = reshape(mssg,2,2);
>> x = mssg-65;
>> key = [4 1;3 1]

key =

     4     1
     3     1

>> encrypt = key*x

encrypt =

    -226    -291
    -181    -230

>> encrypt=mod(encrypt,26);
>> encrypt = encrypt +65;
>> encrypt = reshape(encrypt,1,4);
>> disp('The msg that encrypted is:')
The msg that encrypted is:
>> encrypt = char(encrypt)

encrypt =

    'IBVE'

>>
```

## Question 2:

Use the matrix  $\begin{bmatrix} 4 & 1 \\ 3 & 1 \end{bmatrix}$  to obtain the Hill cipher decryption the above decrypted message (VBIE).

```
>> X = 'VBIE'

X =

    'VBIE'

>> A=double(X);
A=reshape(A,2,2)

A =

    86    73
    66    69

>> A=A-65;
key = [4 1;3 1];
d = inv(key);
d = mod(d,26)

d =

     1     25
    23      4

>>
>> decrypt = d*A;
decrypt = mod(decrypt,26);
decrypt = reshape(decrypt,1,4);
>> decrypt = decrypt +65;
>> decrypt = reshape(decrypt,1,4);
>> disp('THE MSG THAT DECRYPTED IS:')

THE MSG THAT DECRYPTED IS:
>>
>> decrypt = char(decrypt)

decrypt =

    'UTES'

>>
```

# MATLAB 5

## CODE:

```
clc
clear all
syms y(x) x
for n = 1:6
    eqn = (1-x^2)*diff(y,2)-2*x*diff(y,1)+n*(n+1)*y==0
    s = dsolve(eqn)
end
```

## OUTPUT:

EQN(X) =

$$-(x^2 - 1) \frac{\partial^2}{\partial x^2} y(x) - 2x \frac{\partial}{\partial x} y(x) + 2 y(x) = 0$$

S =

$$C_1 x + C_2 \left( \frac{x \log\left(-\frac{x+1}{x-1}\right)}{2} - 1 \right)$$

EQN(X) =

$$-(x^2 - 1) \frac{\partial^2}{\partial x^2} y(x) - 2x \frac{\partial}{\partial x} y(x) + 6 y(x) = 0$$

S =

$$C_1 \left( \frac{3x^2}{2} - \frac{1}{2} \right) - C_2 \left( \frac{3x}{2} - \frac{\log\left(-\frac{x+1}{x-1}\right) \left( \frac{3x^2}{2} - \frac{1}{2} \right)}{2} \right)$$

EQN(X) =

$$-(x^2 - 1) \frac{\partial^2}{\partial x^2} y(x) - 2x \frac{\partial}{\partial x} y(x) + 12 y(x) = 0$$

S =

$$-C_1 \left( \frac{3x}{2} - \frac{5x^3}{2} \right) - C_2 \left( \frac{\log\left(-\frac{x+1}{x-1}\right) \left( \frac{3x}{2} - \frac{5x^3}{2} \right)}{2} + \frac{5x^2}{2} - \frac{2}{3} \right)$$

EQN(X) =

$$-(x^2 - 1) \frac{\partial^2}{\partial x^2} y(x) - 2x \frac{\partial}{\partial x} y(x) + 20 y(x) = 0$$

S =

$$C_1 \sigma_1 + C_2 \left( \frac{15x}{8} + \frac{\log\left(-\frac{x+1}{x-1}\right) \sigma_1}{2} - \frac{5x \left(\frac{3x^2}{2} - \frac{1}{2}\right)}{6} - \frac{25x^3}{8} \right)$$

where

$$\sigma_1 = \frac{35x^4}{8} - \frac{15x^2}{4} + \frac{3}{8}$$

EQN(X) =

$$-(x^2 - 1) \frac{\partial^2}{\partial x^2} y(x) - 2x \frac{\partial}{\partial x} y(x) + 30 y(x) = 0$$

S =

$$C_1 \sigma_1 + C_2 \left( \frac{3x \left(\frac{3x}{2} - \frac{5x^3}{2}\right)}{4} + \frac{9x^2}{2} - \frac{21x^4}{4} + \frac{\log\left(-\frac{x+1}{x-1}\right) \sigma_1}{2} - \frac{\left(\frac{3x^2}{2} - \frac{1}{2}\right)^2}{3} - \frac{9}{20} \right)$$

where

$$\sigma_1 = \frac{63x^5}{8} - \frac{35x^3}{4} + \frac{15x}{8}$$

EQN(X) =

$$-(x^2 - 1) \frac{\partial^2}{\partial x^2} y(x) - 2x \frac{\partial}{\partial x} y(x) + 42 y(x) = 0$$

S =

$$C_1 \sigma_1 - C_2 \left( \frac{35x}{16} - \frac{\log\left(-\frac{x+1}{x-1}\right) \sigma_1}{2} - \frac{7 \left(\frac{3x}{2} - \frac{5x^3}{2}\right) \left(\frac{3x^2}{2} - \frac{1}{2}\right)}{12} + \frac{7x \left(\frac{35x^4}{8} - \frac{15x^2}{4} + \frac{3}{8}\right)}{10} - \frac{245x^3}{24} + \frac{147x^5}{16} \right)$$

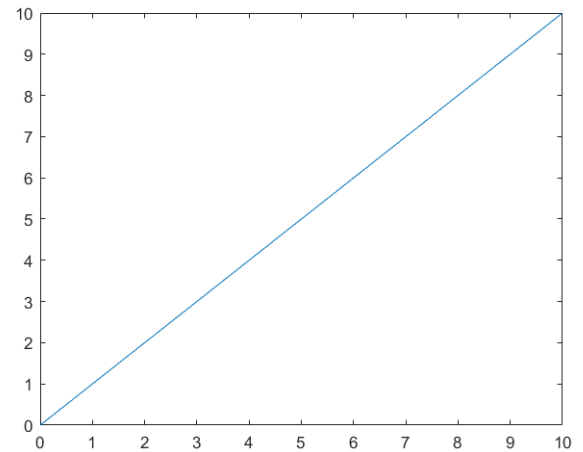
where

$$\sigma_1 = \frac{231x^6}{16} - \frac{315x^4}{16} + \frac{105x^2}{16} - \frac{5}{16}$$

## GRAPHS

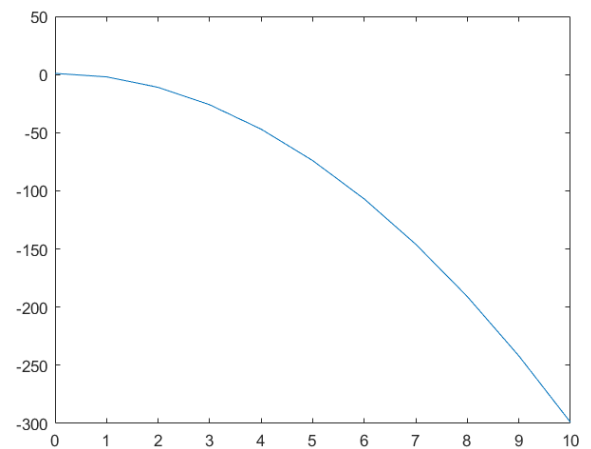
## FOR N=1

```
syms y(x) x
Dy = diff(y);
eqn = (1-x.^2).*diff(y,2)-2.*x.*diff(y,1)+2*y==0;
cond = [y(0)==0 , Dy(0)==1];
s = dsolve(eqn,cond);
x = 0:10;
y = eval(vectorize(s));
plot(x,y)
```



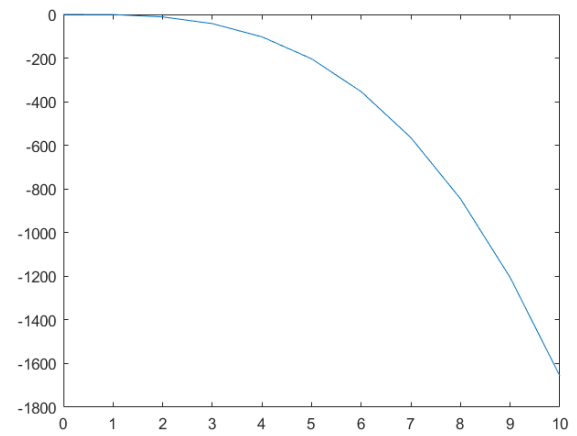
## FOR N=2

```
syms y(x) x
Dy = diff(y);
eqn = (1-x.^2).*diff(y,2)-2.*x.*diff(y,1)+6*y==0;
cond = [y(0)==1 , Dy(0)==0];
s = dsolve(eqn,cond);
x = 0:10;
y = eval(vectorize(s));
plot(x,y)
```



## FOR N=3

```
syms y(x) x
Dy = diff(y);
eqn = (1-x.^2).*diff(y,2)-2.*x.*diff(y,1)+12*y==0; cond = [y(0)==0 , Dy(0)==1];
s = dsolve(eqn,cond);
x = 0:10;
y = eval(vectorize(s));
plot(x,y)
```



## LAB 6

CODE:

```
%plot for besselj and bessely
J = besselj(2, x)
Y = bessely(2, x)
z = 0:0.1:20;
J = zeros(5,201) ;
Y = zeros(5,201) ;

for i = 0:4
    J(i+1,:) = besselj(i,z) ;
end
for i = 0:4
    Y(i+1,:) = bessely(i,z) ;
end

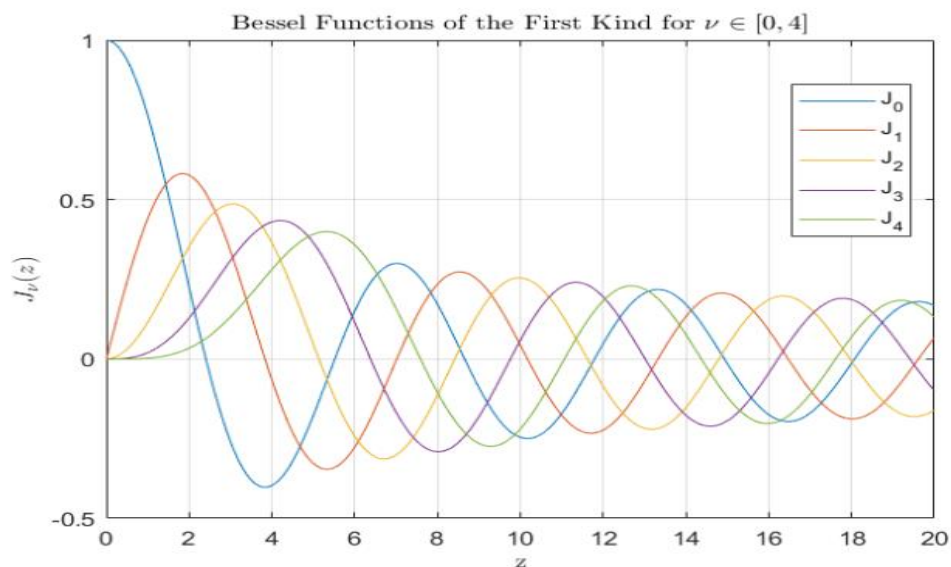
plot(z,J)
grid on
legend('J_0','J_1','J_2','J_3','J_4','Location','Best')
title('Bessel Functions of the First Kind for  $\nu \in [0,4]$ ','interpreter','latex')
xlabel('z','interpreter','latex')
ylabel('$J_\nu(z)$','interpreter','latex')
plot(z, Y)
axis([-0.1 20.2 -2 0.6])

grid on
legend('Y_0','Y_1','Y_2','Y_3','Y_4','Location','Best')
title('Bessel Functions of the Second Kind for  $\nu \in [0,4]$ ','interpreter','latex')
xlabel('z','interpreter','latex')
ylabel('$Y_\nu(z)$','interpreter','latex')
```

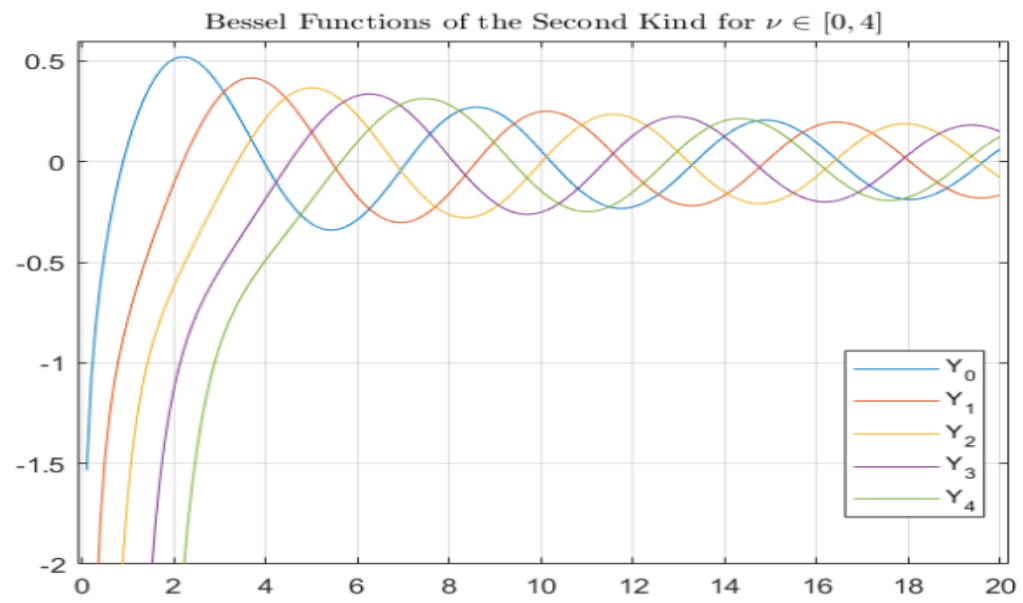
Output:

$J = J_2(x)$

$Y = Y_2(x)$







# Matlab

## Lab7

Question:-

Using matlab solve the equation with power series methods

$$x^2 y'' + xy' + (3x^2 - 2)y = 0,$$

$$x^2 y'' + 2xy' + (x^2 - 1)y = 0,$$

$$x^2 y'' + xy' - (4x^2 + \frac{1}{2})y = 0,$$

$$t^2 y'' - 3t y' + 4y = 0$$

Code in matlab:

```

1
2 - fprintf('25.a')
3 - syms y(x) x;
4 - A == x^2*diff(y,x,2)+x*diff(y,x)+(3*x^2-2)*y ==0
5 - dsolve (A)
6 - fprintf ('25.b')
7 - B == x^2*diff(y,x,2)+2*x*diff(y,x)+(x^2-1)*y ==0
8 - fprintf('In terms of Y')
9 - dsolve (B)
10 - fprintf('In terms of Z')
11
12 - syms z(x);
13 - n = sqrt(5/4);
14 - B == x^2*diff(z,x,2)+x*diff(z,x)+(x^2-n^2)*z ==0
15 - B1 == dsolve(B)
16 - fprintf ('25.c')
17 - C == x^2*diff(y,x,2)+x*diff(y)-(4*x^2+(1/2))*y ==0
18
19 - dsolve(C)
20 - fprintf('25.d')
21 - syms y(t) t;
22 - D == t^2*diff(y,t,2)-(3*t*diff(y,t))+4*y ==0
23 - dsolve (D)
24

```

## Output:

---

```
>> bessel
25.a
A(x) =

x^2*diff(y(x), x, x) + x*diff(y(x), x) + y(x)*(3*x^2 - 2) == 0

ans =

C1*besselj(2^(1/2), 3^(1/2)*x) + C2*bessely(2^(1/2), 3^(1/2)*x)

25.b
B(x) =

x^2*diff(y(x), x, x) + y(x)*(x^2 - 1) + 2*x*diff(y(x), x) == 0

In terms of Y
ans =

(C1*besselj(5^(1/2)/2, x))/x^(1/2) + (C2*bessely(5^(1/2)/2, x))/x^(1/2)

In terms of Z
B(x) =

x^2*diff(z(x), x, x) + z(x)*(x^2 - 5/4) + x*diff(z(x), x) == 0

B1 =

C1*besselj(-5^(1/2)/2, x) + C2*bessely(-5^(1/2)/2, x)

25.c
C(x) =

x^2*diff(y(x), x, x) + x*diff(y(x), x) - y(x)*(4*x^2 + 1/2) == 0

ans =

C1*besselj(2^(1/2)/2, x*2i) + C2*bessely(2^(1/2)/2, x*2i)

25.d
D(t) =

4*y(t) + t^2*diff(y(t), t, t) - 3*t*diff(y(t), t) == 0

ans =

C2*t^2 + C1*t^2*log(t)
```

# Matlab

## Lab8

### Question:-

2. **Forced Oscillations under a Nonsinusoidal Periodic Driving Force:**  
The forced oscillations of a body of mass  $m$  on a spring of modulus  $k$  are governed by the ODE

$$my'' + cy' + ky = r$$

Find the steady-state solution for  $y(t)$ , if  $m = 1$  kg,  $c = 0.05$ g/sec and  $k = 25$  g/sec<sup>2</sup>. Where,

$$f(x) = \begin{cases} t + \pi/2 & -\pi \leq t \leq 0 \\ t - \pi/2 & 0 \leq t \leq \pi \end{cases}$$

where,  $r(t) = r(t + 2\pi)$ .

### Code in matlab:

```

1 - clc
2 - clear all
3 - syms x k L U n
4 - f=input('Enter function:');
5 - L=input('Enter lower limit:');
6 - U=input('Enter upper limit:');
7 - l=(U-L)/2;
8 - n=input('Enter no of elements required:');
9 - ak= @(f,x,k) int(f*cos(k*pi*x/l)/l,x,L,U);
10 - bk= @(f,x,k) int(f*sin(k*pi*x/l)/l,x,L,U);
11 - fs= @(f,x,n) ak(f,x,0)/2 + ...
12 - symsum(ak(f,x,k)*cos(k*pi*x/l) + bk(f,x,k)*sin(k*pi*x/l),k,l,n);
13 - pretty(fs(f,x,n))
14 - fst=ak(f,x,0)/2;
15 - for i = 1:n
16 -     fst=fst + ak(f,x,i)*cos(i*pi*x/l) + bk(f,x,i)*sin(i*pi*x/l);
17 -     disp(['harmonics upto:',num2str(i)]);
18 -     disp(fst);
19 -     figure(i);
20 -     h=ezplot(f,[L,U]);
21 -     set(h,'LineWidth',1.5);
22 -     hold on
23 -     h=ezplot(fst,[L,U]);
24 -     set(h,'LineStyle','-','Color',[i/n,l/n,l/n],'LineWidth',1.5);
25 -     title(['Partial sums up to n=',num2str(i)])
26 - end

```

Output:

Enter function: $x^2-5x+6$

Enter lower limit:0

Enter upper limit:2

Enter no of elements required:2

$4 \cos(\pi x) - \cos(2 \pi x) - 6 \sin(\pi x) - \sin(2 \pi x) + \frac{3}{3} - \frac{7}{3}$

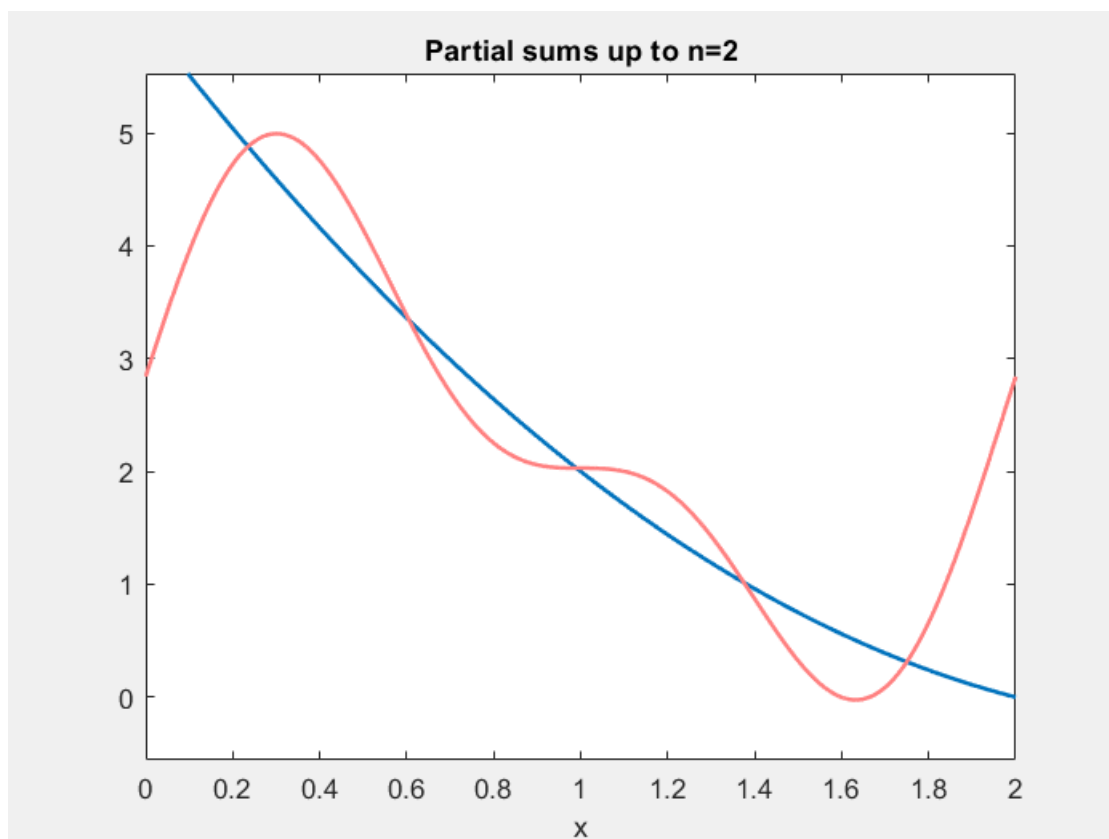
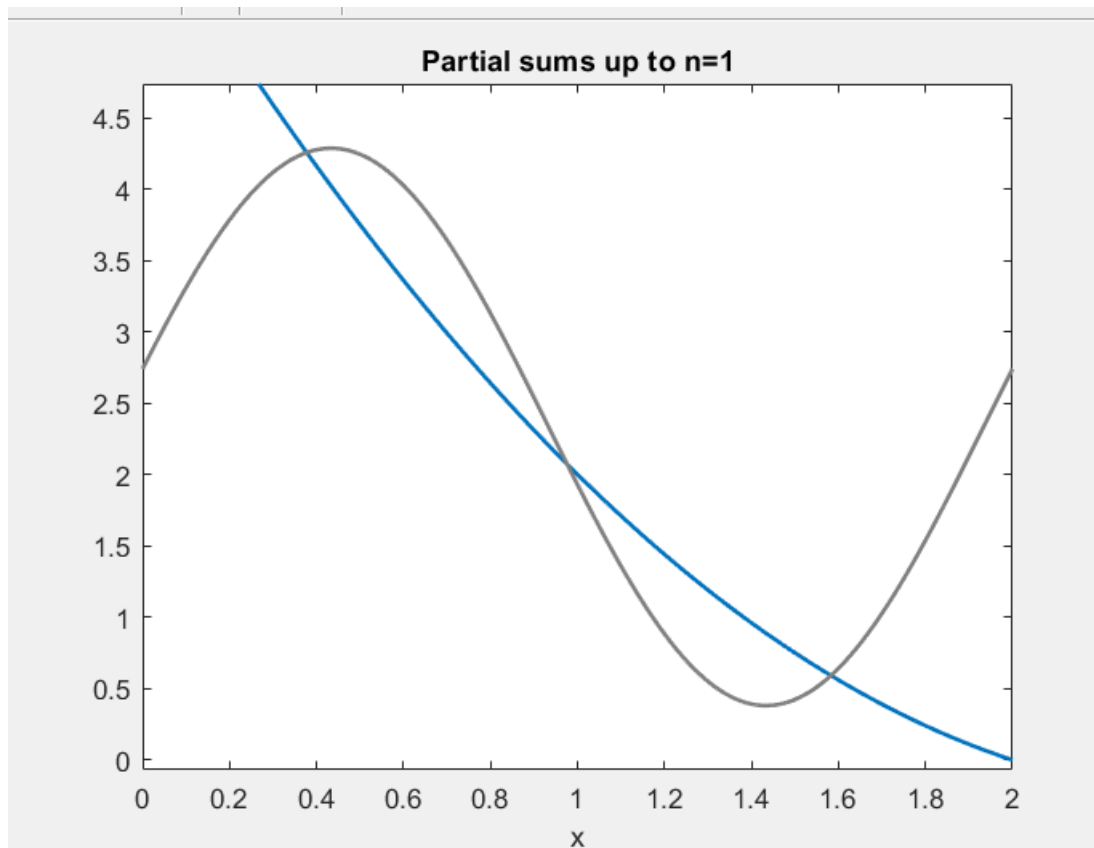
----- + ----- + ----- + ----- + -  
 $\frac{4}{\pi^2} - \frac{1}{\pi^2} - \frac{6}{\pi} - \frac{1}{\pi} + \frac{3}{3} - \frac{7}{3}$

harmonics upto:1

$(4 \cos(\pi x))/\pi^2 + (6 \sin(\pi x))/\pi + 7/3$

harmonics upto:2

$(4 \cos(\pi x))/\pi^2 + \cos(2 \pi x)/\pi^2 + (6 \sin(\pi x))/\pi + (3 \sin(2 \pi x))/\pi + 7/3$



## MATLAB

### ASSIGNMENT -9

**Example** The turning moment  $T$  on the crankshaft of a steam engine for the crank angle  $\theta$  degrees is given as follows:

$\theta^\circ$	0	15	30	45	60	75	90	105	120	135	150	165	180
$T$	0	2.7	5.2	7.0	8.1	8.3	7.9	6.8	5.5	4.1	2.6	1.2	0

Express  $T$  in a Fourier series neglecting the harmonic above third.

Code:

```
clc
```

```
clear all
```

```
syms x
```

```
p=input('enter the period:');
```

```
l=p/2;
```

```
X=input('enter the X-vector:');
```

```
Y=input('enter the Y-vector:');
```

```
N=length(X);
```

```
r=input('enter the number of terms in series:');
```

```
a_0=(2/N)*sum(Y);
```

```
for n=1:r
```

```
    a(n)=(2/N)*sum(Y.*cos(n*pi*X/l));
```

```
    b(n)=(2/N)*sum(Y.*sin(n*pi*X/l));
```

```
end
```

```
for n=1:r
```

```
H(n)=a(n)*cos(n*pi*x/l)+b(n)*sin(n*pi*x/l);
```

```
end
```

```
HS=(a_0)/2+sum(H);
```

```
disp('Harmonic series is given by')
```

```
disp(HS)
```

```
plot(X,Y,'r')
```

```
hold on
```

```
ezplot(HS,[0,p])
```

### **OUTPUT:**

enter the period:

$\pi/12$

enter the X-vector:

[0  $\pi/12$   $\pi/6$   $\pi/4$   $\pi/3$   $5\pi/12$   $\pi/2$   $7\pi/12$   $2\pi/3$   $3\pi/4$   
 $5\pi/6$   $11\pi/12$   $\pi$ ]

enter the Y-vector:

[0 2.7 5.2 7.0 8.1 8.3 7.9 6.8 5.5 4.1 2.6 1.2 0]

enter the number of terms in series:

5

Harmonic series is given by

$(594 \cdot \cos(24 \cdot x))/65 + (594 \cdot \cos(48 \cdot x))/65 +$   
 $(594 \cdot \cos(72 \cdot x))/65 +$

$(594 \cdot \cos(96 \cdot x))/65 + (594 \cdot \cos(120 \cdot x))/65 -$



$(8245035216728501 \cdot \sin(24 \cdot x)) / 50706024009129176059868$   
 $12821504$

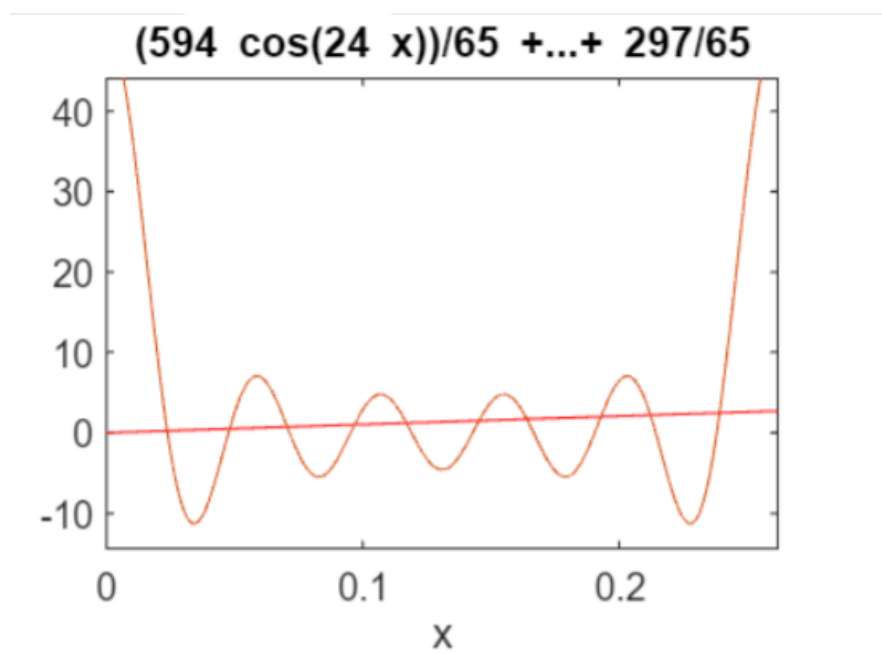
$(8245035216728501 \cdot \sin(48 \cdot x)) / 25353012004564588029934$   
 $06410752 +$

$(8693247934423919 \cdot \sin(72 \cdot x)) / 15845632502852867518708$   
 $7900672 -$

$(8245035216728501 \cdot \sin(96 \cdot x)) / 12676506002282294014967$   
 $03205376 +$

$(3111383652586581 \cdot \sin(120 \cdot x)) / 1584563250285286751870$   
 $87900672 + 297/65$

Graph for the example code:



## MATLAB

### ASSIGNMENT -10

Code:

Code:

```
%MATLAB_10
syms y(k) z F T
assume(k>=0 & in(k,'integer'))
eq = y(k+3) + 2*y(k+2) + 3*y(k+1) - y(k) == exp(-
k);
Zt = ztrans(eq,k,z)
Zt = subs(Zt,ztrans(y(k),k,z),F)
F = solve(Zt,F)
pSol = iztrans(F,z,k); % Inverse Z-transform
pSol = simplify(pSol)
pSol = subs(pSol,[y(0) y(1) y(2)],[0 1 0]) %
Initial conditions
kvalues = 1:10;
pSolValues = subs(pSol,k,kvalues);
pSolValues = double(pSolValues);
pSolValues = real(pSolValues);
plot(kvalues,pSolValues)
```

output:

pSol =

```
(exp(3 - k)*(exp(k)*symsum(-(exp(-3))*root(z5^3 + 2*z5^2 +
3*z5 - 1, z5, l)^k*root(z5^3 + 2*z5^2 + 3*z5 - 1, z5,
l)*(3*exp(1) + 4*exp(2) - 2*exp(3) + 2) - root(z5^3 + 2*z5^2 +
3*z5 - 1, z5, l)^k + exp(-3)*root(z5^3 + 2*z5^2 + 3*z5 - 1, z5,
```

$$l)^k \cdot \text{root}(z5^3 + 2 \cdot z5^2 + 3 \cdot z5 - 1, z5, l)^2 \cdot (2 \cdot \exp(1) + 2 \cdot \exp(2) - \exp(3) + 1)) / (2 \cdot \text{root}(z5^3 + 2 \cdot z5^2 + 3 \cdot z5 - 1, z5, l)^2 + 6 \cdot \text{root}(z5^3 + 2 \cdot z5^2 + 3 \cdot z5 - 1, z5, l) - 3), l, 1, 3) + 1)) / (2 \cdot \exp(1) + 3 \cdot \exp(2) - \exp(3) + 1)$$

Graph for the code:

