Outsatnding-Project-1

By:

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Problem Statement 2

Q1: What is the optimal value of alpha for ridge and lasso regression? What will be the changes in the model if you choose double the value of alpha for both ridge and lasso? What will be the most important predictor variables after the change is implemented?

Ans:

Ridge Regression

Therefore the best/optimal value of the Parameter i.e. alpha is 100

When alpha is 100(best parameter)

When alpha is 200(best parameter is doubled)

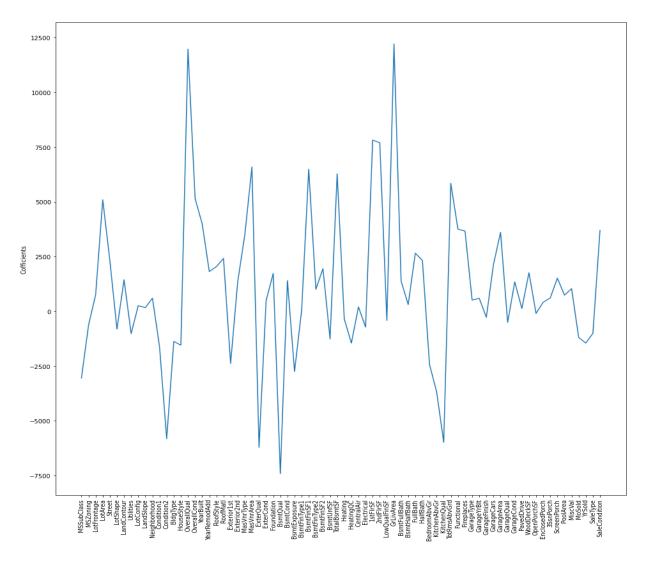
We can see that the value of coefficients decreases as the value of alpha is doubled. When the value of alpha is increased in lasso regression the value of coefficients tends to zero but it never reaches the value of zero.

Finding variable with max coefficient value

As OverallQual variable has highest Coefficient value therefore it is most important variable

We can also see this from the graph plotted below for all the variables with coefficients for

Ridge Regression



Lasso Regression

From the Above Hyperparameter tuning we can see that the best value of the **alpha for Lasso** regression is **0.01**

When alpha is 0.01(best parameter)

When alpha is 0.02(best parameter is doubled)

```
[148] 1 # Model training for Double alpha value 2 ls=Lasso(alpha=0.02,random_state=0) 3 ls.fit(x_train_sc,y_train) 4 print(ls.score(x_test_sc,y_test)) 5 ls.coef_

[> 0.6288573859278459 array([-4.14970871e+03, -6.82180777e+02, 4.37072981e+02, 5.67946454e+03, 2.45363124e+03, -5.35134684e+02, 1.88757326e+03, -1.06377823e+03, 4.94909740e+02, 1.12719321e+01, 5.92425202e+02, -1.90136901e+03, -7.13389588e+03, -7.05387436e+02, -1.90107573e+03, 1.26853489e+04, 6.26816951e+03, 7.52296535e+03, 8.76753382e+02, 1.86248370e+03, 2.24729600e+03, -3.46003956e+03, 2.46564220e+03, 3.87453593e+03, 6.70395586e+03, -6.04907786e+03, 4.434640249e+02, 1.23689627e+03, -7.69840985e+03, 1.51412799e+03, -2.91572439e+03, 4.43310645e+02, 1.14708947e+04, 1.35176202e+03, 4.09289371e+03, 2.64816145e+03, 1.85733233e+03, -5.83349484e+02, -1.14430575e+03, -4.28201009e+02, -8.00614434e+02, 1.75473913e+04, 1.96333493e+04, 6.75540331e+02, 3.09183530e+03, 8.53741492e+02, 2.80527401e+02, 1.22932177e+03, 1.53230607e+03, -3.62907559e+03, -3.88716267e+03, -5.92080569e+03, 5.79806867e+03, -3.62907559e+03, -3.13140476e+03, 8.95767034e+02, 2.47958971e+02, 3.26797144e+02, 1.07518981e+03, 3.45588582e+03, -6.80152711e+02, 1.69190156e+03, -4.96580241e+02, 1.57312252e+03, -6.07744507e+02, 5.83962269e+02, 6.89593534e+02, 1.54033835e+03, 7.95393734e+02, 1.43692810e+03, -1.34367664e+03, -1.64381745e+03, -9.94204048e+02, 4.01370881e+03])
```

As we see that there is almost negligible effect in the coefficients value as even after doubling the change in the value of the alpha is very small.

But as the value of alpha increases the coefficients values goes on decreasing and the ultimately it will reach the value of zero in case of Lasso regression.

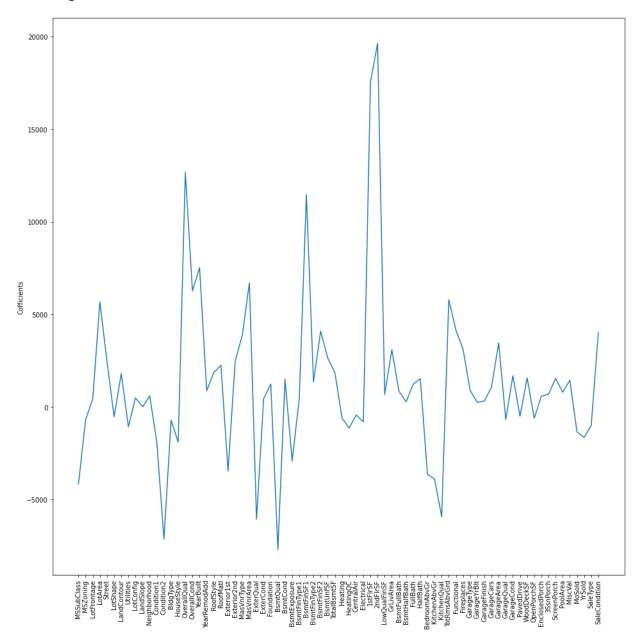
Finding variable with max coefficient value

```
1 # Finding Most important Variable/Column
2 m=max(ls_coef)
3 print(m)
4 for i in range(len(col)):
5    if ls_coef[i]==m:
6        imp_pred=col[i]
7 print(imp_pred)
C> 19633.34932598228
2ndFlrSF
```

There fore the **2ndFirSE variable** is having the highest value for the coefficient's so it is most important variable in Lasso regression.

We can also see this from the graph plotted below for all the variables with coefficients for

Lasso Regression



assignment. Now, which one will you choose to apply and why?

Ans:

```
1 #Model training
2 rd=Ridge(alpha=100,random_state=0)
3 rd.fit(x_train_sc,y_train)
4 print(rd.score(x_test_sc,y_test))
5 rd.coef_

0.6689229839919186
array([[-3048.00706915, -633.61982414, 758.87555606, 5098.66500945, 2333.36919994, -811.40646444, 1444.97867656, -1013.87772001, 261.33654598, 170.94018532, 602.15336011, -1624.8558183, -5819.31798168, -1372.86841195, -1545.68720009, 11976.71828491, 5155.19562748, 3998.07134353, 1816.92173716, 2044.11515645, 2418.55831077, -2377.20339486, 1354.13063804, 3494.67410842, 6595.70099945, -6211.81024196, 492.46664609, 1735.5522855, -7409.12403275, 1401.67783542, -2744.84880767, 52.12478705, 6492.91278612, 1009.1544451, 1950.96337967, -1259.16303858, 6282.33787243, -349.54039811, -1449.96460026, 202.43885417, -716.44080032, 7823.26401736, 7700.72808695, -415.11152155, 12213.87938843, 1386.46532505, 310.23694634, 2656.57486218, 2326.84217667, -2424.29467972, -3670.29409953, -5977.70973825, 5847.61332841, 3757.6385649, 3664.32365719, 512.63276155, 597.79783718, -273.27736685, 2136.06218166, 3609.85090441, -503.82174006, 1345.73806933, 133.56923432, 1762.57387528, -93.66515322, 417.73168674, 612.28757262, 1520.71230466, 738.9583497, 1040.87056182, -1191.90452529, -1449.29678181, -1003.86141122, 3701.52662245]])
```

```
[147] 1 # Model training
2 ls=Lasso(alpha=0.01,random_state=0)
3 ls.fit(x_train_sc,y_train)
4 print(ls.score(x_test_sc,y_test))
5 ls.coef_

[-- 0.628856519803142
array([-4.14969279e+03, -6.82184558e+02, 4.37084965e+02, 5.67946682e+03, 2.45364283e+03, -5.35142402e+02, 1.80759627e+03, -1.06379165e+03, 4.94929241e+02, 1.12822846e+01, 5.92438585e+02, -1.90137459e+03, -7.13392577e+03, -7.05402256e+02, -1.90111075e+03, 1.26853161e+04, 6.26820335e+03, 7.52303891e+03, 8.76746106e+02, 1.86249315e+03, 2.247304411e+03, -3.46012889e+03, 2.46571461e+03, 3.87454255e+03, 6.70397208e+03, -6.04906866e+03, 4.43655011e+02, 1.23690399e+03, -7.69840296e+03, 1.51413484e+03, -2.91573497e+03, 4.43337996e+02, 1.14721368e+04, 1.35179548e+03, 4.09338075e+03, 2.64941480e+03, 1.85616894e+03, -5.83377757e+02, -1.14430898e+03, -4.28243024e+02, -8.00632291e+02, 1.75479430e+04, 1.96340274e+04, 6.75624363e+02, 3.09104388e+03, -3.62911694e+03, -3.88719185e+03, -5.92079759e+03, 5.79812094e+03, 4.15091174e+03, 3.11341742e+03, 8.95790035e+02, 2.47977738e+02, 3.26832664e+02, 1.07518722e+03, 3.45588121e+03, -6.80178840e+02, 1.69193547e+03, -4.96607181e+02, 1.57313034e+03, -6.97768331e+02, 5.83982843e+02, -4.96607181e+02, 1.57313034e+03, -9.94218592e+02, 4.01371907e+03])
```

From both models we can see that the accuracy of the Ridge Regression is more than the accuracy of the Lasso regression.

Therefore we will apply Ridge regression during the assignment.

How can you make sure that a model is robust and generalisable? What are the implications of the same for the accuracy of the model and why?

Ans:

As we can see below in both the average accuracy(84%) for the Model is less than the accuracy obtained from training the model above(66%) Which implies either the model is underfitted or the relation B/W Dependent and Independent variable iss not linear As we know that some models like Random forest and Decision Tree Regressions were more robust and Generalised.

However we can make Lasso and Ridge more robust and generalised by removing outliers but this may not guarantee that the model will become more robust and generalised as the relation B/W dependent and independent variables is may not be Linear.

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Cross Validation of Ridge Regression

Cross Validation of Lasso Regression